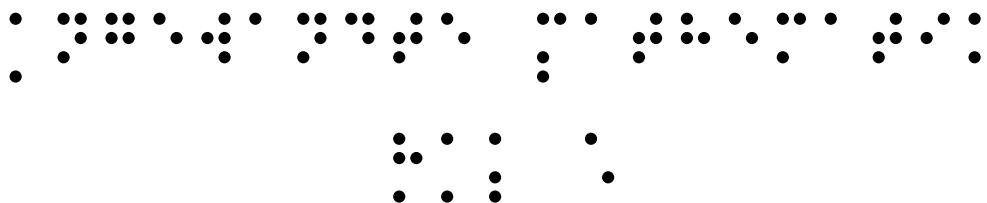




Tastbare Versionen ausgewählter Grafiken aus dem Schulbuch

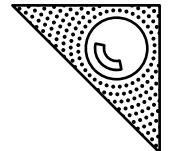
Angewandte Mathematik HAK 1



Grafiken: Tomáš Batha

LEMA - Lehr- und Lernmaterialien

Hergestellt von der Abteilung für Inklusion und Lehrmittel am Bundes-Blindeninstitut Wien,
Wittelsbachstraße 5, 1020 Wien, Tel.: 01/728 08 66-405, 406, lmz@bbi.at, www.bbi.at



Ang. Mat. HAK1

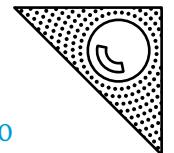
Ang. Mat. HAK1

Teil 1, Seiten 43-88

Angewandte Mathematik

HAK Band 1

Teil 1, Seiten 10-100

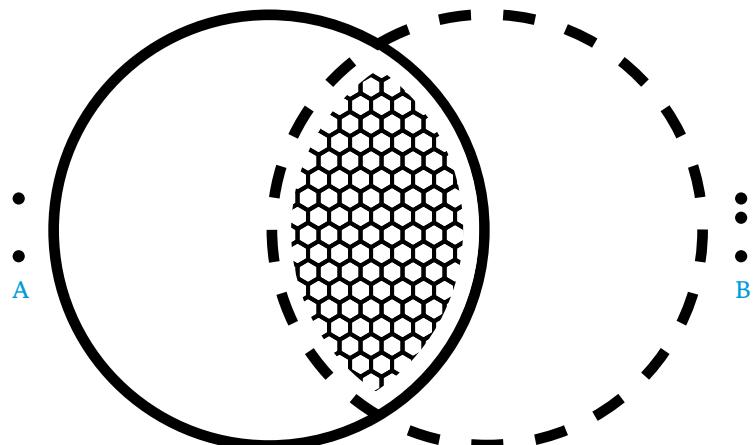


Verknüpfung von Mengen

Vereinigungsmenge

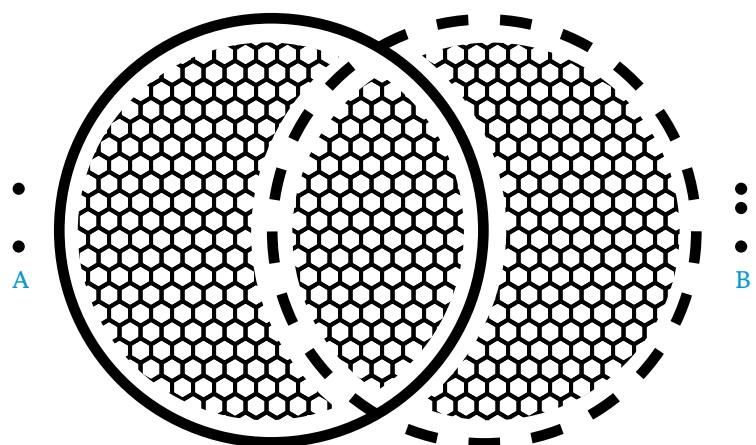
Durchschnittsmenge

A 'dm B



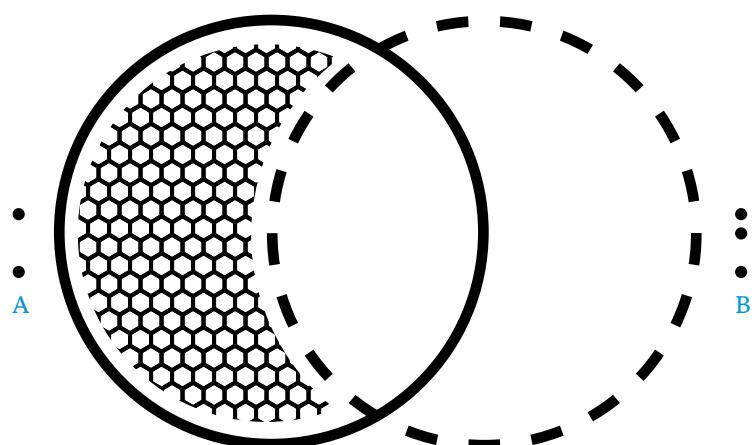
Vereinigungsmenge

A 'vm B



Differenzmenge

A \ B

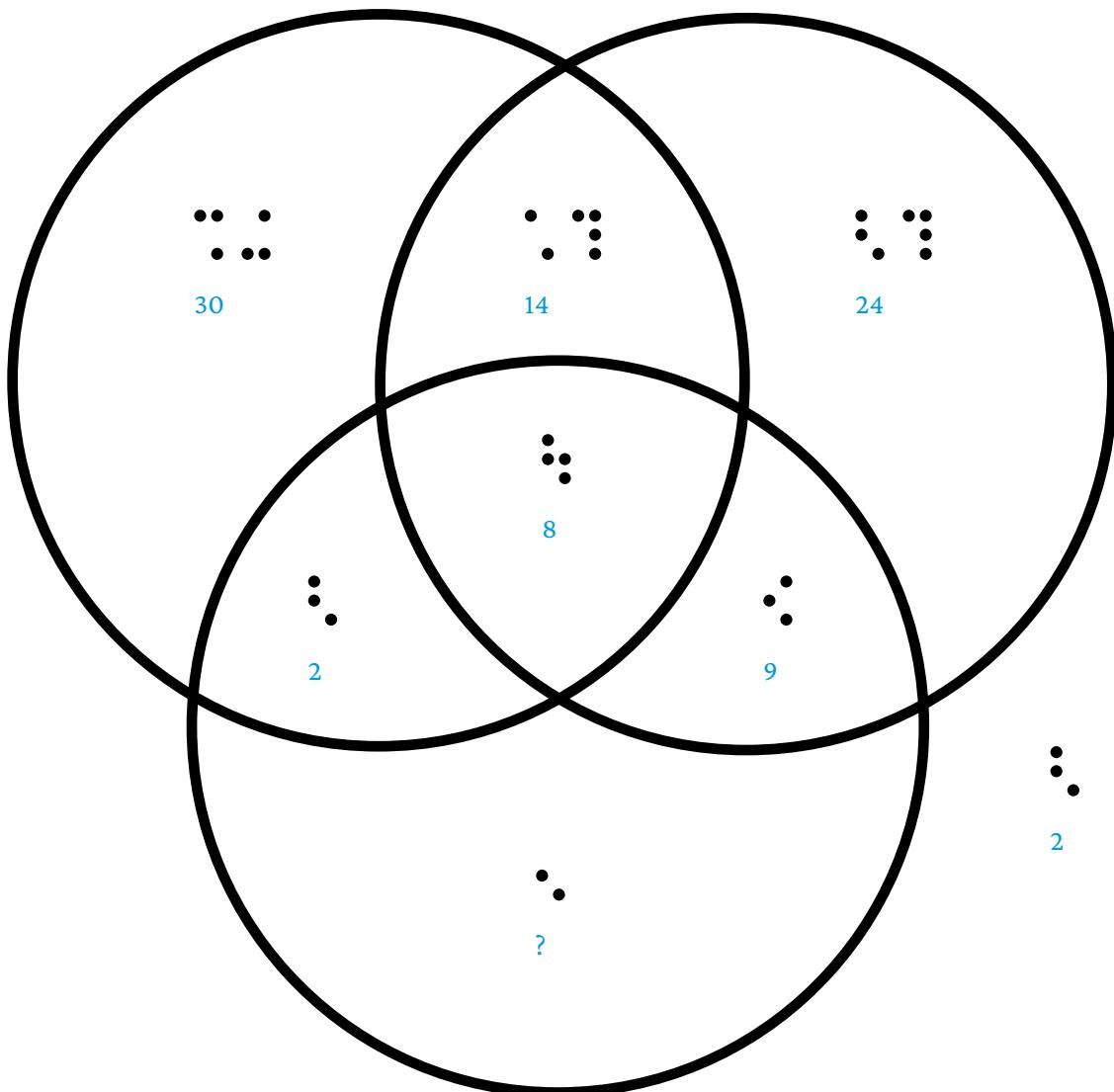
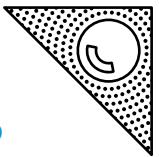


