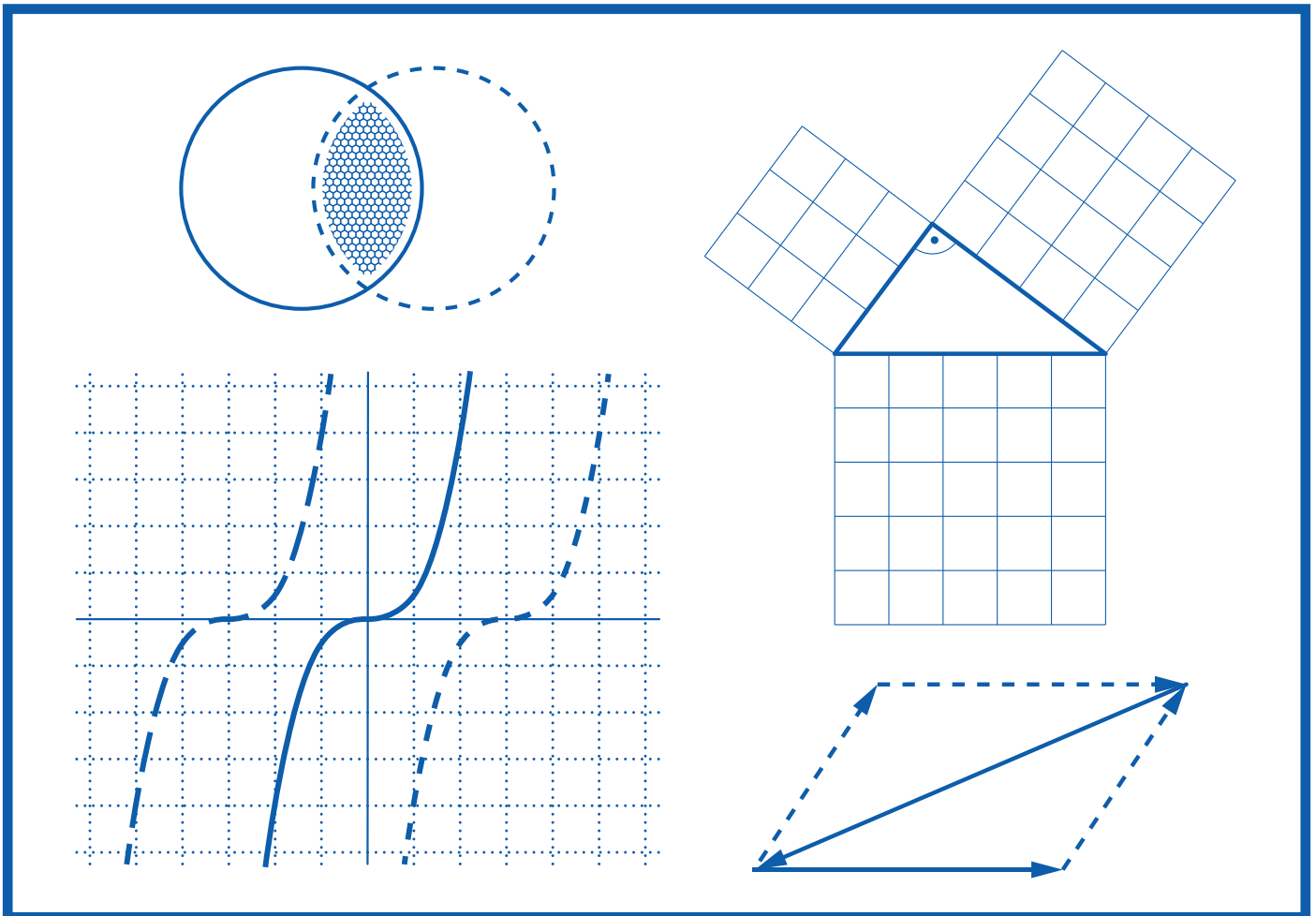


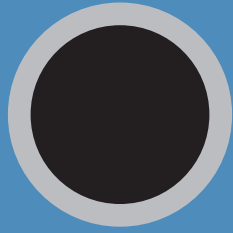


Grafikkatalog

9. Schulstufe (5. AHS)

Autor: Elisabeth Stanetty • Grafiken: Tomáš Batha

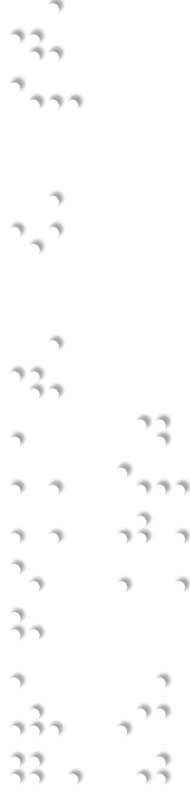




9

Grafikkatalog

9. Schulstufe (5. AHS)





Inhalt

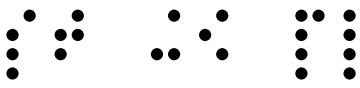
- 1 Pythagoräischer Lehrsatz
- 2 Mengen
- 3 Funktionen
- 4 Vektoren in \mathbb{R}^2

Pythagoräischer Lehrsatz

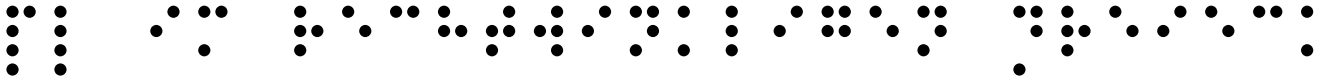
Schulstufe 09

Inhalt

- 1 PL im rechtwinkligen Dreieck
- 2 PL im rechtwinkligen Dreieck mit Thaleskreis
- 3 Pythagoräischer Lehrsatz (PL)
- 4 PL Höhensatz
- 5 PL Kathetensatz_1
- 6 PL Kathetensatz_2
- 7 PL im gleichschenkligen Dreieck
- 8 PL im gleichseitigen Dreieck
- 9 PL im allgemeinen Dreieck
- 10 PL im Quadrat
- 11 PL im Rechteck
- 12 PL im Rhombus
- 13 PL im Parallelogramm
- 14 PL Diagonalen normal
- 16 PL im gleichschenkligen Trapez
- 17 PL im Trapez



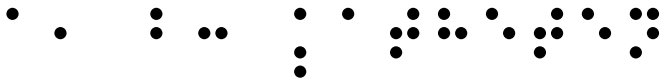
St 09 PL, 1/17



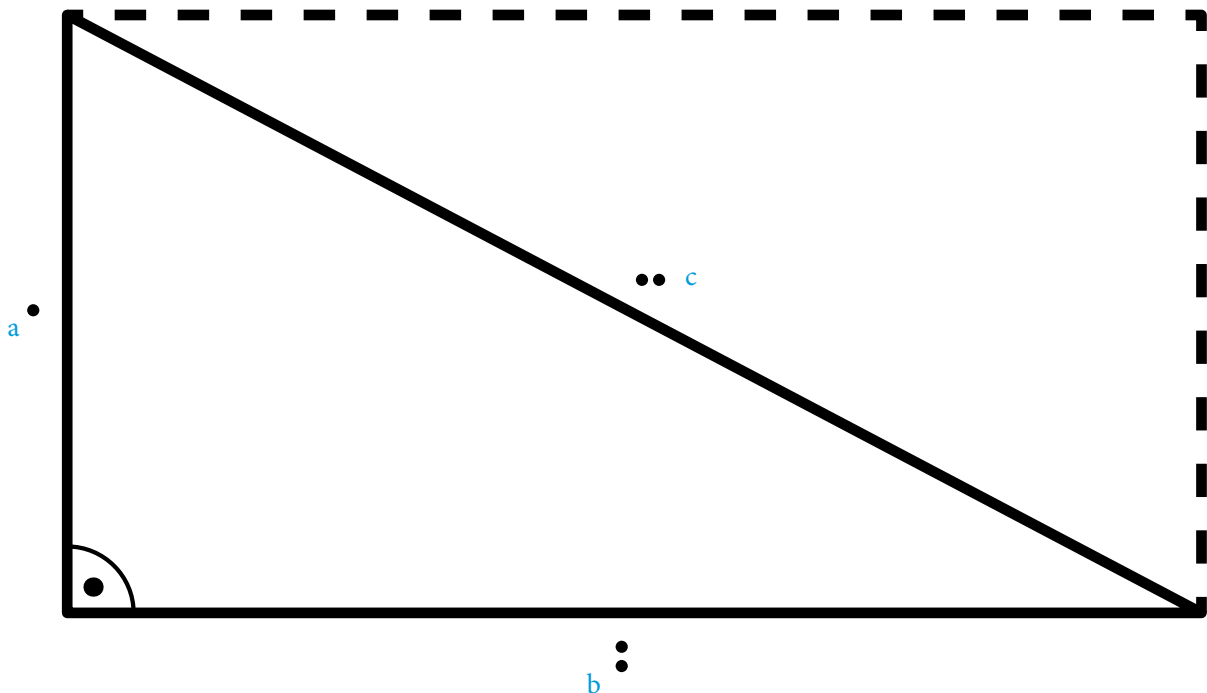
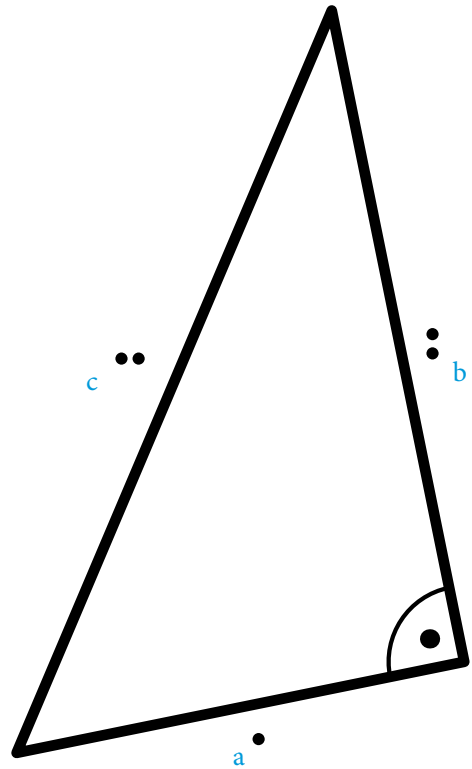
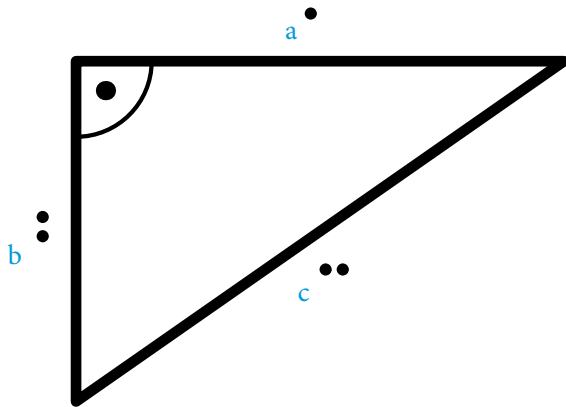
PL im rechtwinkligen Dreieck

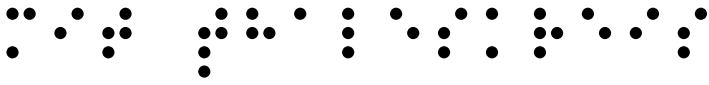
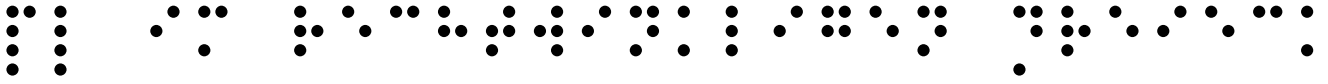
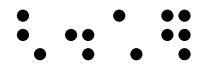
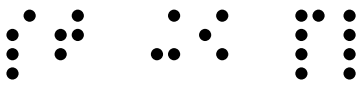


c: Hypotenuse

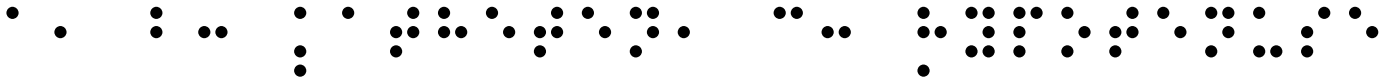


a, b: Katheten

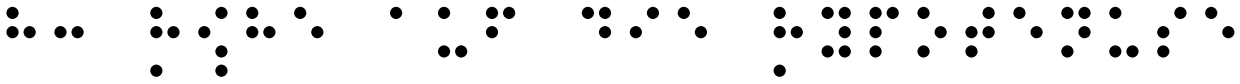




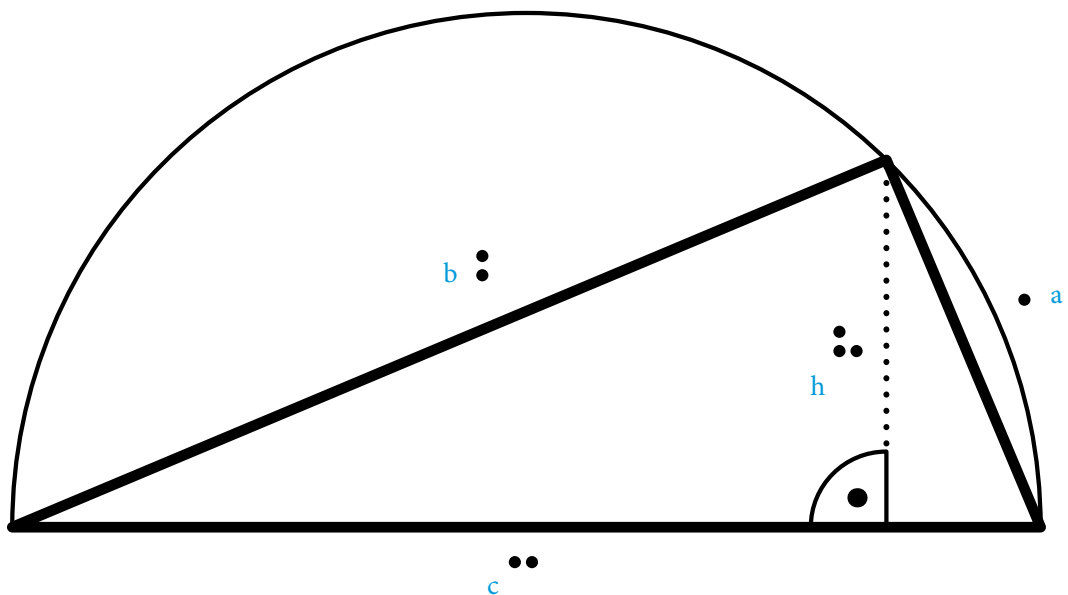
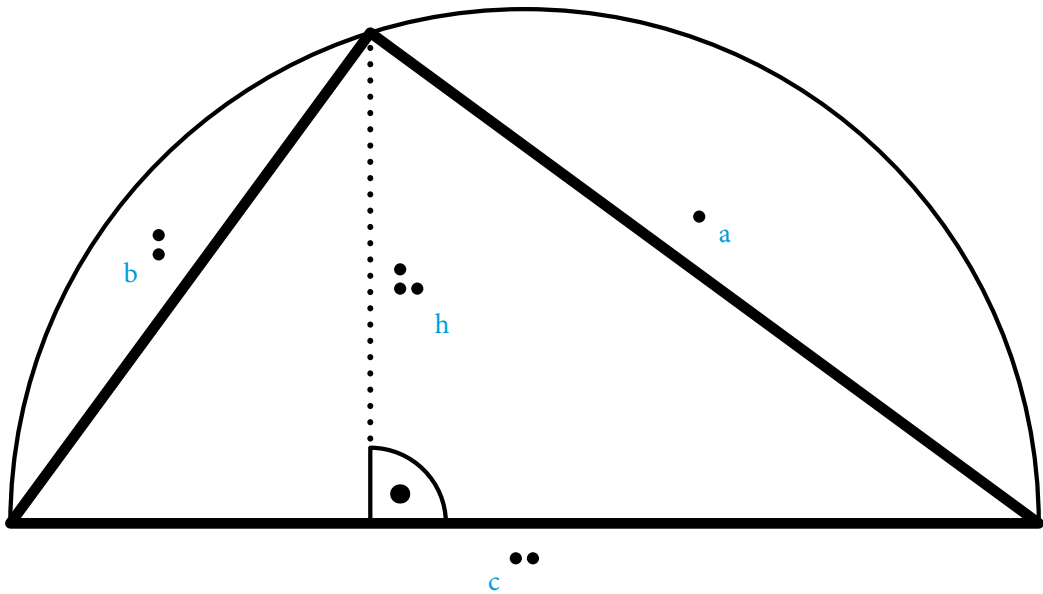
PL im rechtwinkligen Dreieck mit Thaleskreis

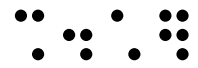
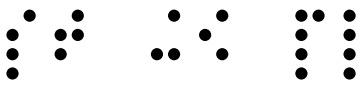


a, b: Katheten, c: Hypotenuse

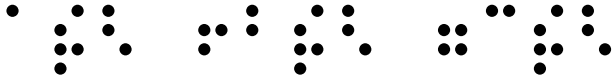


h: Höhe auf die Hypotenuse

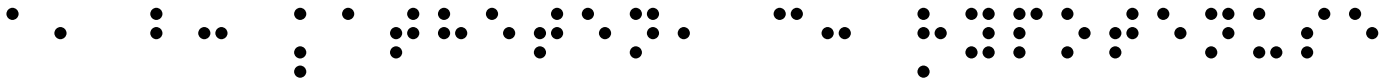




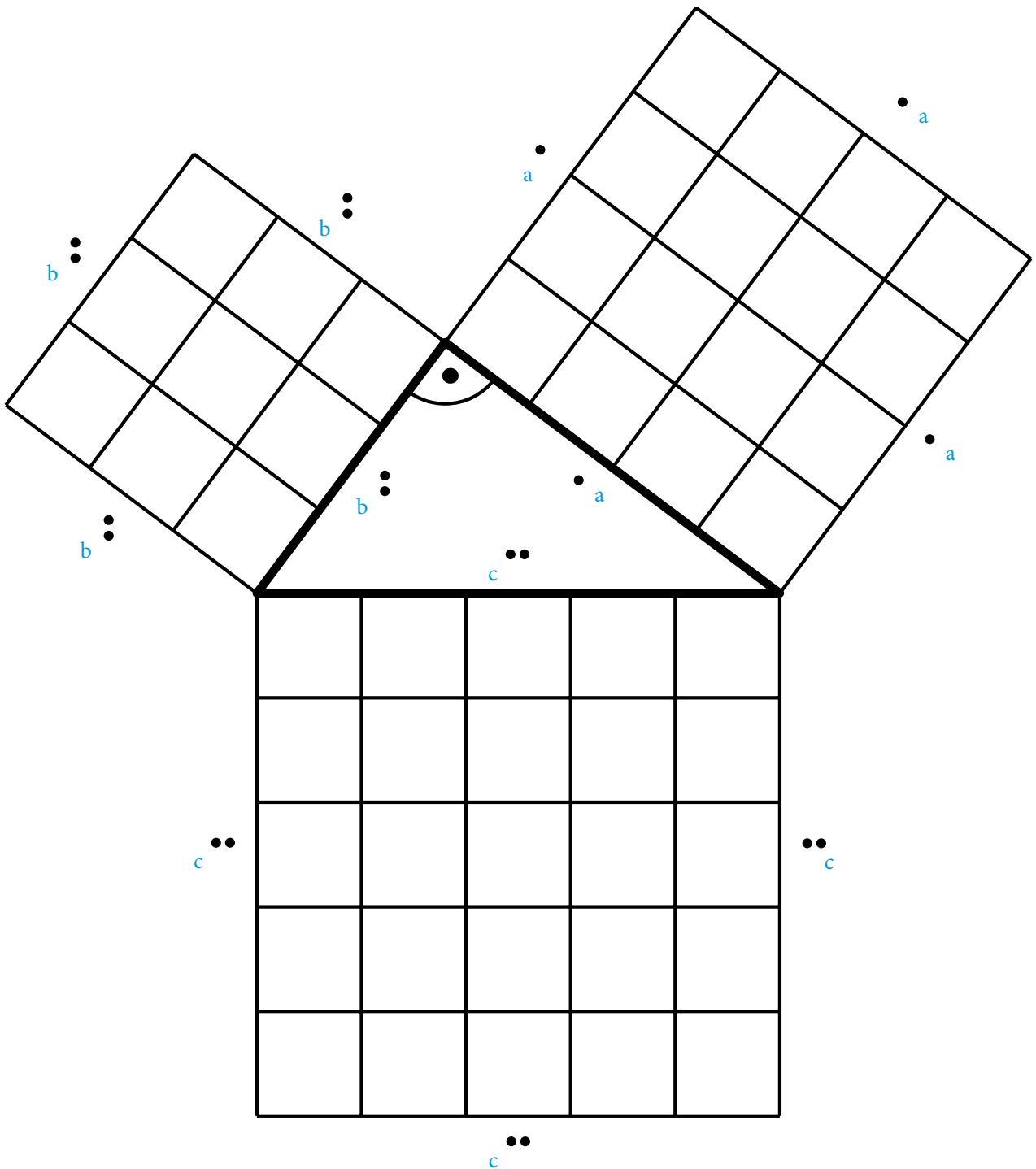
Pythagoräischer Lehrsatz

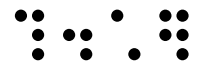
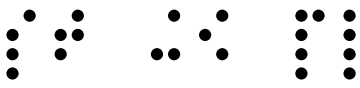


$a^2 + b^2 = c^2$



a, b: Katheten, c: Hypotenuse

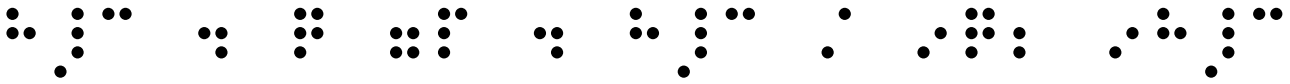




PL Höhensatz



Hypotenuse $c = q + p$



$h_c / q = p / h_c$

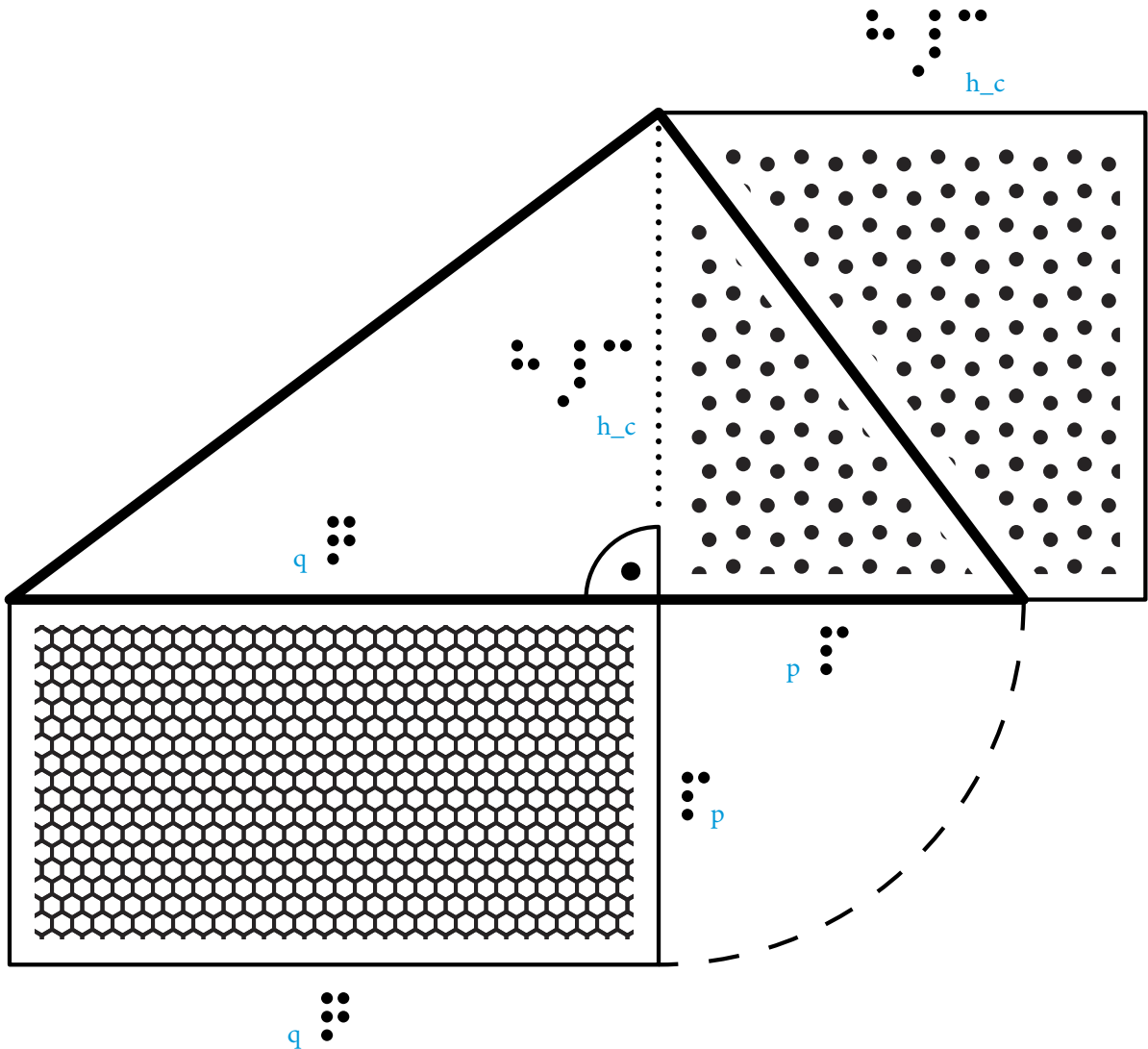


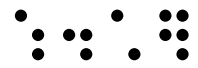
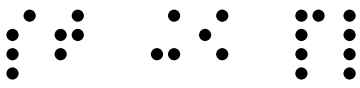
daraus folgt: $h_c^2 = p * q$



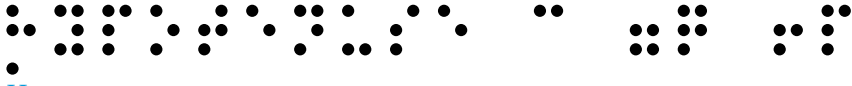
h_c^2 :

$p * q$:





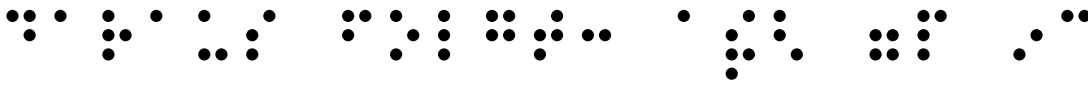
Kathetensatz_1



Hypotenuse $c = q + p$



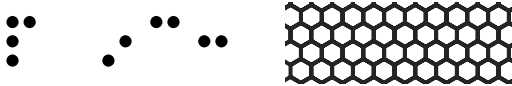
$a / p = c / a \mid *a; *p$



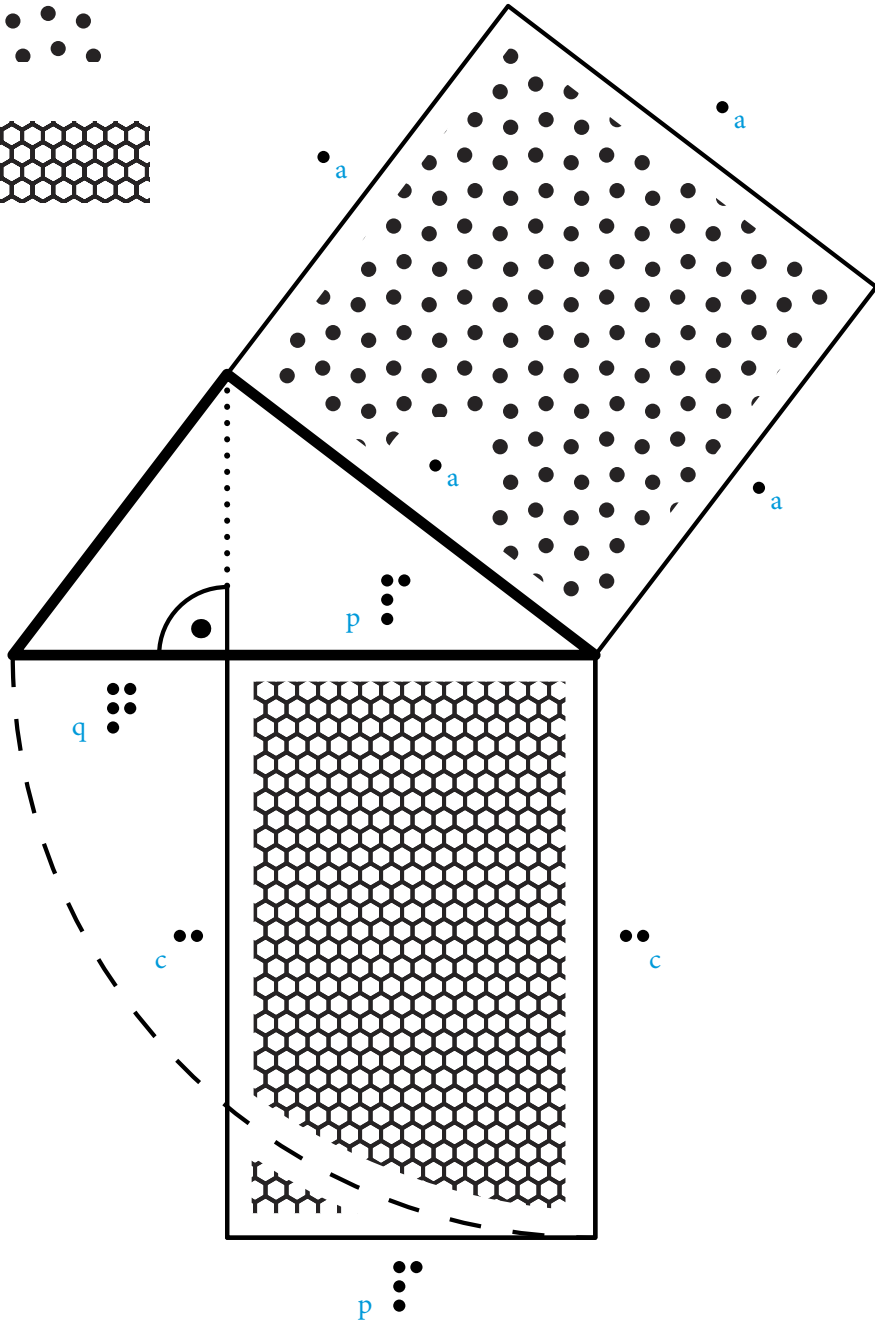
daraus folgt: $a^2 = p * c$

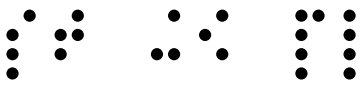


$a^2:$

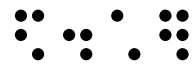


$p * c:$





St 09 PL, 6/17



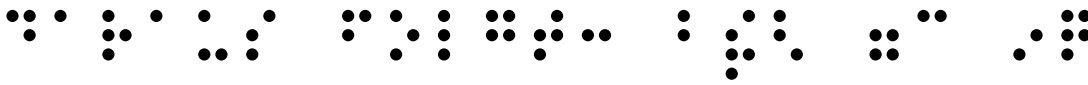
Kathetensatz_2



Hypotenuse $c = q + p$



$b / q = c / b \mid *b; *q$

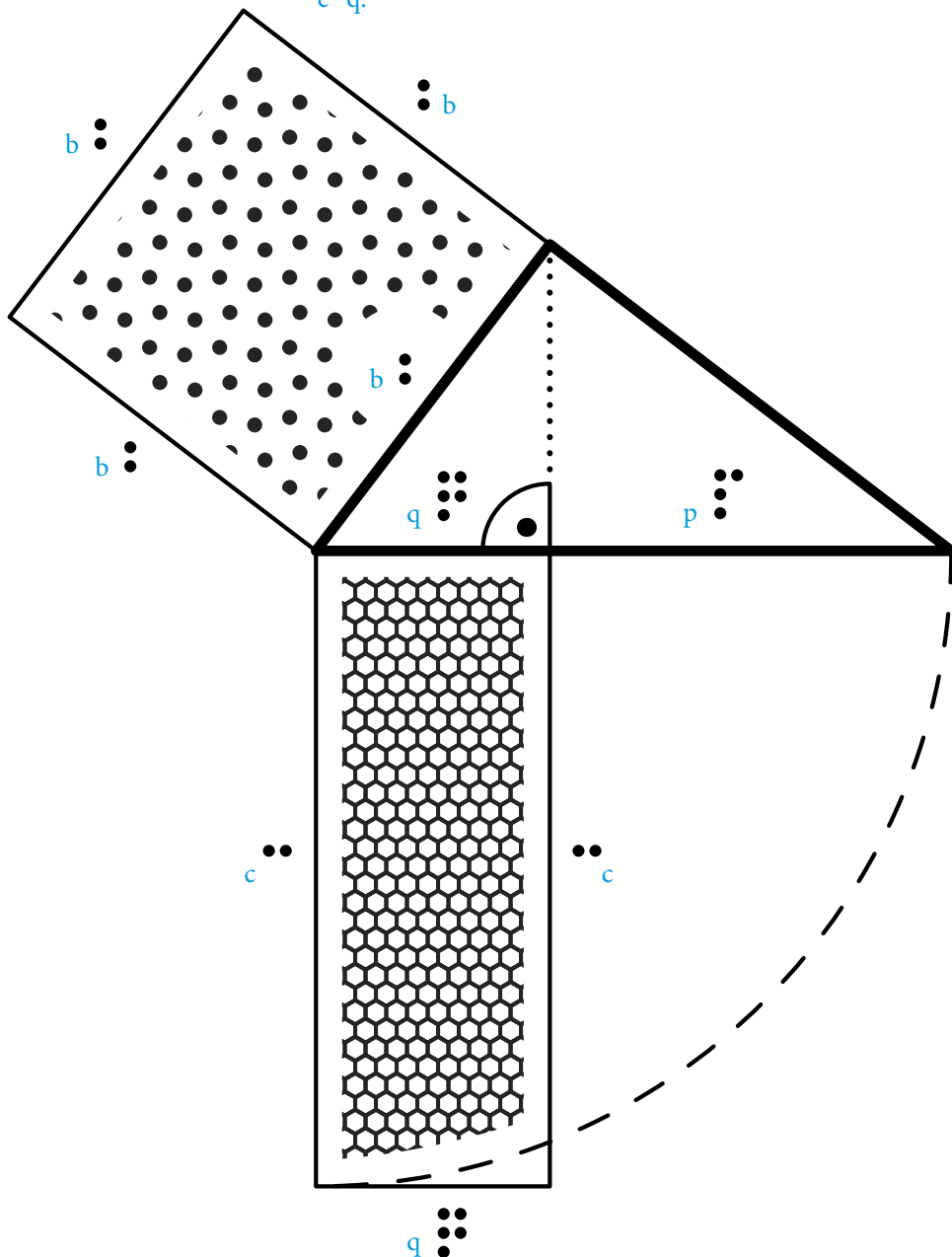


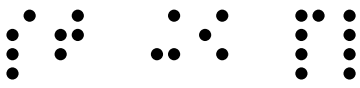
daraus folgt: $b^2 = c * q$



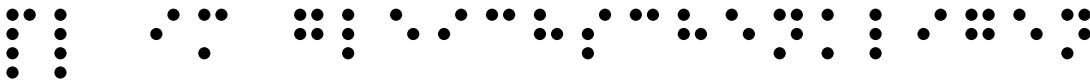
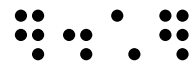
b^2 :

$c * q$:





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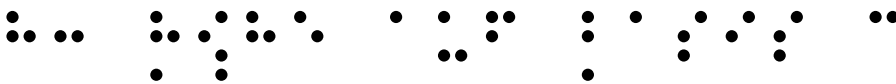
PL im gleichschenkligen Dreieck



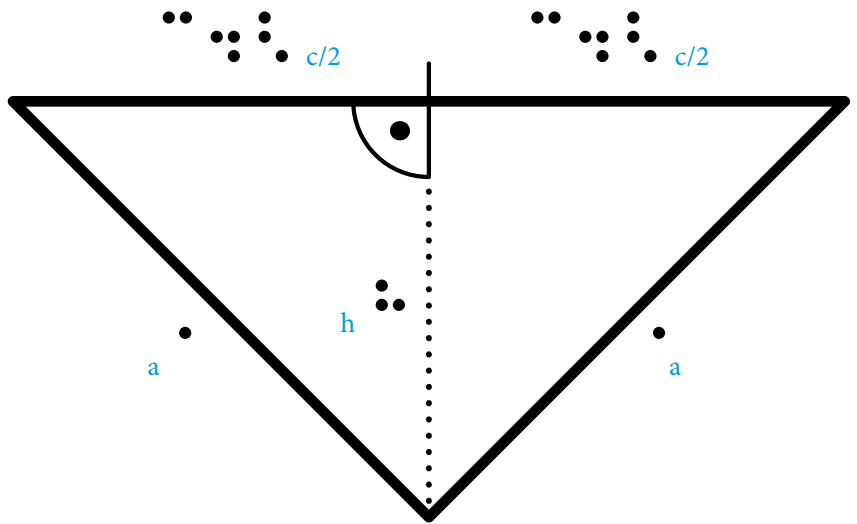
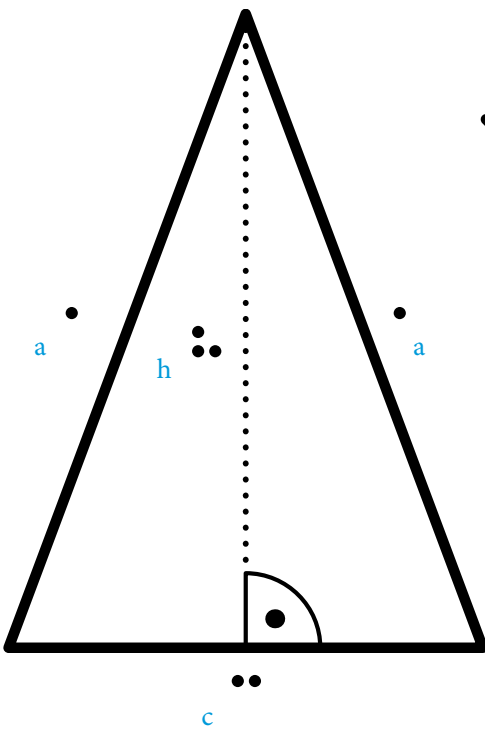
$c/2$: Hälfte der Basislänge

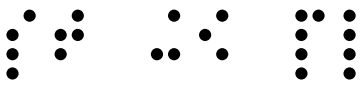


a: Schenkel

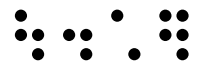


h: Höhe auf Basis c





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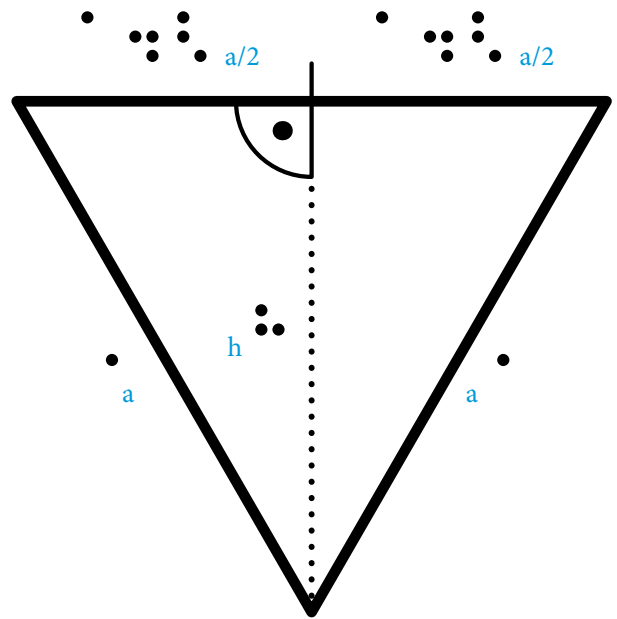
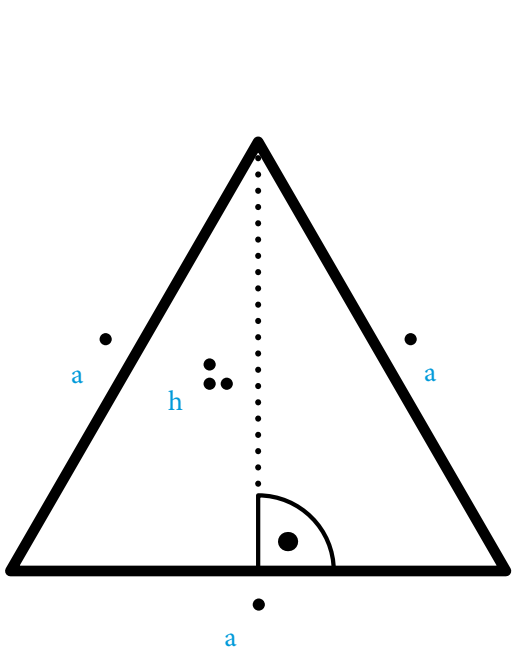
PL im gleichseitigen Dreieck

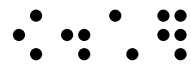
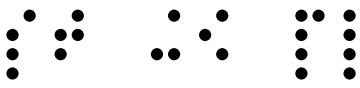


a: Seitenlänge



h: Höhe auf a

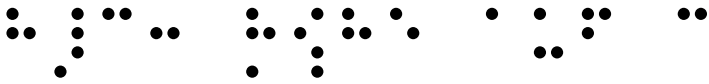




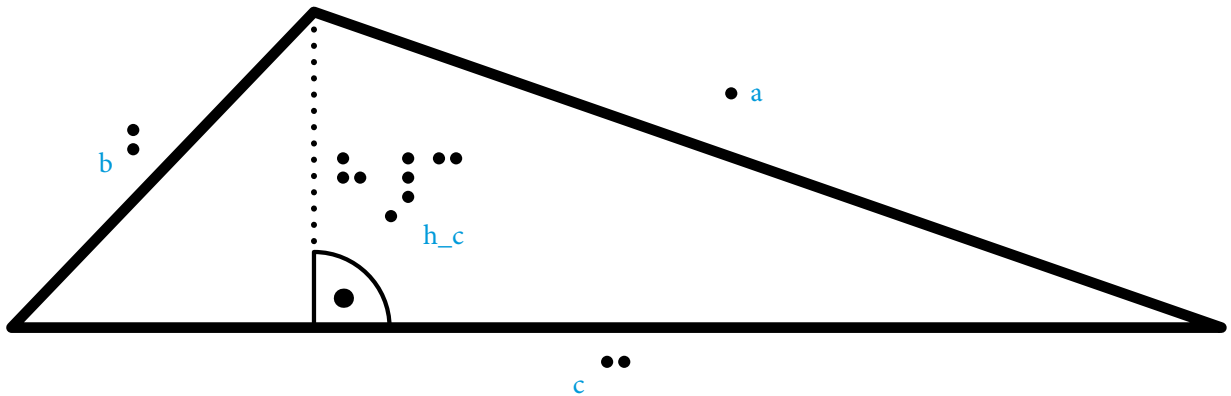
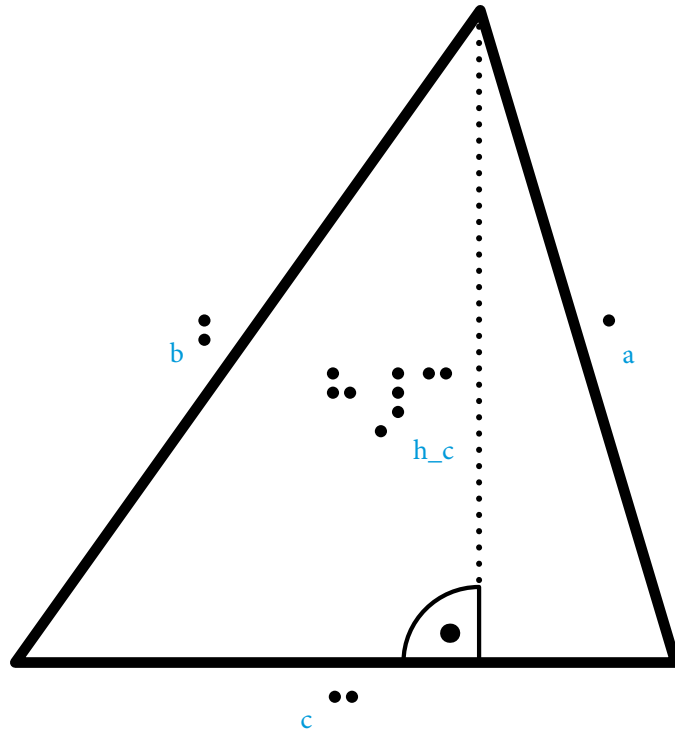
PL im allgemeinen Dreieck

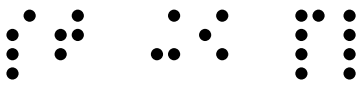


a, b, c: Seiten

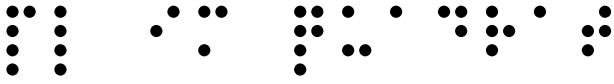
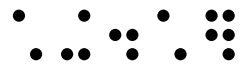


h_c : Höhe auf c





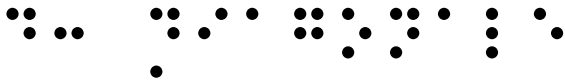
St 09 PL, 10/17



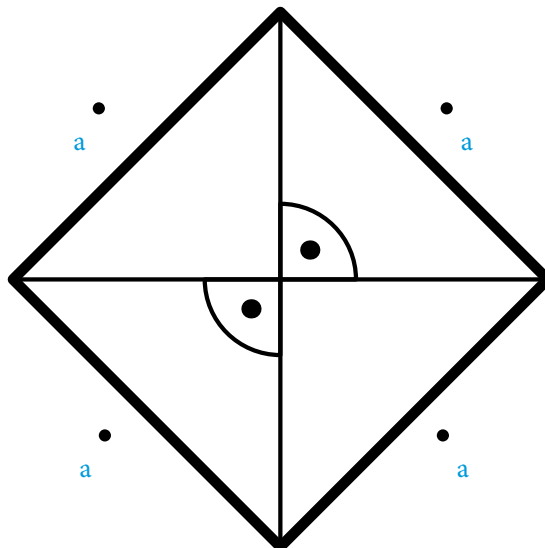
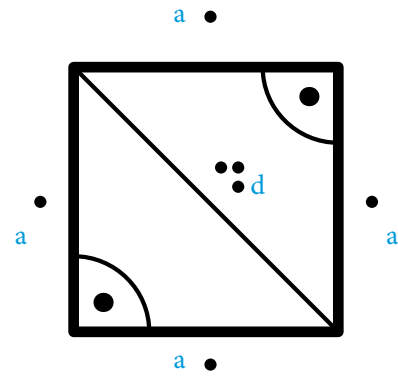
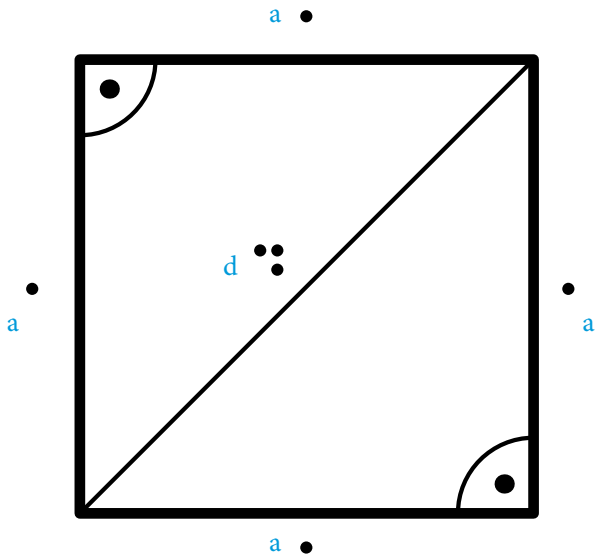
PL im Quadrat

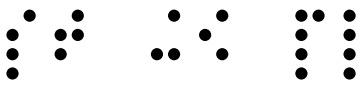


a: Seite

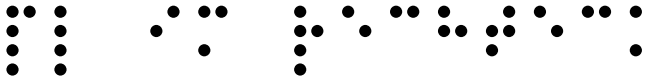


d: Diagonale

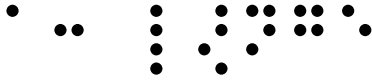




St 09 PL, 11/17



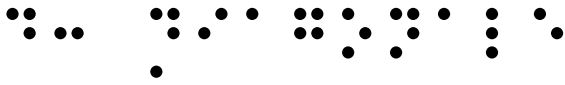
PL im Rechteck



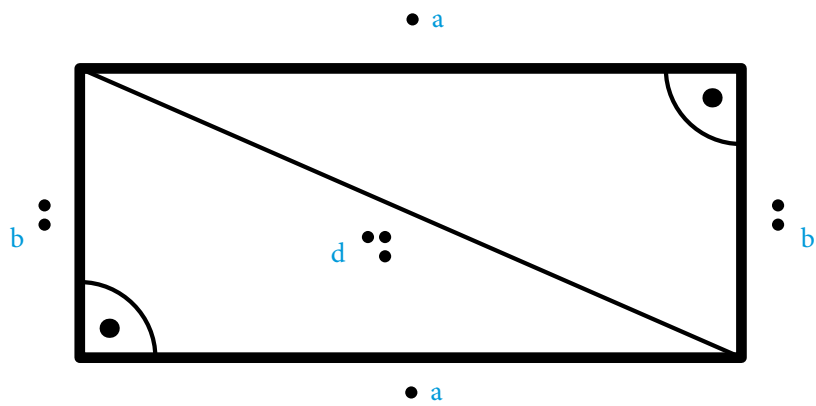
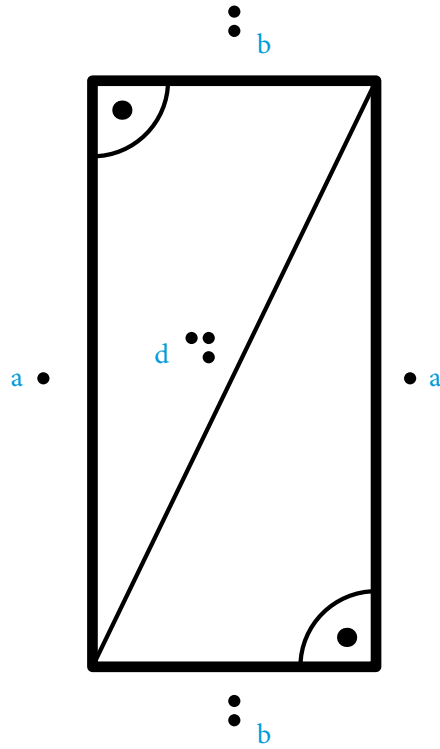
a: Länge

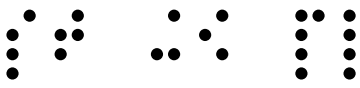


b: Breite

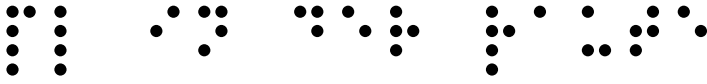


d: Diagonale





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PL in der Raute



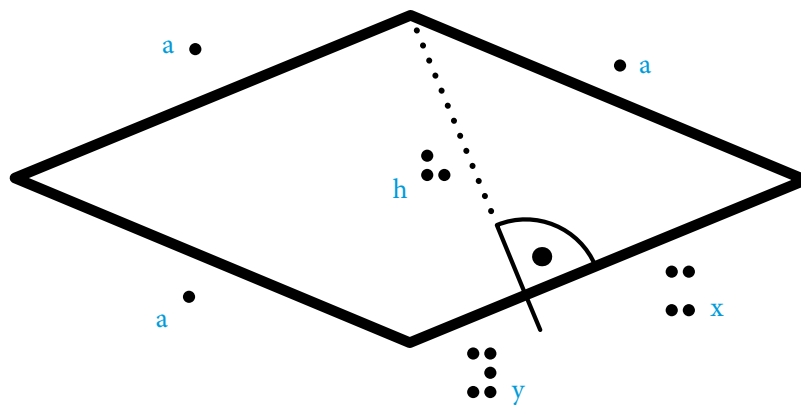
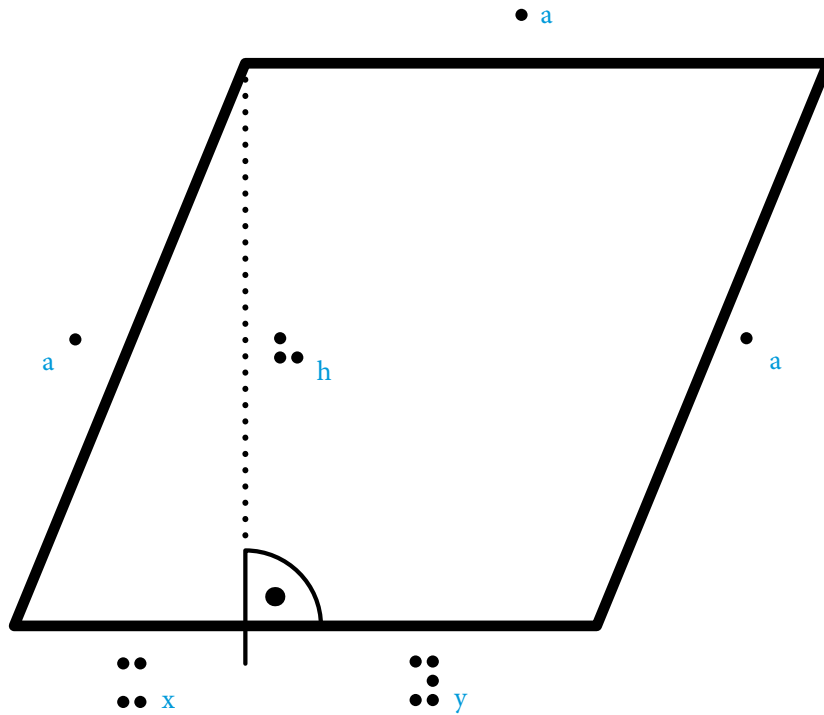
a: Seite

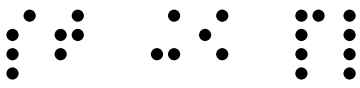


h: Höhe auf a

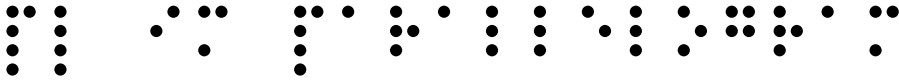
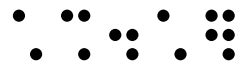


$x + y = a$





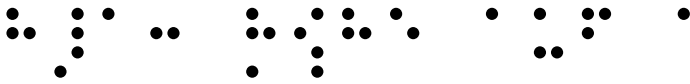
St 09 PL, 13/17



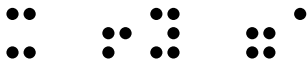
PL im Parallelogram



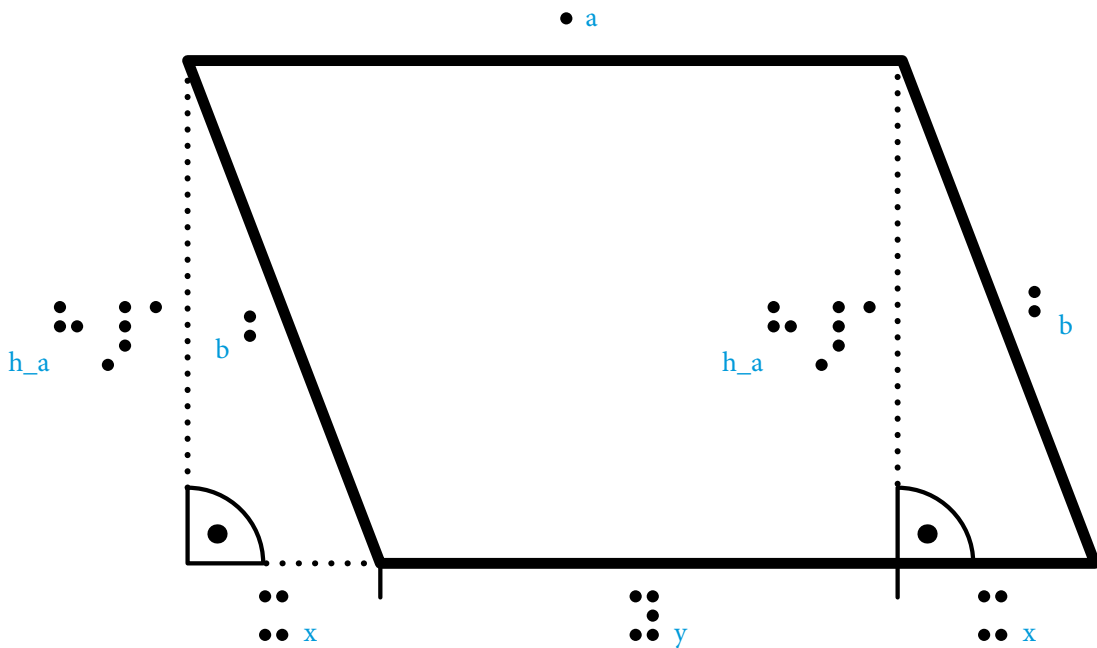
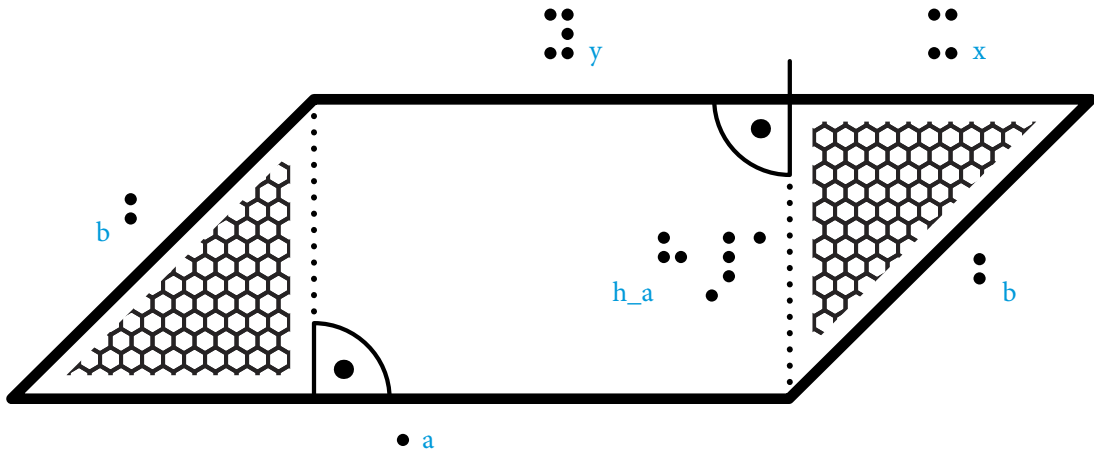
a, b: Seiten

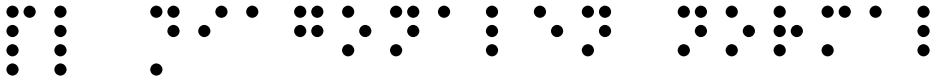
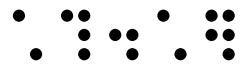
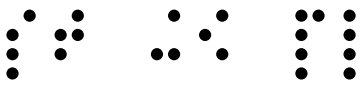


h_a : Höhe auf a

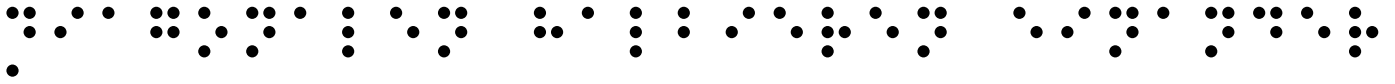
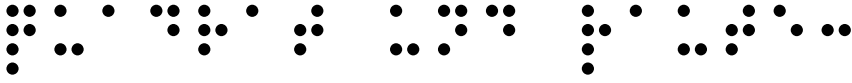


$x + y = a$

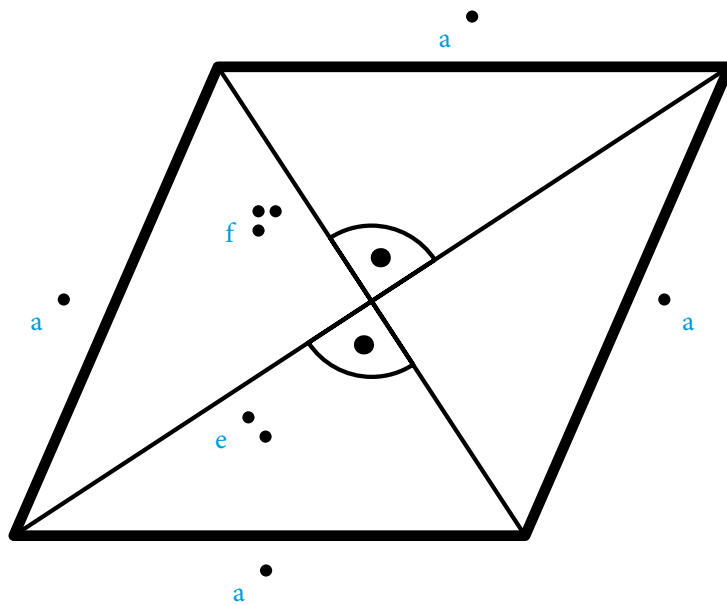
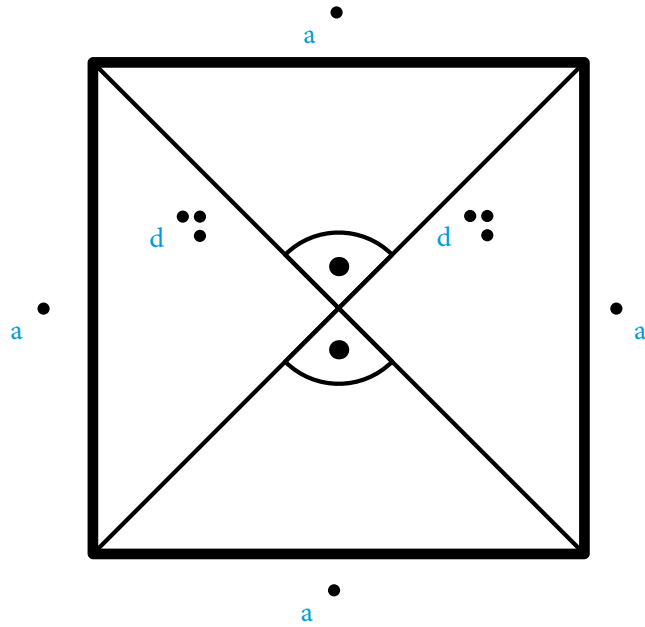


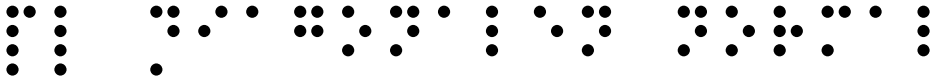
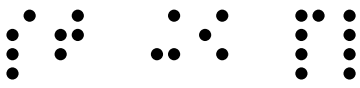


PL Diagonalen normal

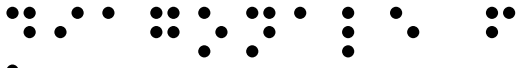


Quadrat und Raute: Diagonalen halbieren einander





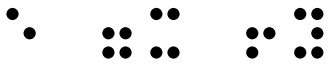
PL Diagonalen normal



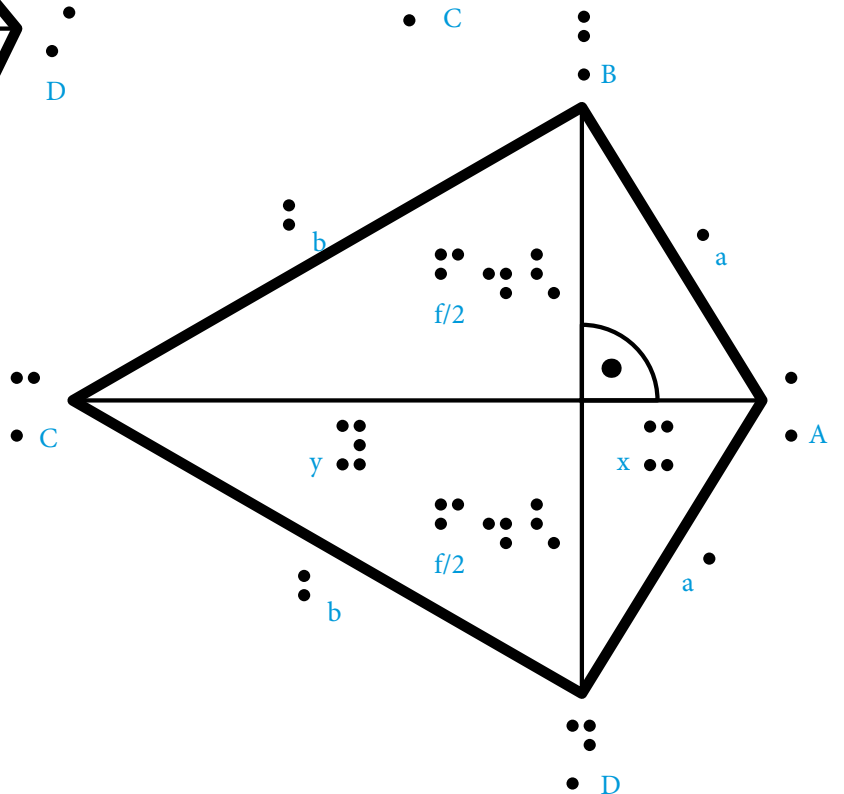
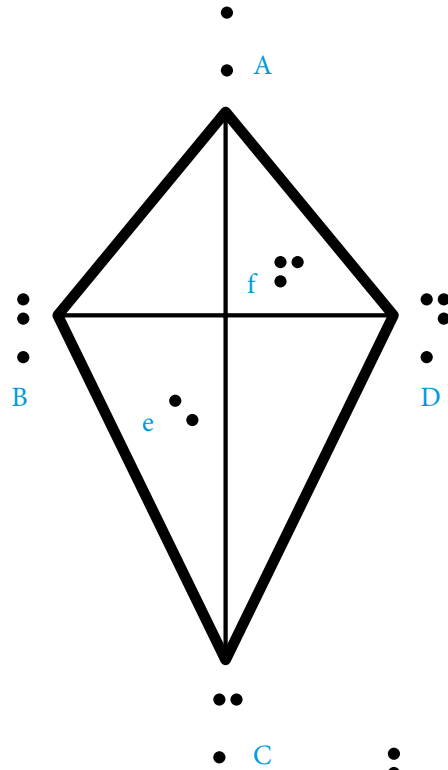
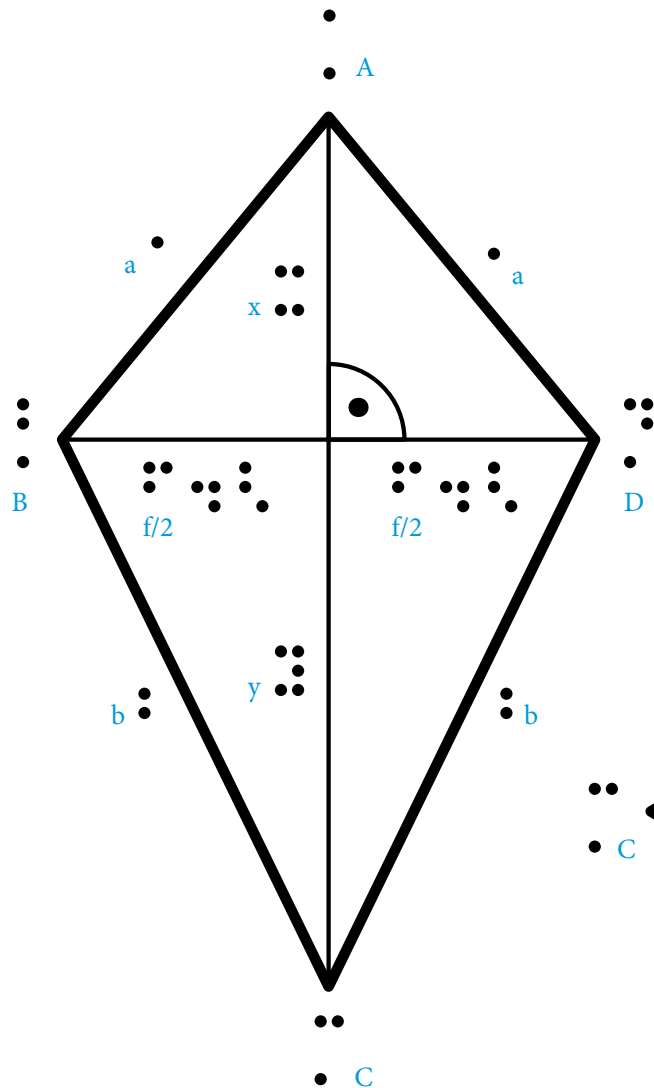
Deltoid: Diagonale e halbiert Diagonale f

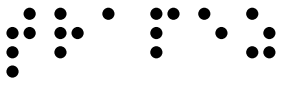
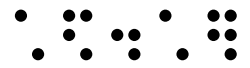
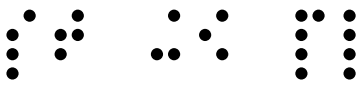


$|AC| = e, |BD| = f$

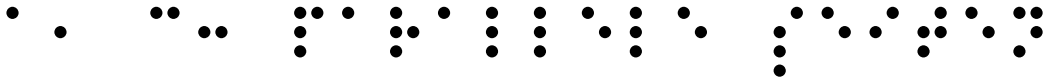


$e = x + y$





PL im gleichschenkligen Trapez



a, c: parallele Seiten



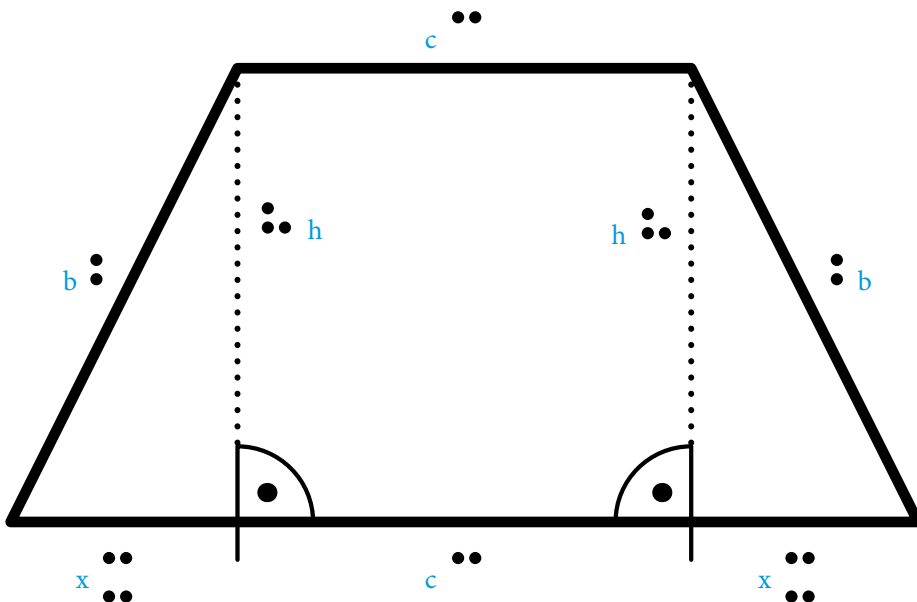
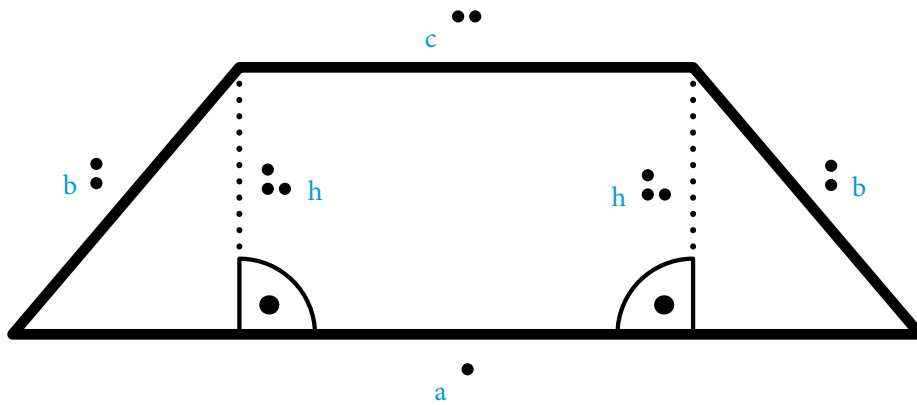
b: Schenkel

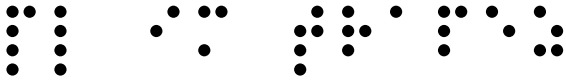
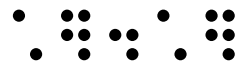
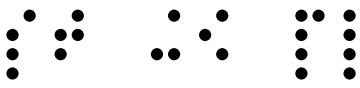


h: Höhe auf a

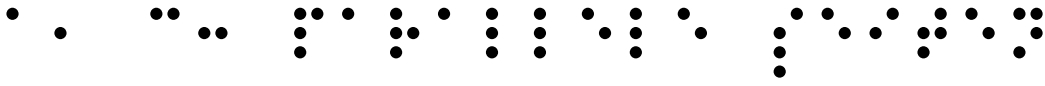


$a = x + c + x$

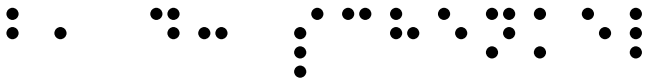




PL im Trapez



a, c: parallele Seiten



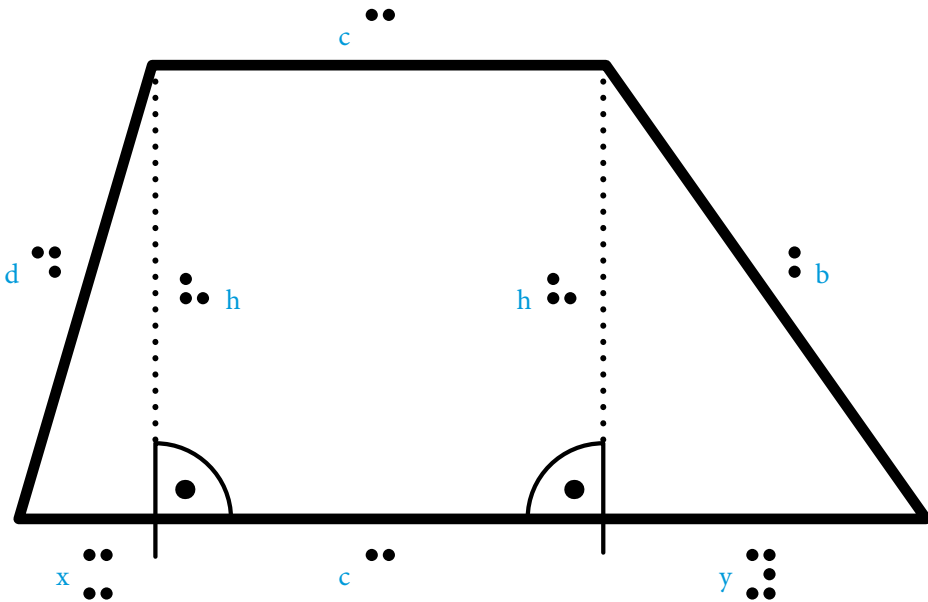
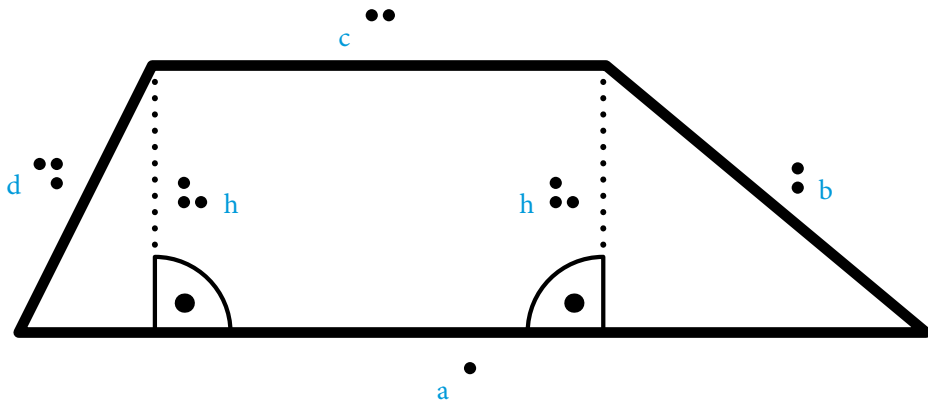
b, d: Schenkel



h: Höhe auf a



$$a = x + c + y$$

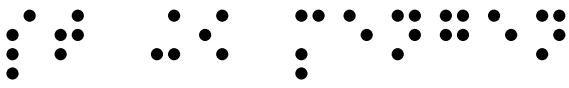


Mengen

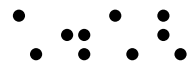
Schulstufe 09

Inhalt

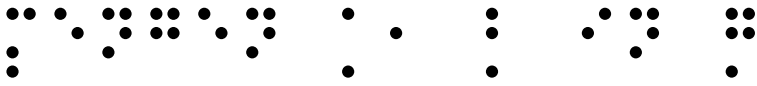
- 1 Zwei Mengen
- 2 Echte Teilmenge 'eTM
- 3 Durchschnittsmenge 'DM
- 4 Vereinigungsmenge 'VM
- 5 Differenzmenge $A \setminus B$
- 6 Differenzmenge $B \setminus A$
- 7 Symmetrische Differenz $A \text{ 'SD } B$
- 8 Drei Mengen
- 9 Mengenoperationen_1
- 10 Mengenoperationen_2
- 11 Mengenoperationen_3
- 12 Vier Mengen



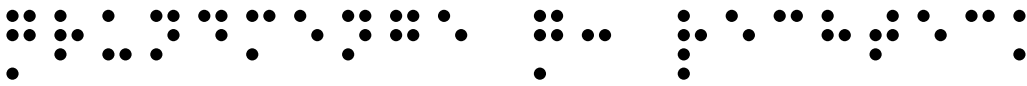
St 09 Mengen, 1/12



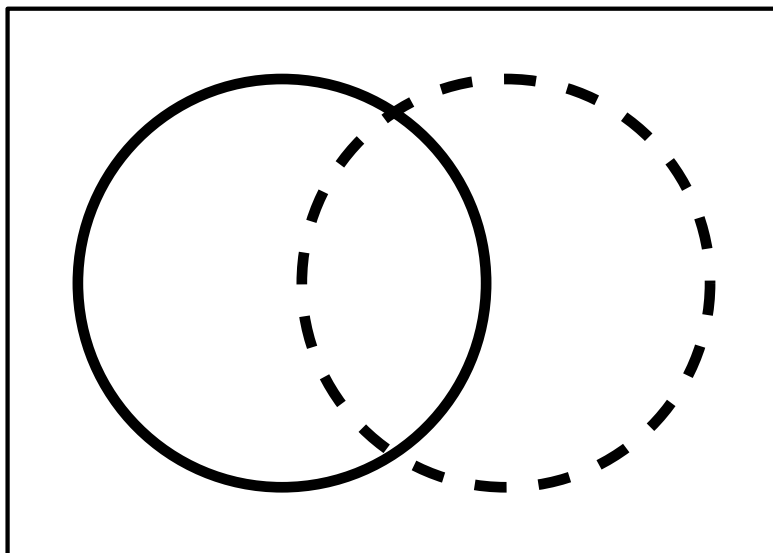
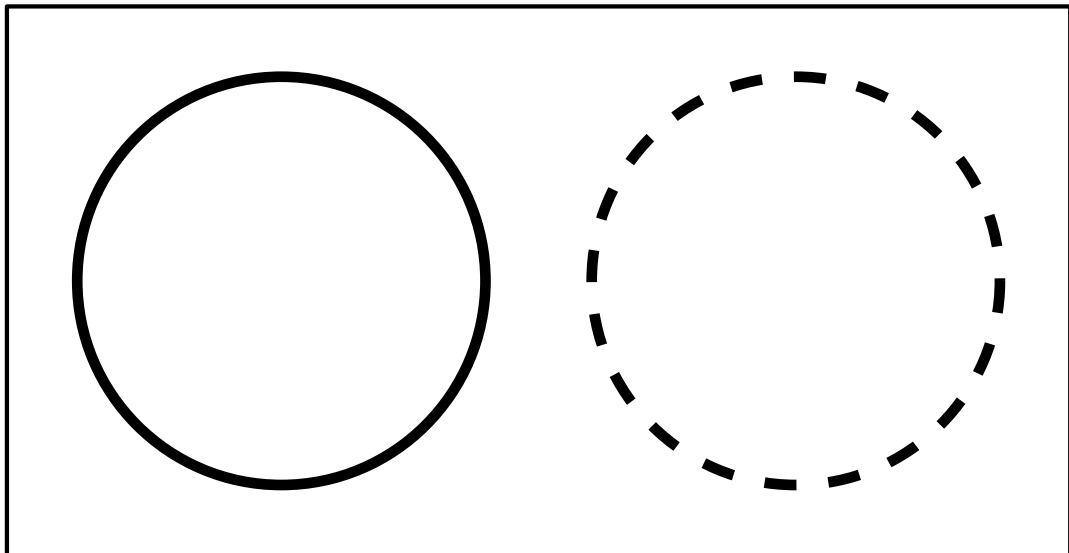
Zwei Mengen