• 3 8 7 8 6 5 4

AngMatHAK1

• 5 6 7 8 9 10

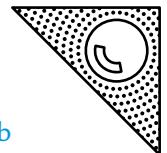
S.10 1.10



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AngMatHAK1

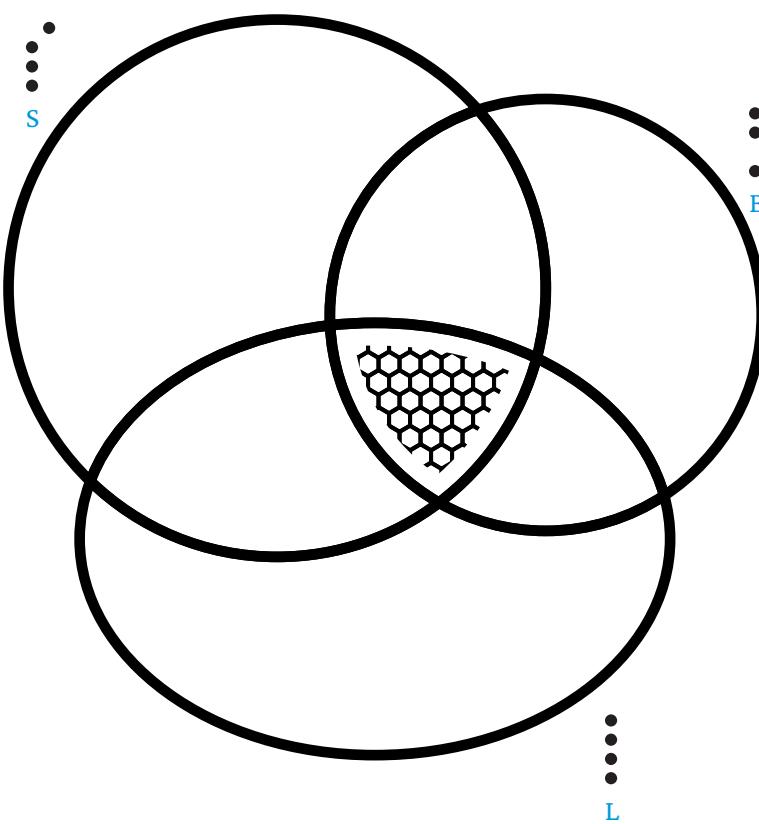
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S.11 1.14 a, b

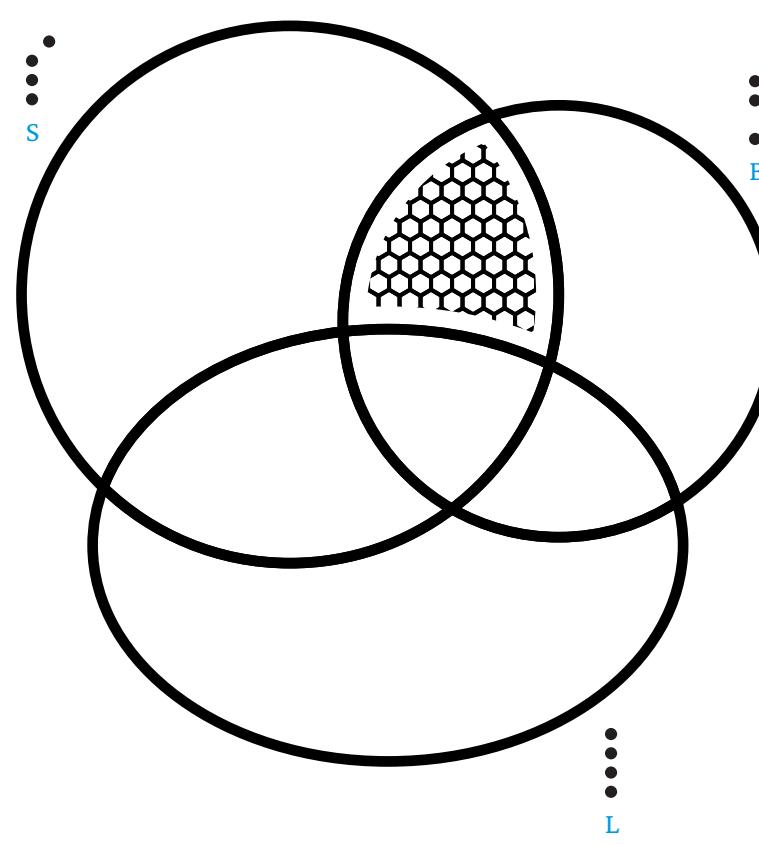
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a)



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b)

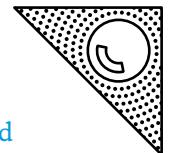


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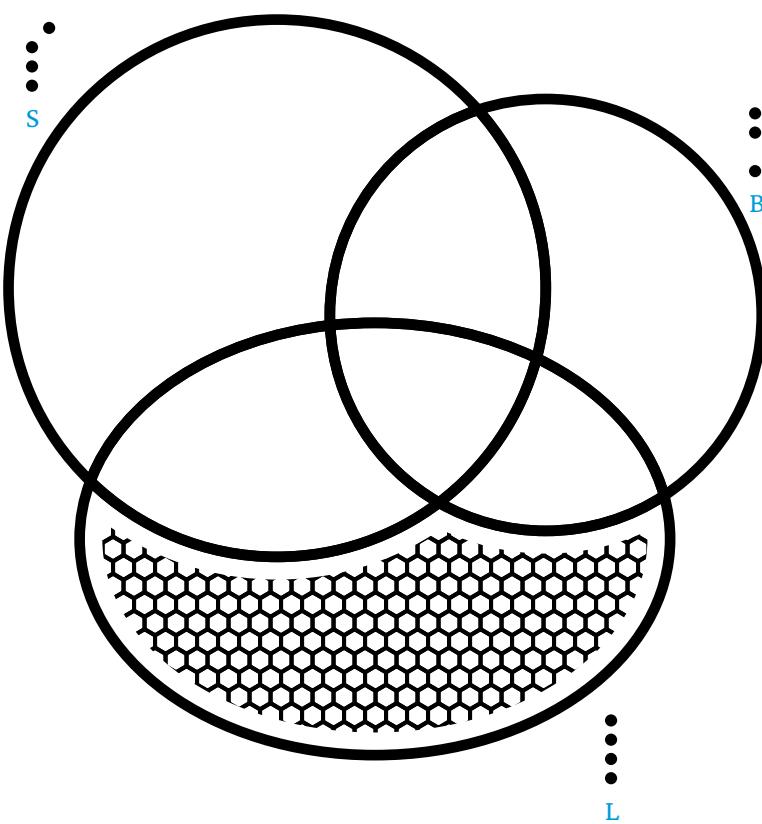
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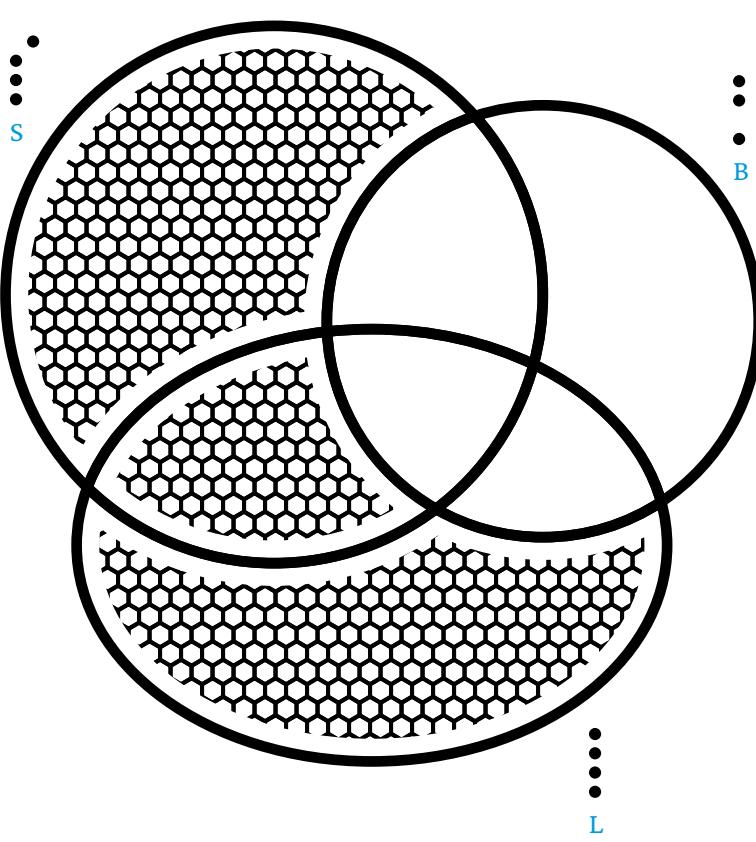
S.11 1.14 c, d



••
c)



••
d)