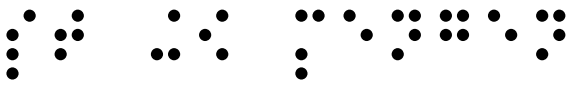


Mengen A, B in G

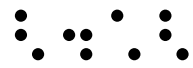


Grundmenge G: Rechteck





St 09 Mengen, 2/12



Zwei Mengen



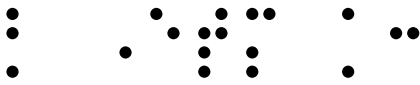
Echte Teilmengen 'eTM



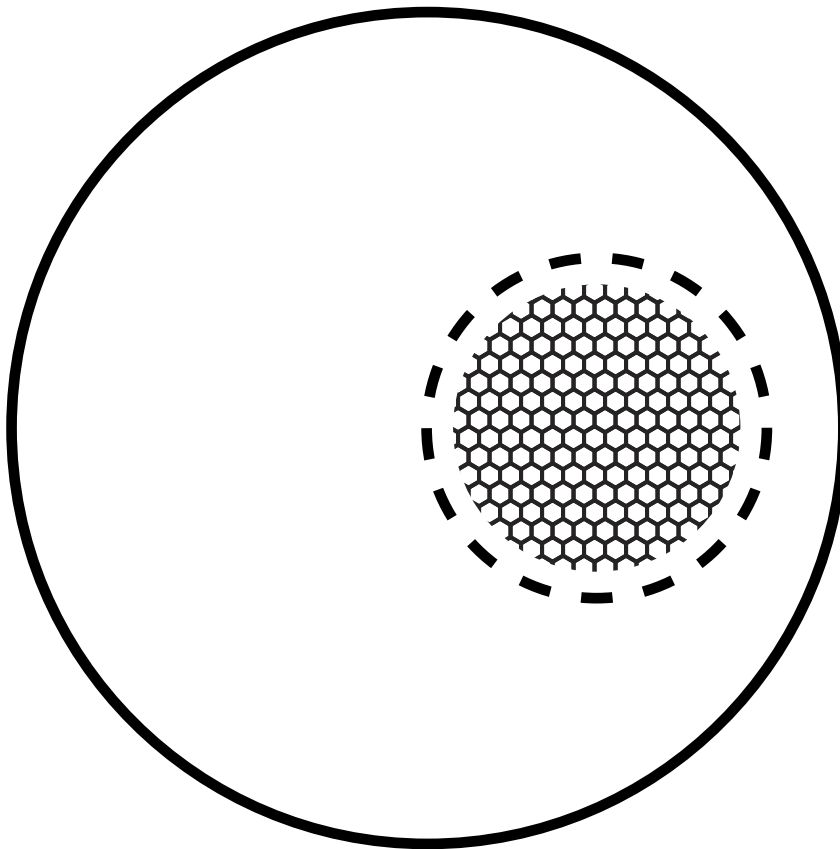
A:

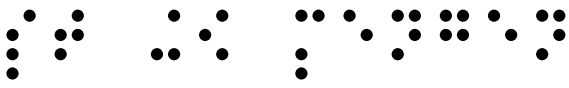


B:

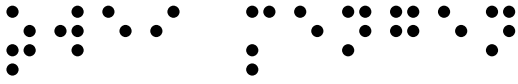


B 'eTM A:

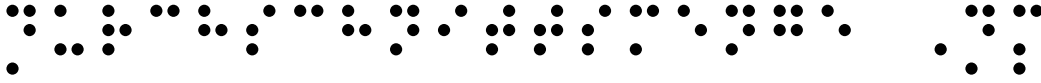




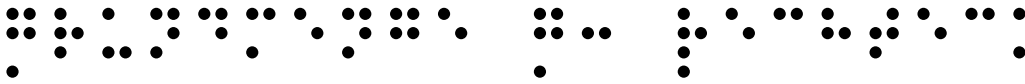
St 09 Mengen, 3/12



Zwei Mengen



Durchschnittsmenge 'DM

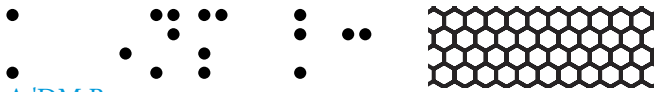


Grundmenge G: Rechteck

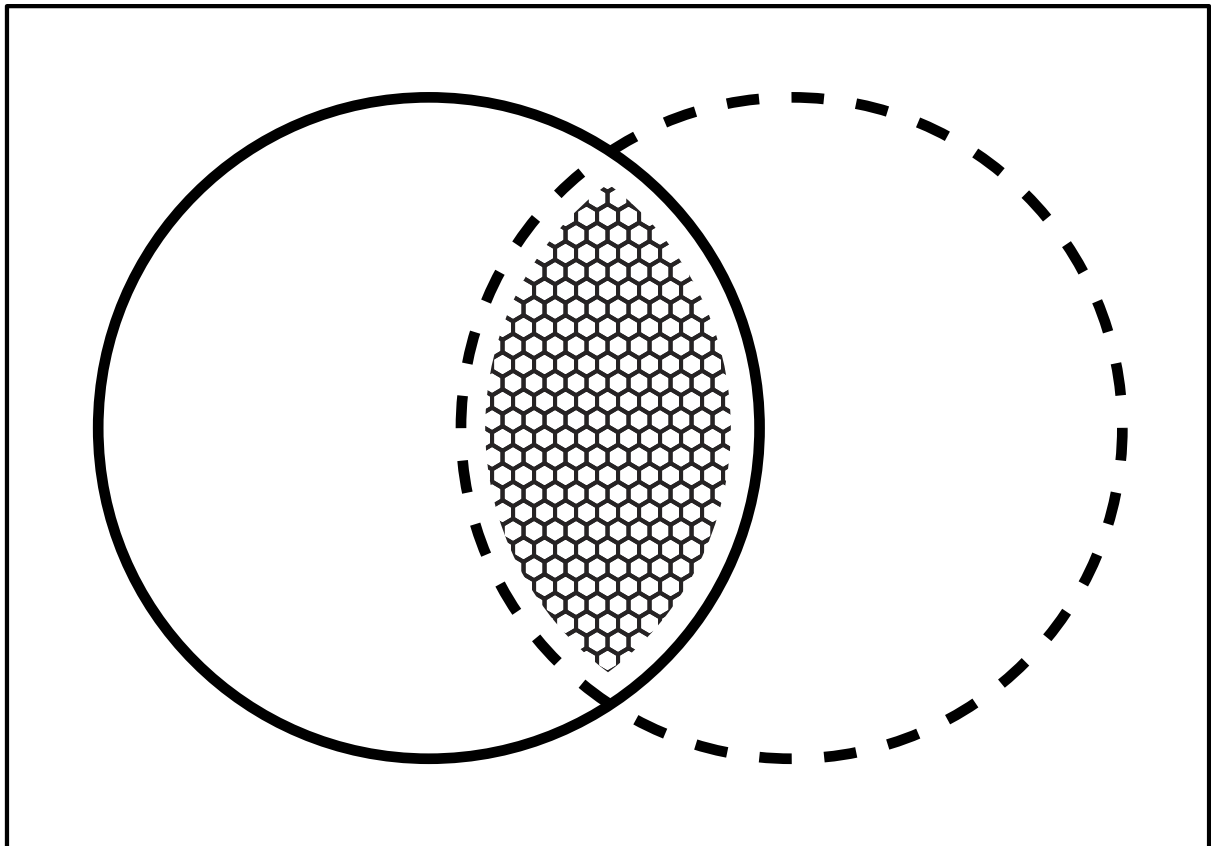


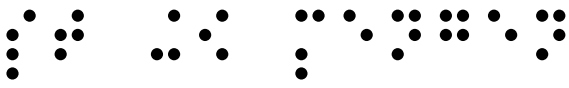
A:

B:

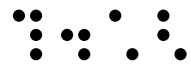


A 'DM B:

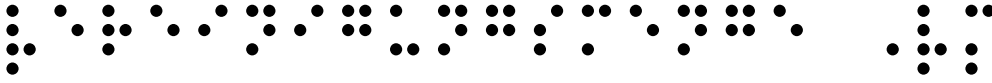




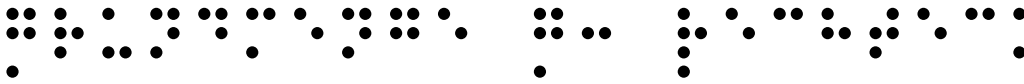
St 09 Mengen, 4/12



Zwei Mengen



Vereinigungsmenge VM

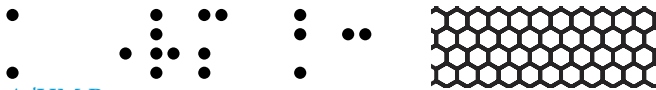


Grundmenge G: Rechteck

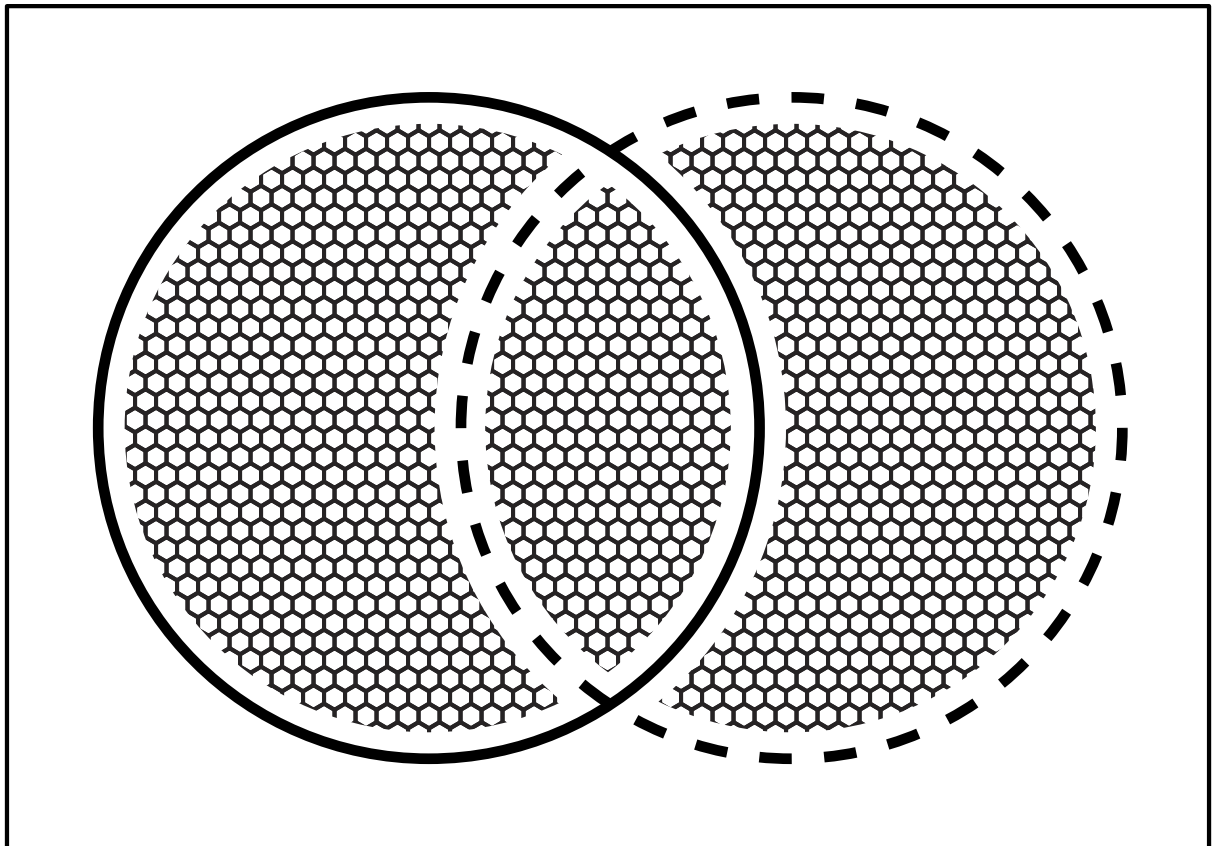


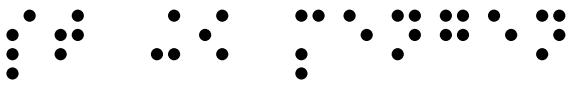
A:

B:

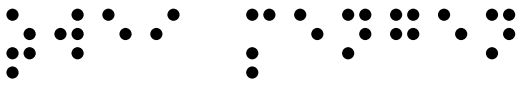
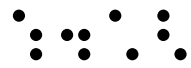


A VM B:





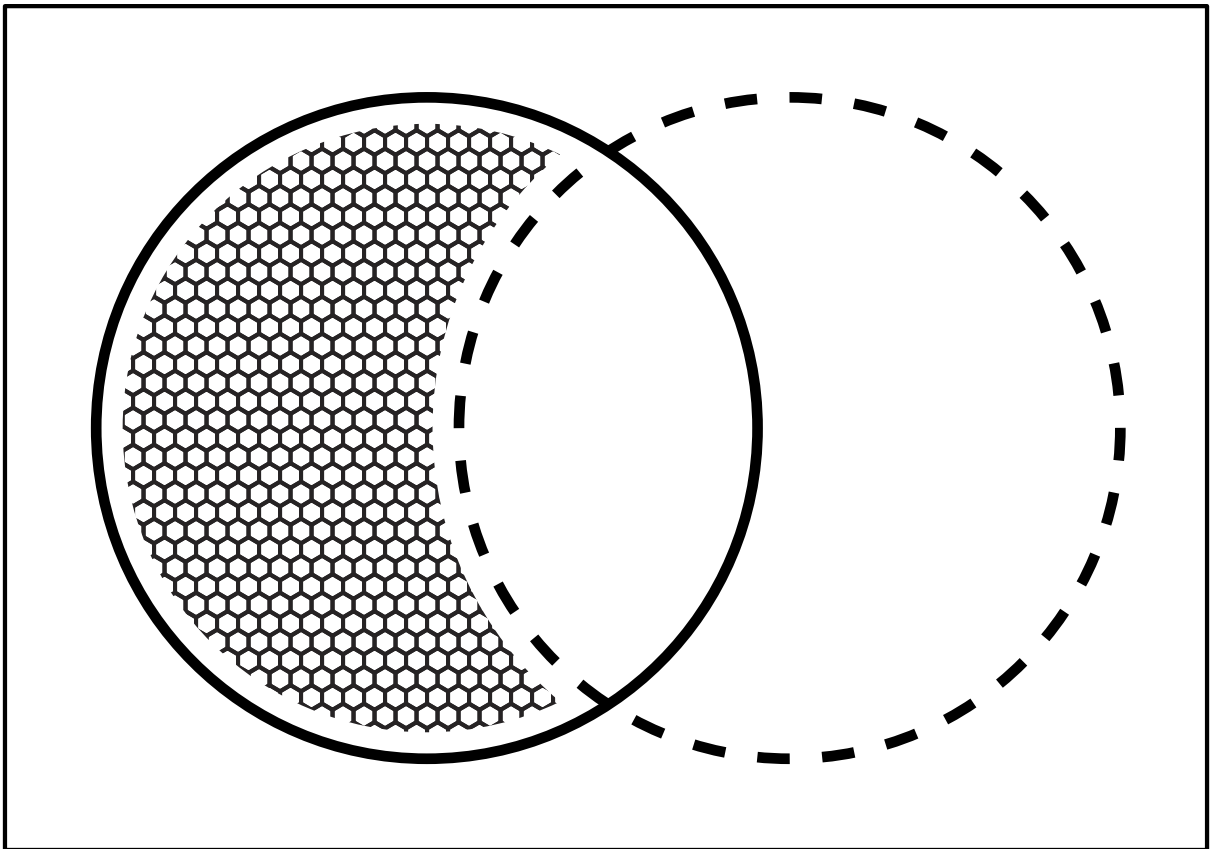
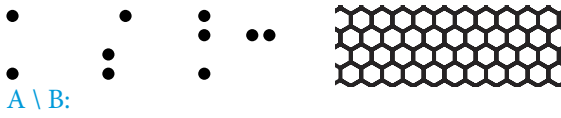
St 09 Mengen, 5/12

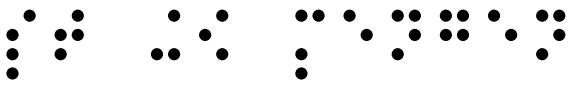


Zwei Mengen



Differenzmenge $A \setminus B$





St 09 Mengen, 6/12



Zwei Mengen

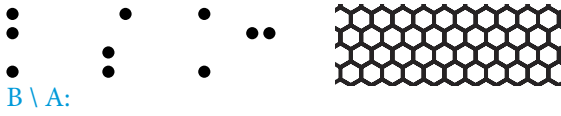


Differenzmenge $B \setminus A$

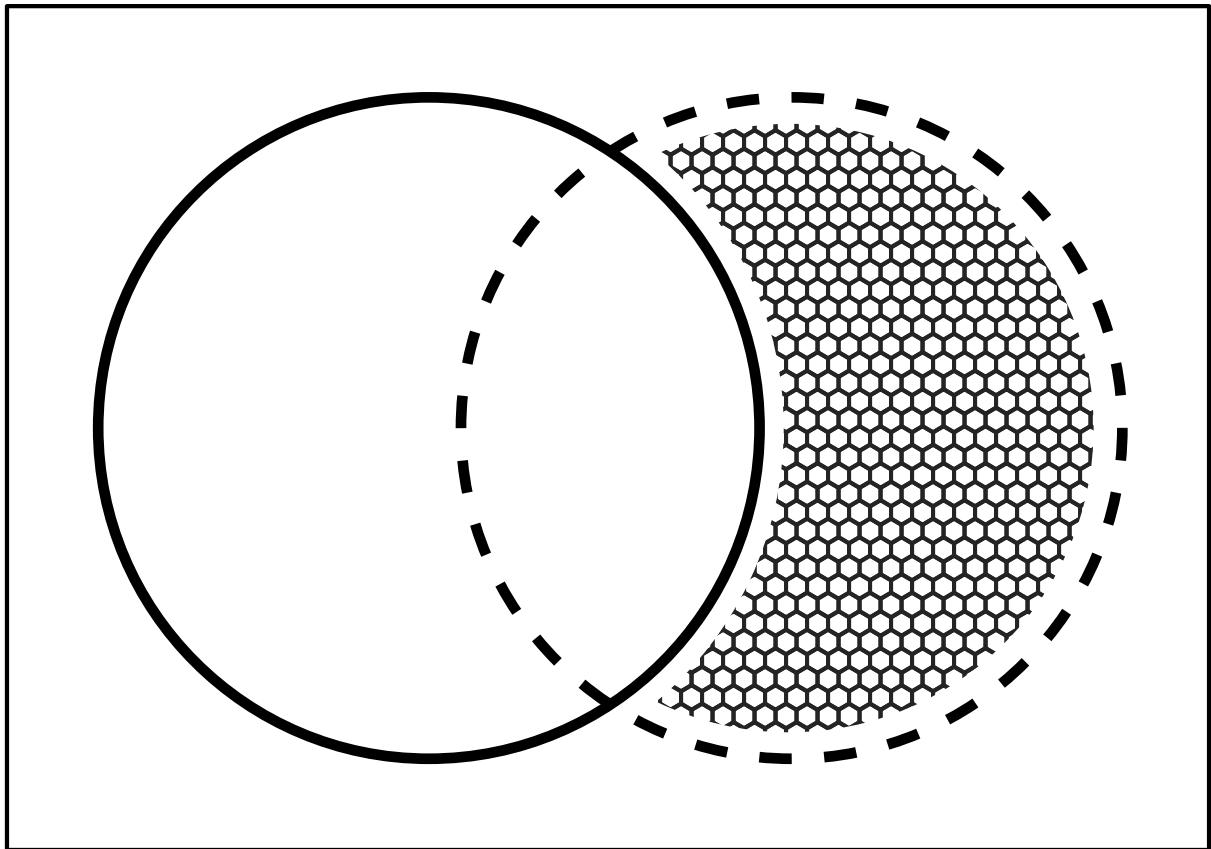


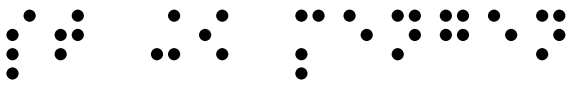
A:

B:



$B \setminus A$:





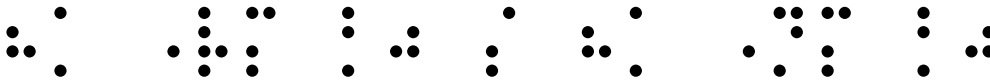
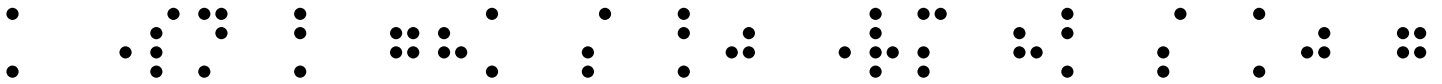
St 09 Mengen, 7/12



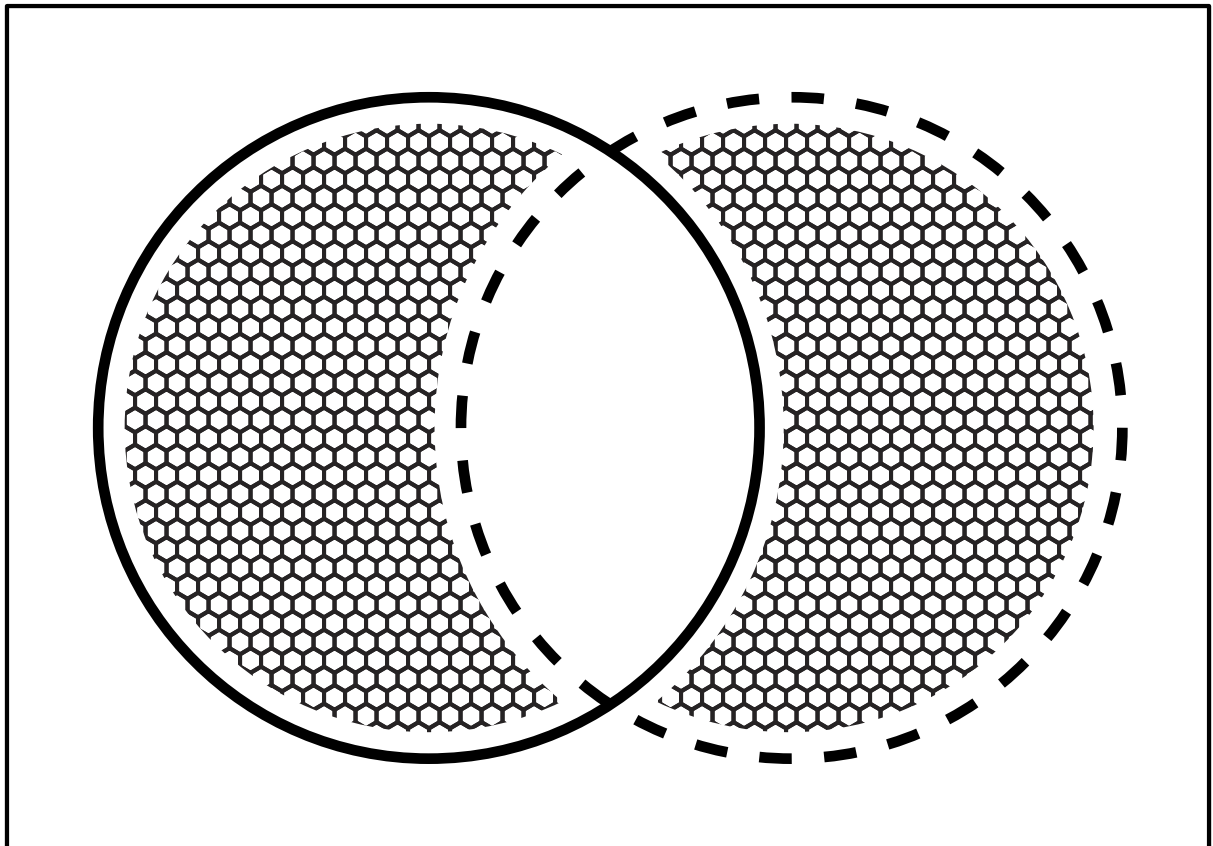
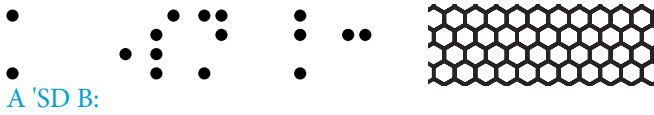
Zwei Mengen

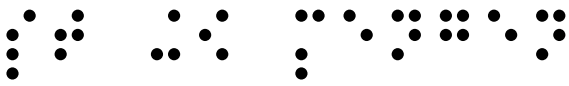


Symmetrische Differenz A \ SD B

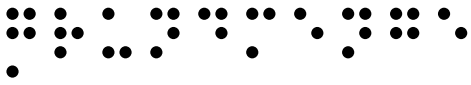
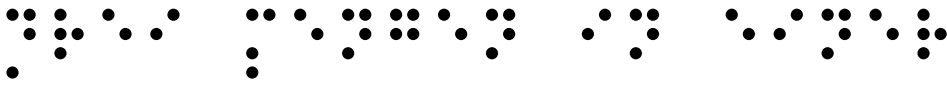


$A \setminus SD B = (A \setminus B) \cup VM(B \setminus A) = (A \cup VM B) \setminus (A \cup DM B)$

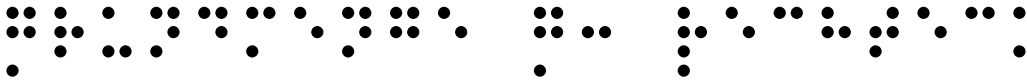




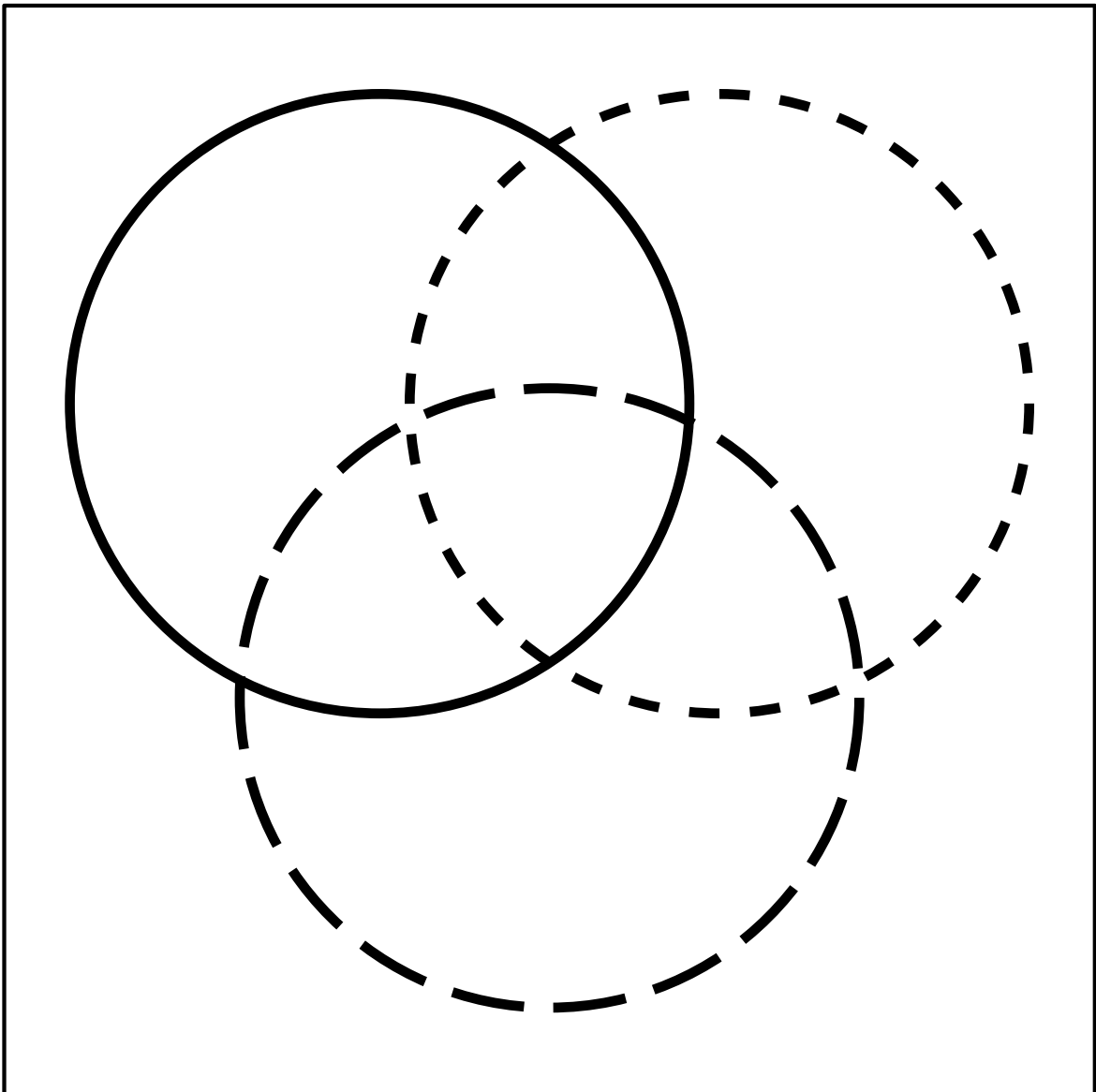
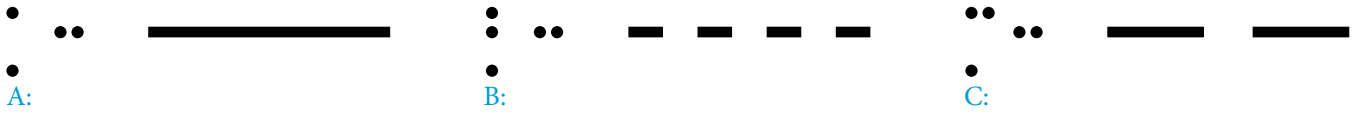
St 09 Mengen, 8/12

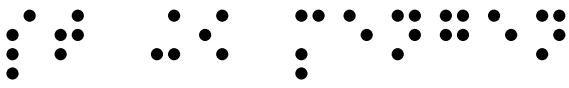


Drei Mengen in einer Grundmenge

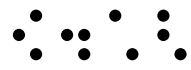


Grundmenge G: Rechteck

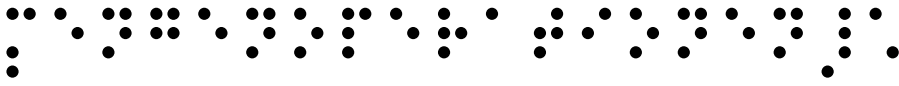




St 09 Mengen, 9/12



Drei Mengen



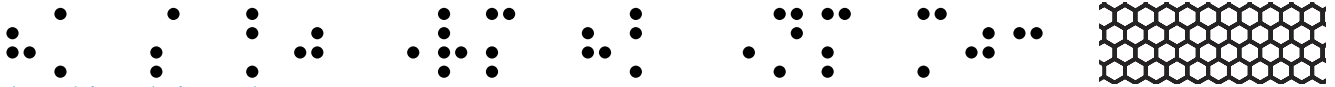
Mengenoperationen_1



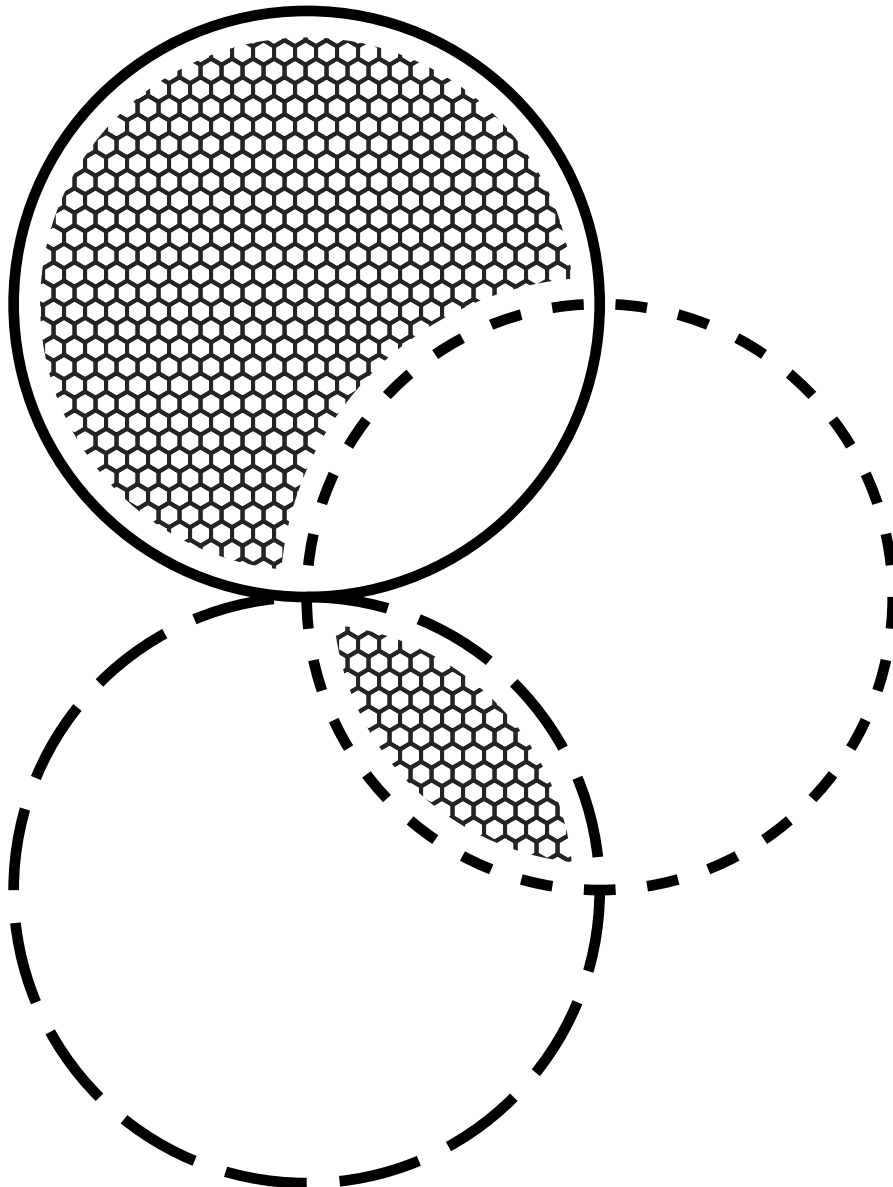
A:

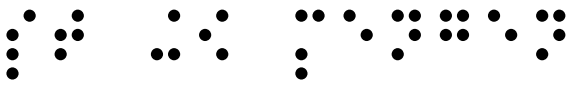
B:

C:



$(A \setminus B) \cup (B \cap D) \cap C$:

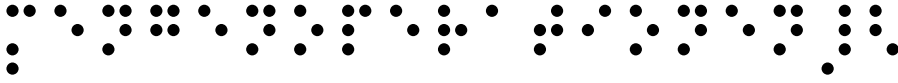




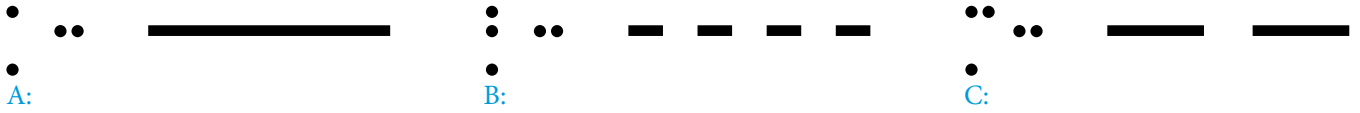
St 09 Mengen, 10/12



Drei Mengen



Mengenoperationen_2



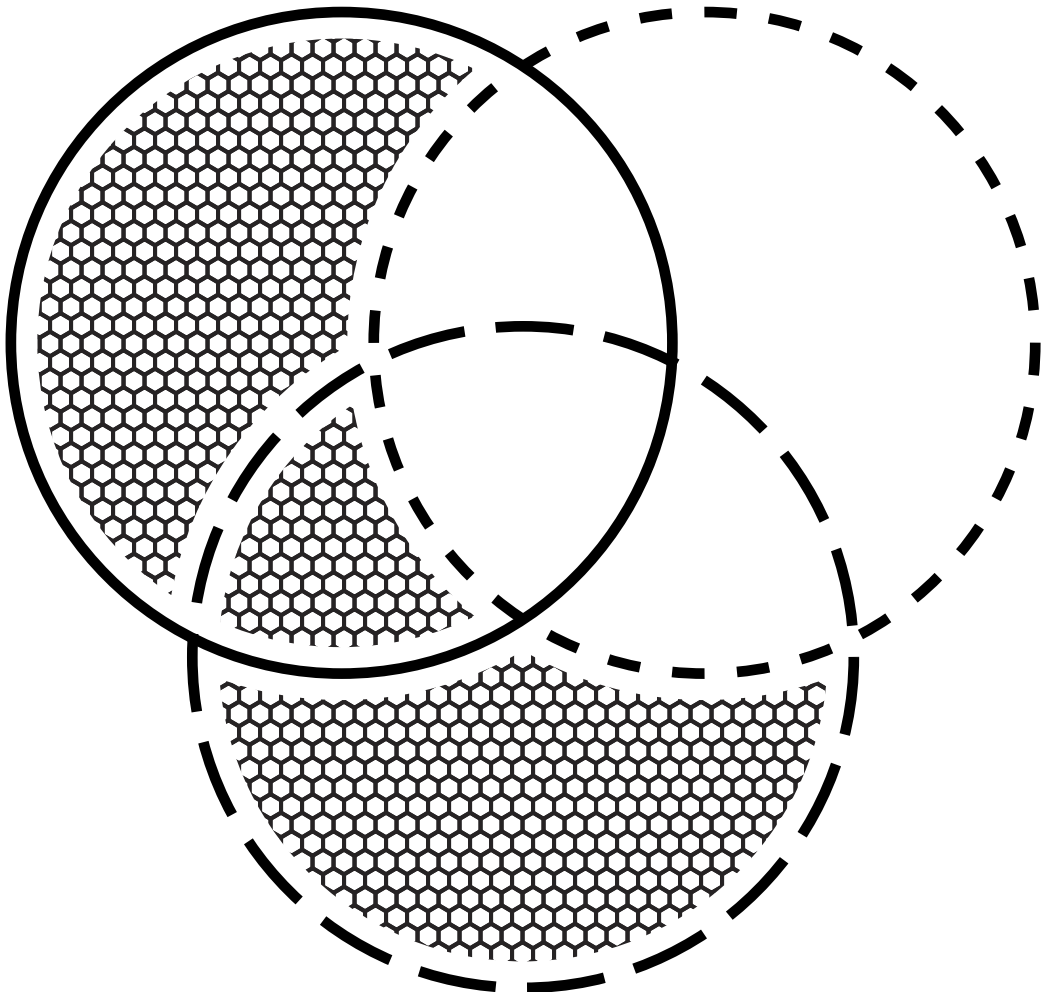
A:

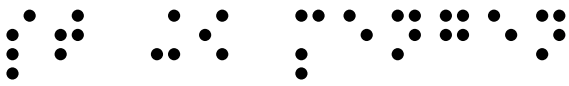
B:

C:

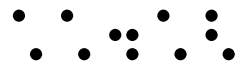


$(A \cup C) \setminus B$:





St 09 Mengen, 11/12



Drei Mengen



Mengenoperationen_3



A:



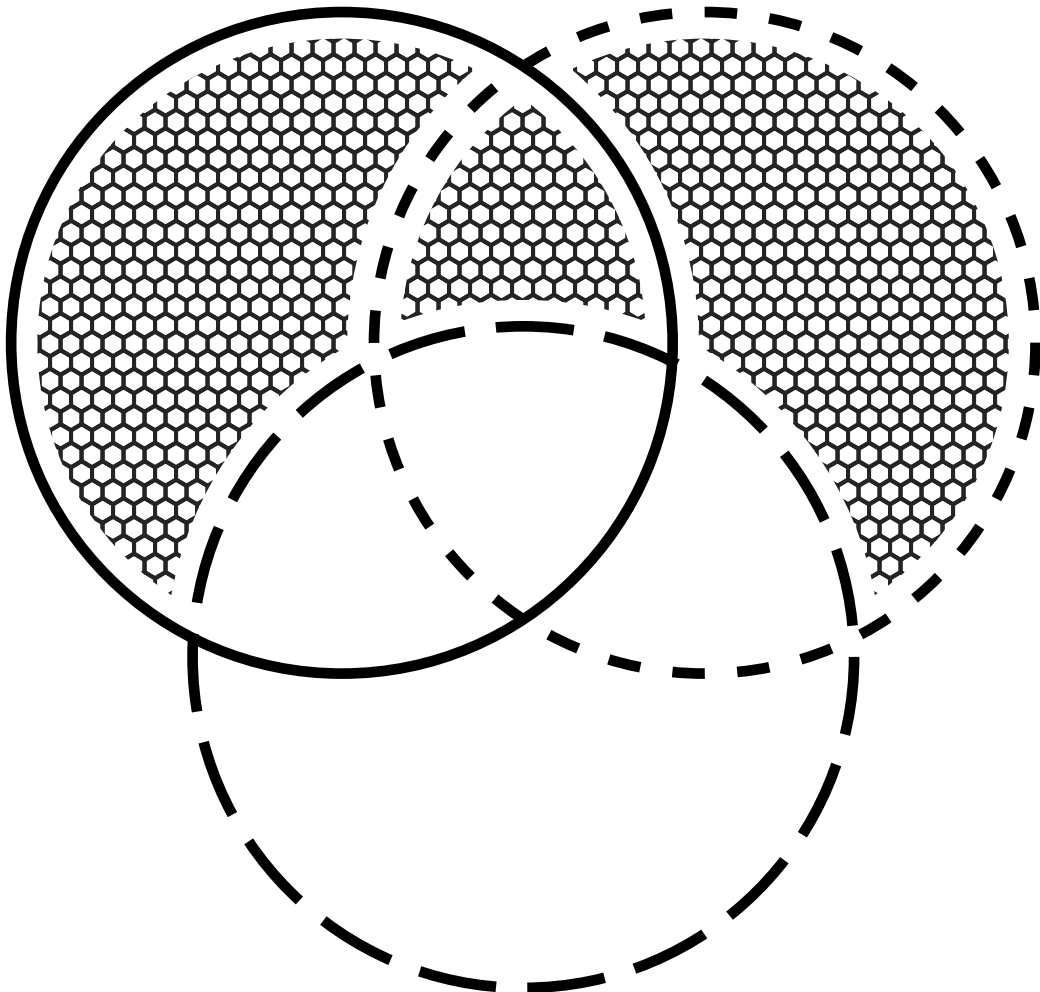
B:

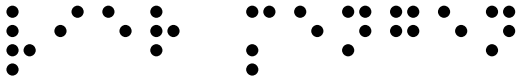
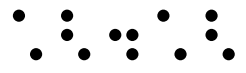


C:

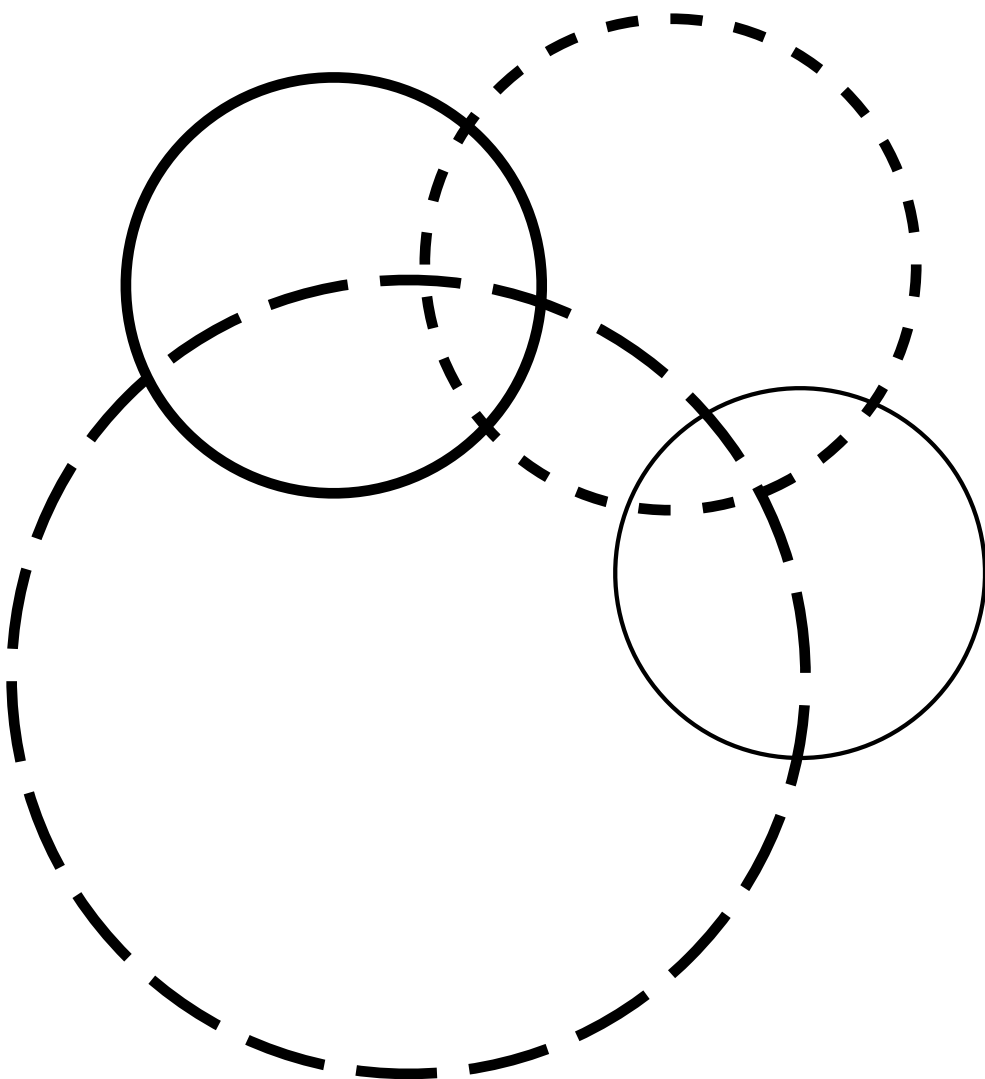
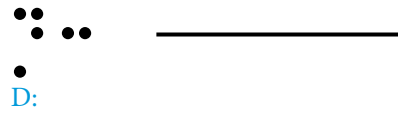


$(A \cup B) \setminus C$:





Vier Mengen

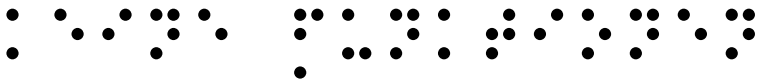
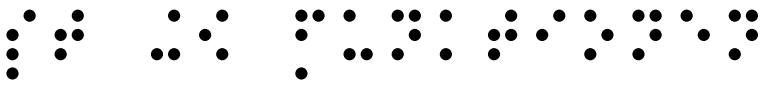


Funktionen

Schulstufe 09

Inhalt

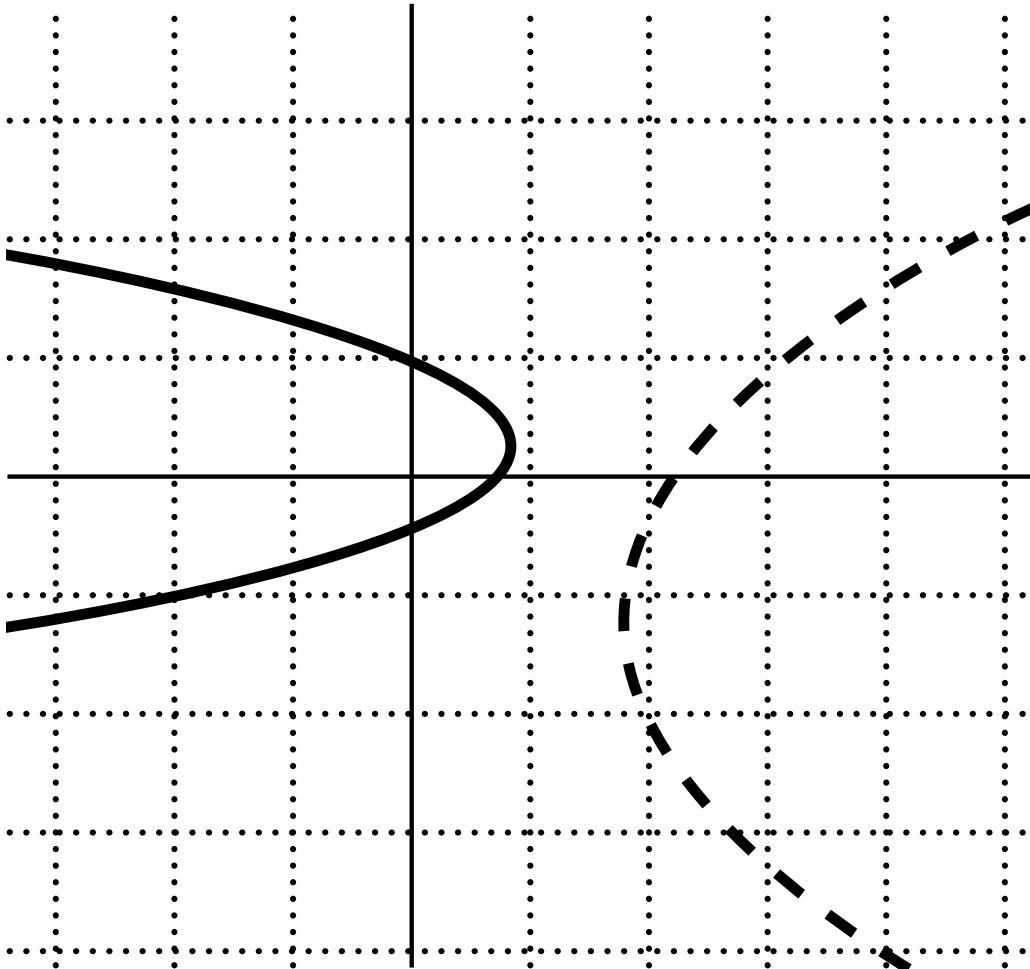
- 1** keine Funktion
- 2** f_lin ... lineare Funktion
- 3** f_q ... quadratische Funktion
- 12** f_G3 ... Funktion 3. Grades
- 19** f_G4 ... Funktion 4. Grades
- 21** f_g ... gerade Funktion
- 22** f_u ... ungerade Funktion
- 23** f_gebr1 ... gebrochen rationale Funktion Grad 1
- 25** f_gebr2 ... gebrochen rationale Funktion Grad 2
- 26** f_sin ... Winkelfunktion
- 28** EK ... Einheitskreis

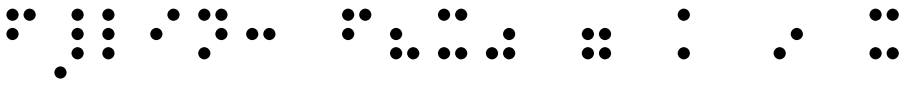
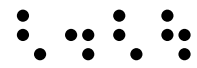
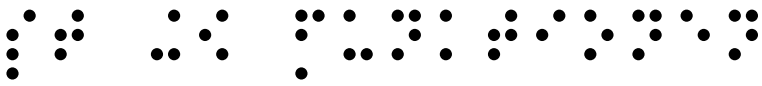


keine Funktionen



mehr y-Werte zu einem x





f_{lin}: $f(x) = k \cdot x + d$



$f(x) = k \cdot x + d$



$d = 0$:



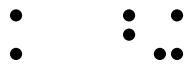
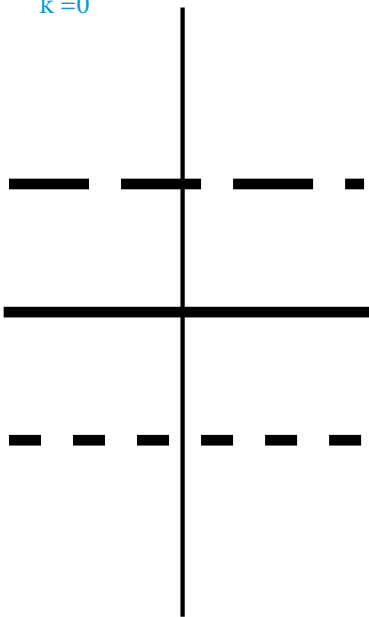
$d > 0$:



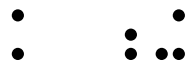
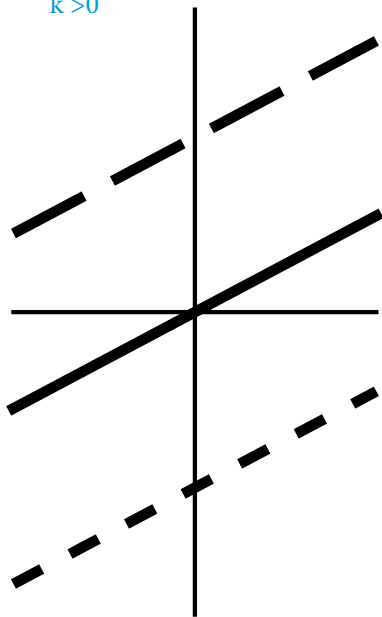
$d < 0$:



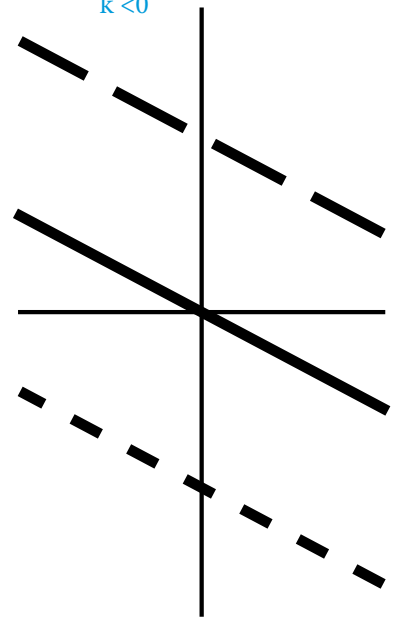
$k = 0$

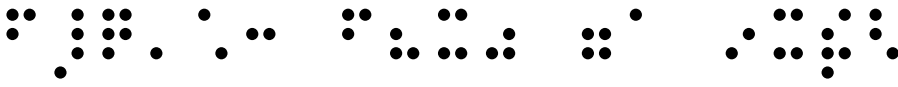
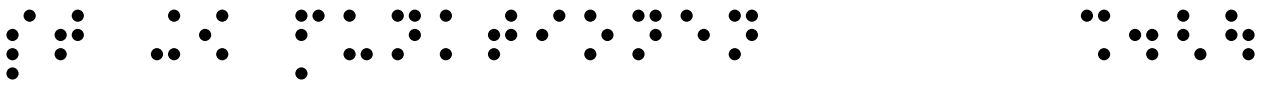


$k > 0$



$k < 0$





$f_{q.1}: f(x) = a \cdot x^2$



Parabel nach oben offen:



$a > 0$:



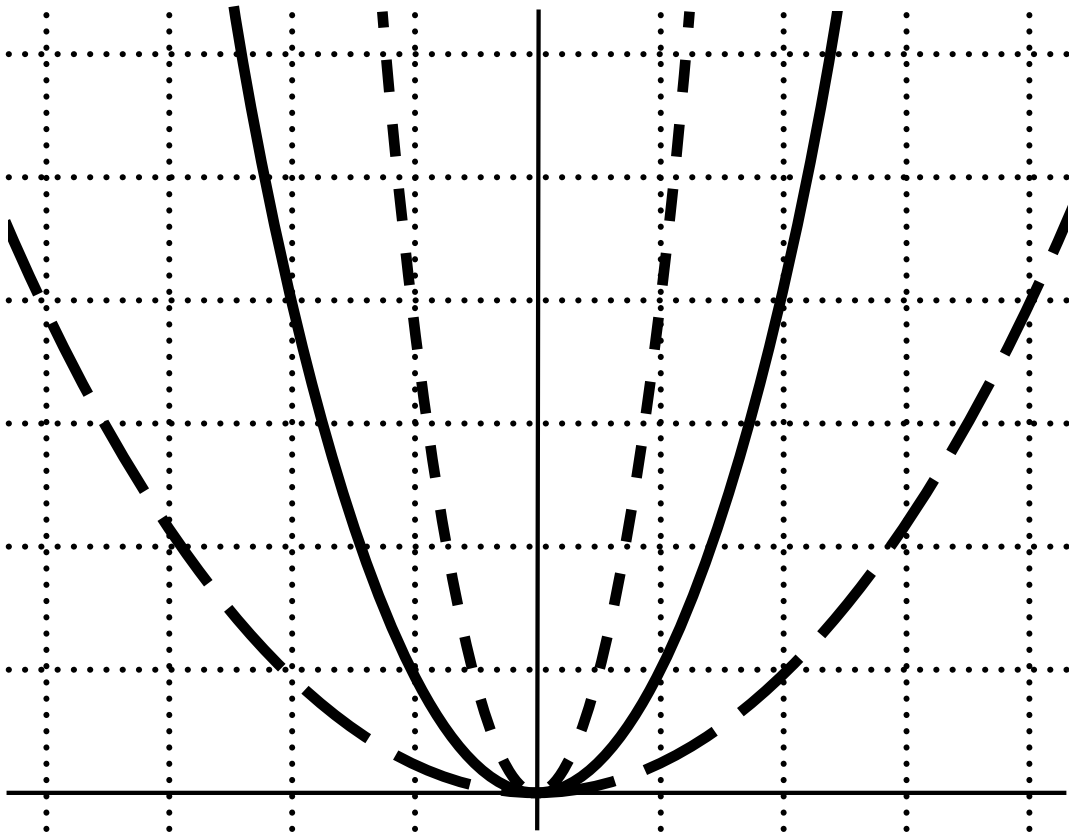
$f(x) = x^2; a = +1$:

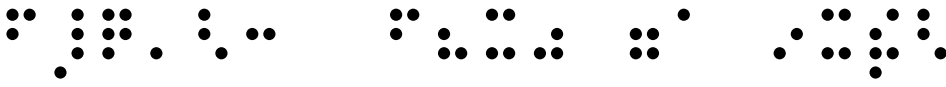
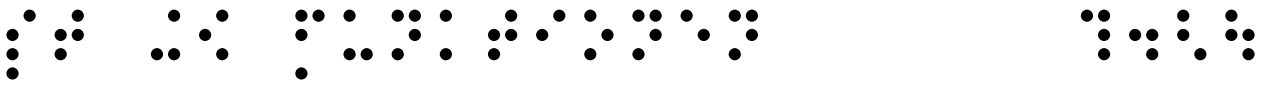


$f(x) = \frac{1}{4} \cdot x^2; a = \frac{1}{4}$:



$f(x) = 4 \cdot x^2; a = 4$:





$f_{q.2}: f(x) = a \cdot x^2$



Parabel nach unten offen:



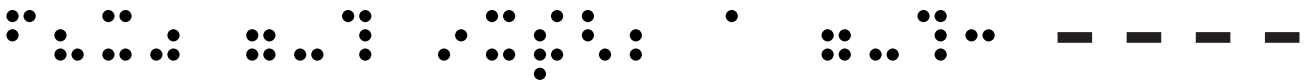
$a < 0:$



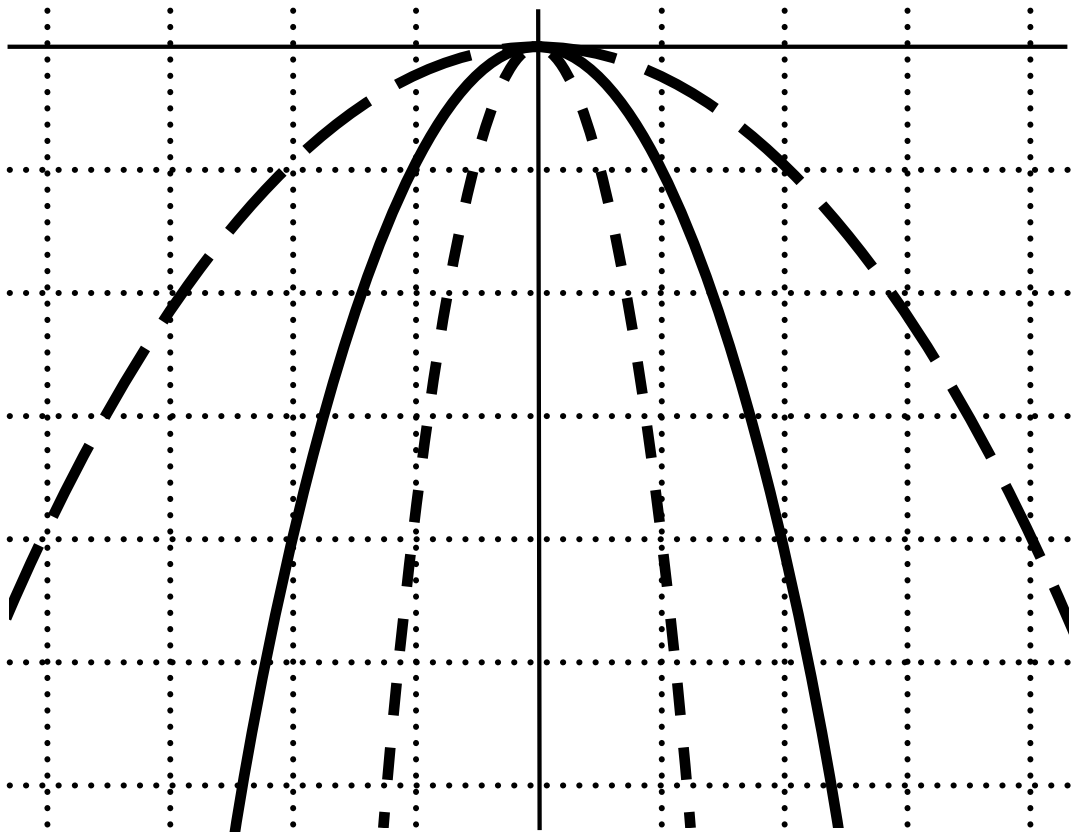
$f(x) = -x^2; a = -1:$

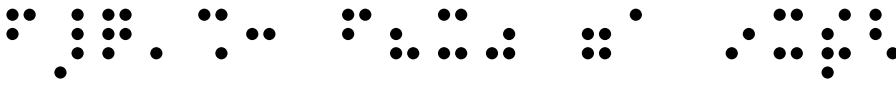
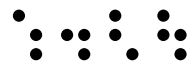
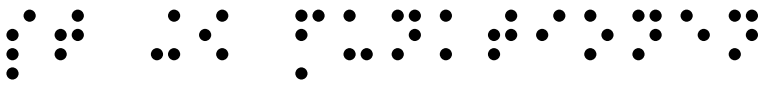


$f(x) = -1/4 \cdot x^2; a = -1/4:$



$f(x) = -4 \cdot x^2; a = -4:$





f_q.3: $f(x) = a \cdot x^2$



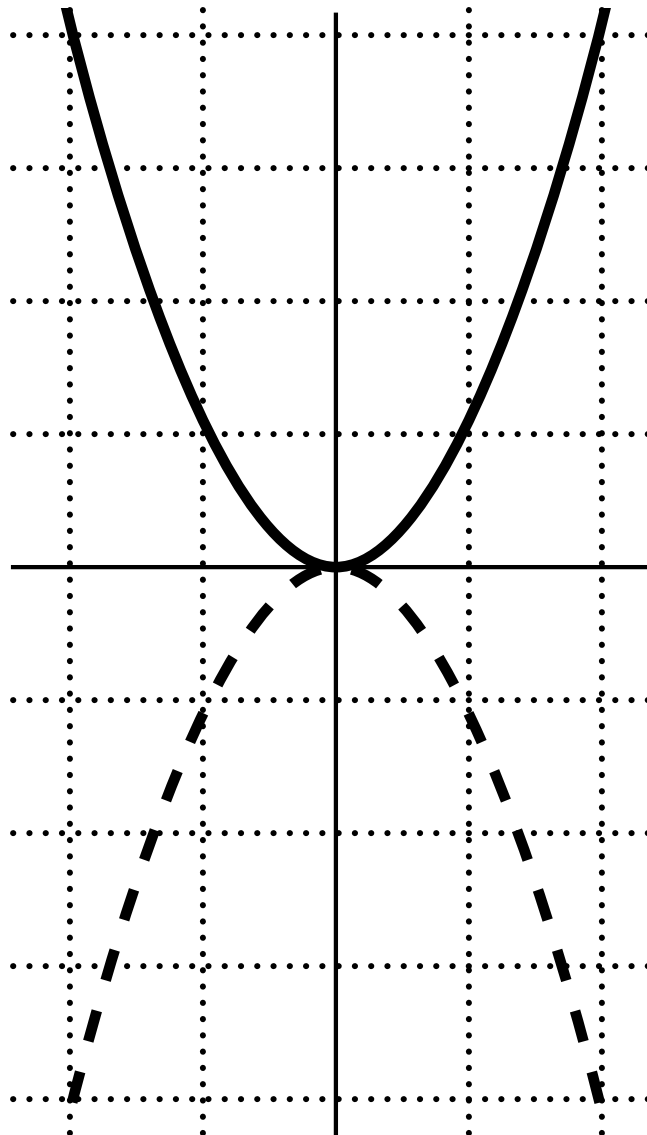
Parabel spiegeln

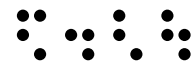
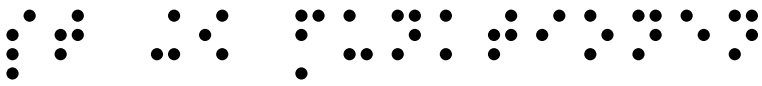


a=1:

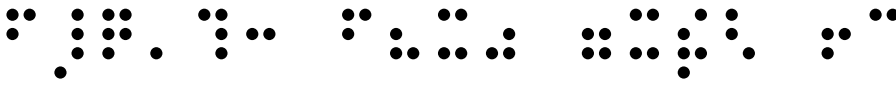


a=-1:

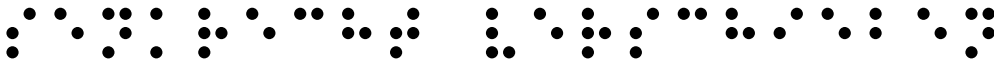




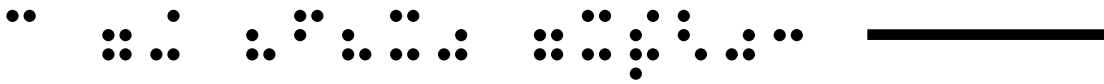
St 09 Funktionen, 6/28



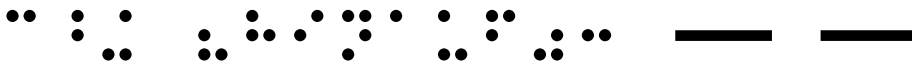
f_{q.4}: $f(x) = x^2 + c$



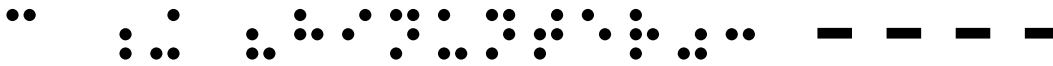
senkrecht verschieben



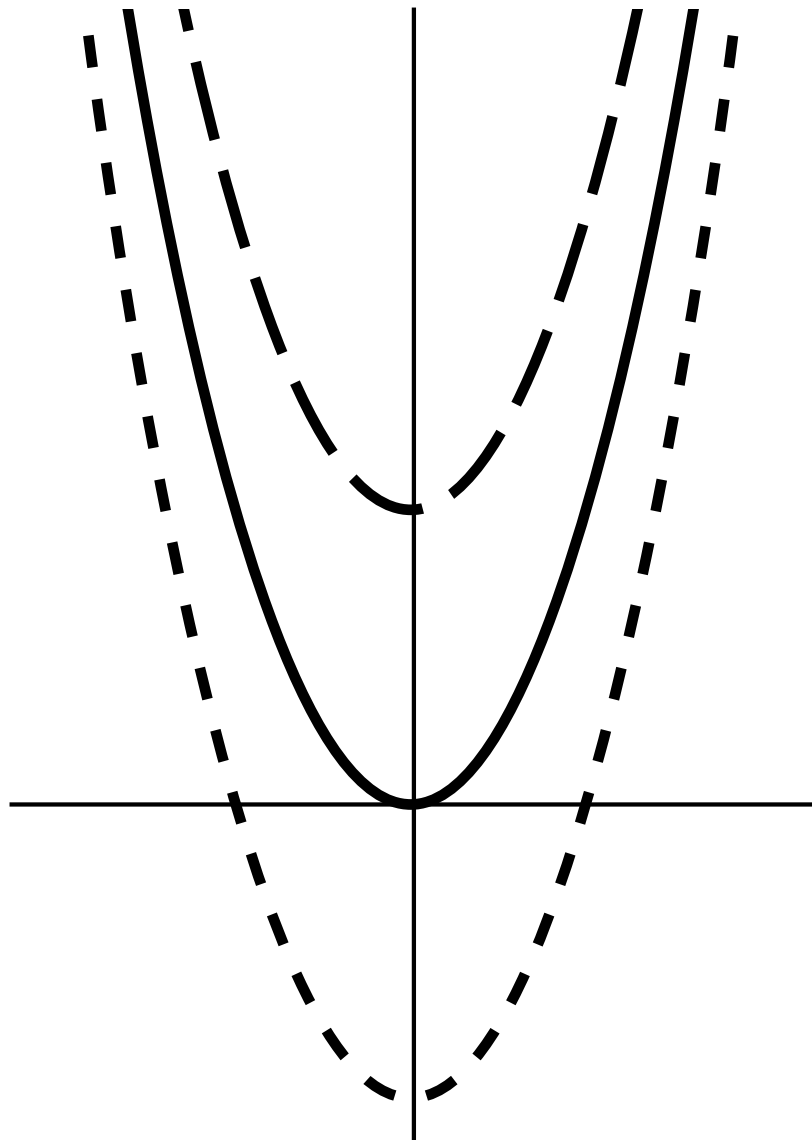
$c = 0$ ($f(x) = x^2$):

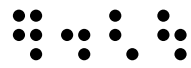
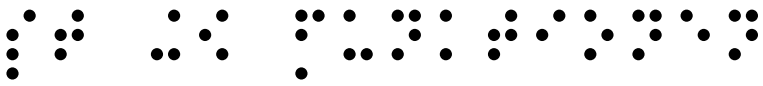


$c > 0$ (hinauf):



$c < 0$ (hinunter):





f_q.5: $f(x) = a \cdot x^2 + c$



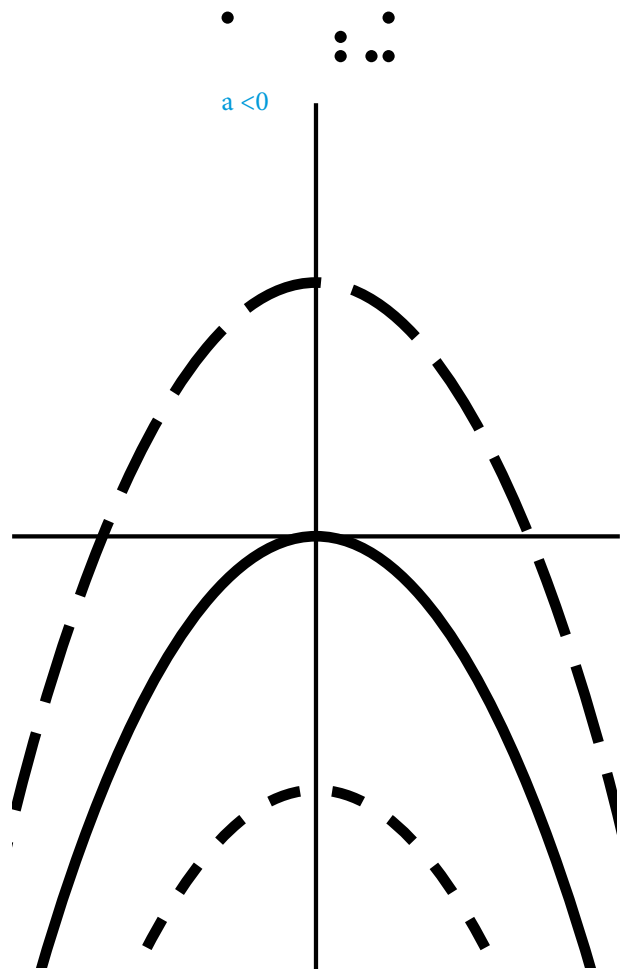
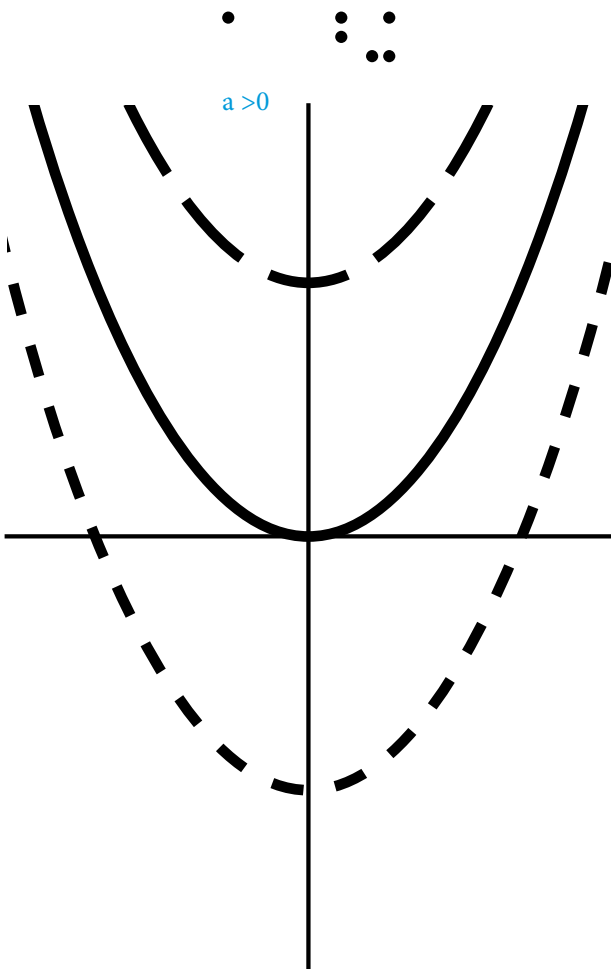
$c=0$:

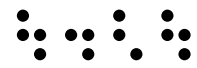
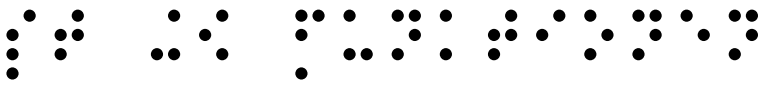


$c>0$:



$c<0$:

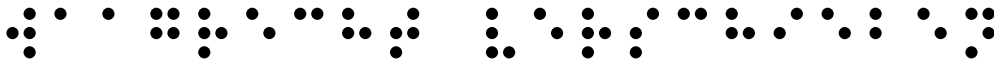




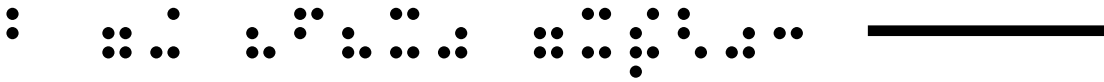
St 09 Funktionen, 8/28



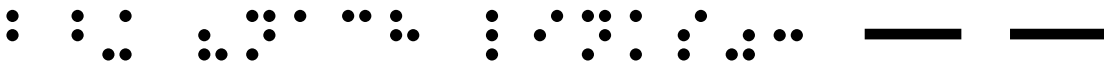
f_{q.6}: $f(x) = (x+b)^2$



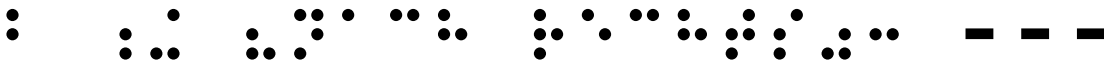
waagrecht verschieben



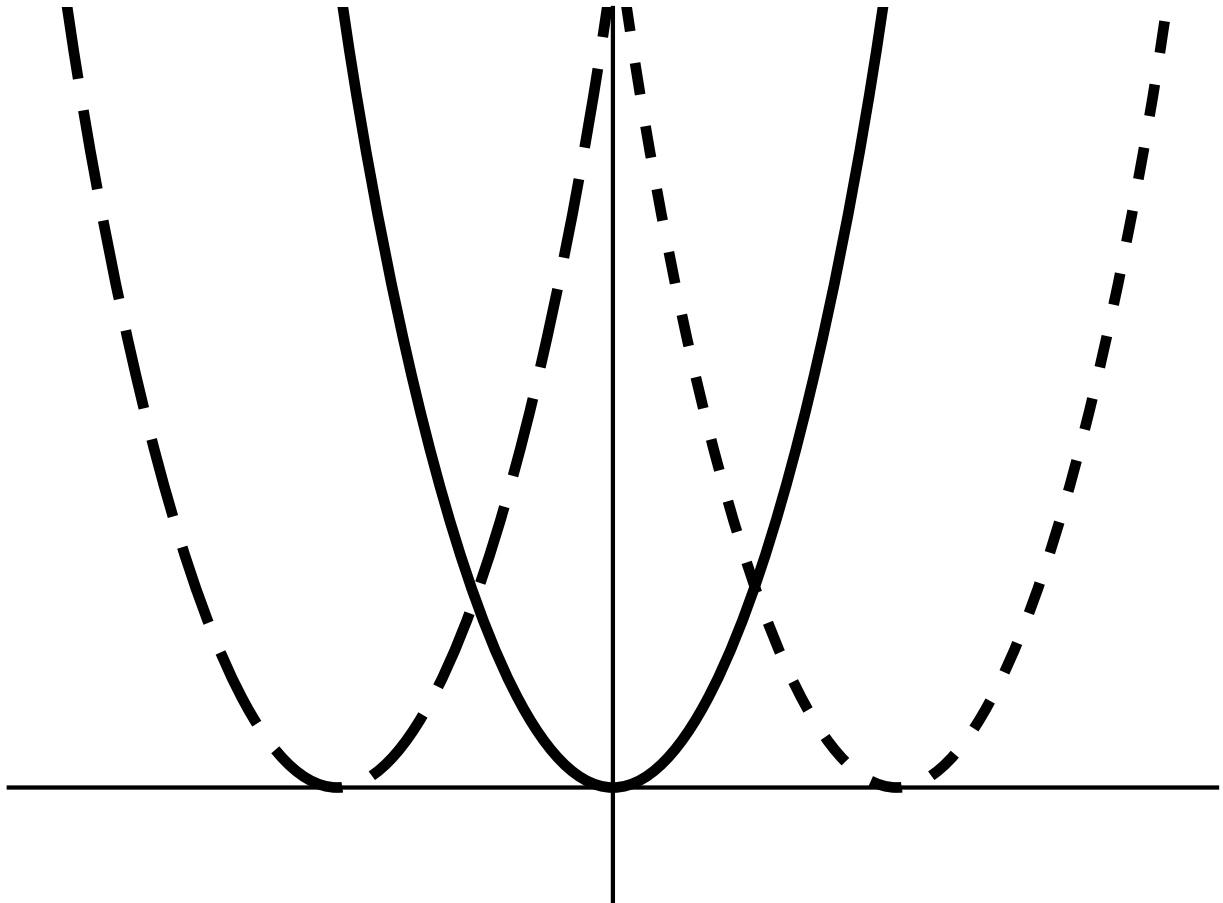
$b=0$ ($f(x)=x^2$):