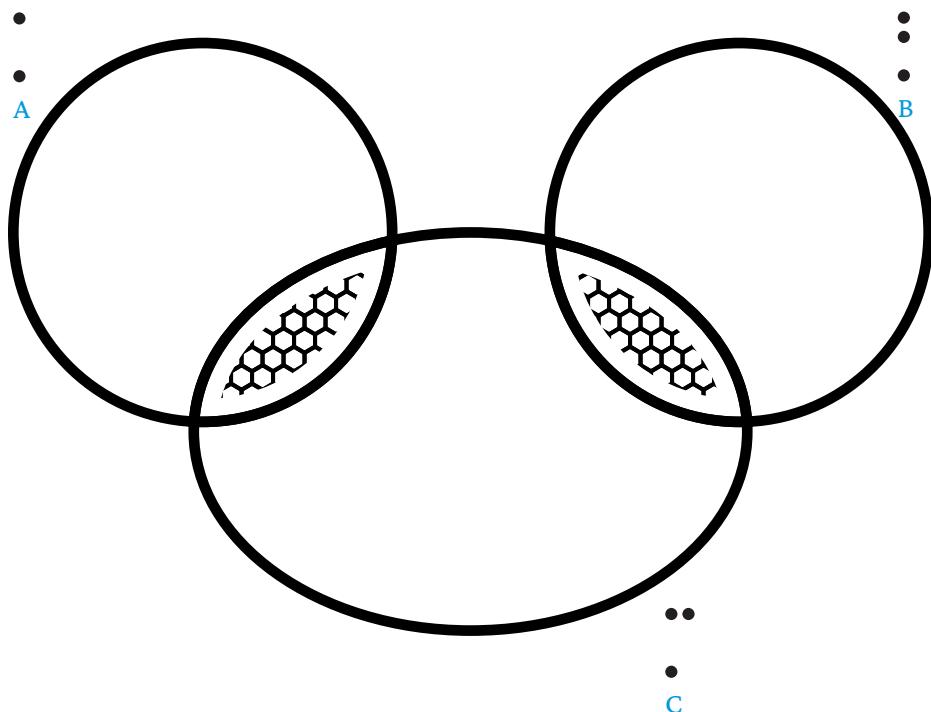
AngMatHAK1

AngMatHAK1

AngMatHAK1

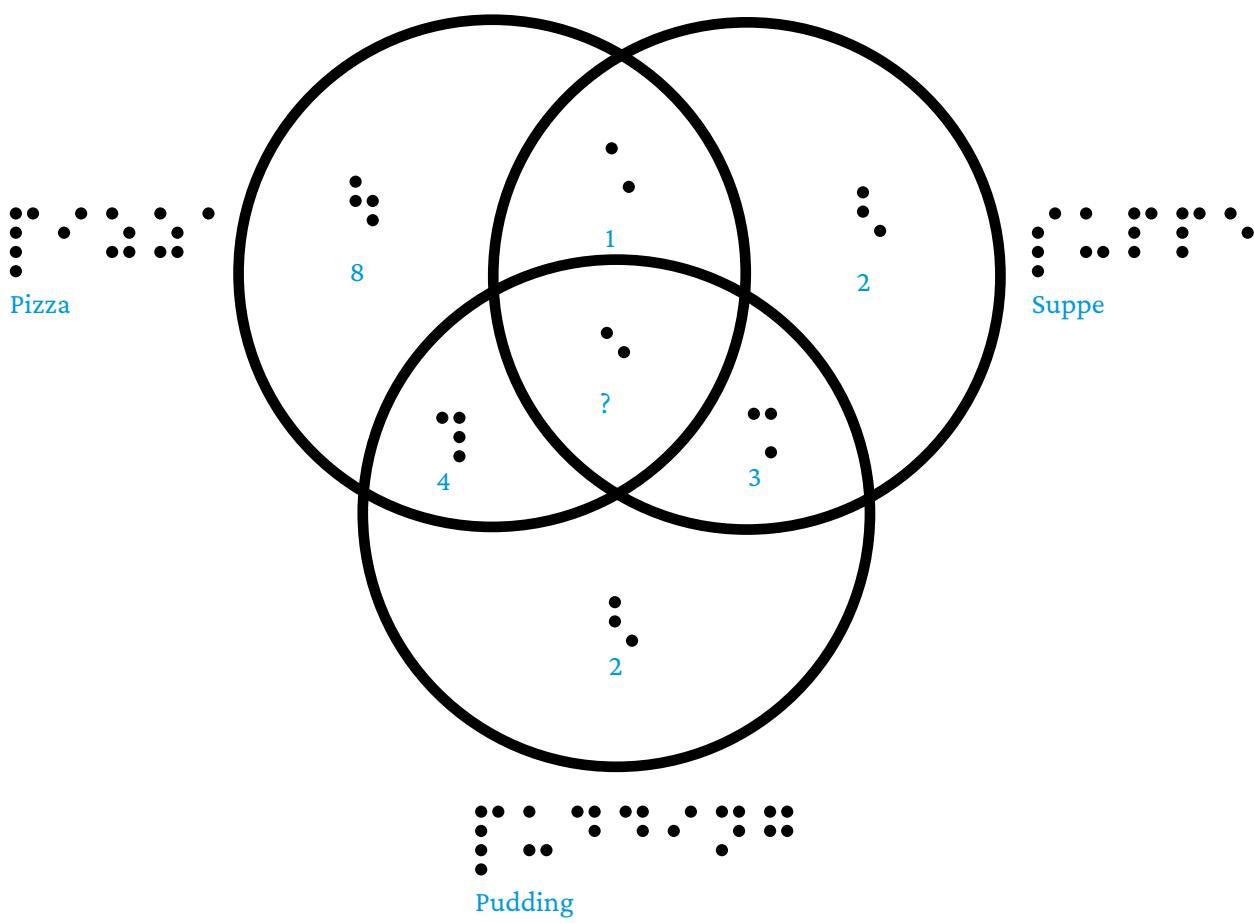


S.11 1.16, 1.17

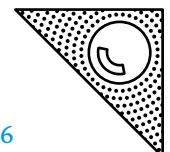


AngMatHAK1

1.17



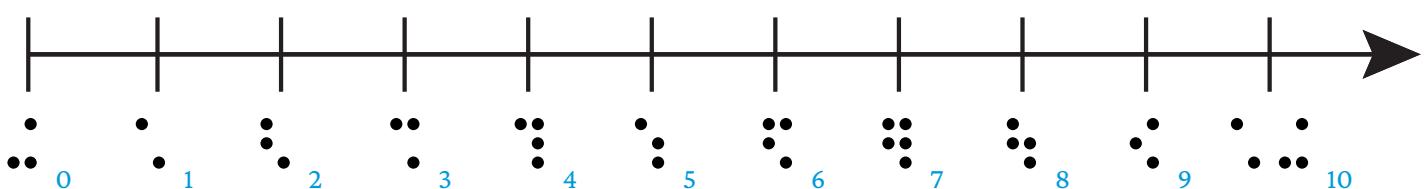
AngMatHAK1



S.12, 16

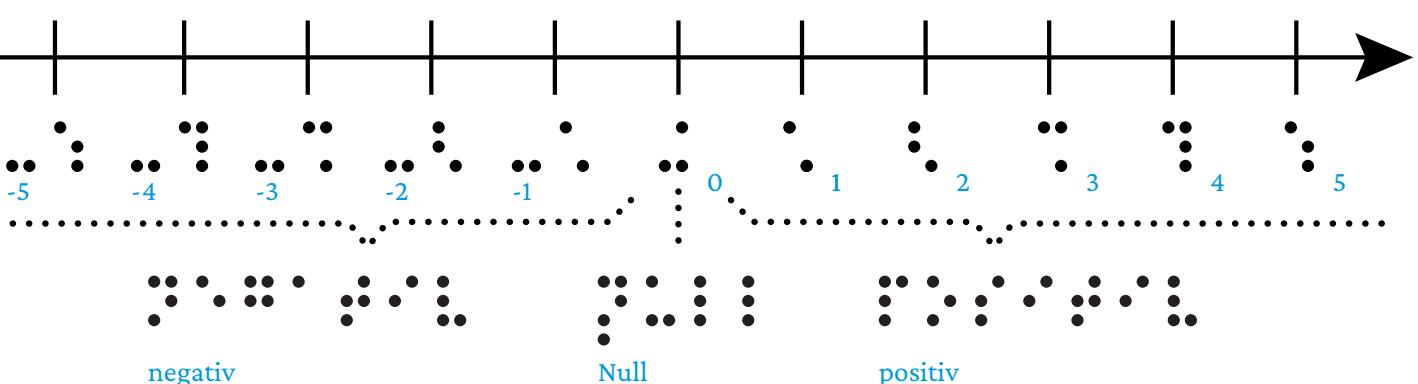
Die natürlichen Zahlen 'N'

Definition



Die ganzen Zahlen 'Z'

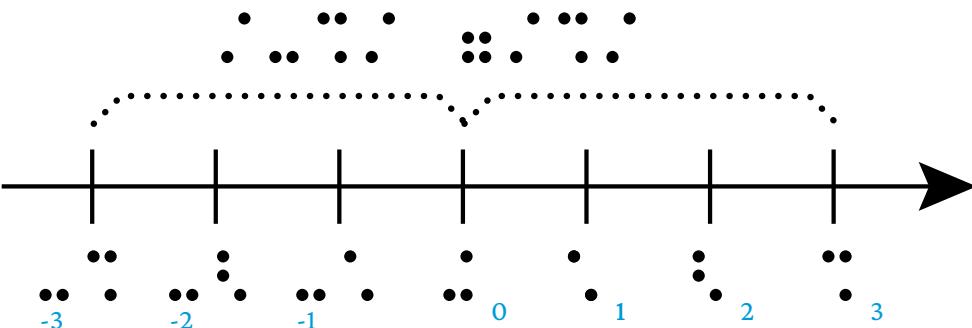
Definition

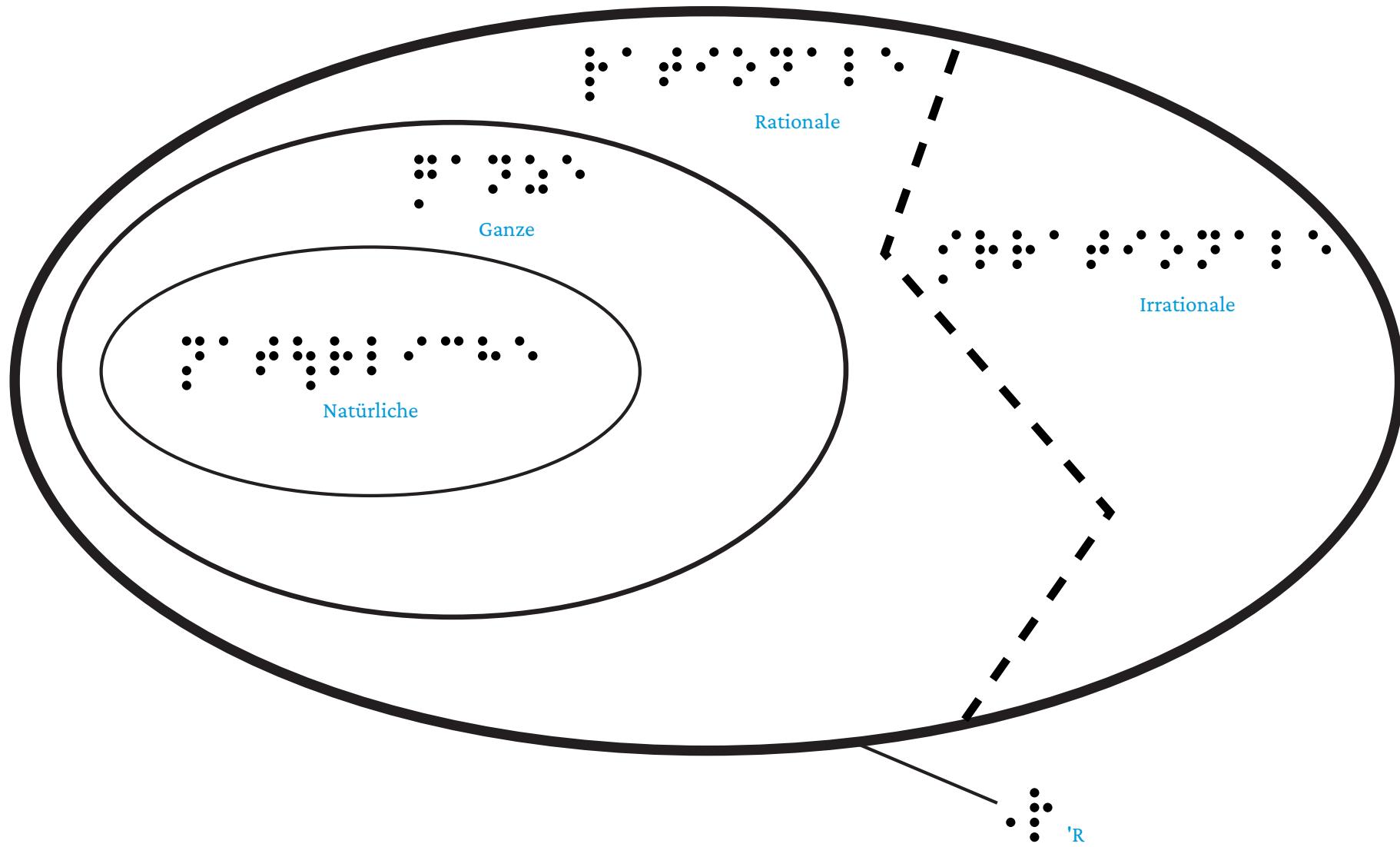
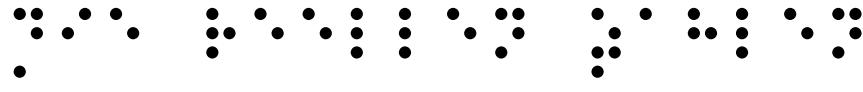
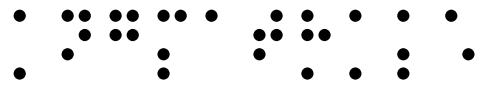


Betrag einer Zahl

Definition

$$|-3| = |3|$$



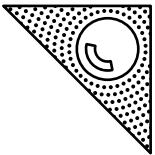


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AngMatHAK1

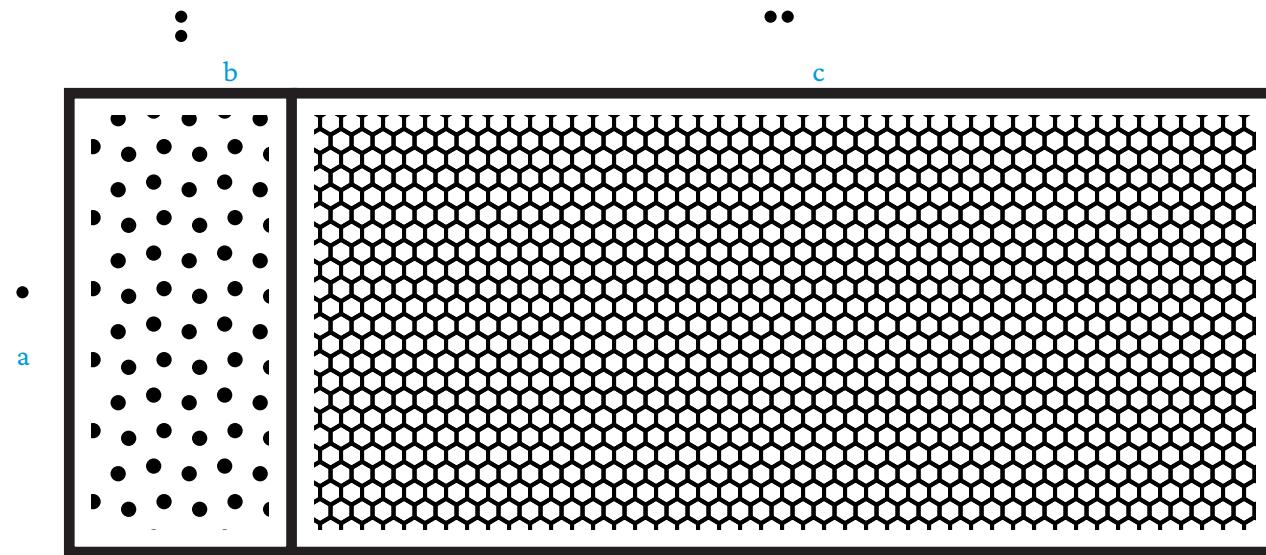
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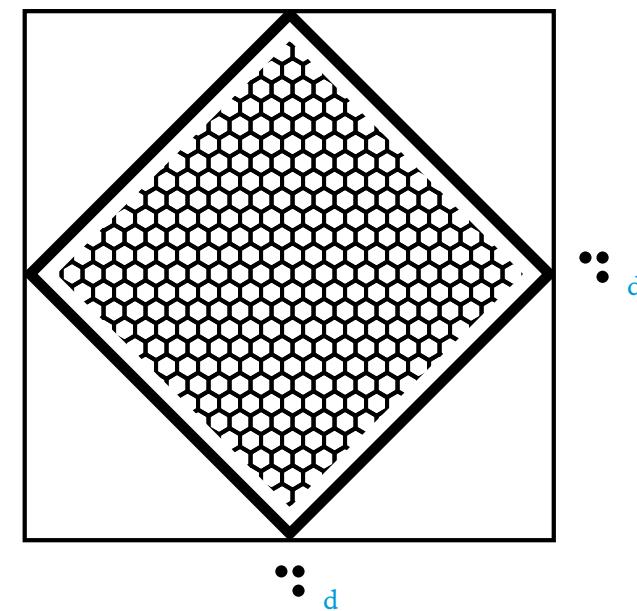
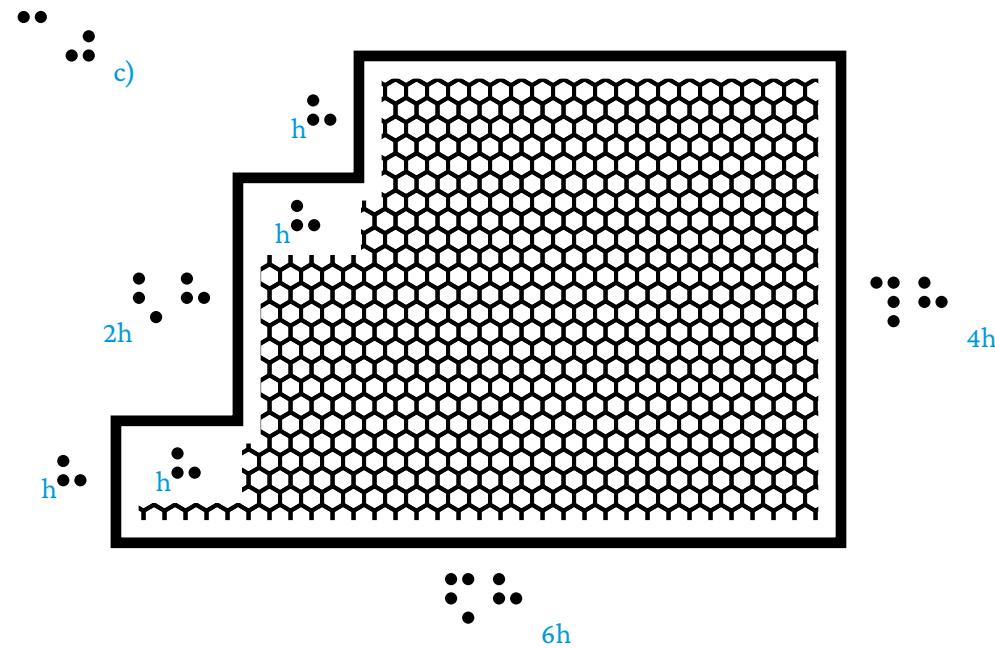
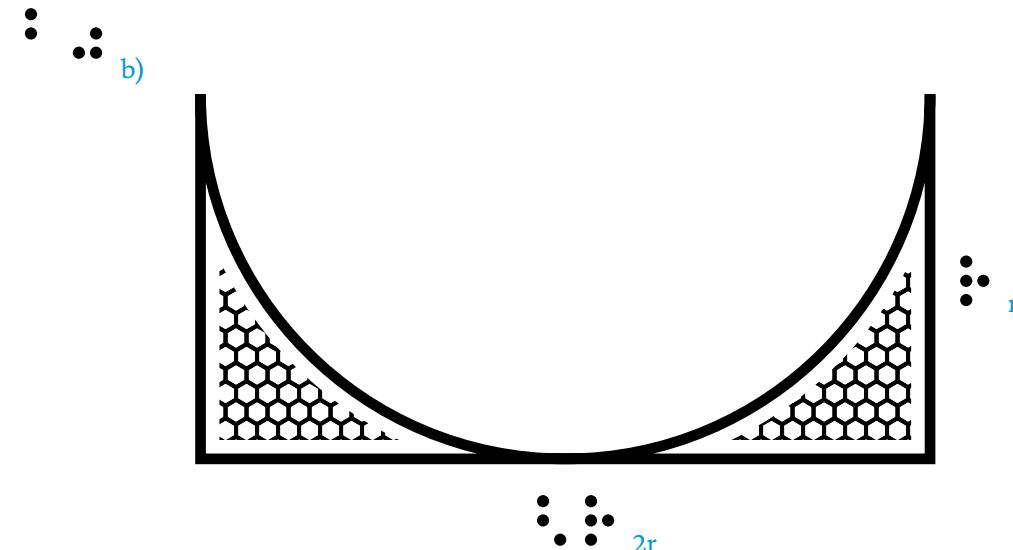
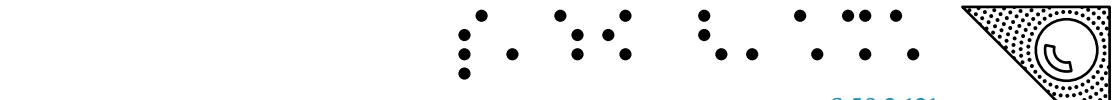
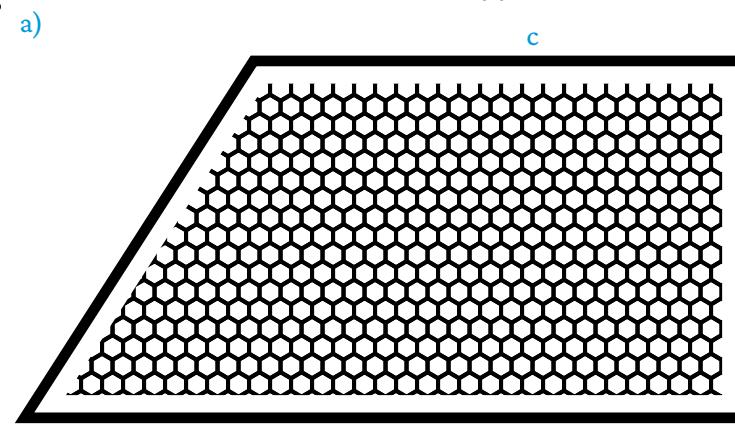
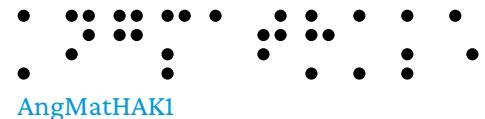
S.47 2.34