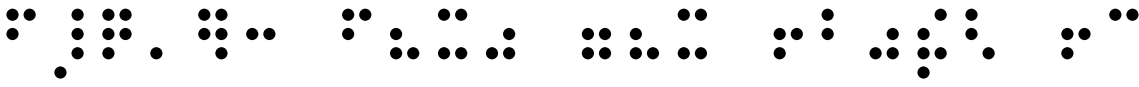
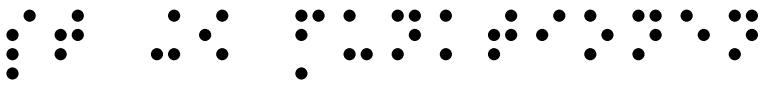


$b>0$ (nach links):

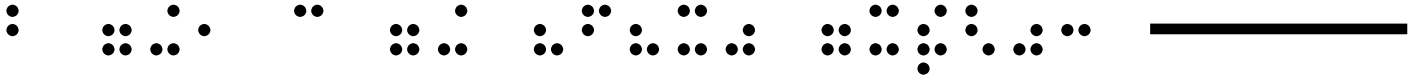


$b<0$ (nach rechts):





f_{q.7}: $f(x) = (x + b)^2 + c$



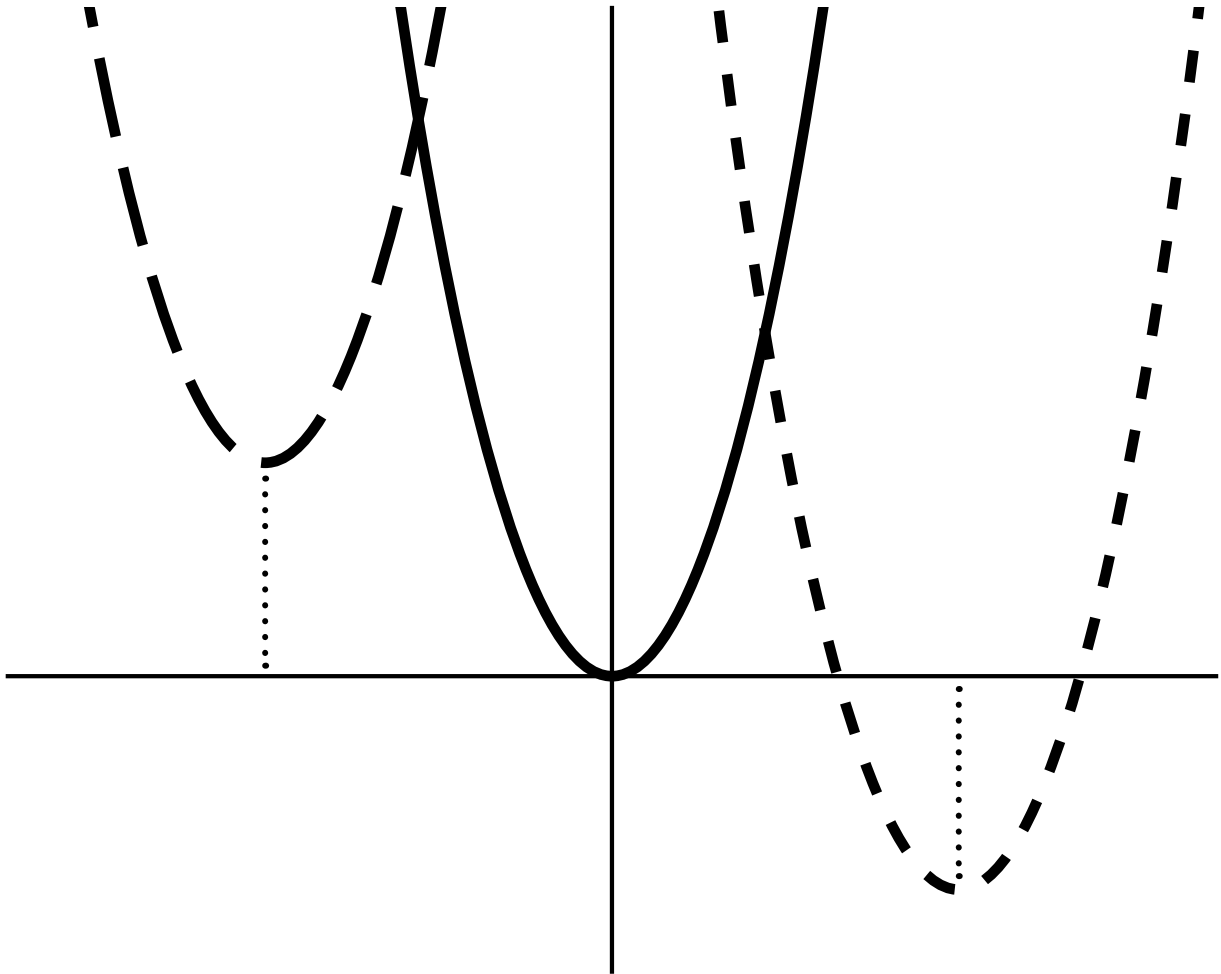
$b = 0, c = 0$ ($f(x) = x^2$):

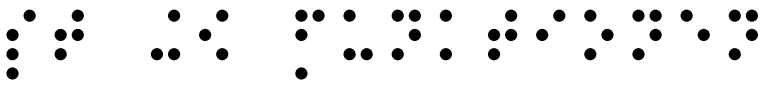


$b > 0, c > 0$ (li, hinauf):

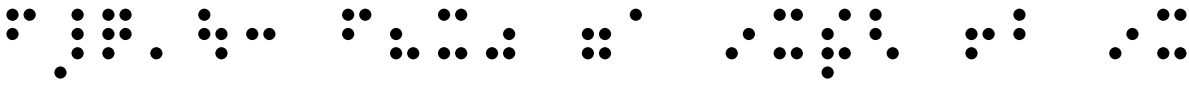


$b < 0, c < 0$ (re, hinunter):

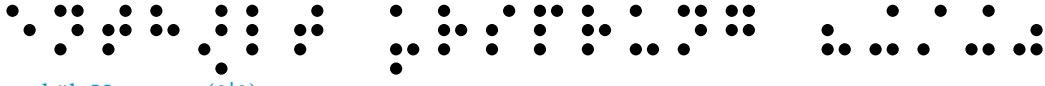




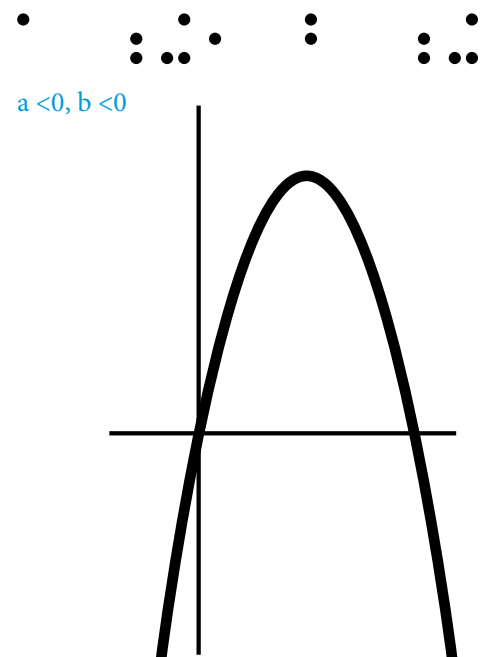
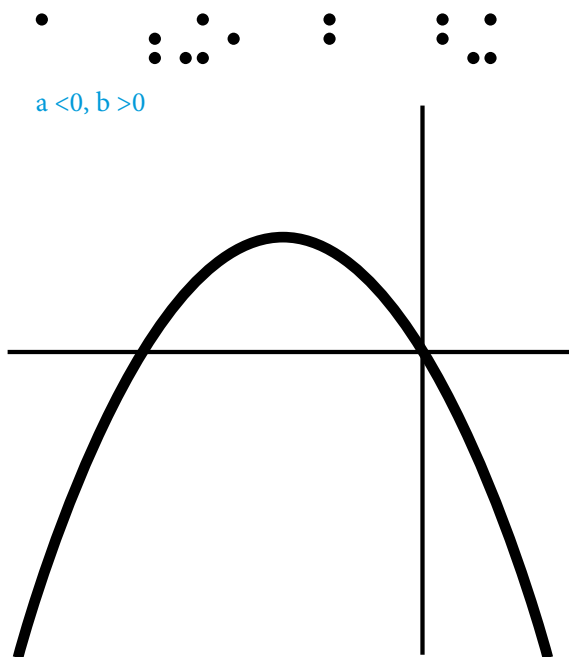
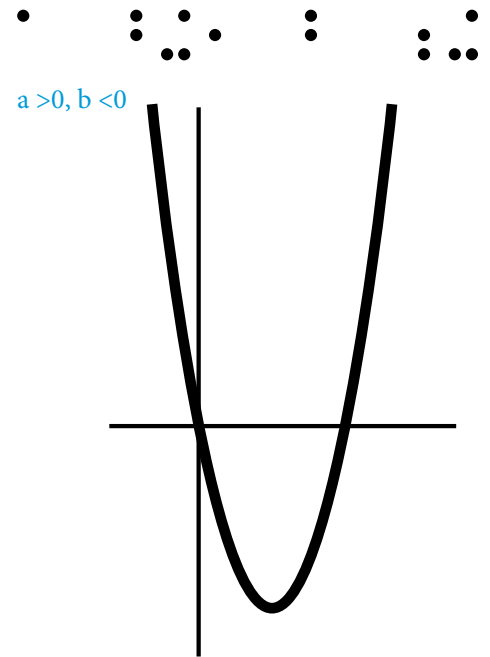
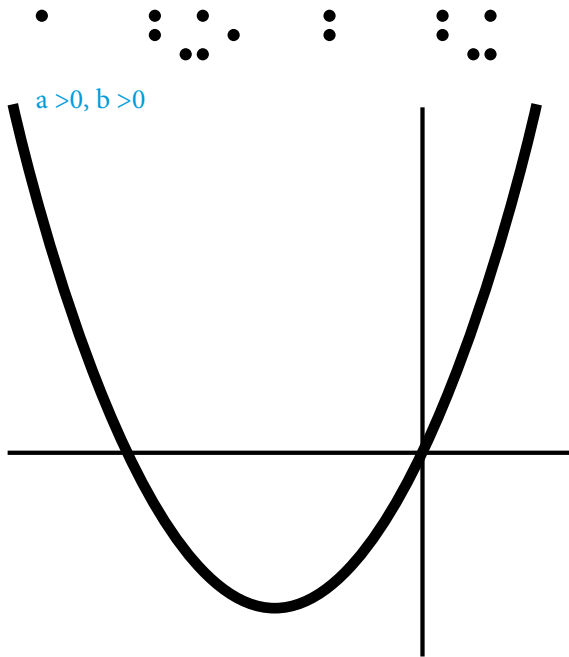
St 09 Funktionen, 10/28

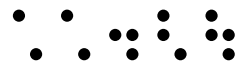
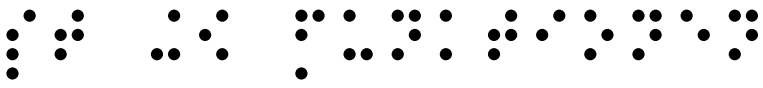


f_q.8: $f(x) = a \cdot x^2 + b \cdot x$

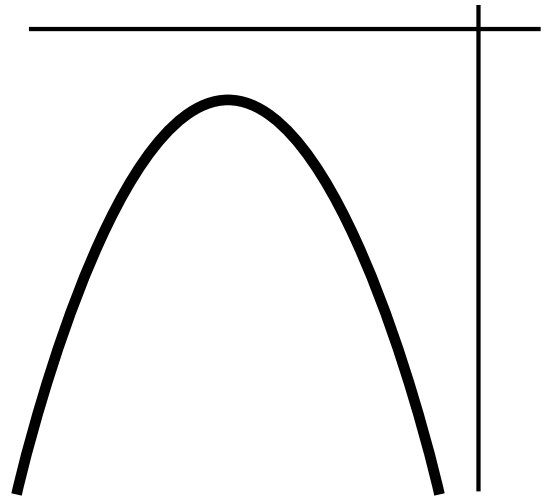
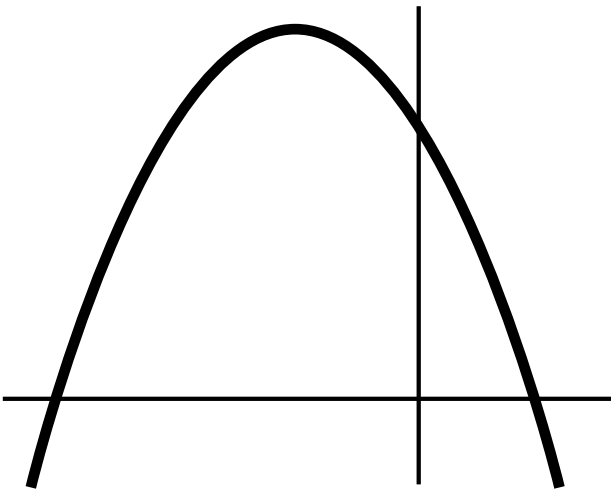
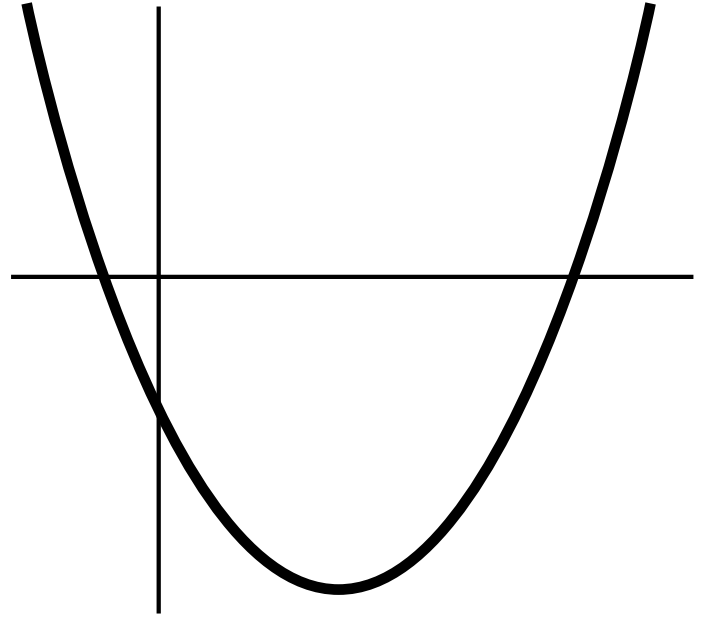
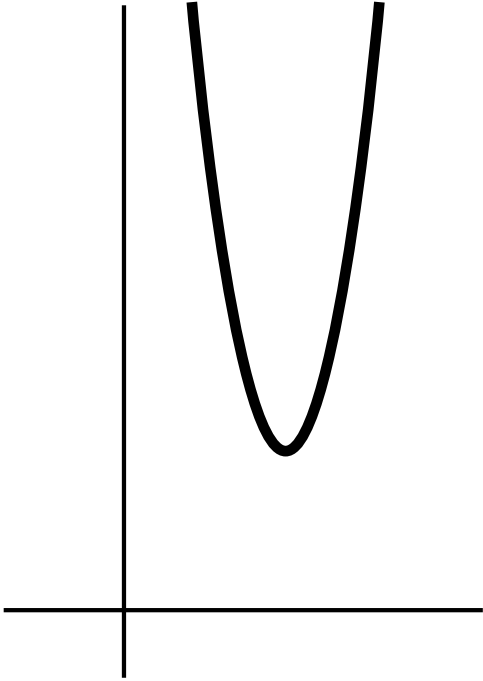


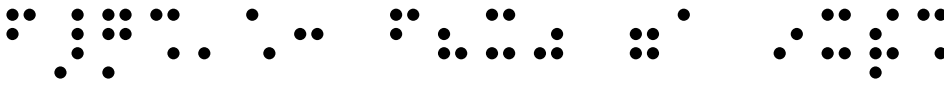
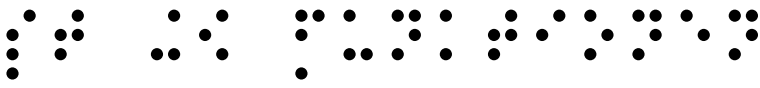
enthält Ursprung (0|0)



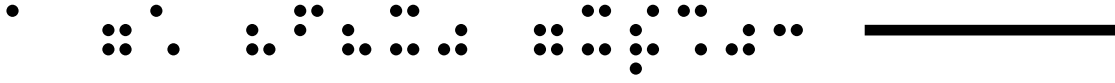


f_q: f(x) = a * x² + b * x + c





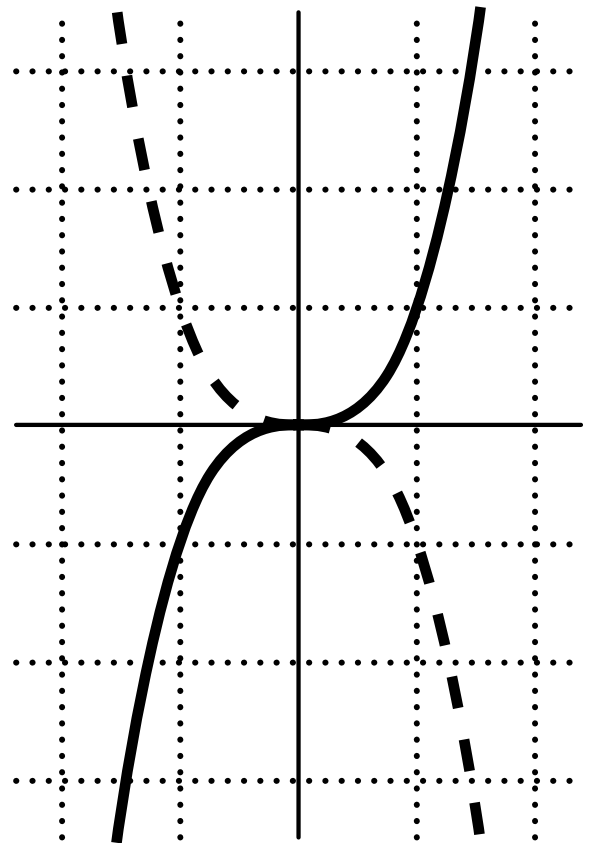
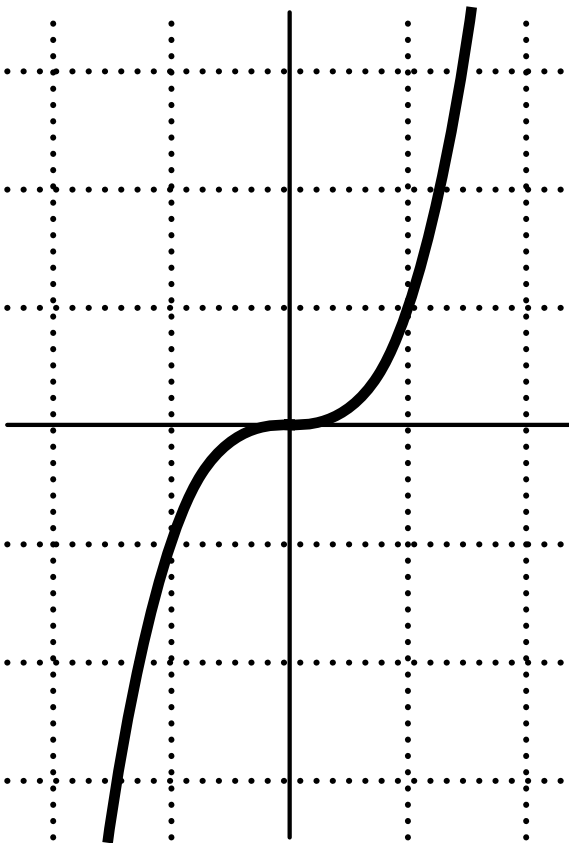
f_G3.1: $f(x) = a \cdot x^3$

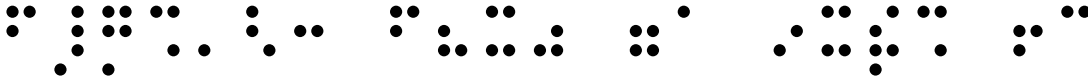
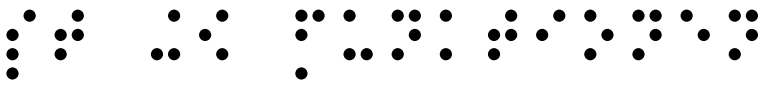


a = 1 ($f(x) = x^3$):

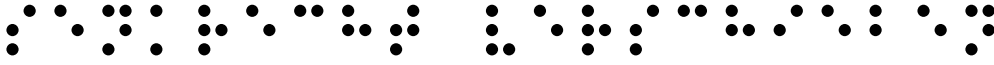


a = -1 ($f(x) = -x^3$):

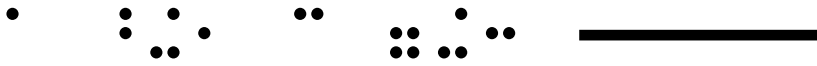




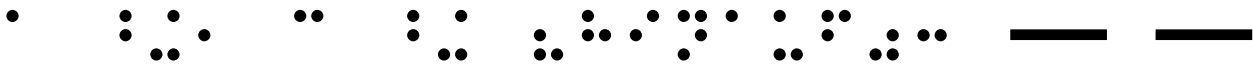
f_G3.2: $f(x) = a \cdot x^3 + c$



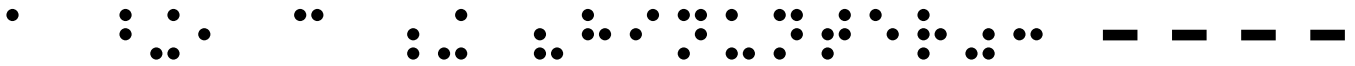
senkrecht verschieben



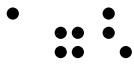
$a > 0, c = 0$:



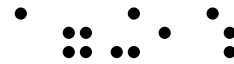
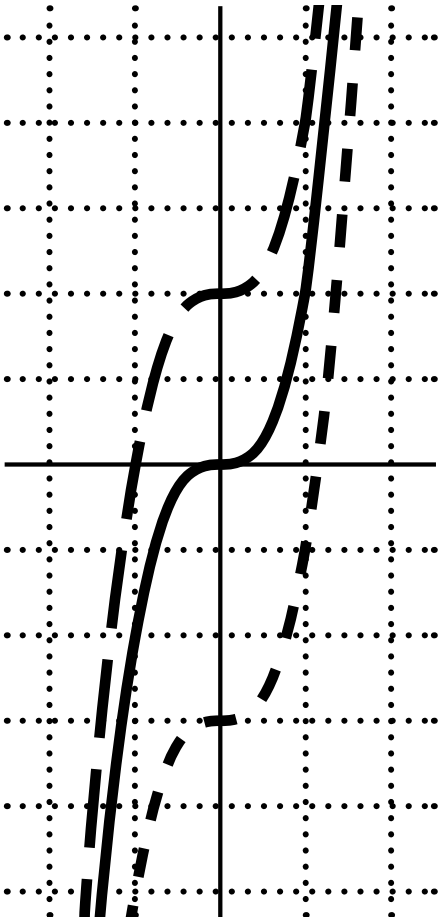
$a > 0, c > 0$ (hinauf):



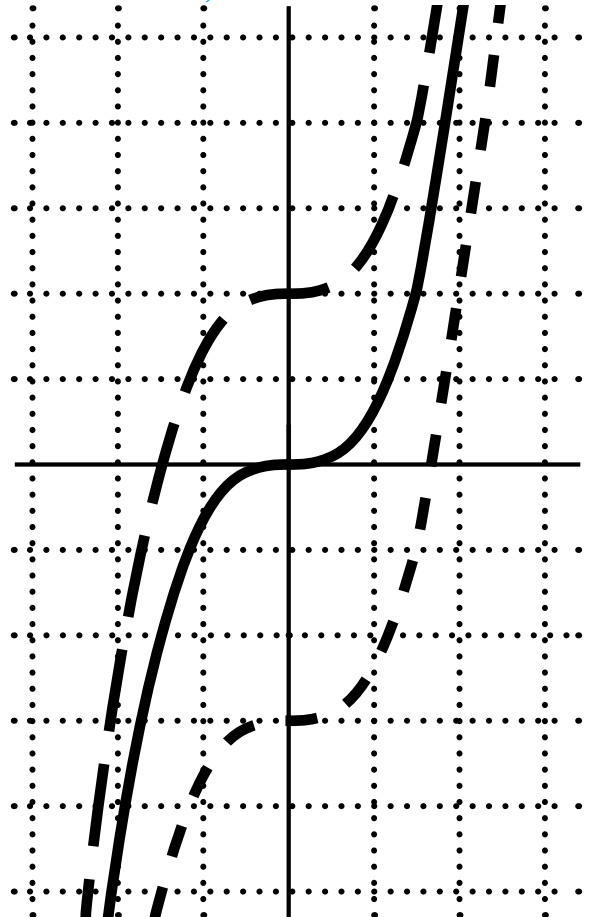
$a > 0, c < 0$ (hinunter):



$a=2$



$a=0,5$



St 09 Funktionen, 14/28

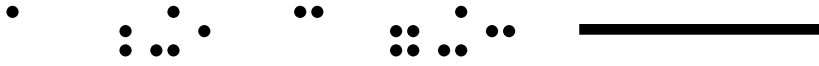
St 09 Funktionen, 14/28

f_G3.3: $f(x) = a \cdot x^3 + c$

f_G3.3: $f(x) = a \cdot x^3 + c$

senkrecht verschieben

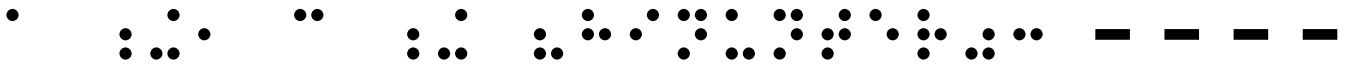
senkrecht verschieben



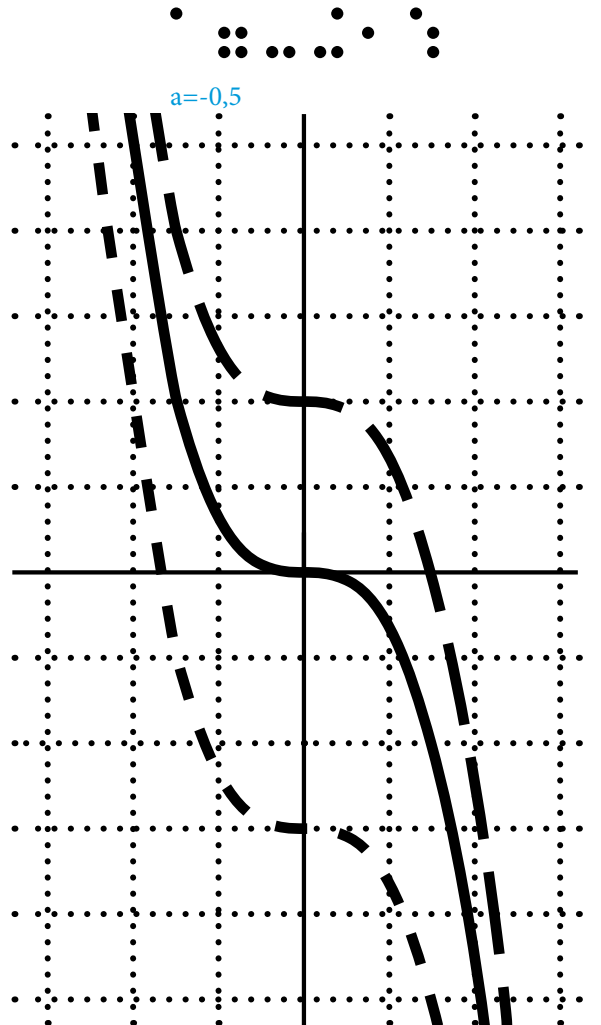
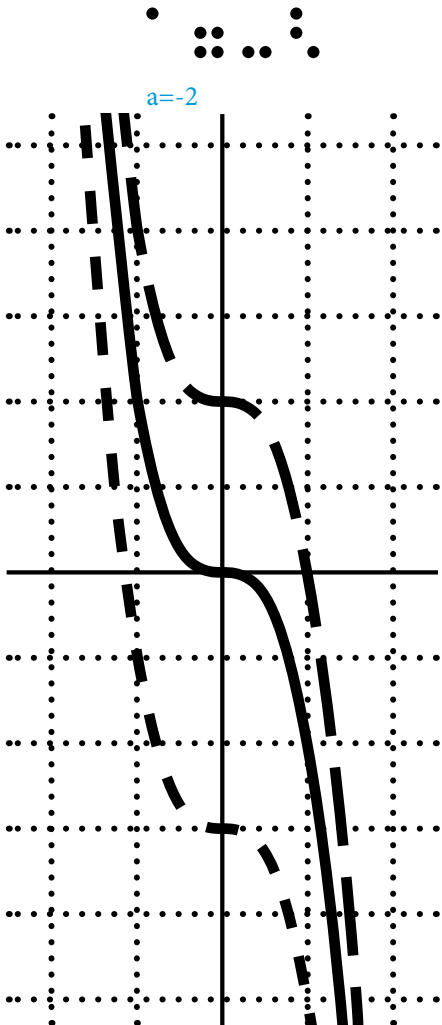
$a < 0, c = 0$:

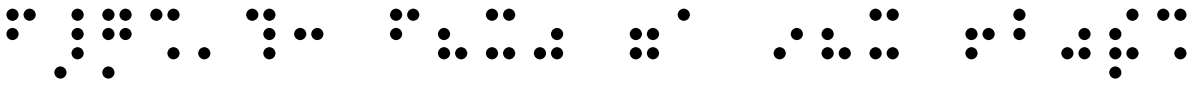
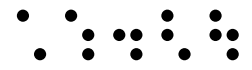
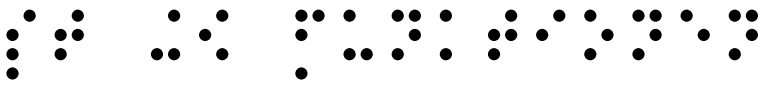


$a < 0, c > 0$ (hinauf):



$a < 0, c < 0$ (hinunter):





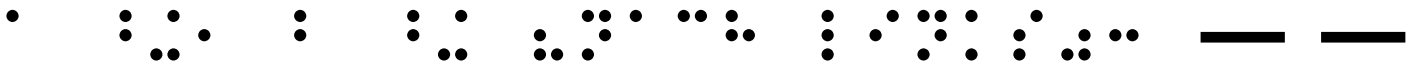
f_G3.4: $f(x) = a \cdot (x + b)^3$



waagrecht verschieben



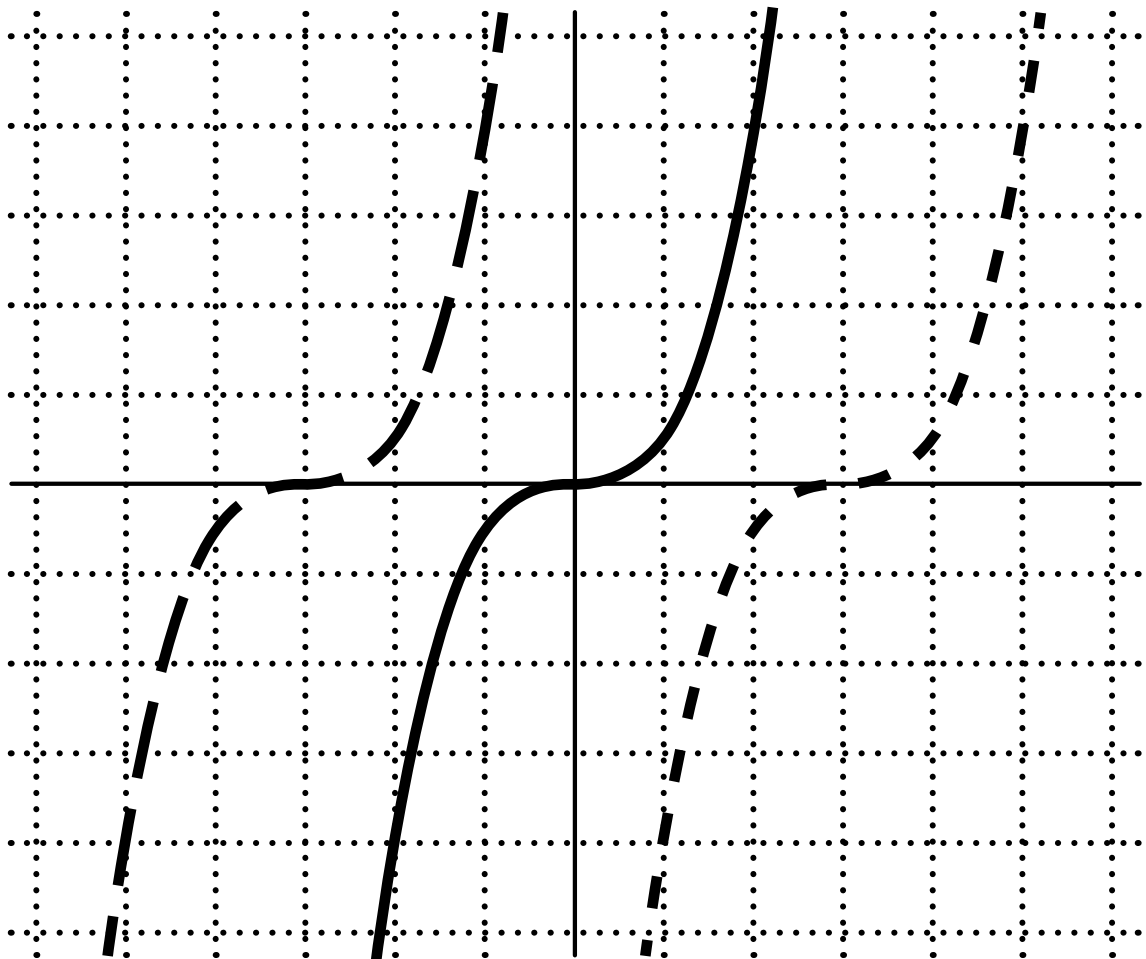
a > 0, b = 0:

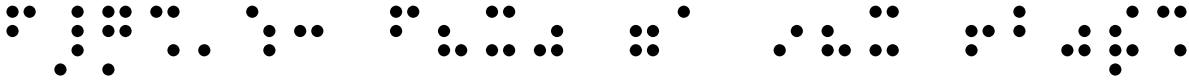
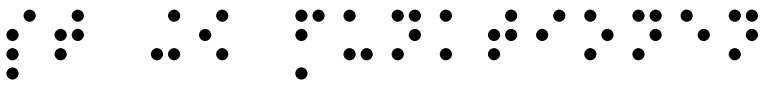


a > 0, b > 0 (nach links):



a > 0, b < 0 (n. rechts):

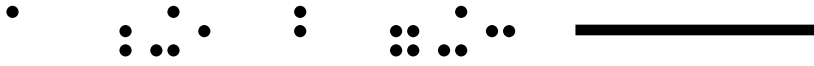




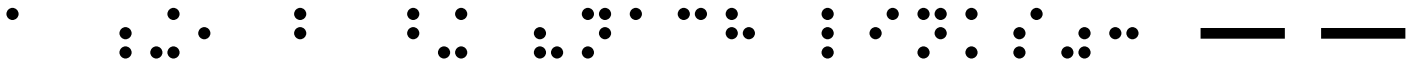
f_G3.5: $f(x) = a \cdot (x + b)^3$



waagrecht verschieben



$a < 0, b = 0$:

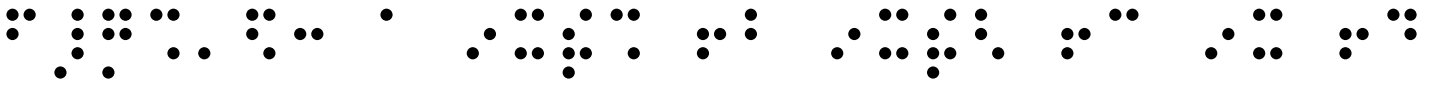
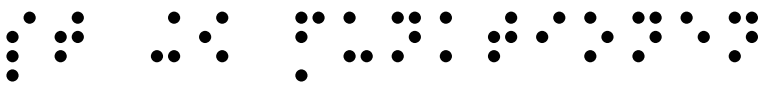


$a < 0, b > 0$ (nach links):

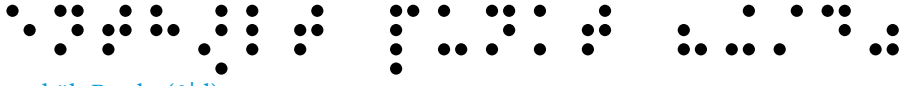


$a < 0, b < 0$ (n. rechts):

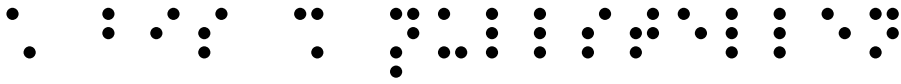




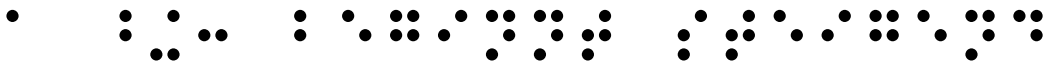
f_G3.6: $a \cdot x^3 + b \cdot x^2 + c \cdot x + d$



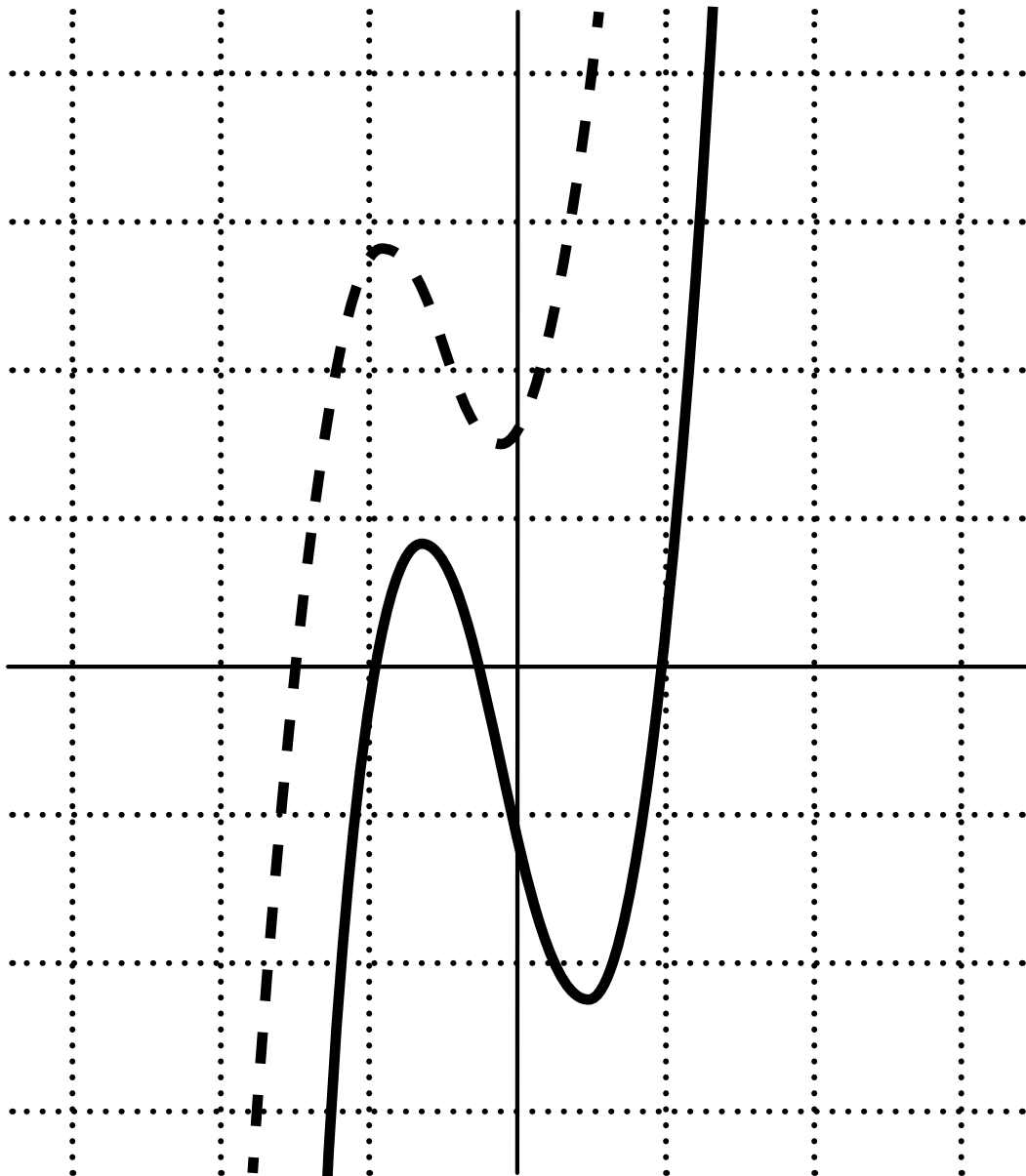
enthält Punkt (0|d)