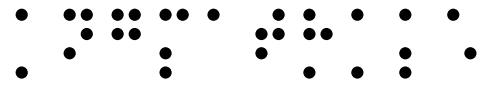


• • • • • • • • (• • •) • • • • • • • • • • • • • • • • • • ..
• • • • • • • • (• • •) • • • • • • • • • • • • • • • • • ..
• • • • • • • • (• • •) • • • • • • • • • • • • • • ..

Erklären Sie, wie man mit Hilfe der folgenden Grafik das Distributivgesetz begründen kann.



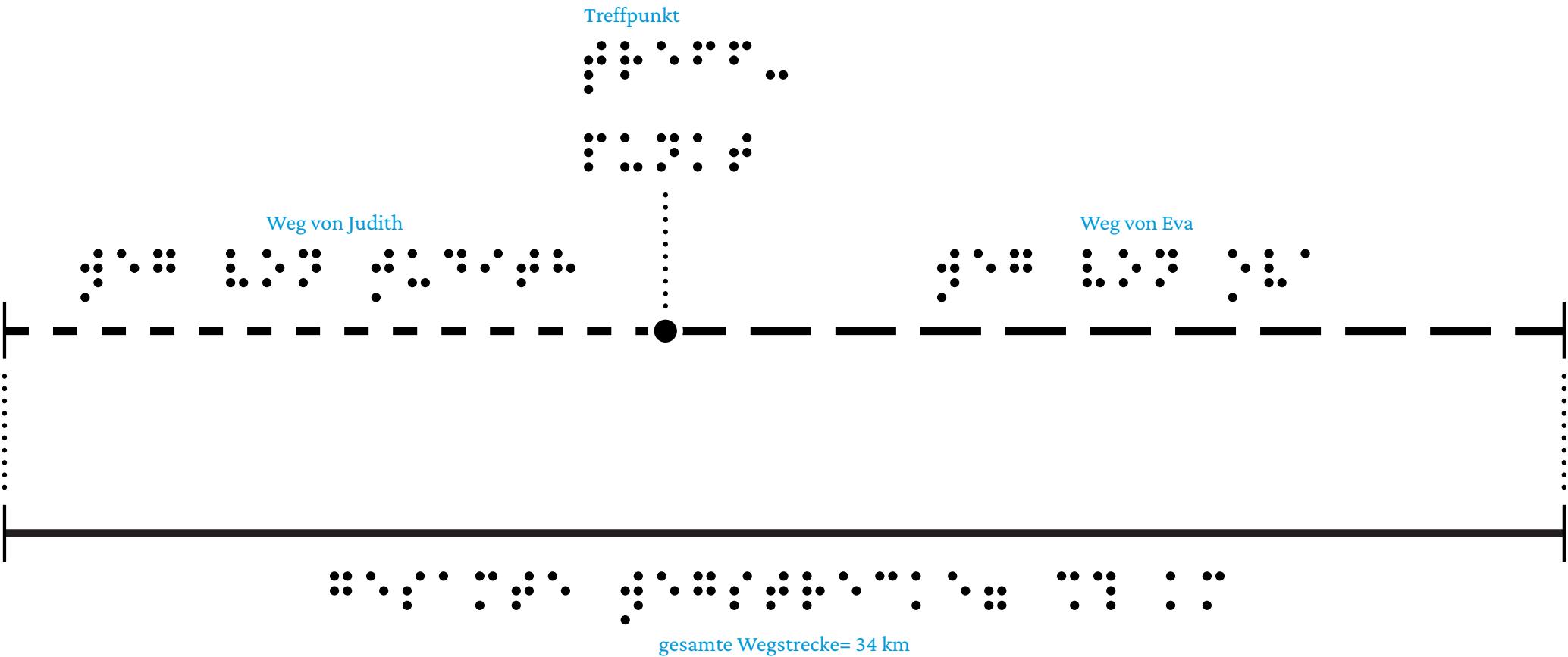


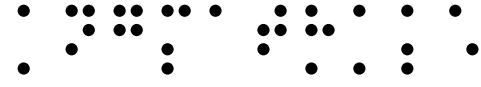


AngMatHAK1



S.78 3.39

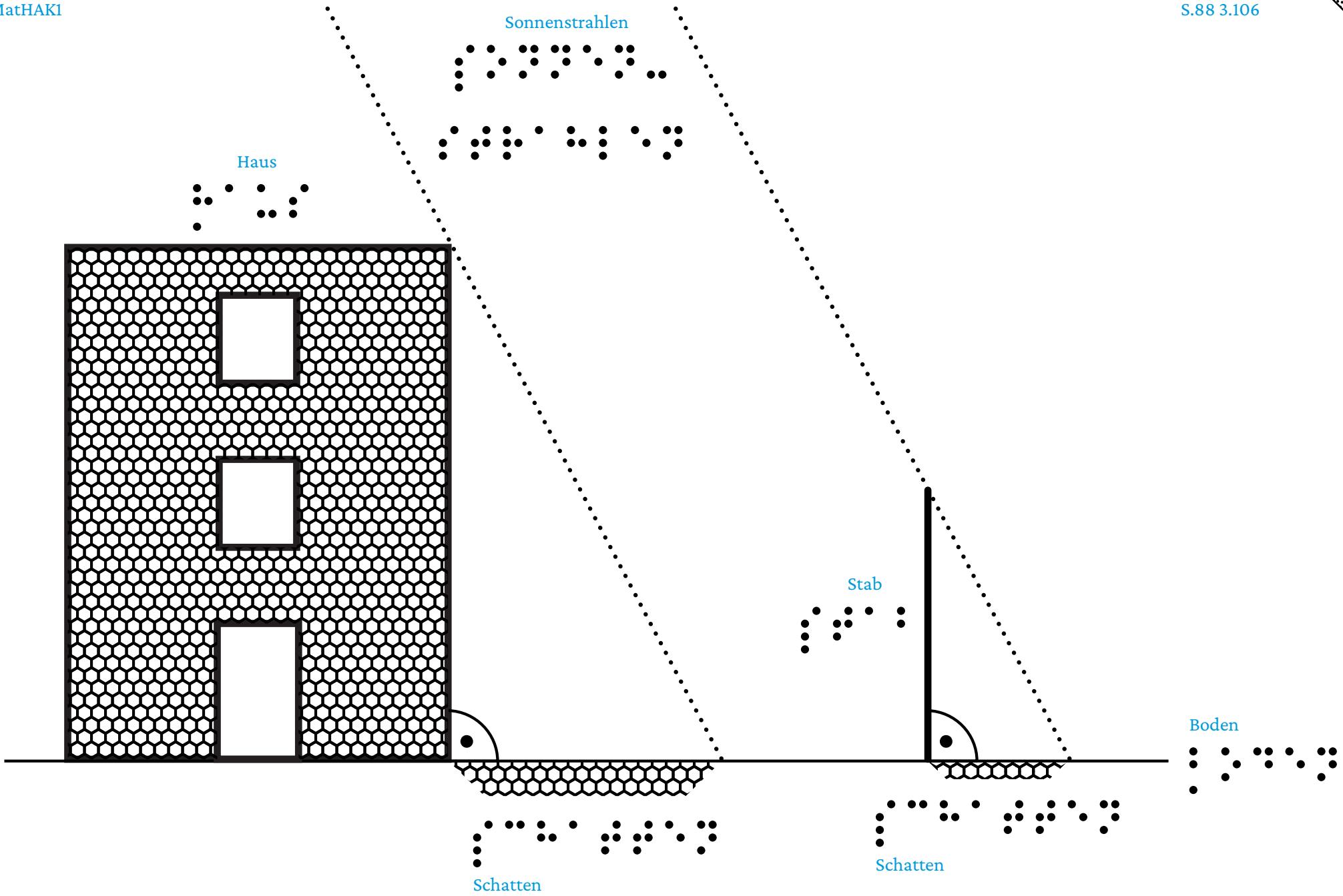
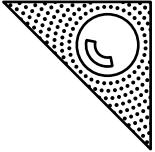


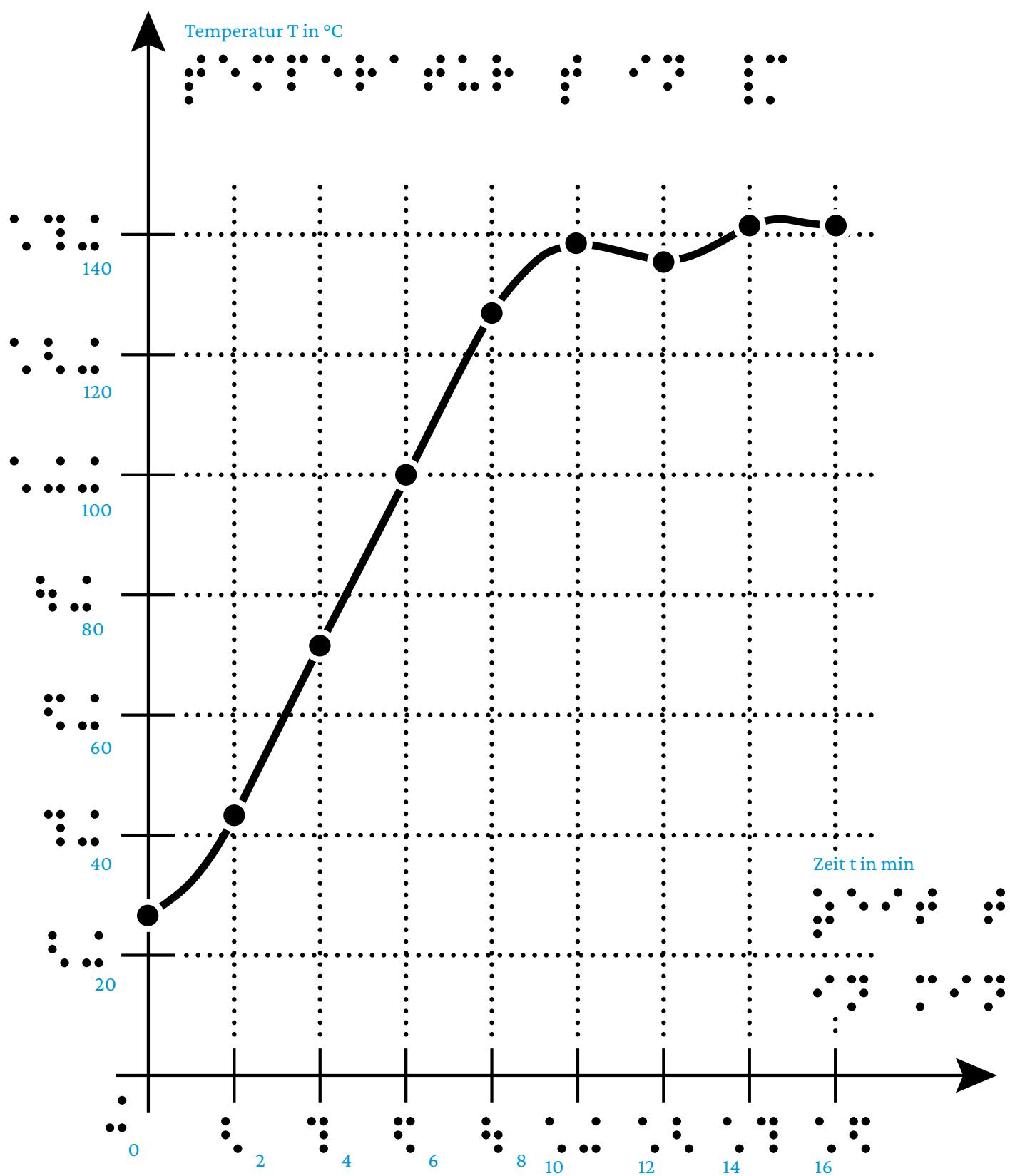
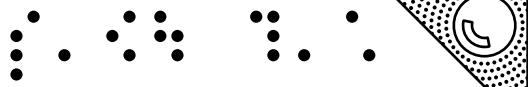
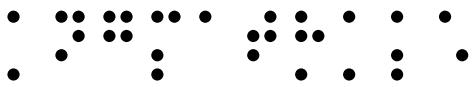


AngMatHAK1



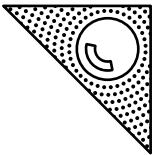
S.88 3.106





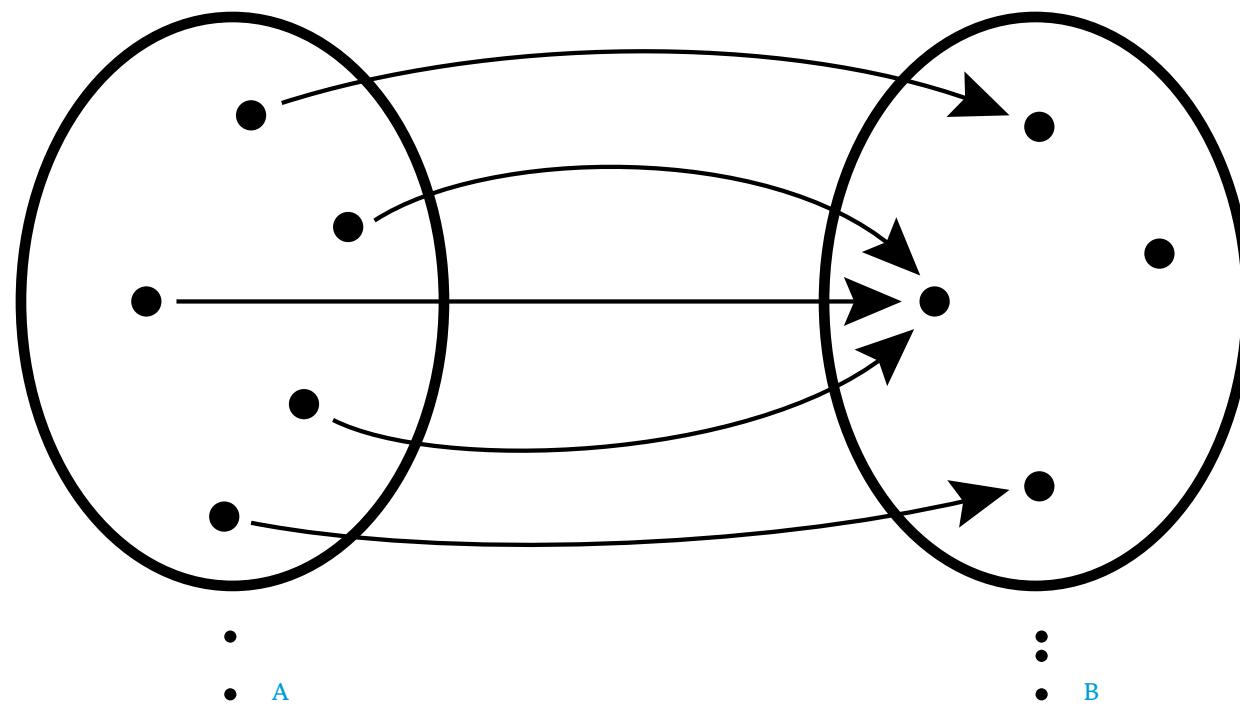
AngMatHAK1

S.98 Funktion: Definition

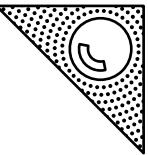


Funktion
Funktion ist eine eindeutige Zuordnung. Jedem Element x einer Menge A (Definitionsmenge) wird dabei ein Element einer Menge B (Zielmenge) zugeordnet.