1 bis 3 Nullstellen



a > 0: beginnt steigend



St 09 Funktionen, 18/28

St 09 Funktionen, 18/28

$f(x) = a \cdot x^3 + b \cdot x^2 + c \cdot x + d$

$f(x) = a \cdot x^3 + b \cdot x^2 + c \cdot x + d$

$f(x) = a \cdot x^3 + b \cdot x^2 + c \cdot x + d$

enthält Punkt $(0|d)$

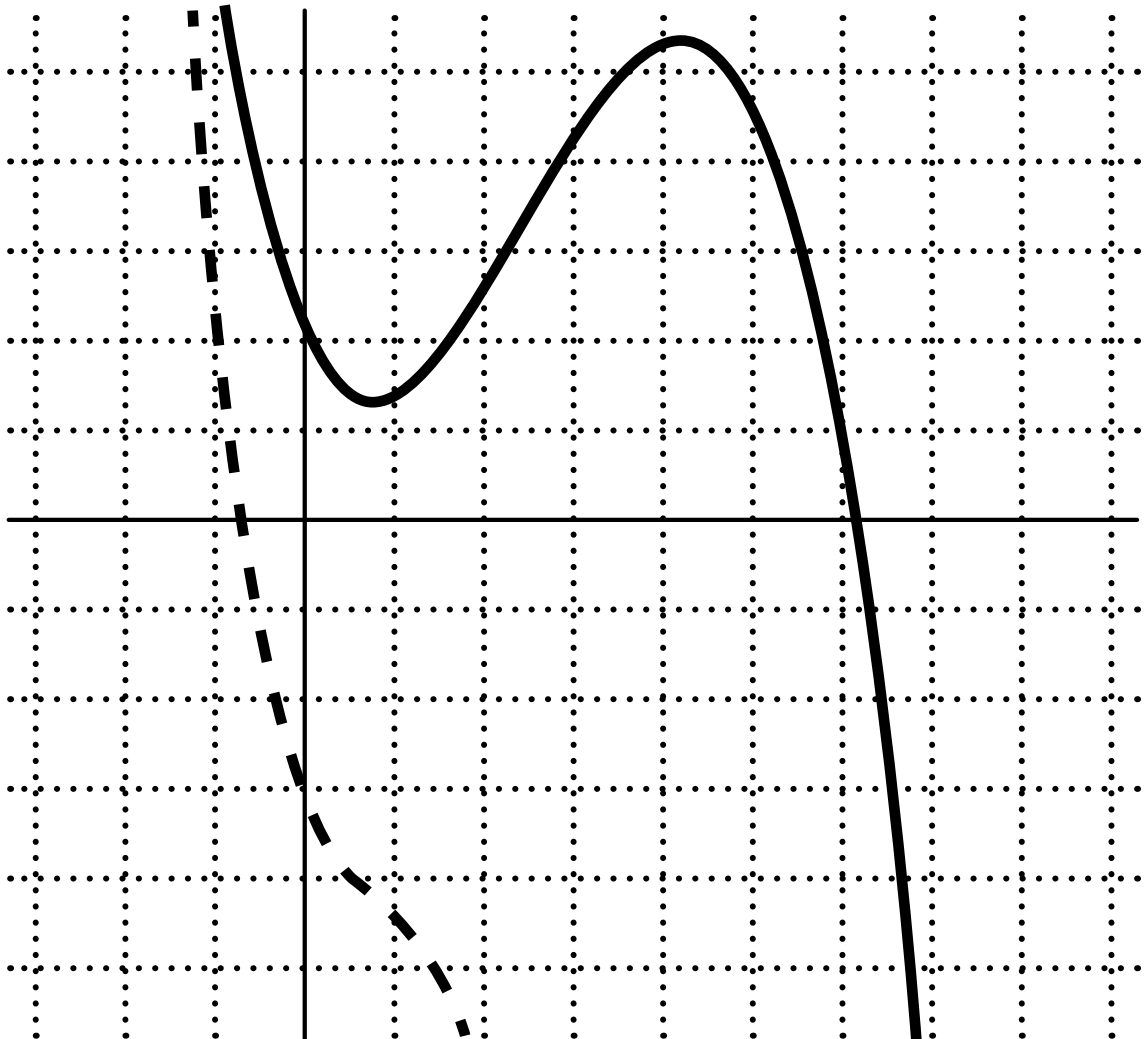
enthält Punkt $(0|d)$

1 bis 3 Nullstellen

1 bis 3 Nullstellen

$a < 0$: beginnt fallend

$a < 0$: beginnt fallend



Braille representation of the title 'St 09 Funktionen, 19/28'.

St 09 Funktionen, 19/28

Braille representation of the general polynomial function formula.

Braille representation of the specific function formula $f_{G4.1}: f(x) = a \cdot x^4 + b \cdot x^3 + c \cdot x^2 + d \cdot x + e$.

$f_{G4.1}: f(x) = a \cdot x^4 + b \cdot x^3 + c \cdot x^2 + d \cdot x + e$

Braille representation of the condition 'enthält Punkt (0|e)'.

enthält Punkt (0|e)

Braille representation of the condition '0 bis 4 Nullstellen'.

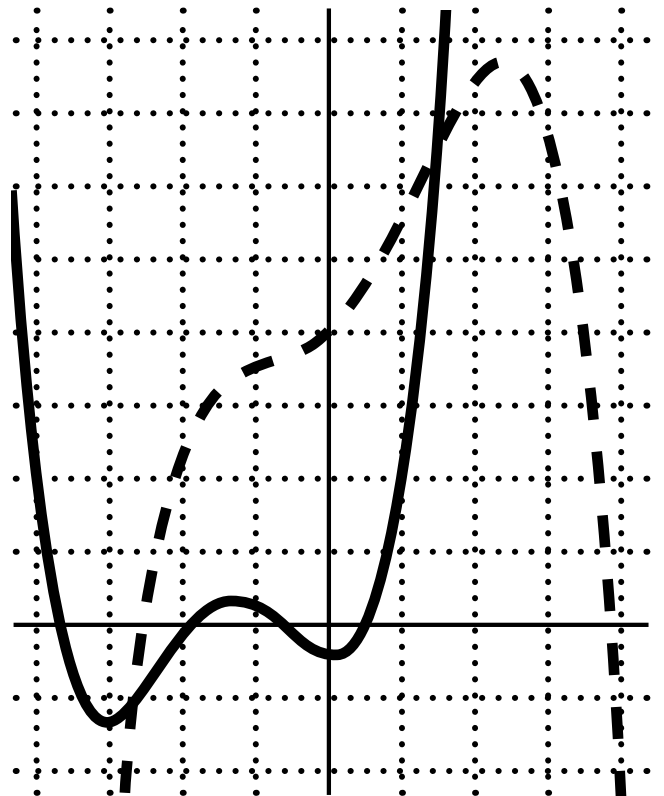
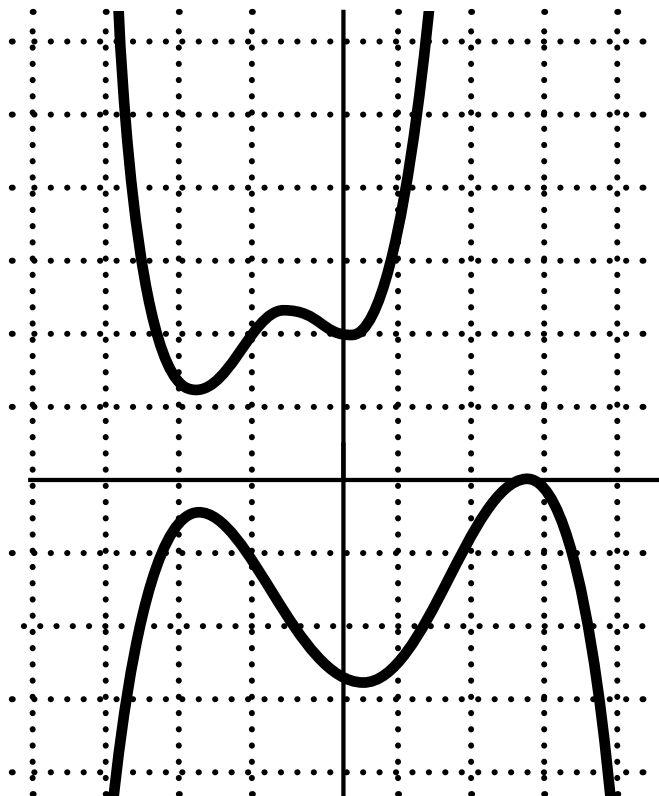
0 bis 4 Nullstellen

Braille representation of the condition 'a > 0: beginnt fallend'.

$a > 0$: beginnt fallend

Braille representation of the condition 'a < 0: beginnt steigend'.

$a < 0$: beginnt steigend



Braille representation of the title 'St 09 Funktionen, 20/28'.

St 09 Funktionen, 20/28

Braille representation of the general polynomial equation $f(x) = a \cdot x^4 + b \cdot x^3 + c \cdot x^2 + d \cdot x + e$.

Braille representation of the general polynomial equation $f(x) = a \cdot x^4 + b \cdot x^3 + c \cdot x^2 + d \cdot x + e$.

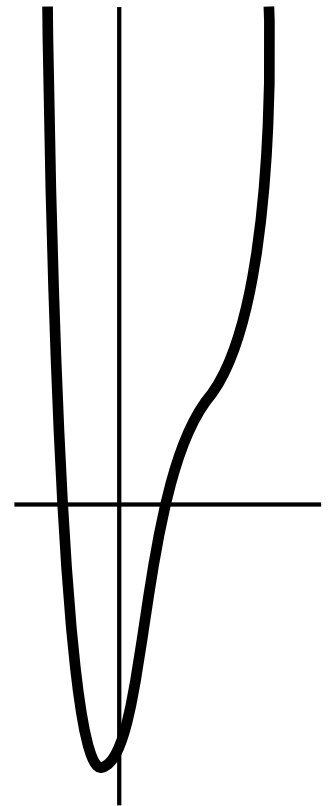
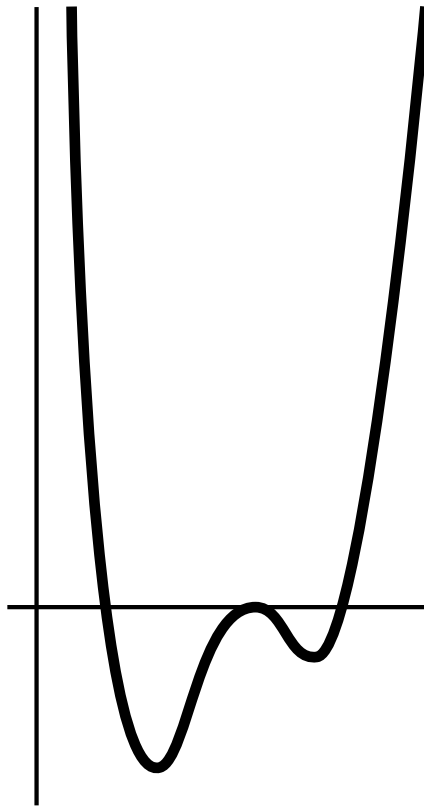
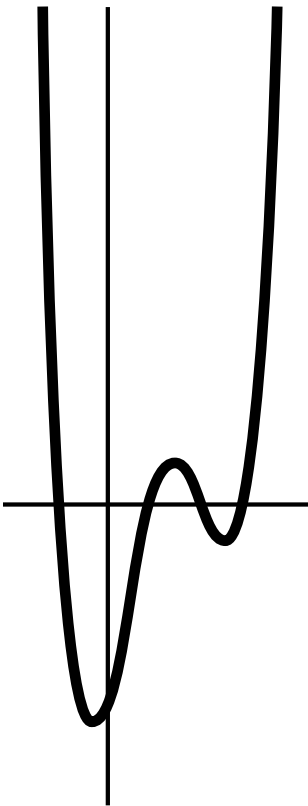
f_G4.2: $f(x) = a \cdot x^4 + b \cdot x^3 + c \cdot x^2 + d \cdot x + e$

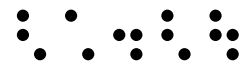
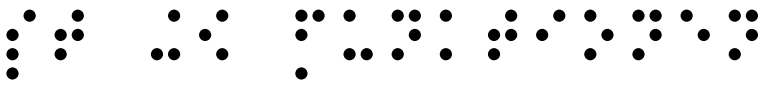
Braille representation of the title 'Doppel-S-Kurve'.

Doppel-S-Kurve

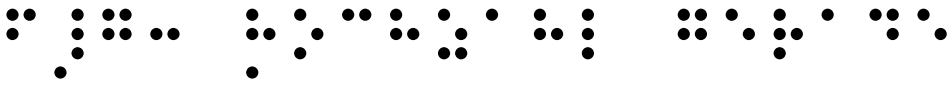
Braille representation of the title 'verschiedenste Ausprägungen'.

verschiedenste Ausprägungen

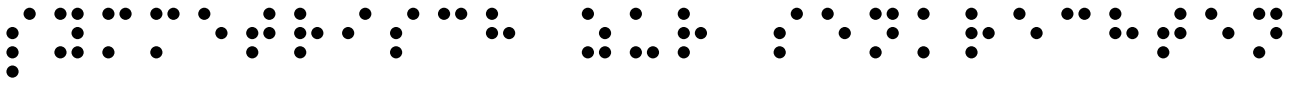




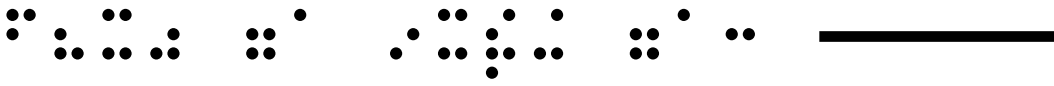
St 09 Funktionen, 21/28



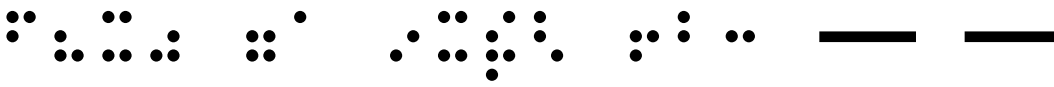
f_g: Hochzahl gerade



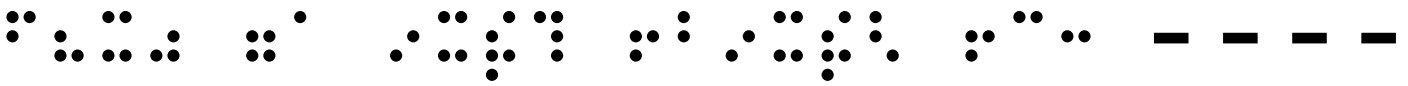
Symmetrisch zur senkrechten Achse, $a <> 0$



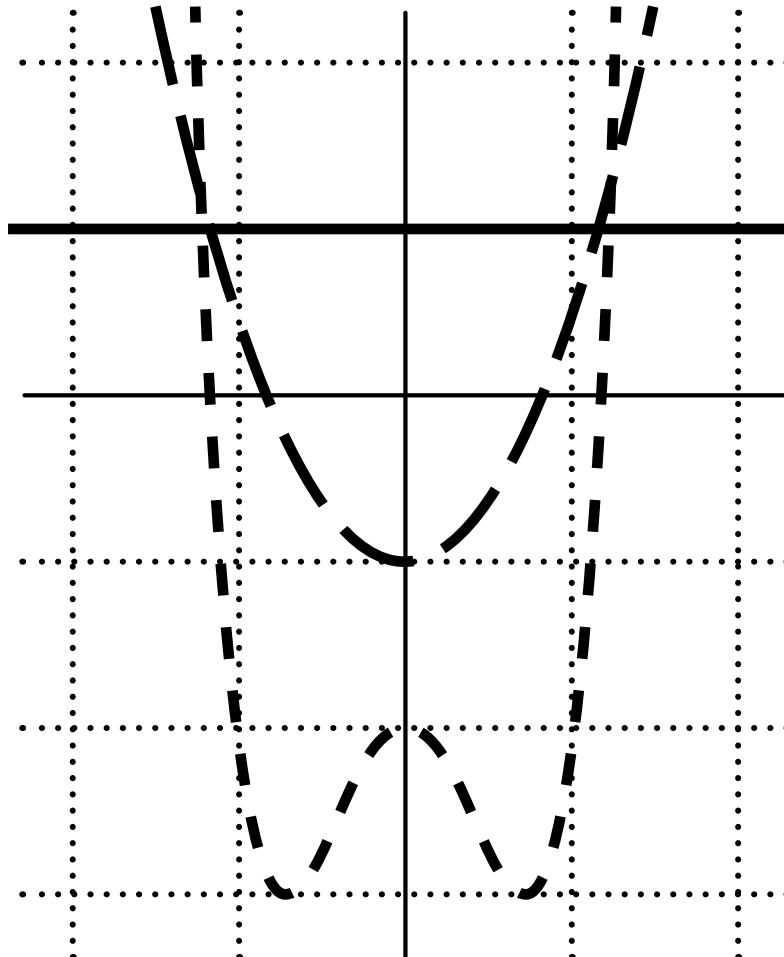
$f(x) = a \cdot x^0 = a:$

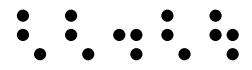
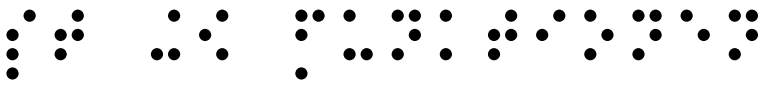


$f(x) = a \cdot x^2 + b:$



$f(x) = a \cdot x^4 + b \cdot x^2 + c:$





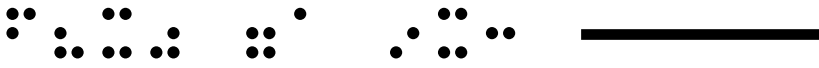
St 09 Funktionen, 22/28



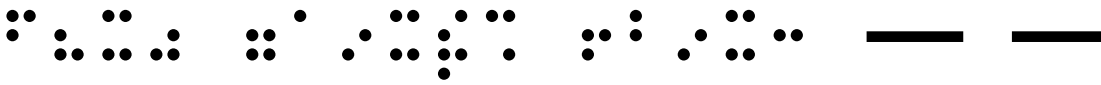
f_u: Hochzahl ungerade



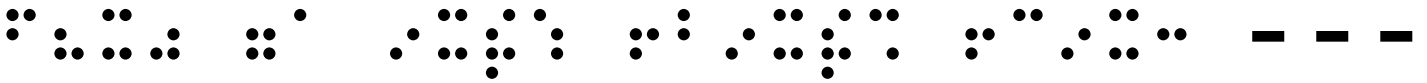
Symmetrisch zum Ursprung, $a <> 0$



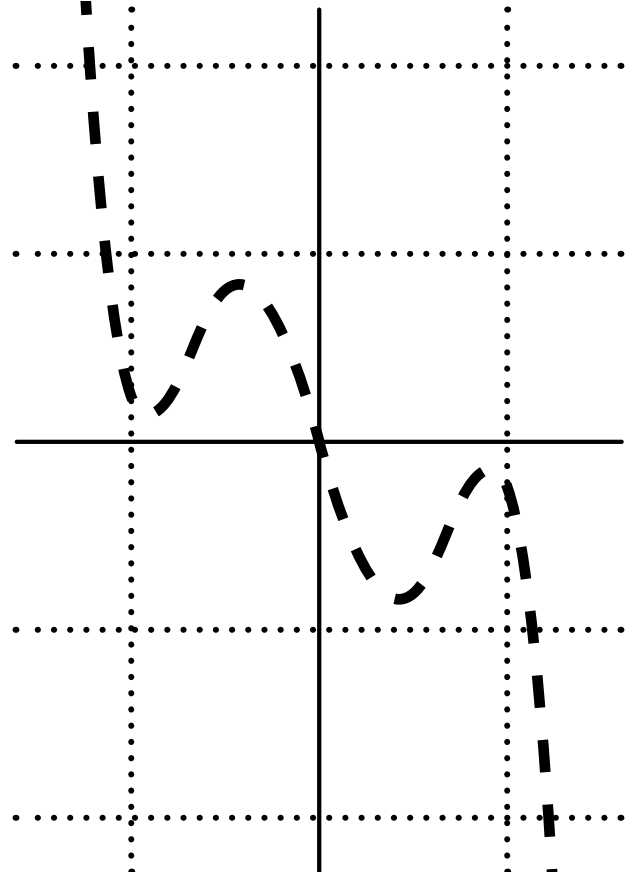
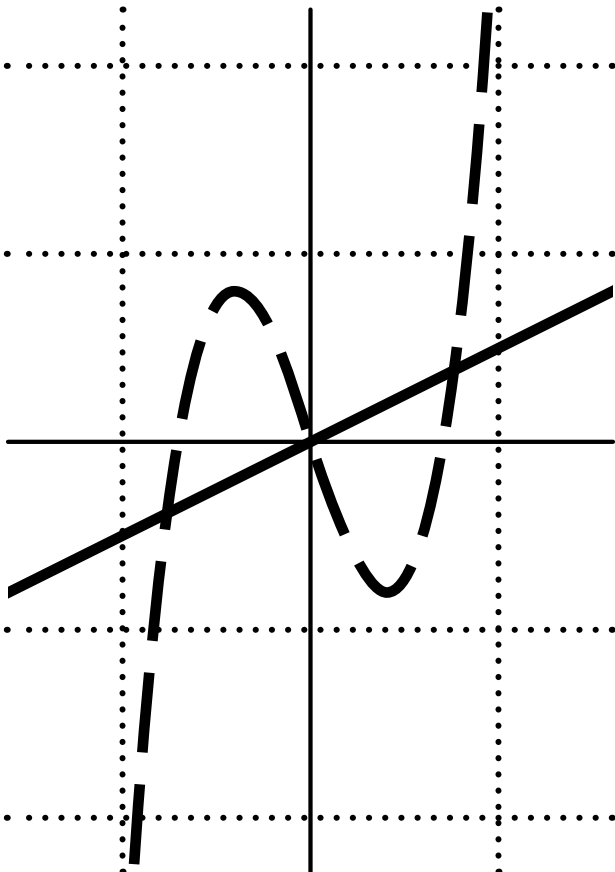
$f(x) = a \cdot x$:

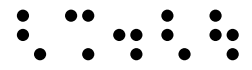
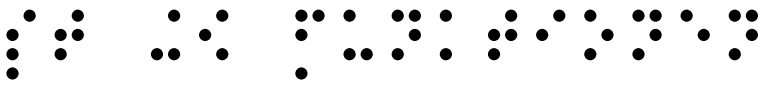


$f(x) = a \cdot x^3 + b \cdot x$:



$f(x) = a \cdot x^5 + b \cdot x^3 + c \cdot x$:





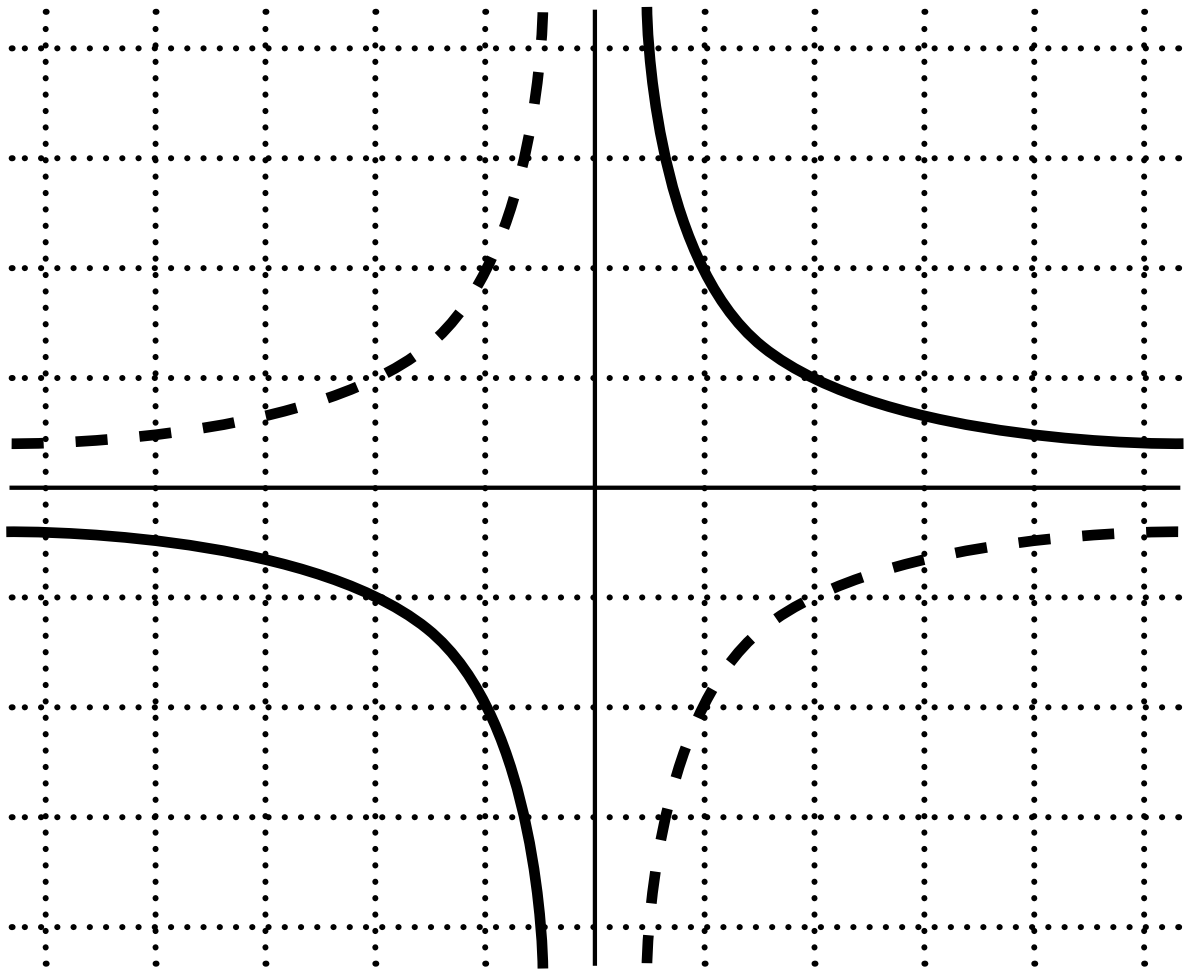
f_gebr1.1: $f(x) = a/x$

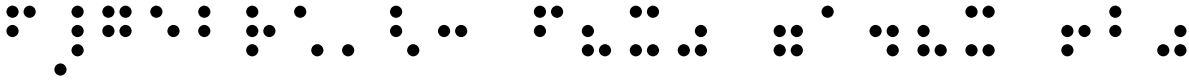
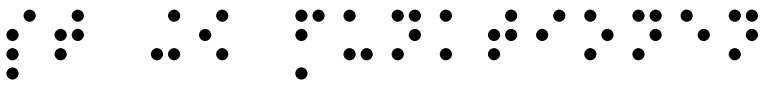


$a > 0$ mit $(1/a)$:



$a < 0$ mit $(-1/a)$:

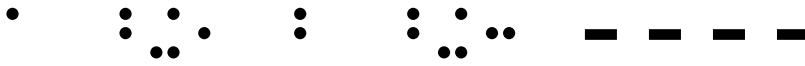




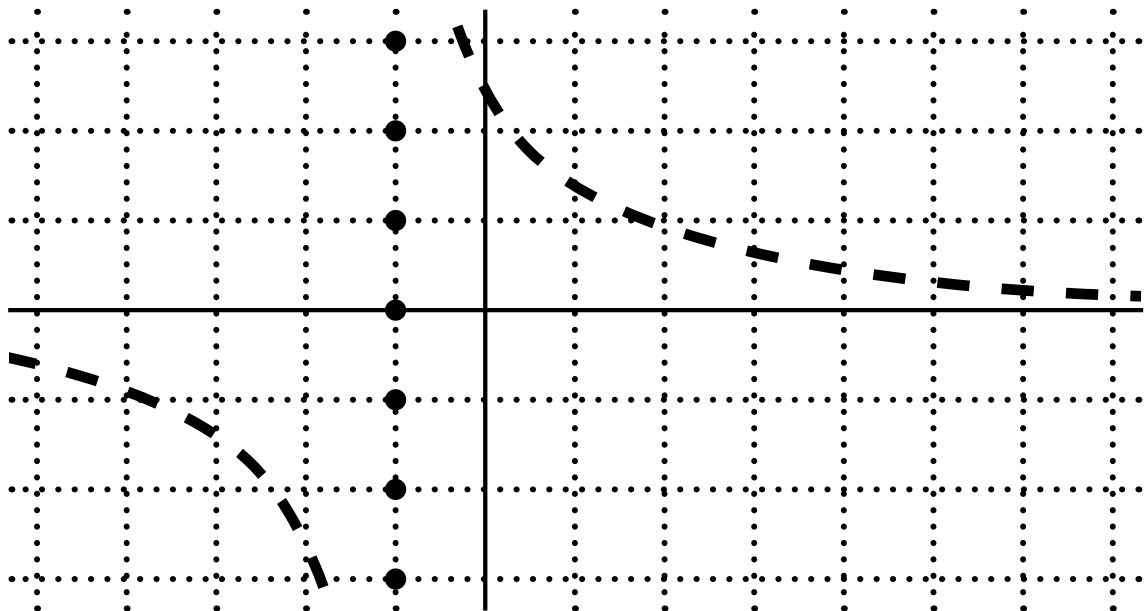
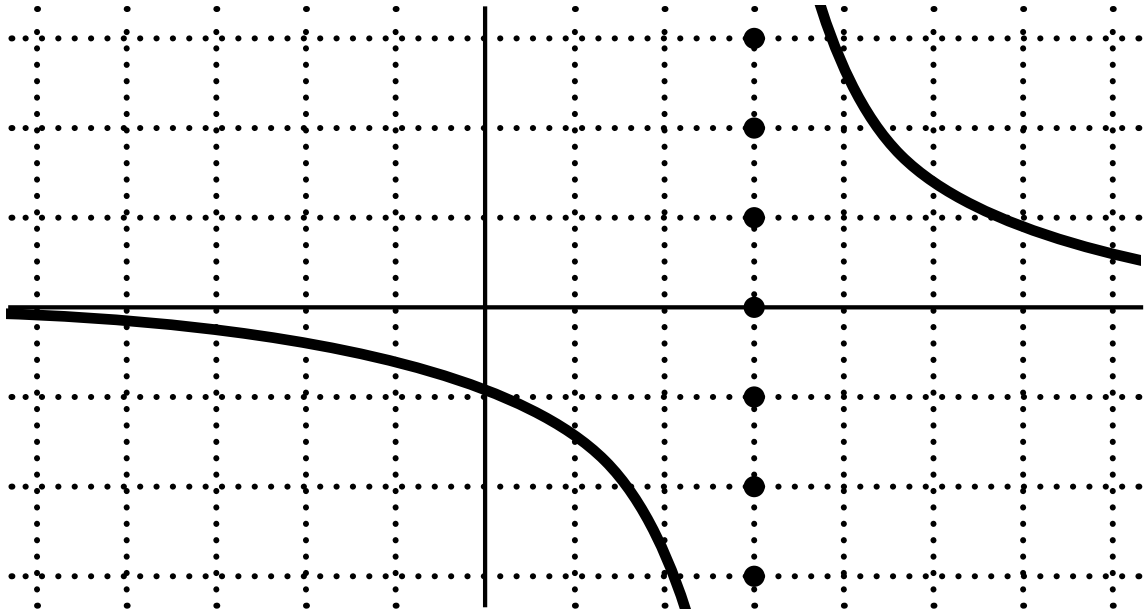
f_gebr1.2: $f(x) = a/(x + b)$

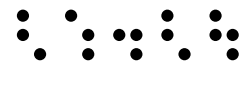
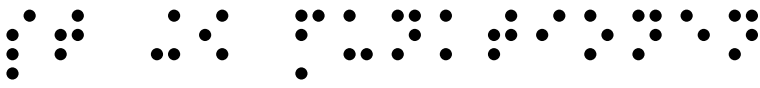


$a > 0, b < 0$:



$a > 0, b > 0$:





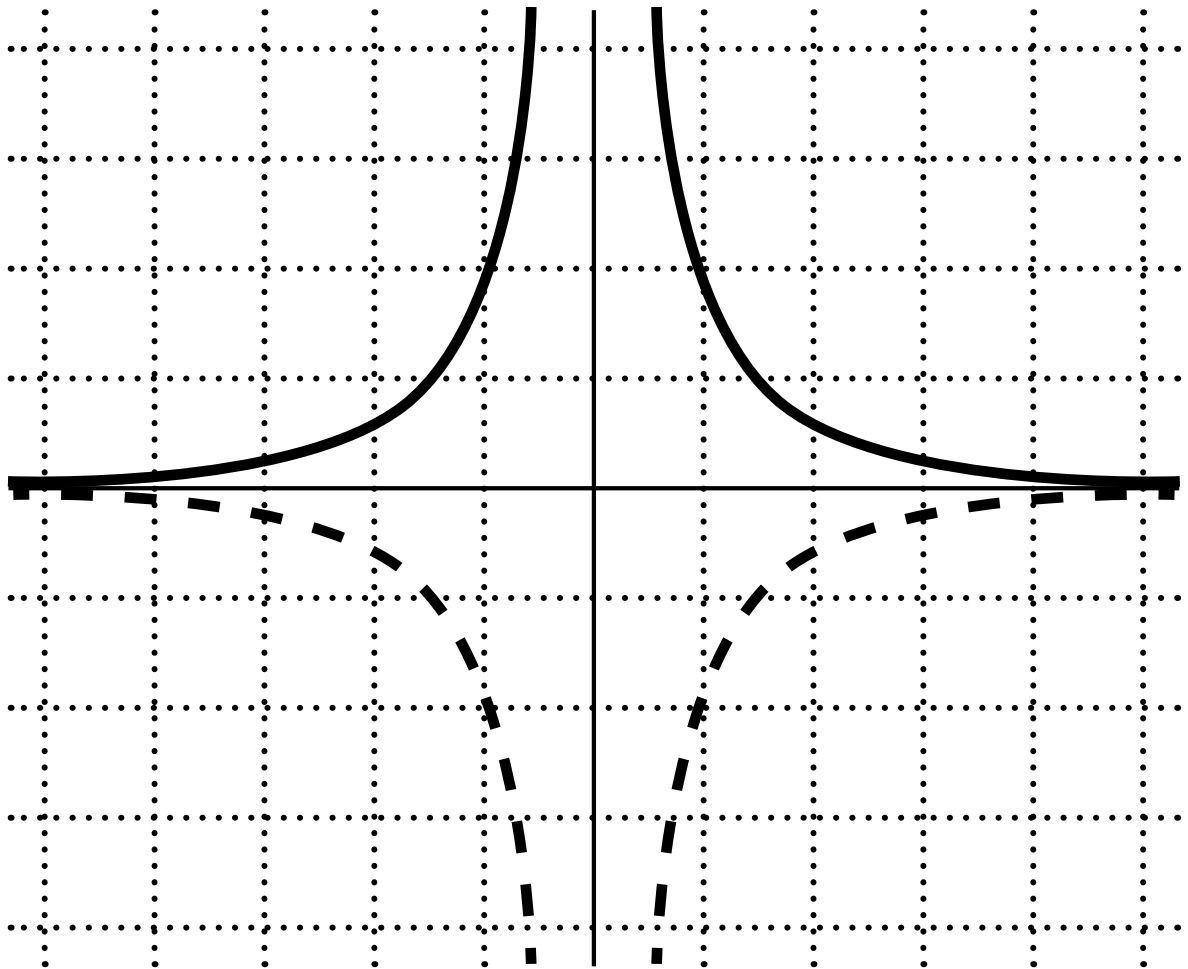
f_gebr2.1: $f(x) = a/x^2$

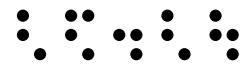
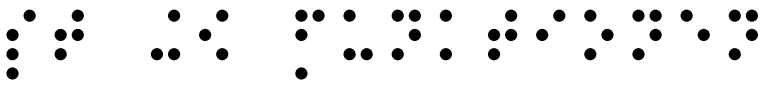


a > 0:

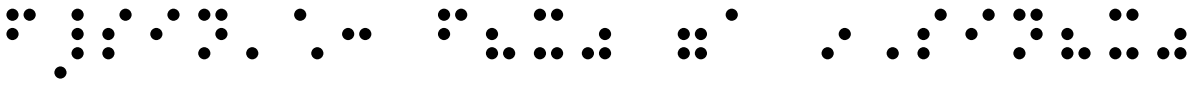


a < 0:





St 09 Funktionen, 26/28



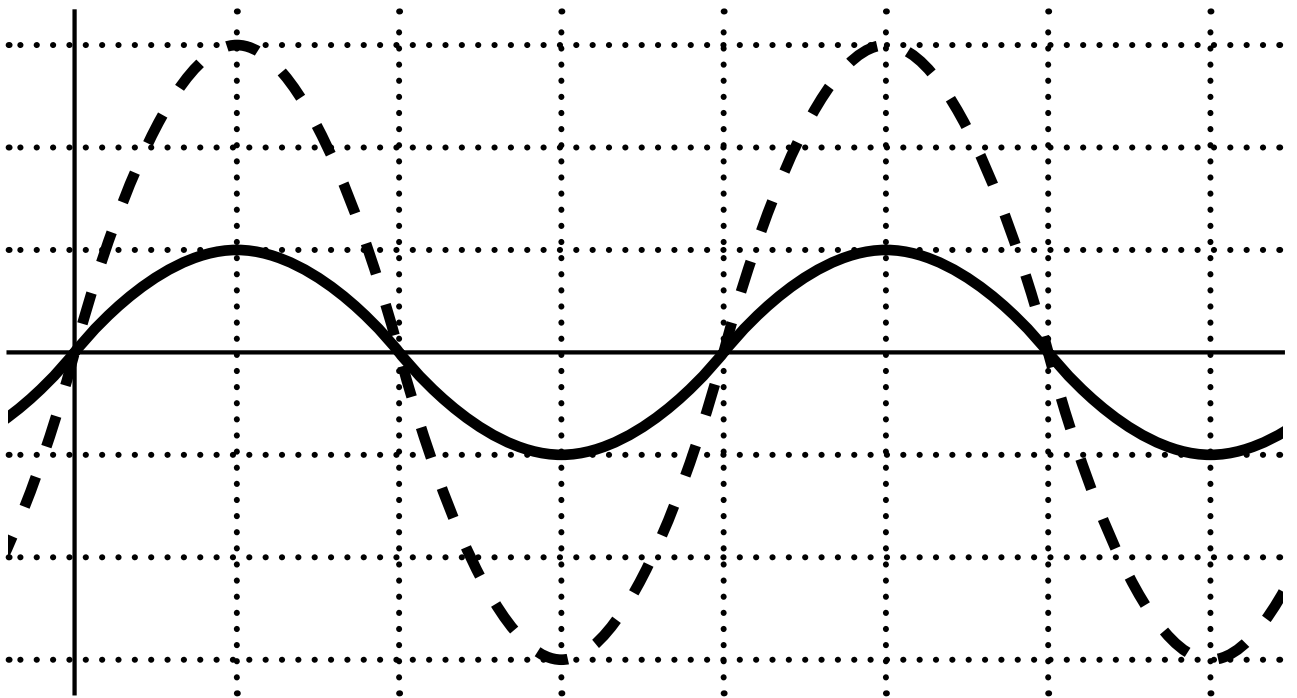
f_{sin.1}: $f(x) = a \cdot \sin(x)$

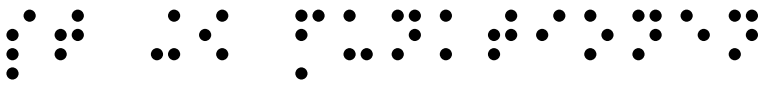


a = 1:



a = 3:





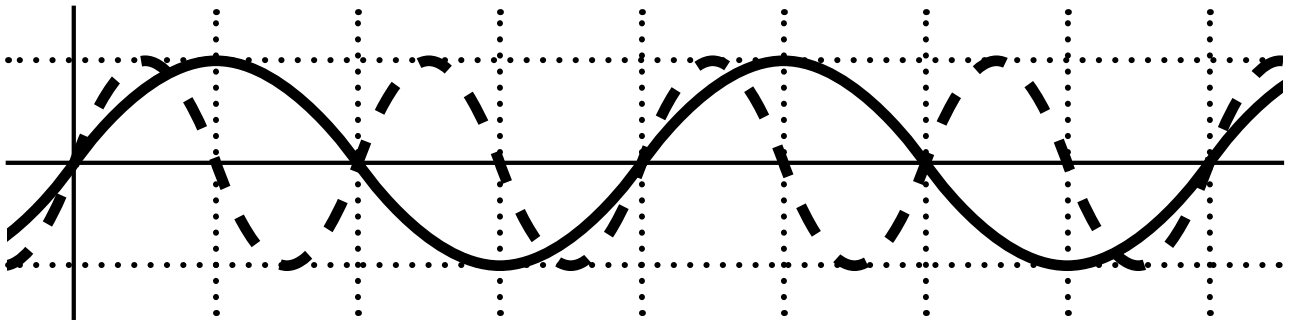
f_{sin.2}: $f(x) = \sin(b \cdot x)$



b=1:



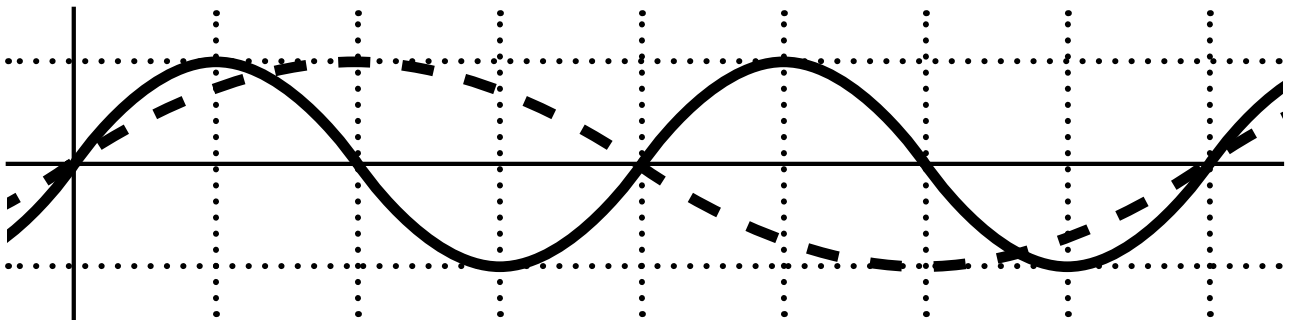
b=2:

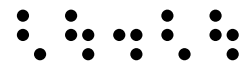
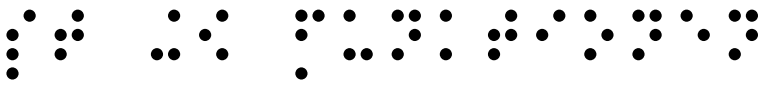


b=1:



b=1/2:





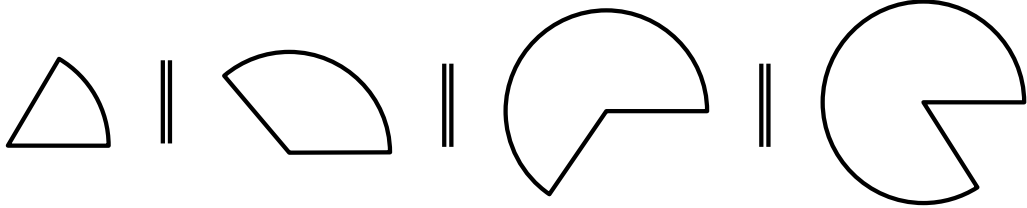
St 09 Funktionen, 28/28



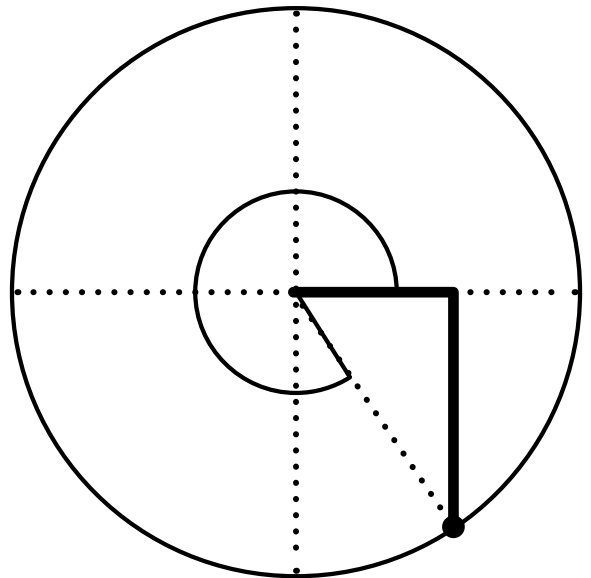
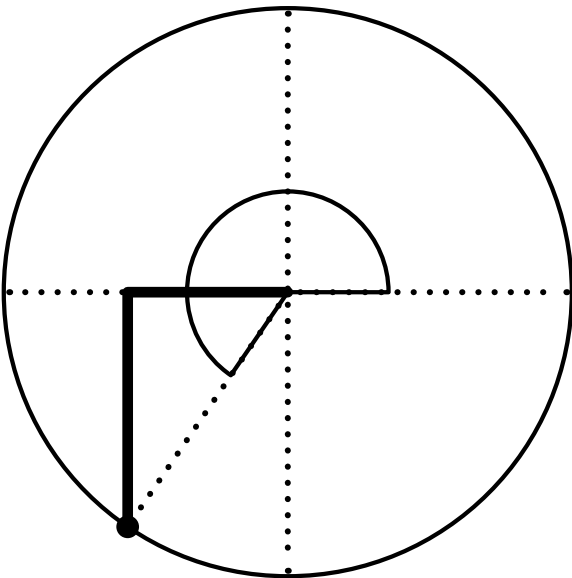
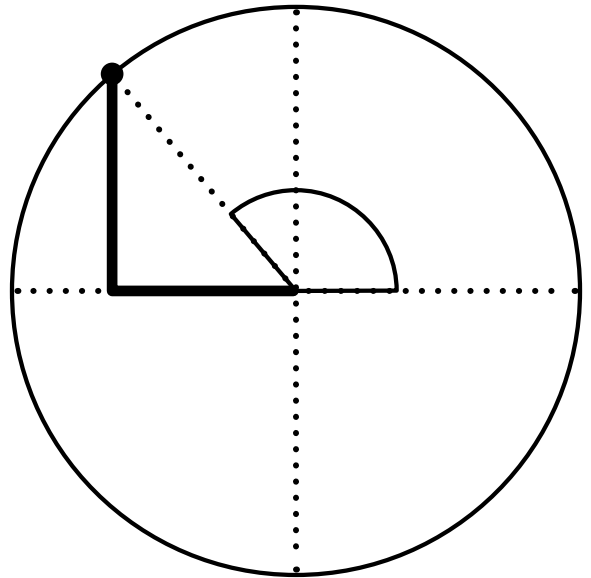
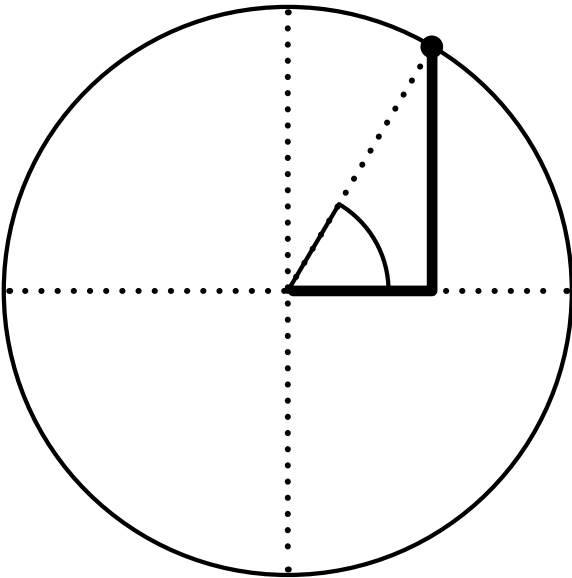
EK (r=1)



'al:



P(cos(alpha)|sin(alpha)):

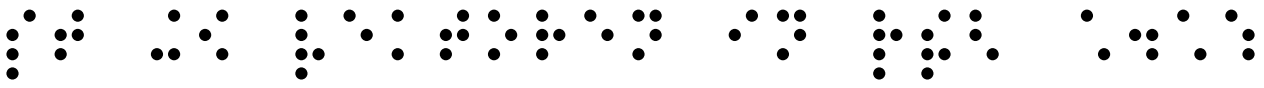


Vektoren in \mathbb{R}^2

Schulstufe 09

Inhalt

- 1 Verschiedene Vektoren
- 2 Parallele Vektoren
- 3 Normalvektoren
- 4 Vektoraddition
- 5 Vektorsubtraktion
- 6 Quadrat
- 9 Parallelogramm
- 12 Raute (Rhombus)
- 13 Deltoid
- 14 Multiplikation mit Skalar
- 15 Skalarprodukt



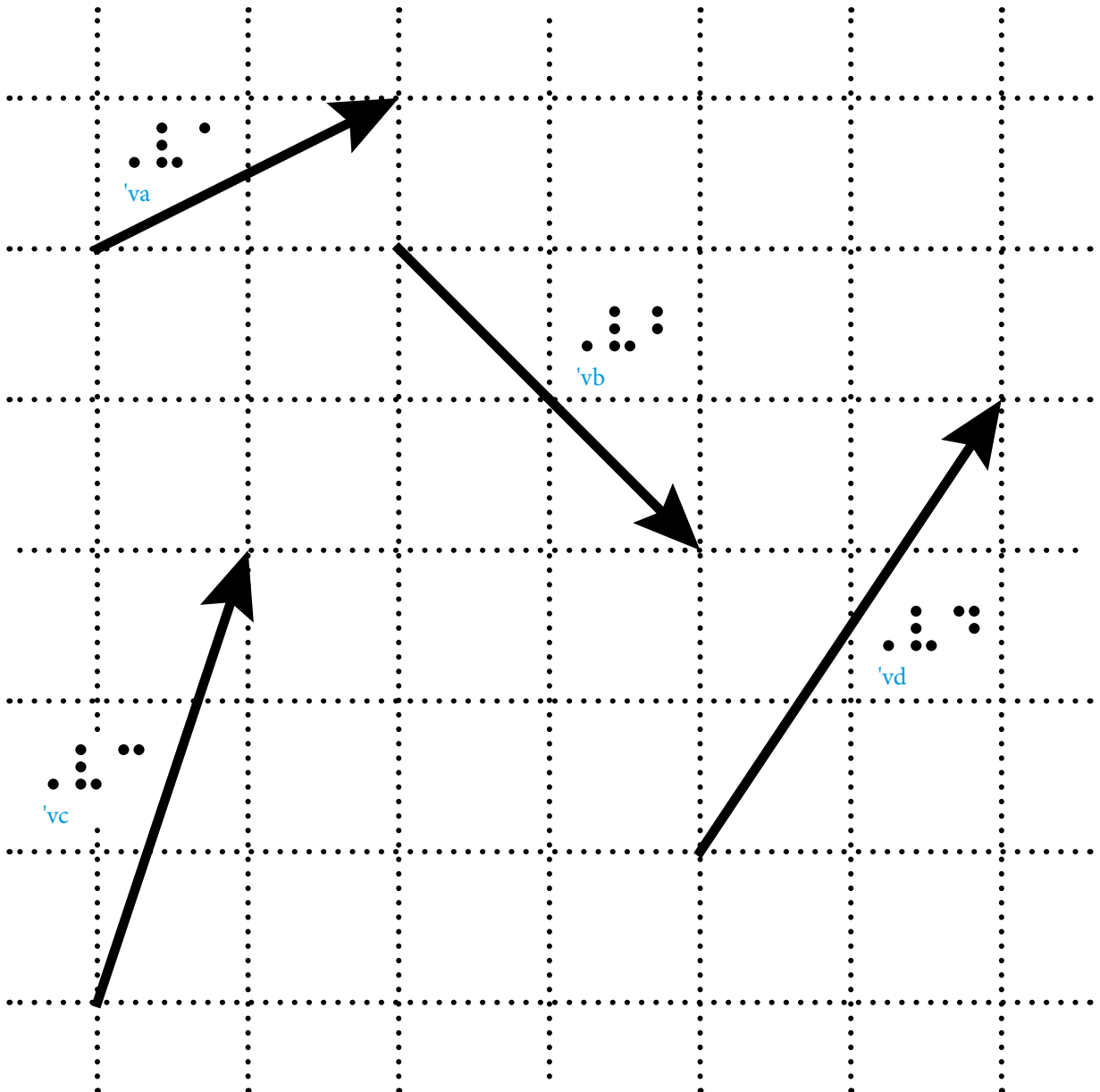
Verschiedene Vektoren

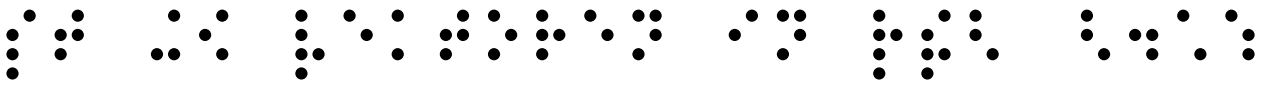


$'va = (2|1); 'vb = (2|-2);$

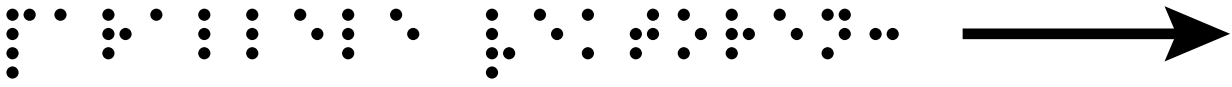


$'vc = (1|3); 'vd = (2|3)$

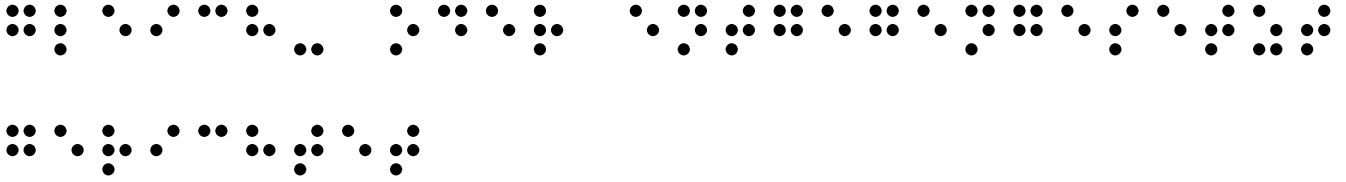




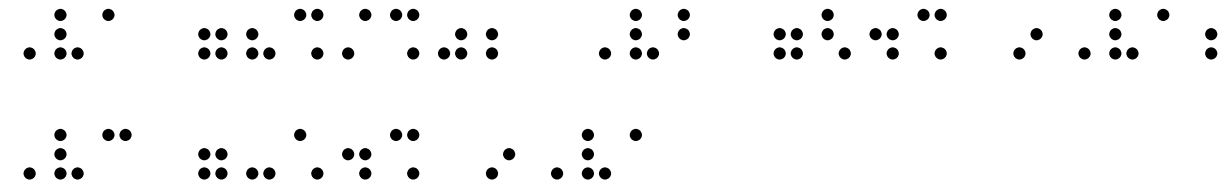
St 09 Vektoren in \mathbb{R}^2 , 2/15



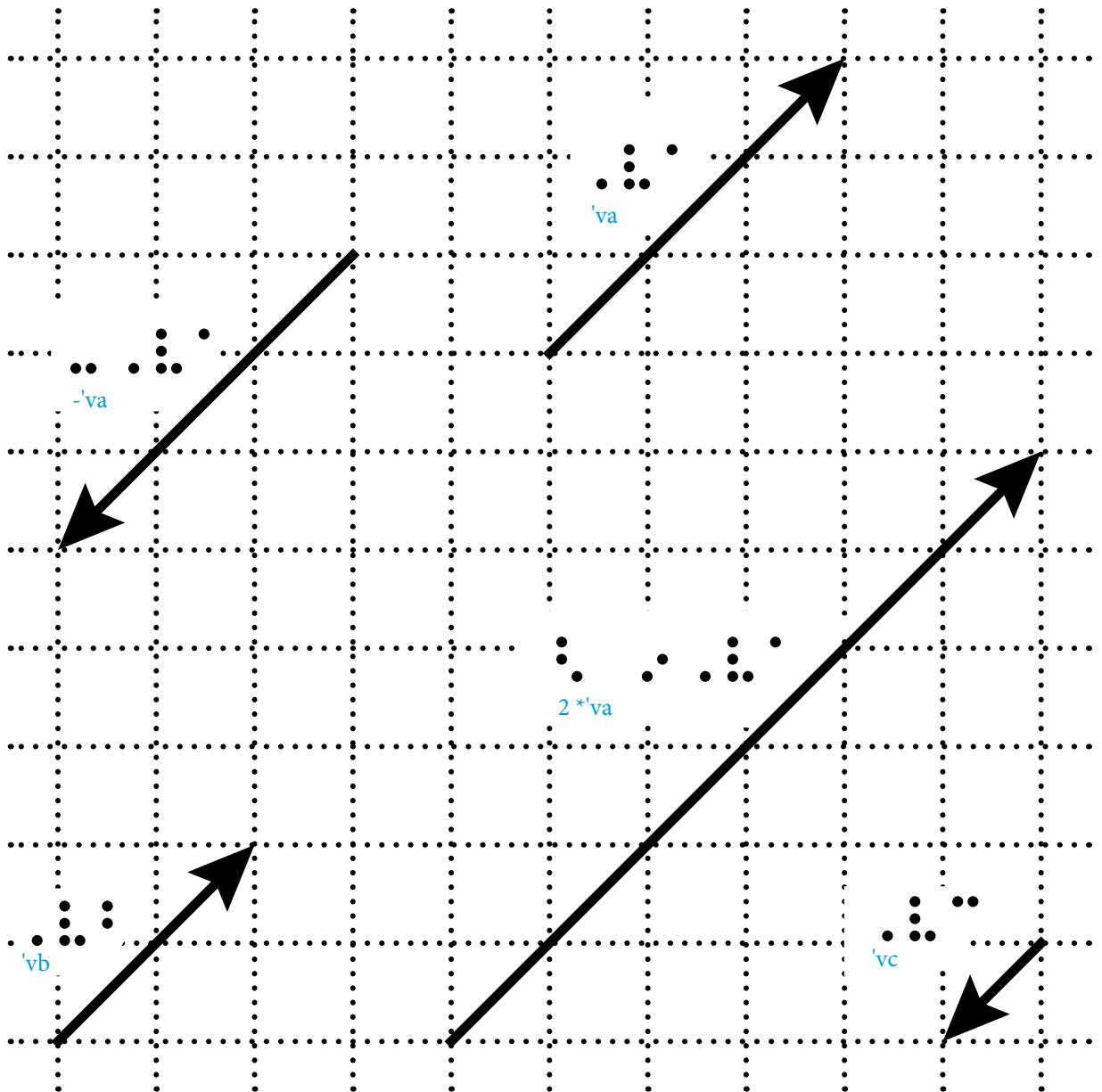
Parallele Vektoren:

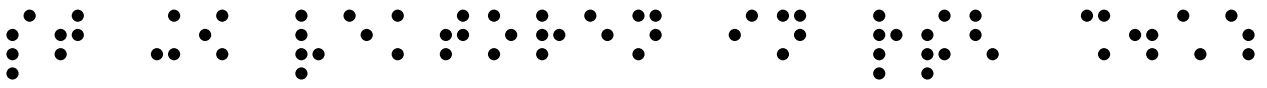


gleich- oder entgegengesetzt gerichtet

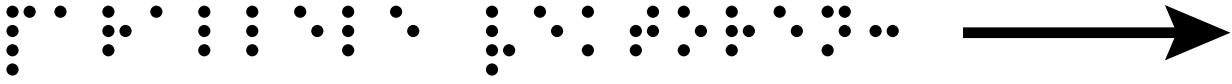


$\vec{v}_a = (3|3)$; $\vec{v}_b = \frac{2}{3} \cdot \vec{v}_a$; $\vec{v}_c = -\frac{1}{3} \cdot \vec{v}_a$

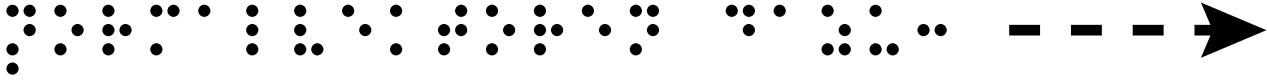




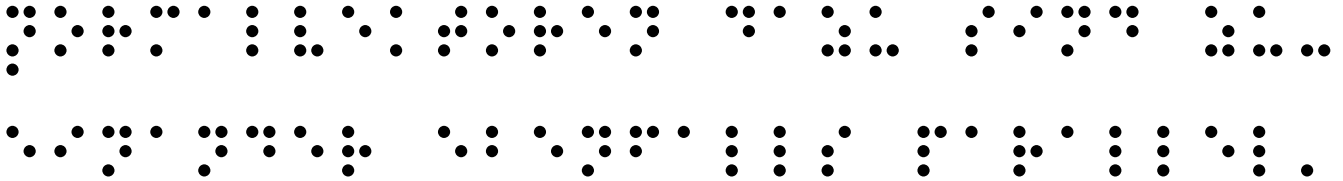
St 09 Vektoren in \mathbb{R}^2 , 3/15



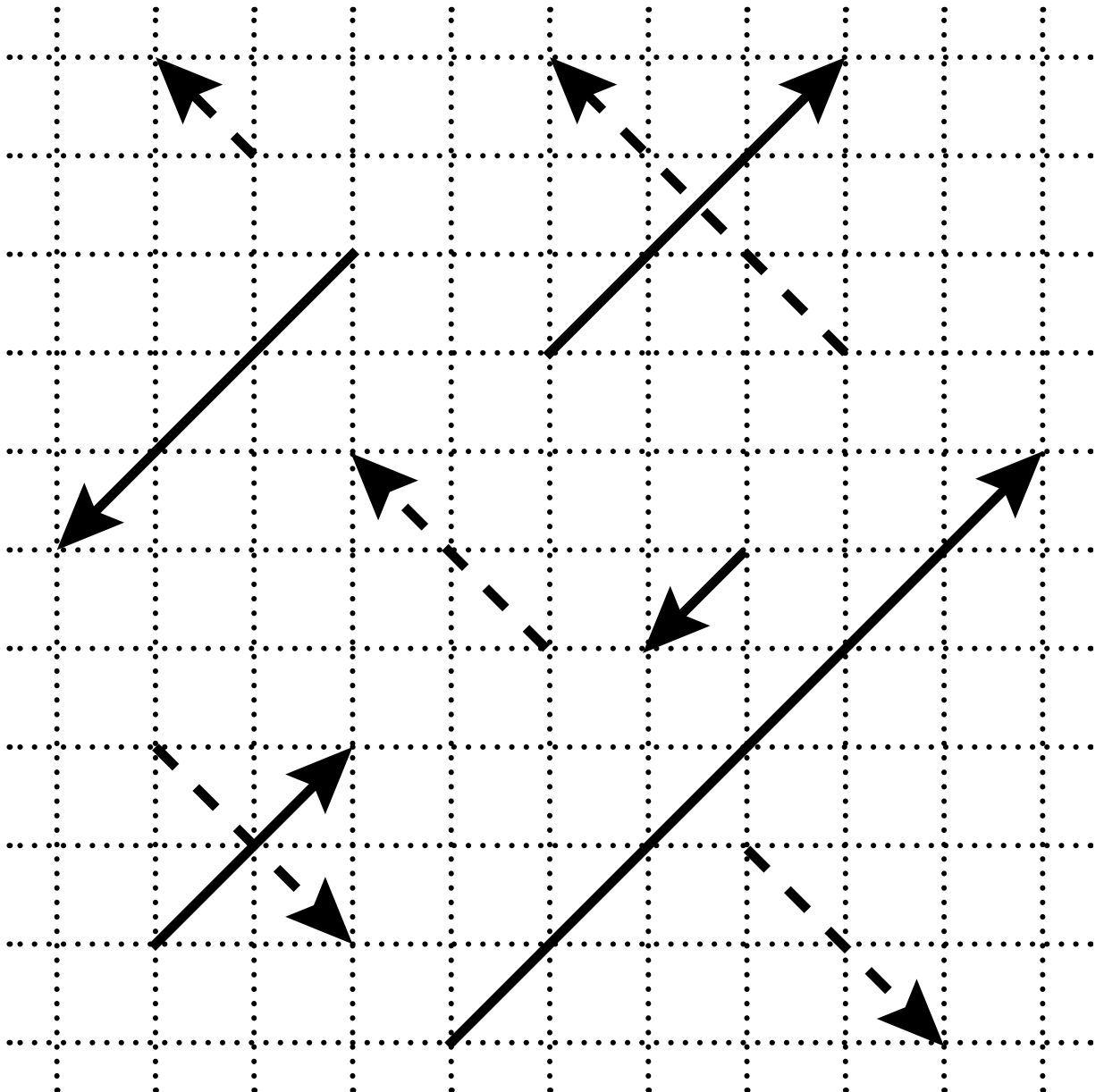
Parallele Vektoren:

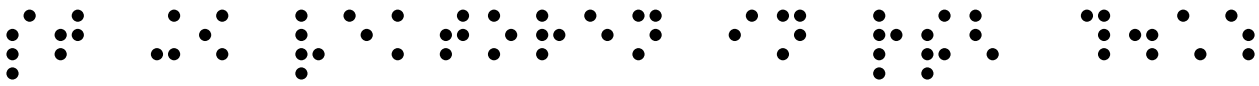


Normalvektoren dazu:



Normalvektoren dazu sind zueinander ebenfalls parallel.





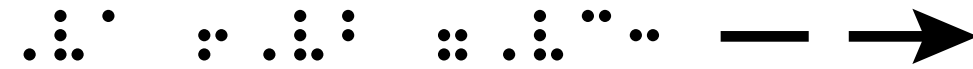
Vektoraddition



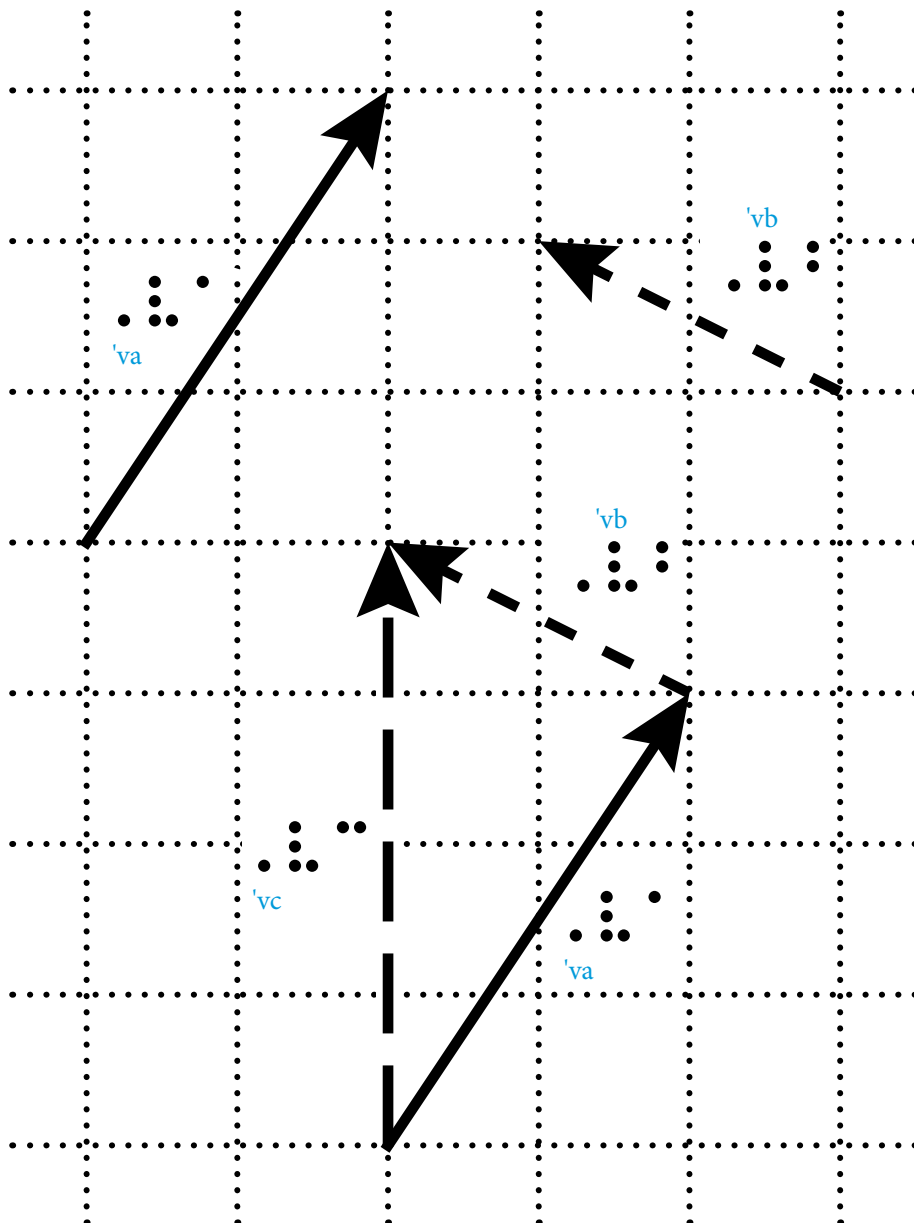
'va:

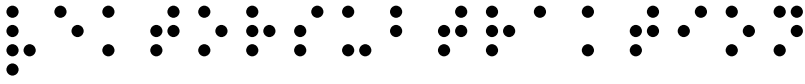
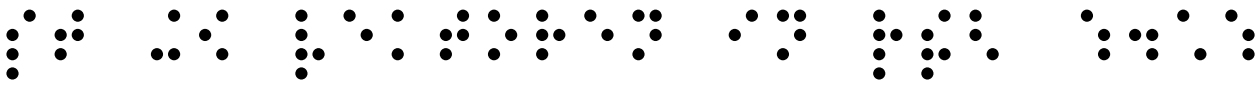


'vb:



'va + 'vb = 'vc:





Vektorsubtraktion



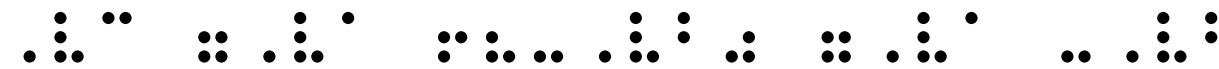
'va:



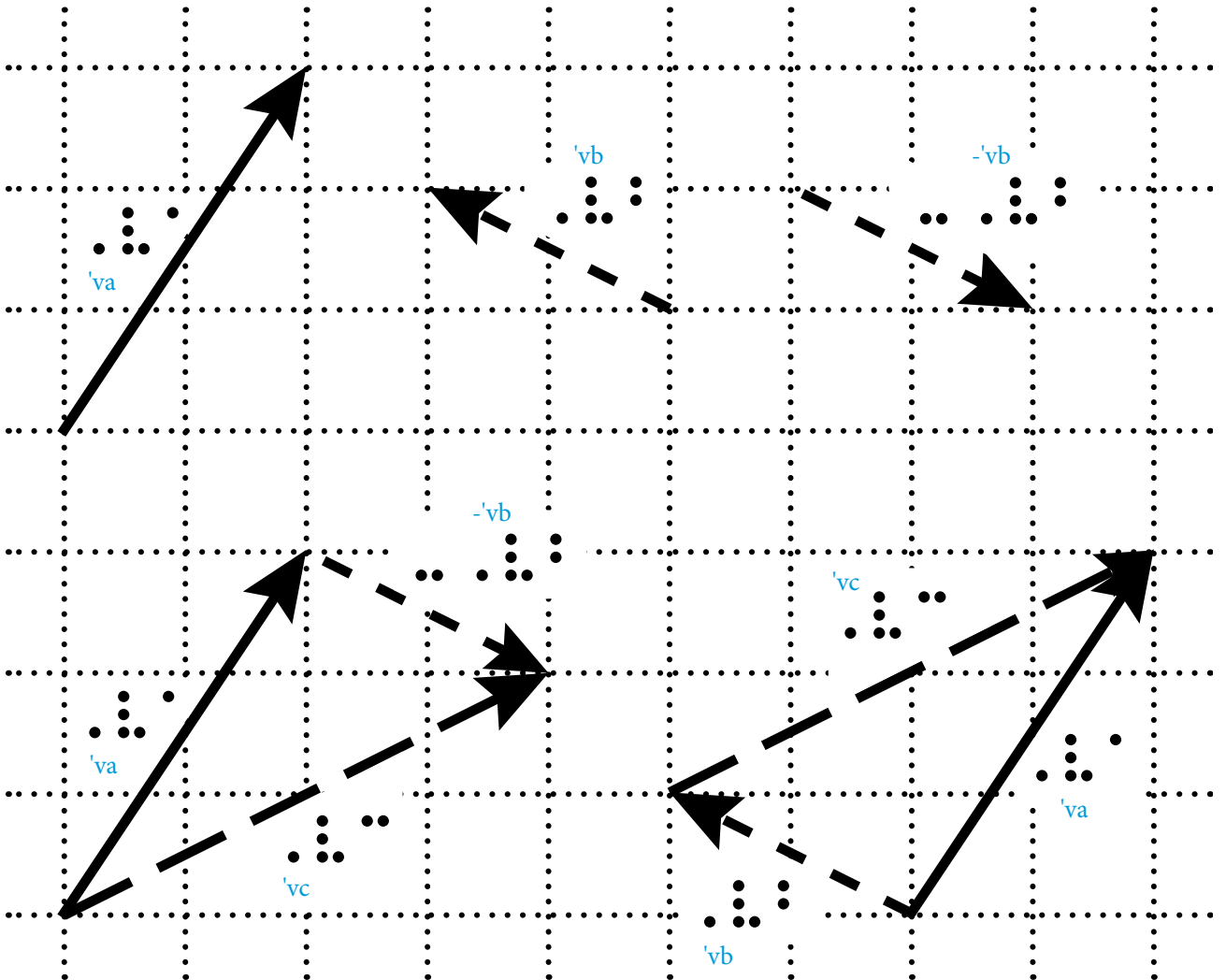
'vb:

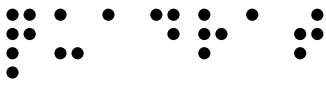
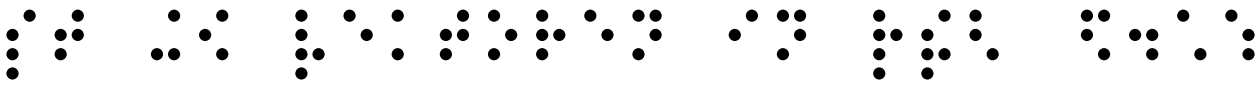


'vc:



$'vc = 'va + (-'vb) = 'va - 'vb$





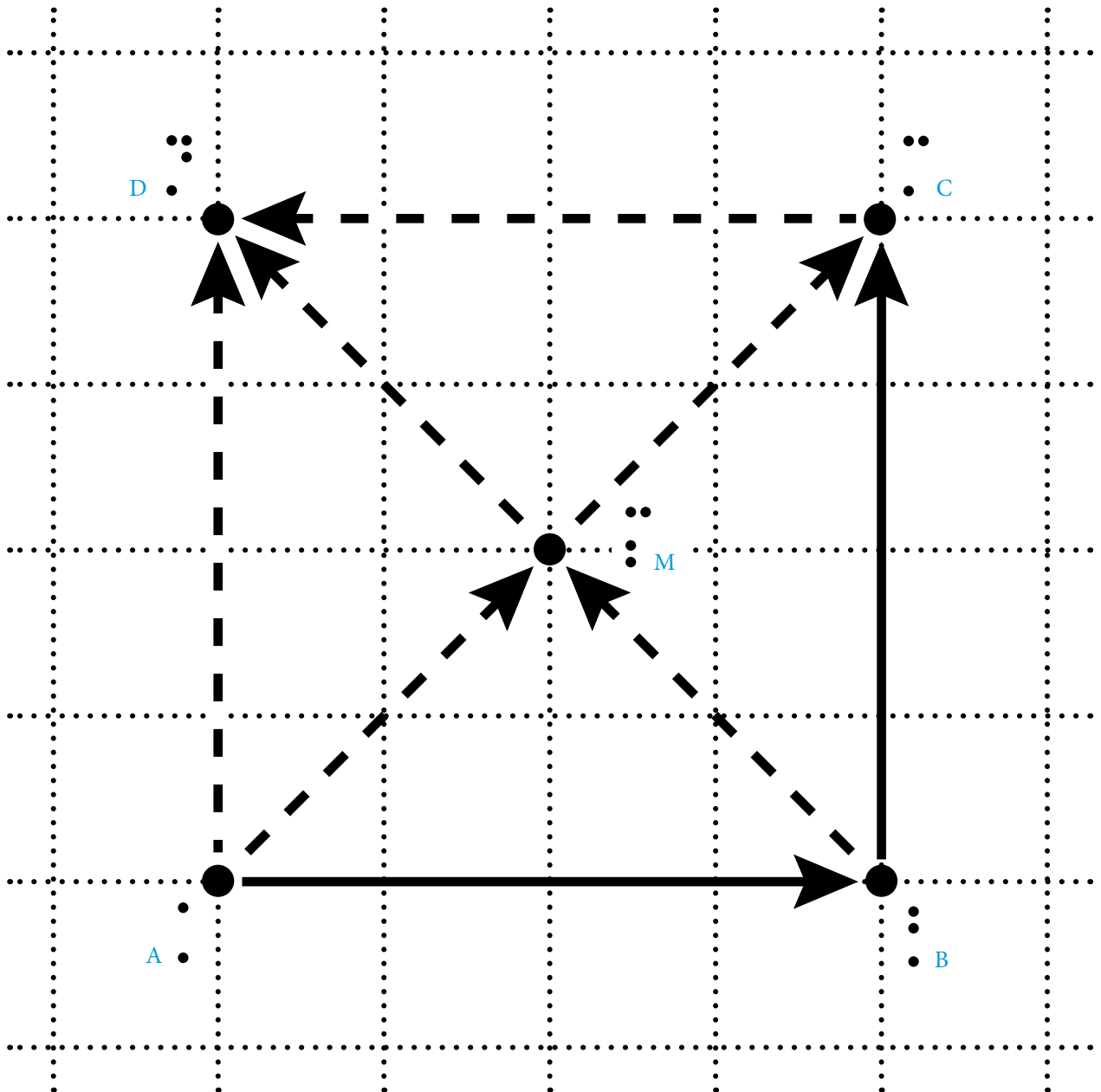
Quadrat

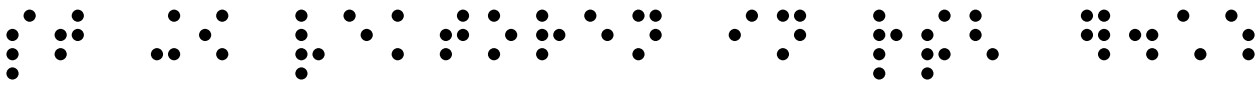


Geg. A, B, C

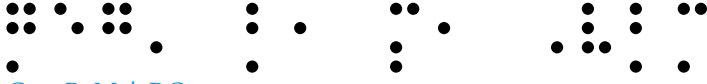


Ges. D, M





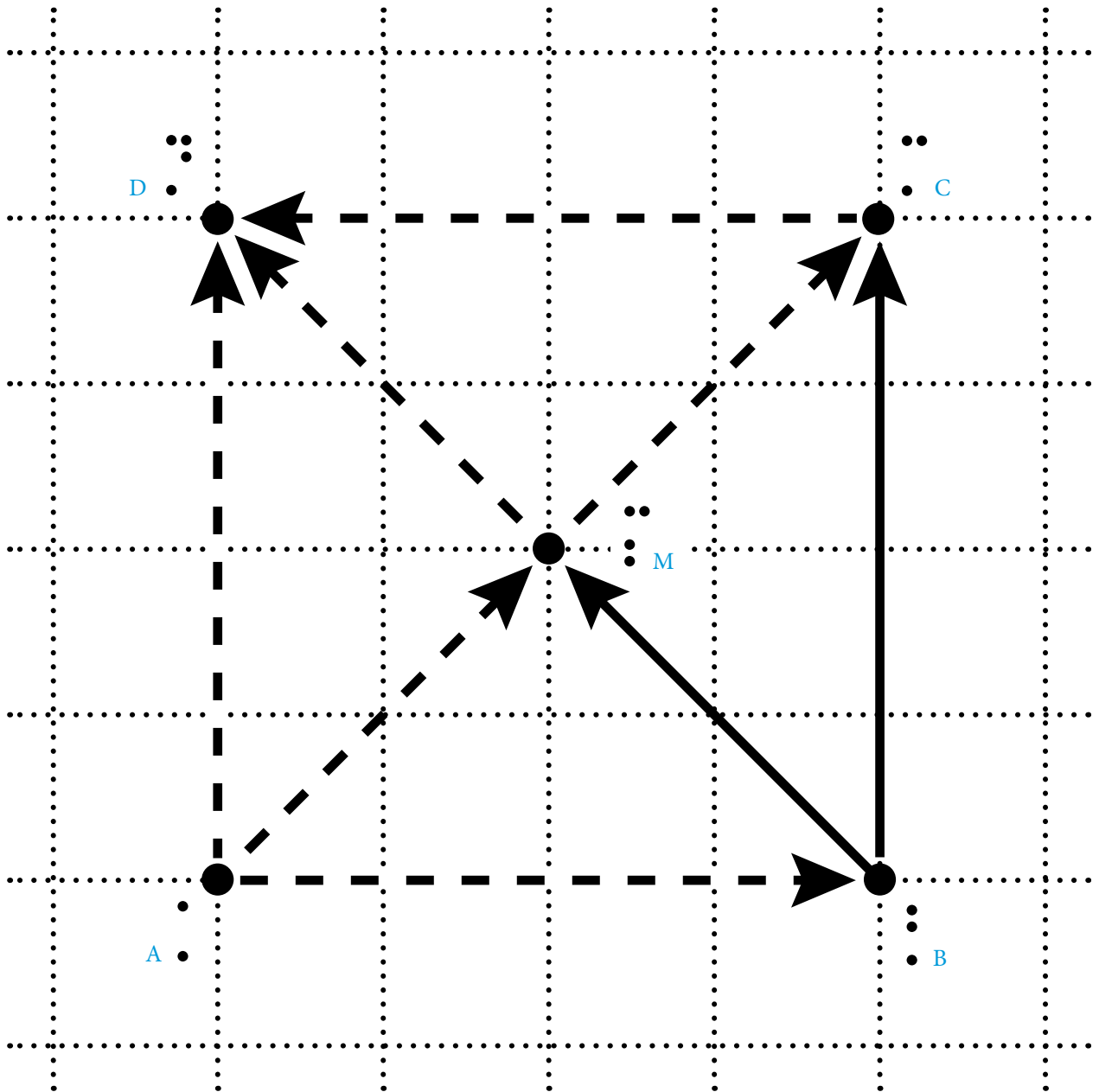
Quadrat

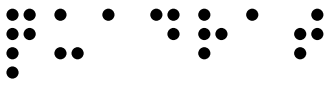
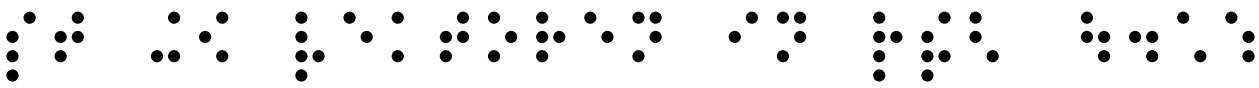


Geg. B, M, v_{BC}

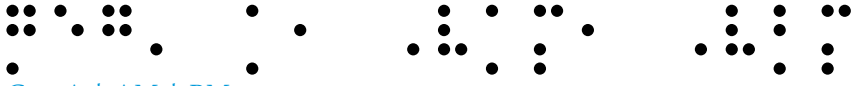


Ges. A, D





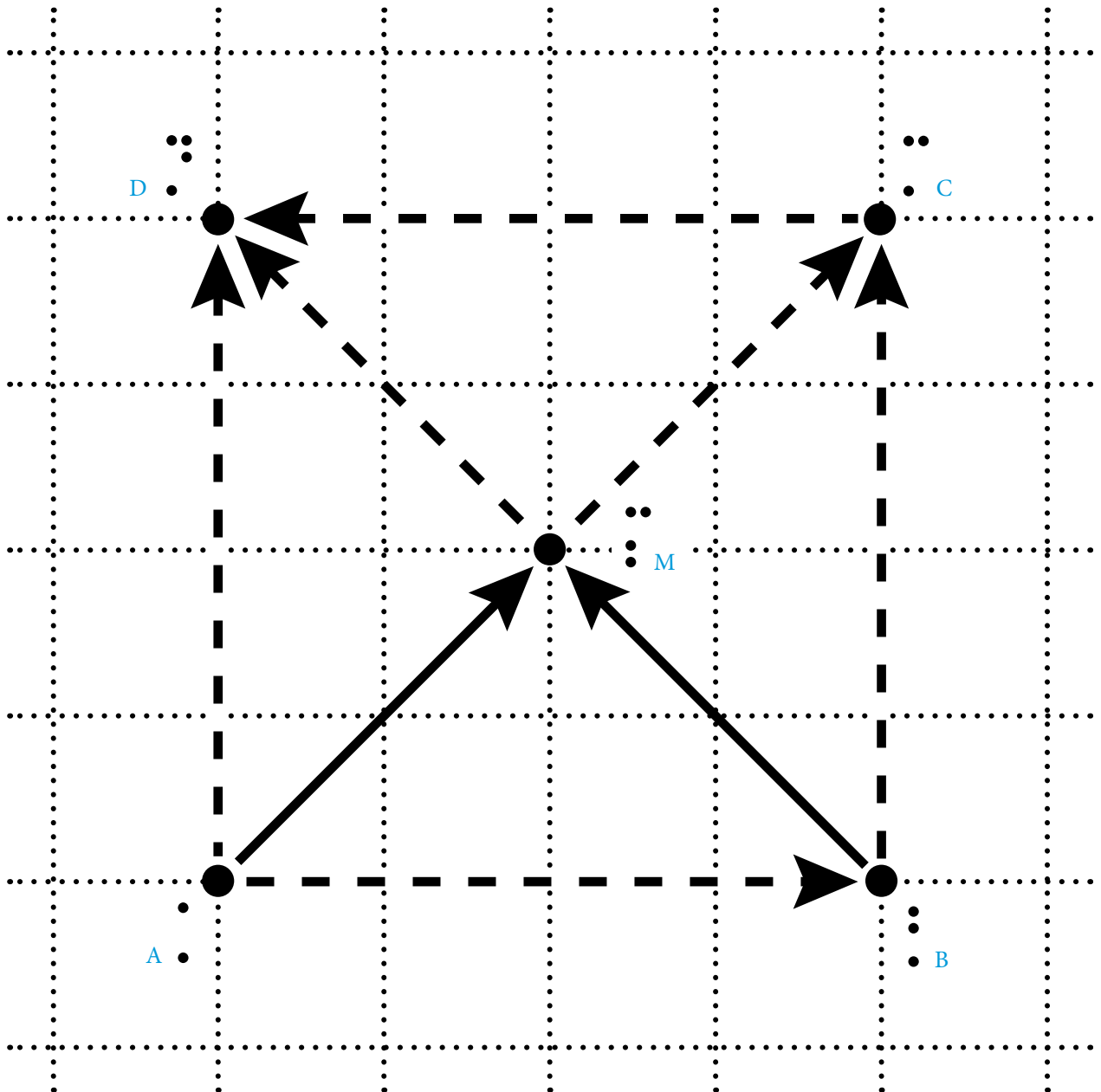
Quadrat

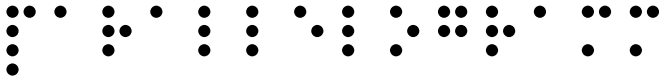
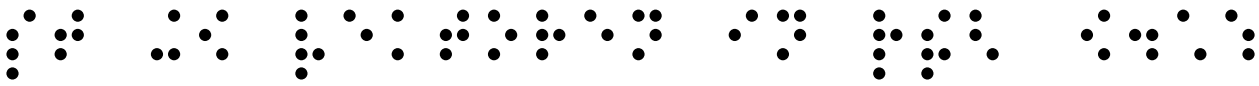


Geg. A, \vec{v}_{AM} , \vec{v}_{BM}

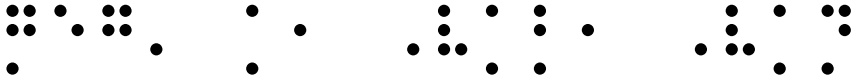


Ges. C, D

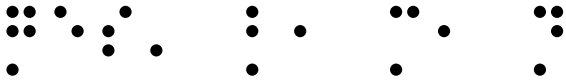




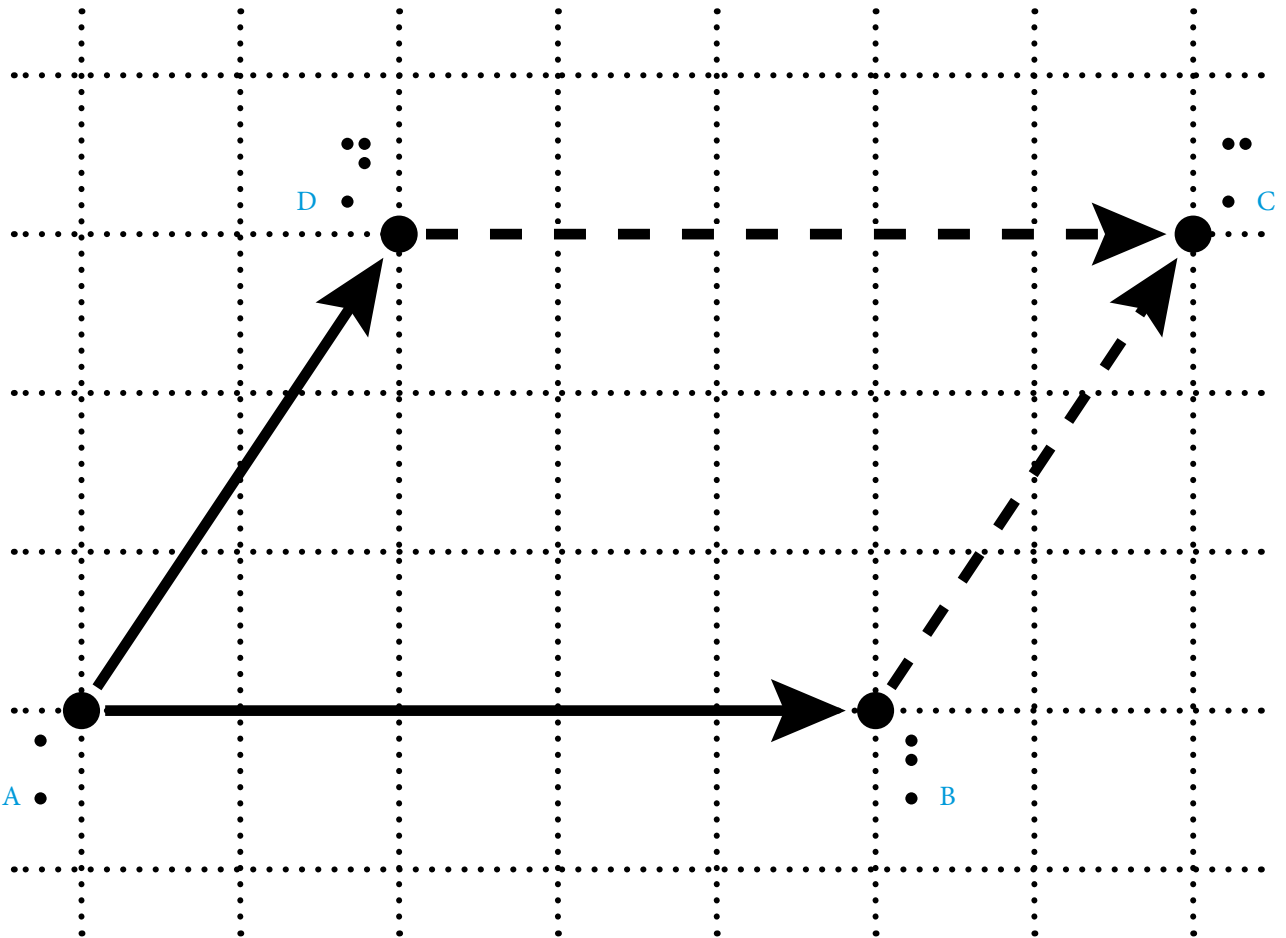
Parallelogramm

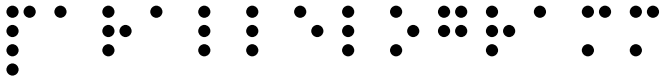


Geg. A, \vec{v}_{AB} , \vec{v}_{AD}

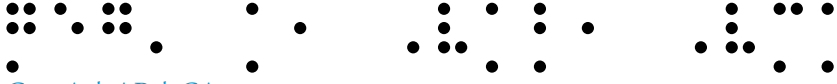


Ges. B, C, D

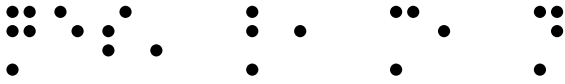




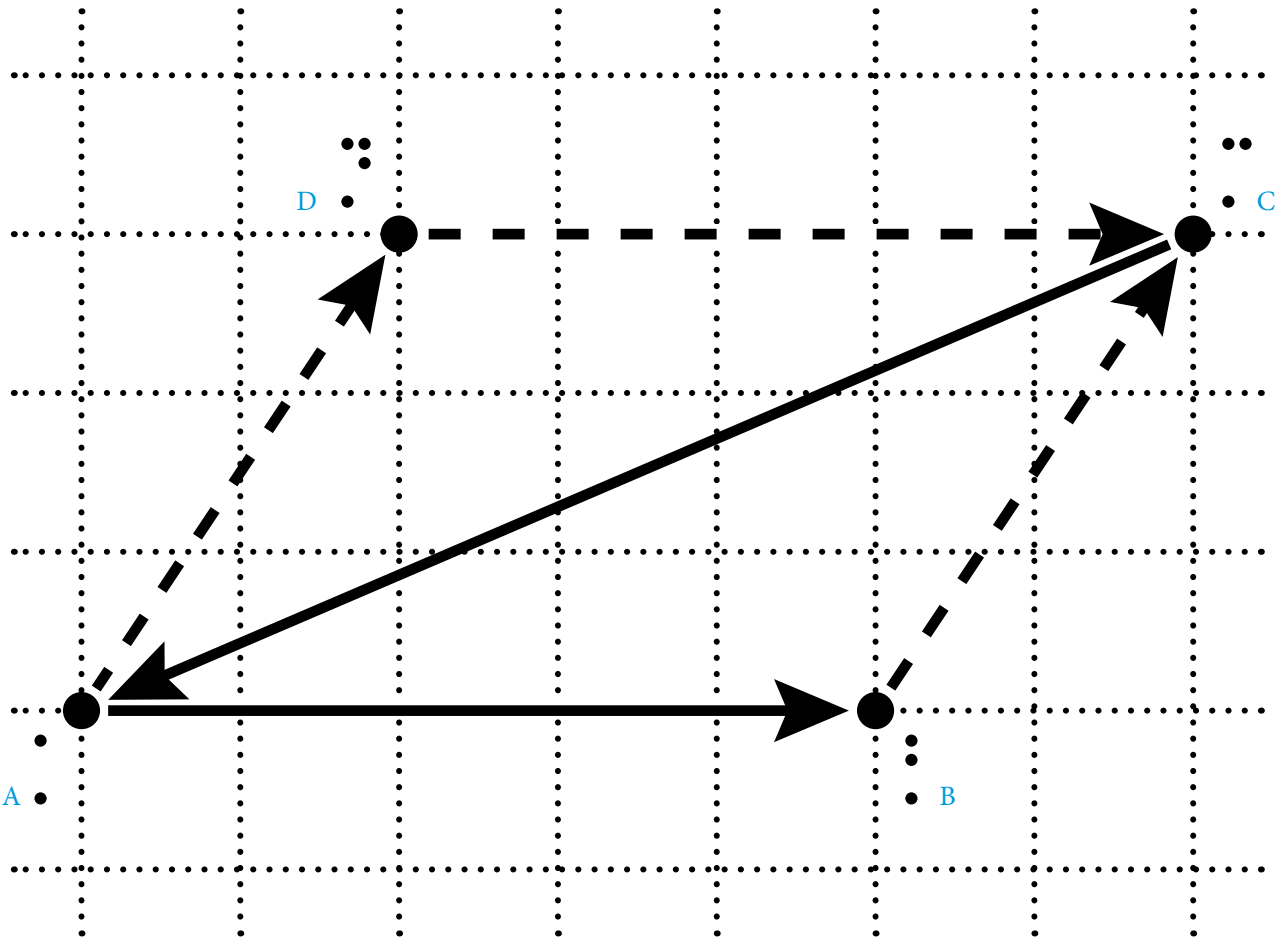
Parallelogramm



Geg. A, \vec{v}_{AB} , \vec{v}_{CA}

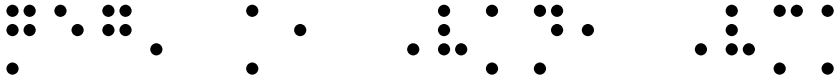


Ges. B, C, D

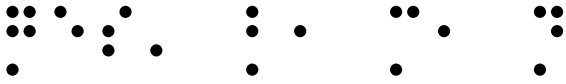




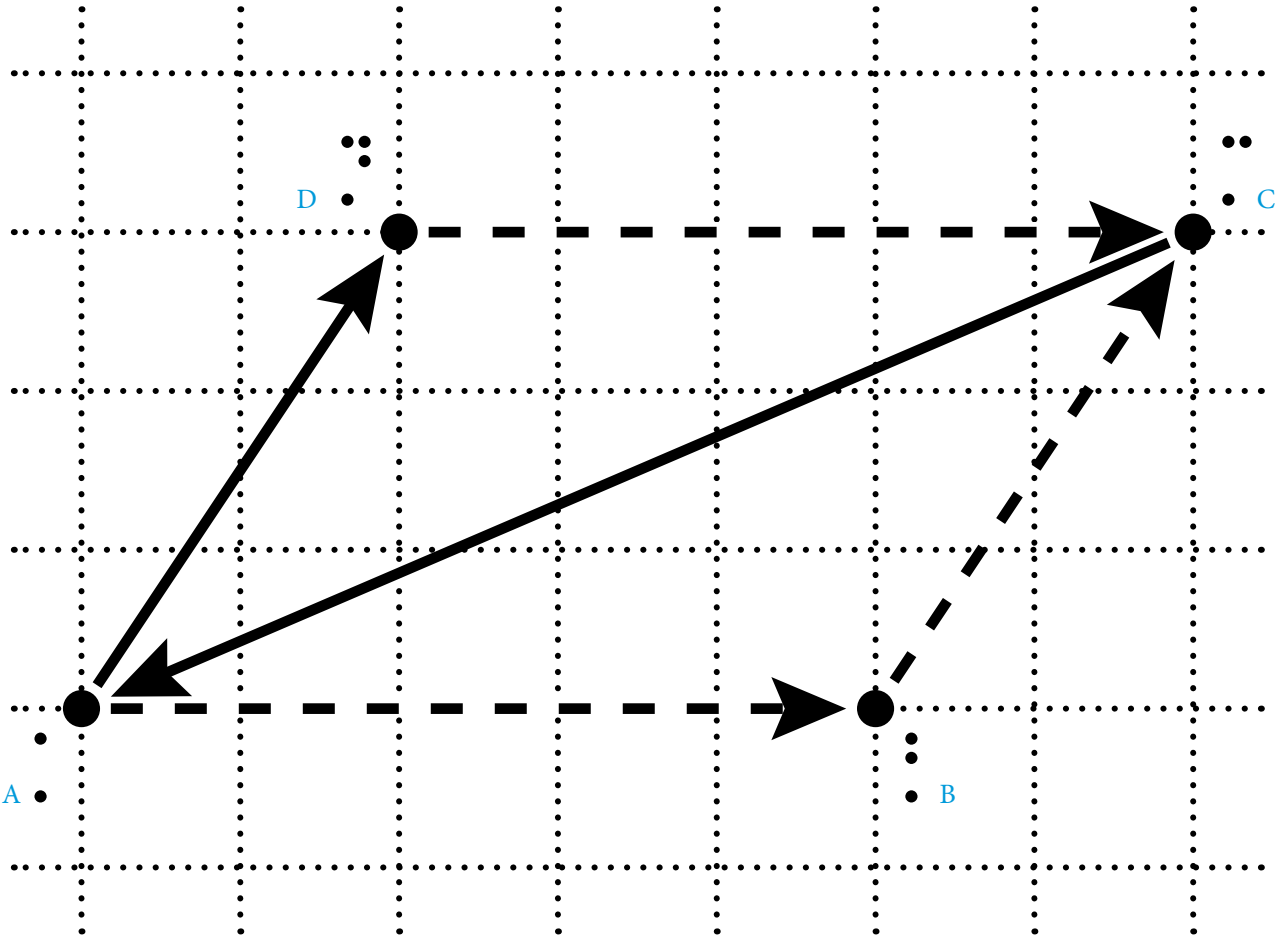
Parallelogramm

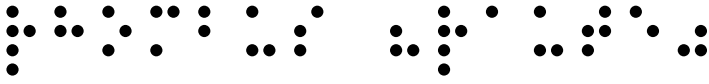


Geg. A, \vec{v}_{AD} , \vec{v}_{CA}

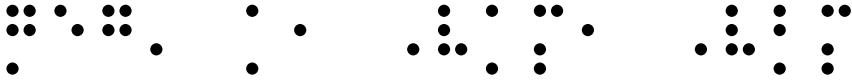


Ges. B, C, D

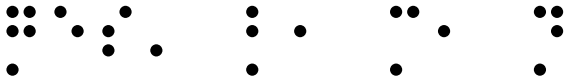




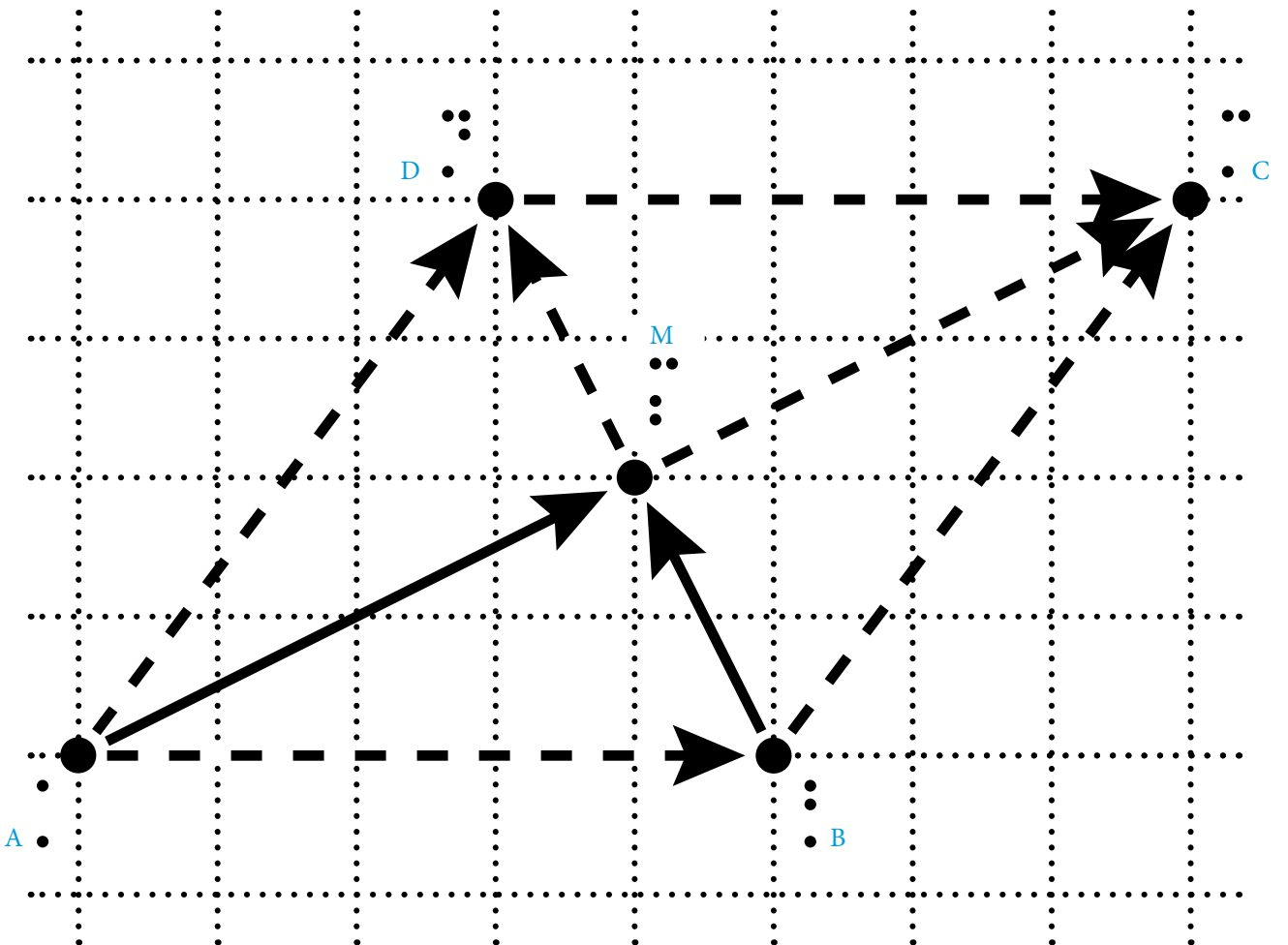
Rhombus (Raute)



Geg. A, \vec{v}_{AM} , \vec{v}_{BM}



Ges. B, C, D





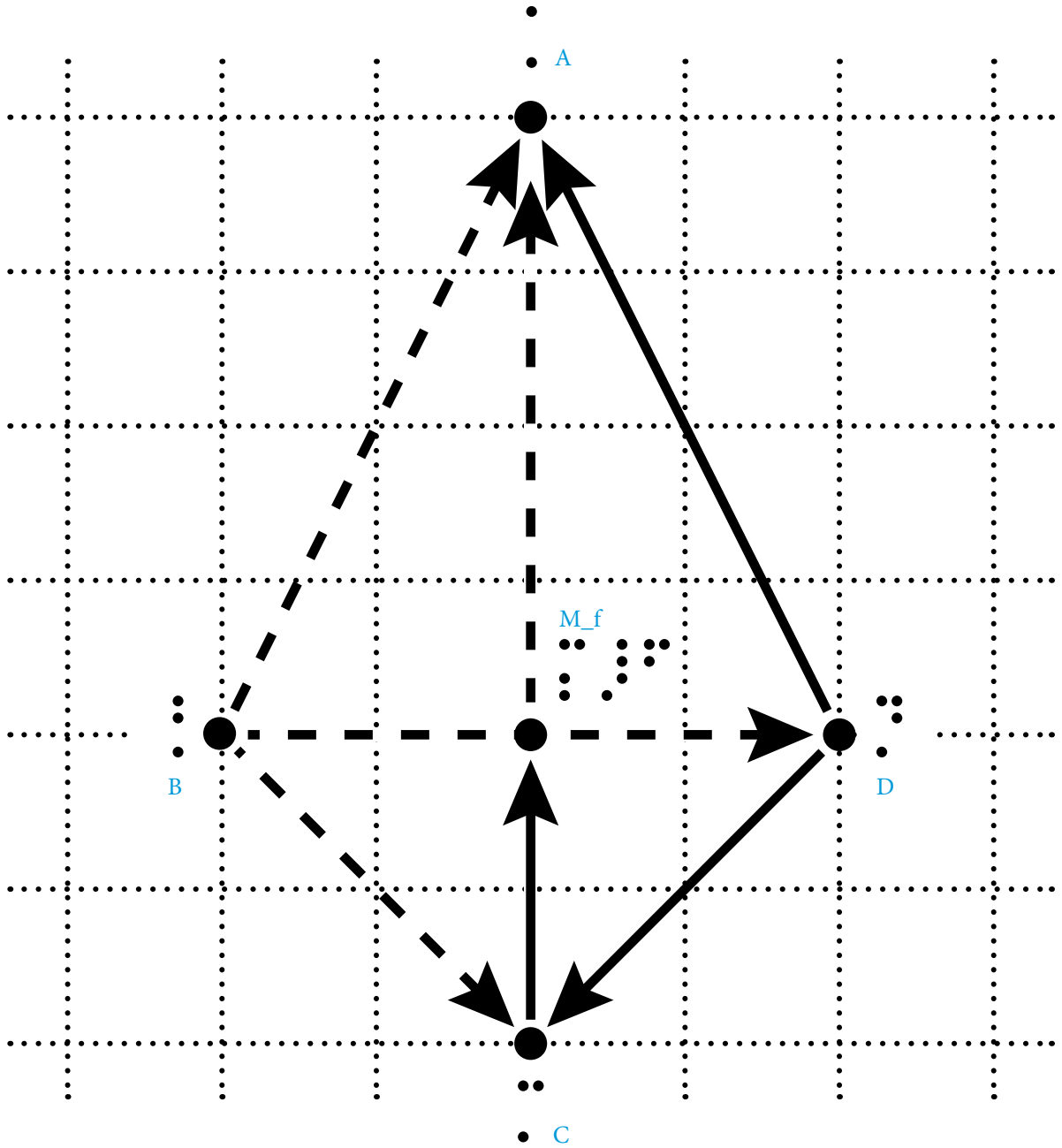
Deltoid



Geg. A, C, D, M_f



Ges. B





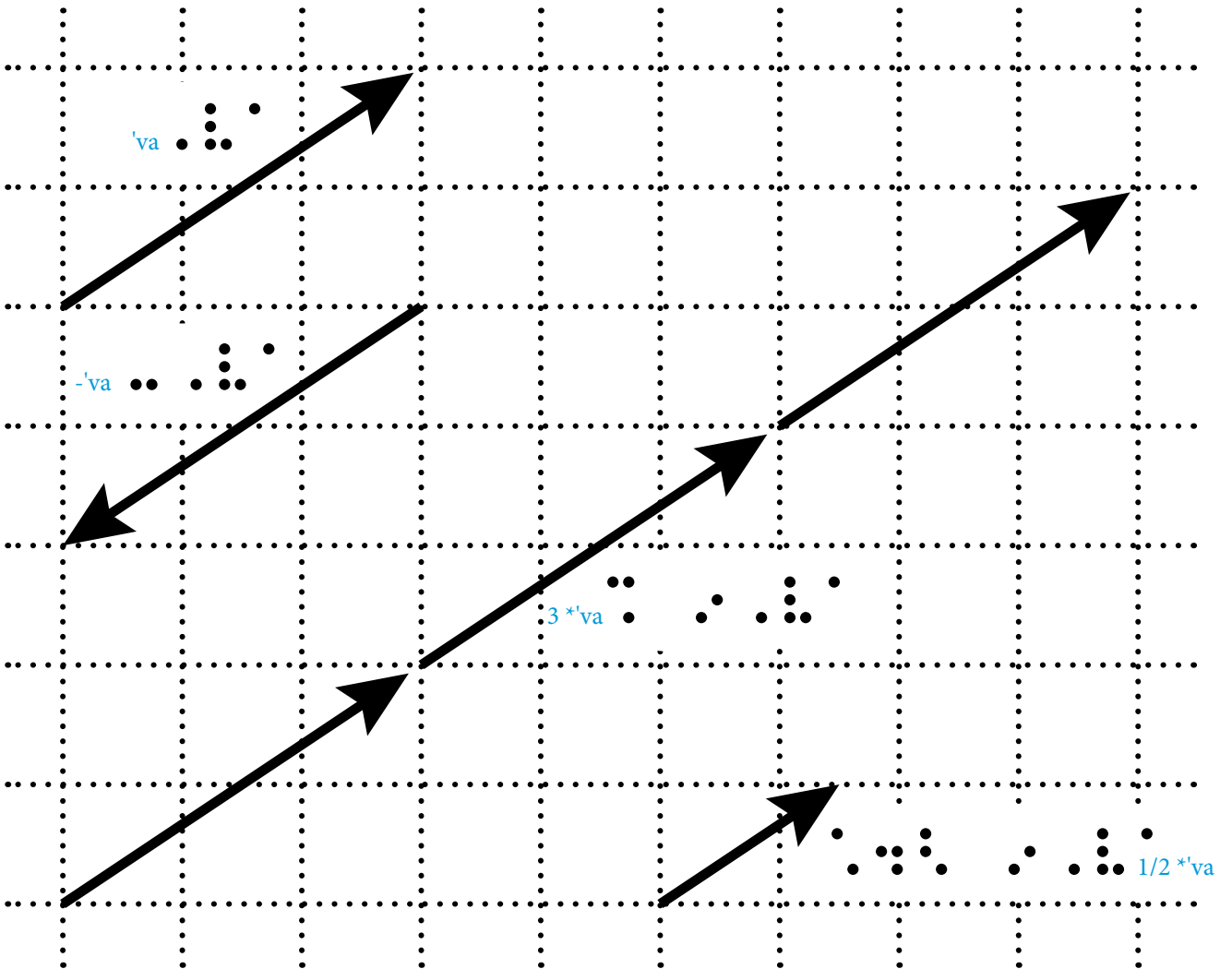
St 09 Vektoren in \mathbb{R}^2 , 14/15

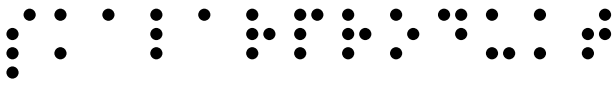


Mult. mit einem Skalar

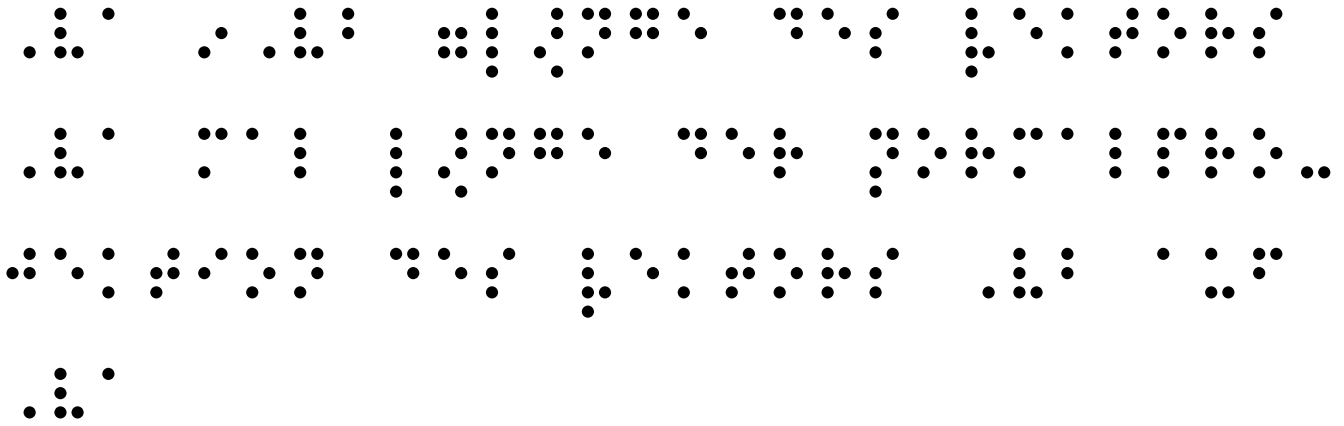


$'va$; $-'va$; $3 * 'va$; $1/2 * 'va$

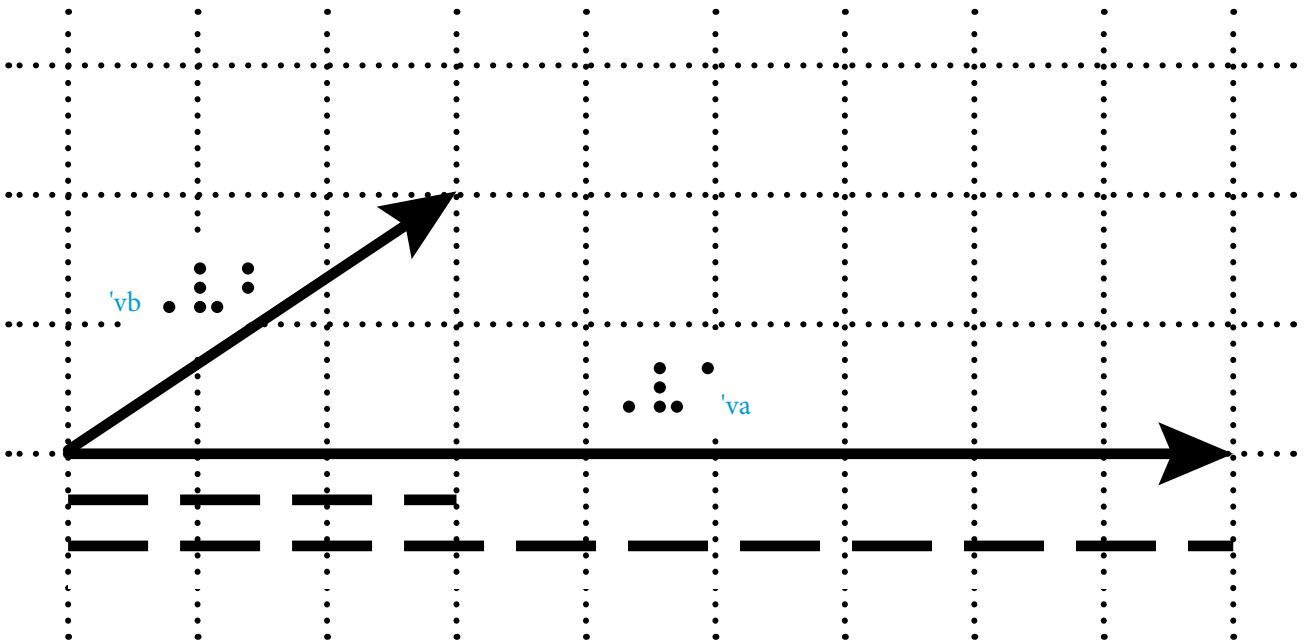




Skalarprodukt



$'va * 'vb$ = Länge des Vektors $'va$ mal Länge der Normalprojektion des Vektors $'vb$ auf $'va$



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1. Auflage