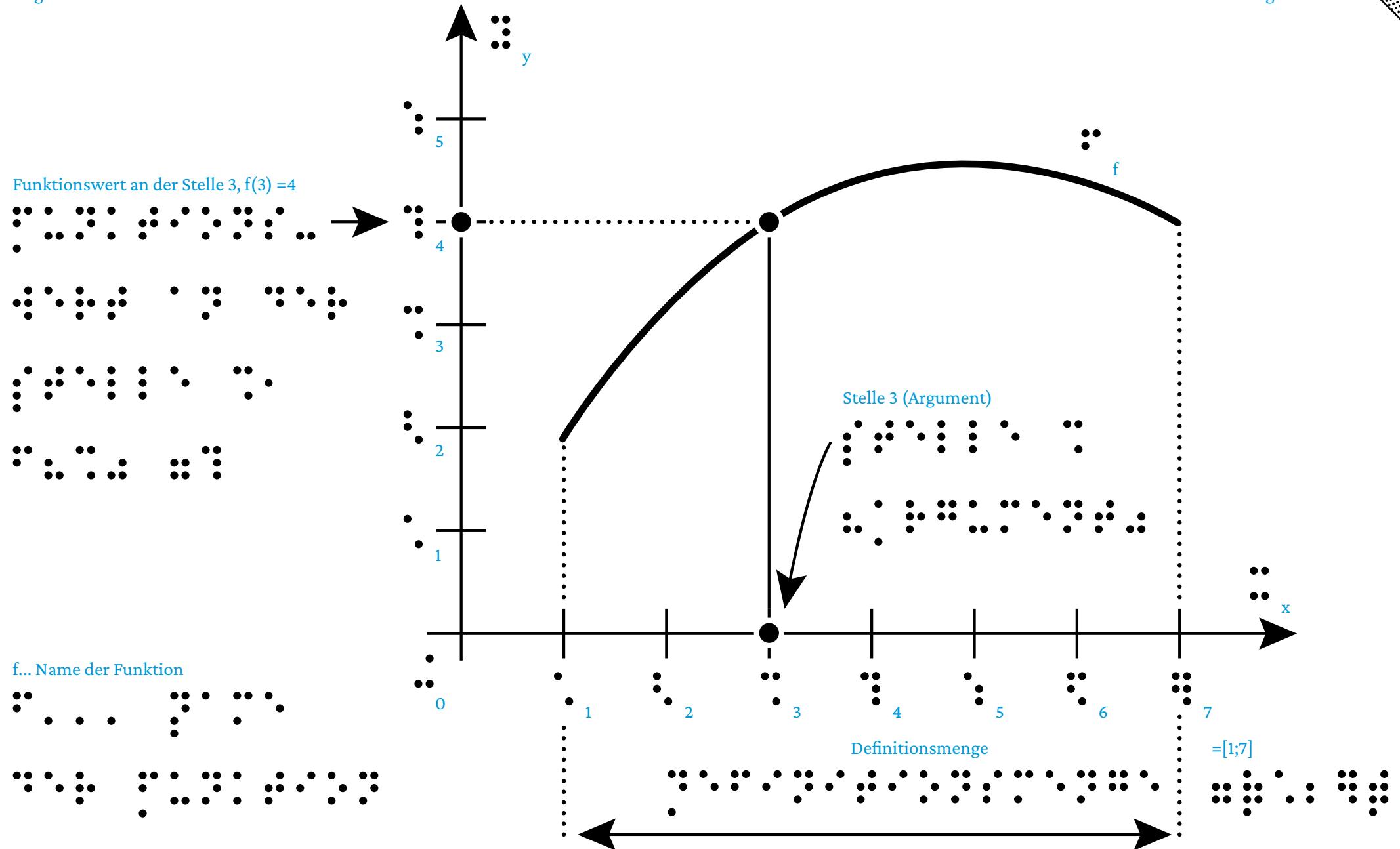
Eine Funktion ist eine eindeutige Zuordnung. Jedem Element x einer Menge A (Definitionsmenge) wird dabei ein Element einer Menge B (Zielmenge) zugeordnet.

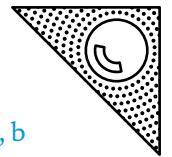


AngMatHAK1

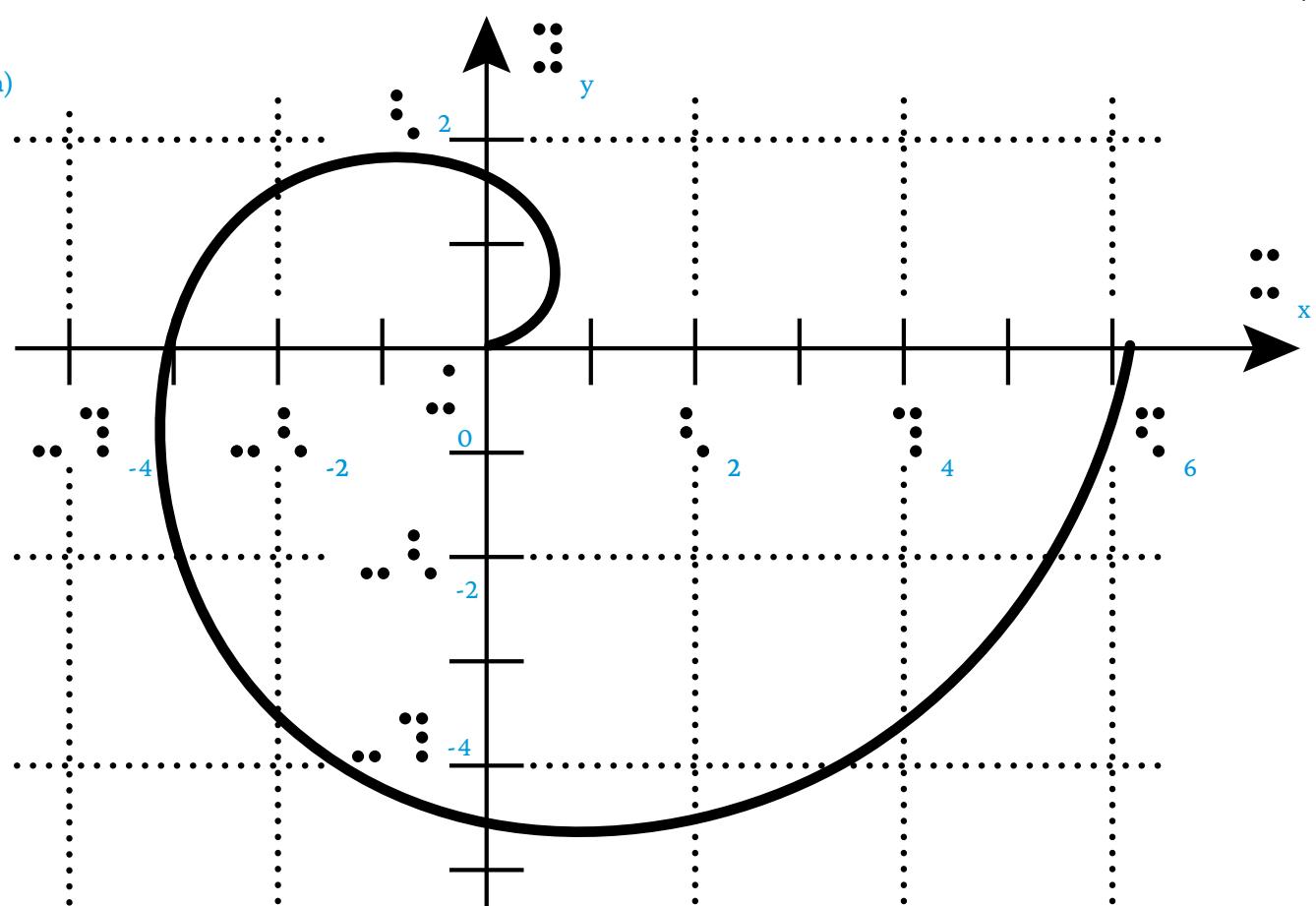


S.98 Funktion: Bezeichnungen

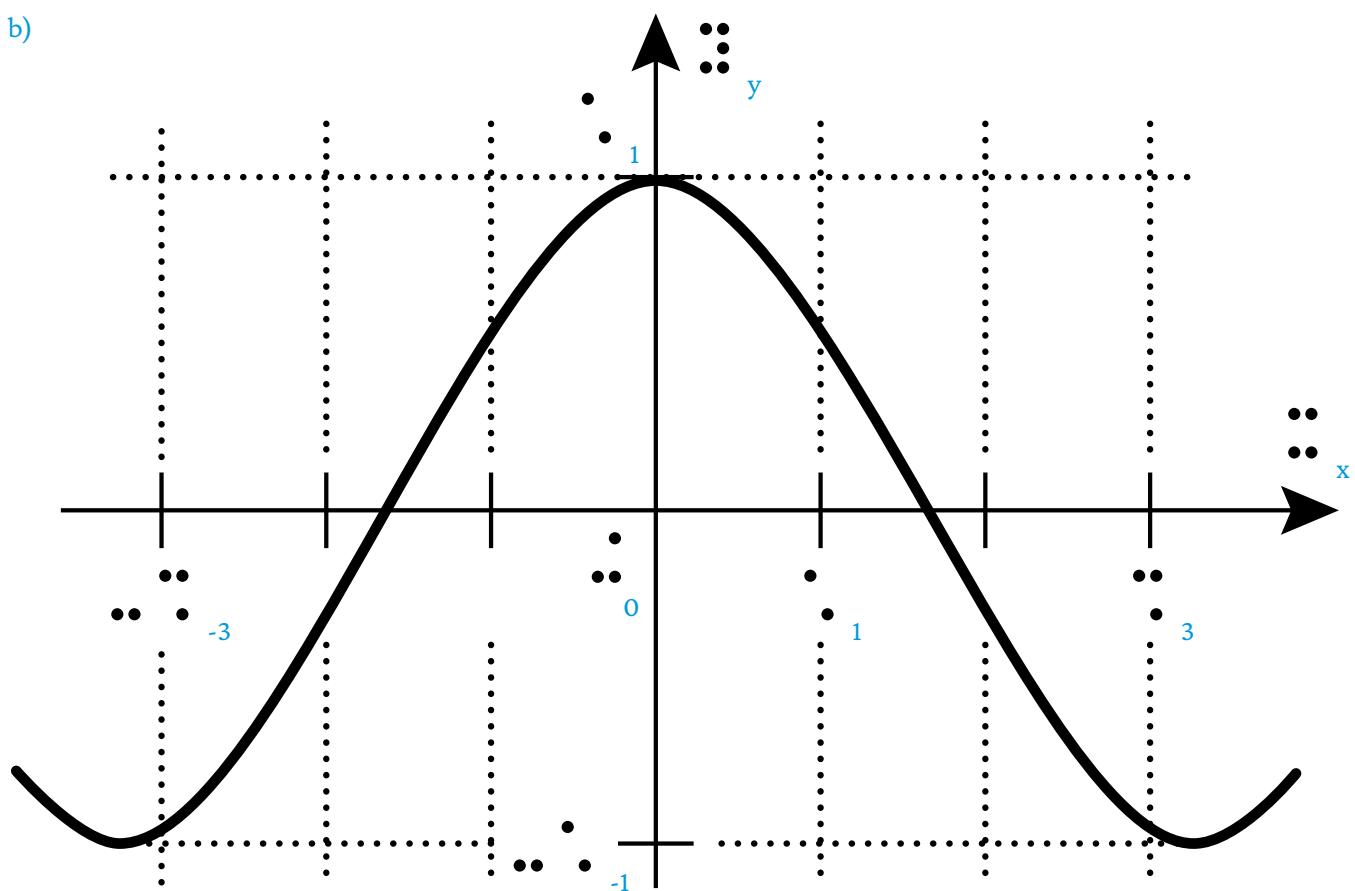


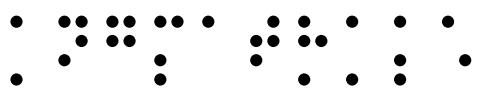


a)

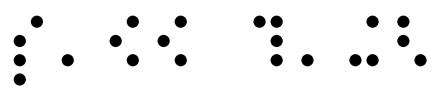


b)

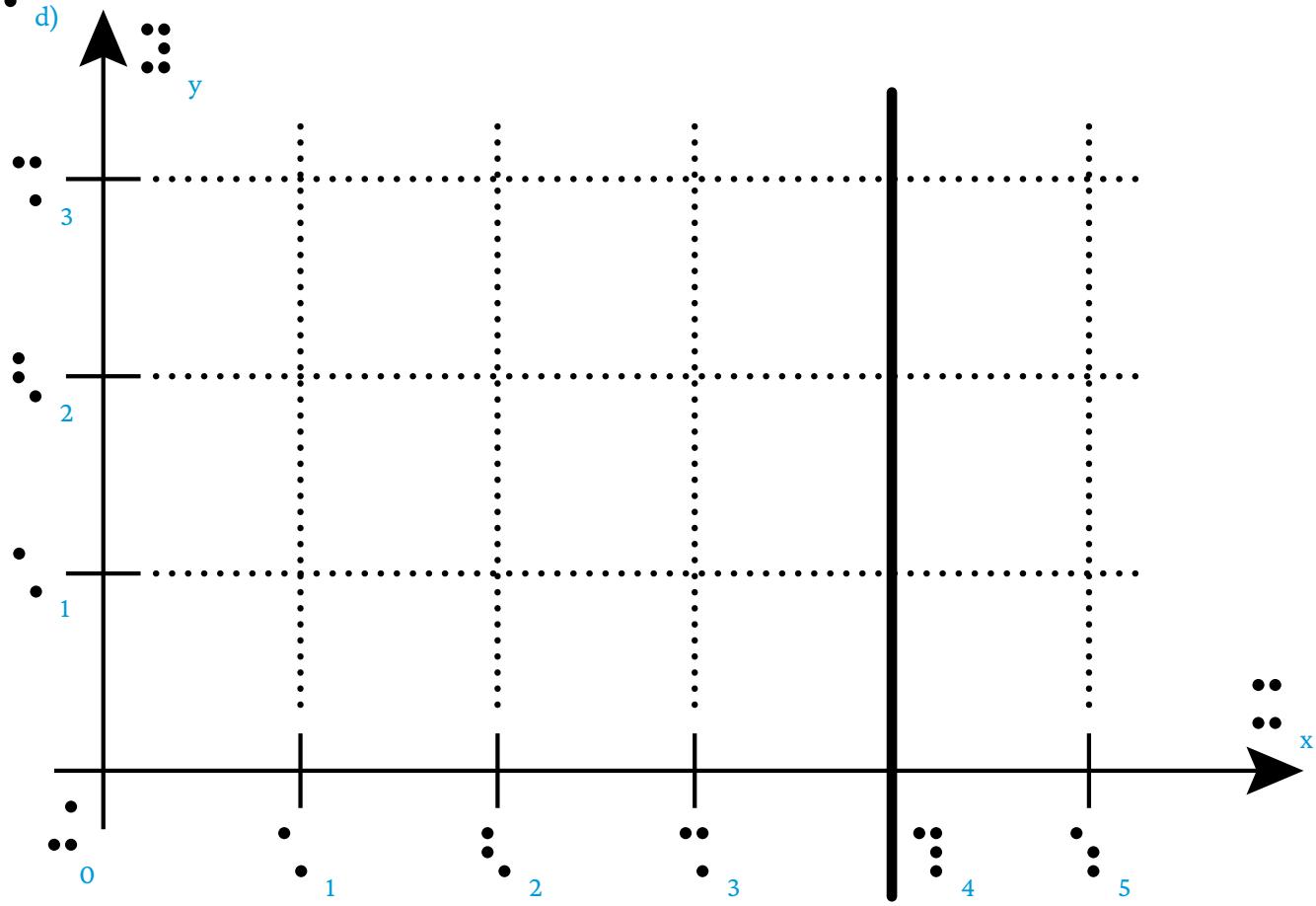
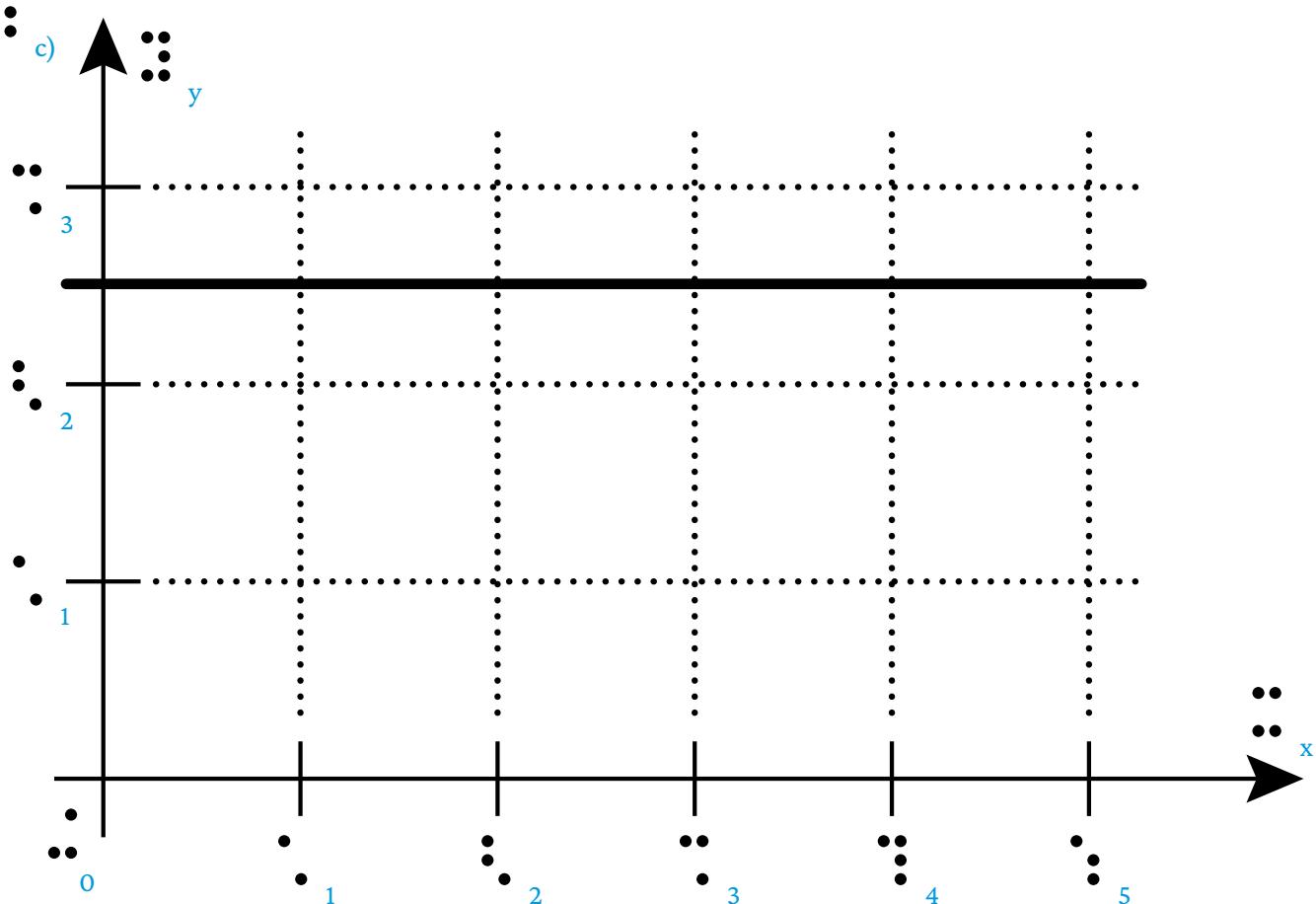


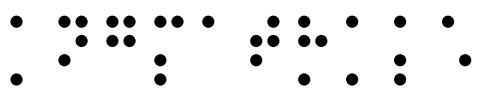


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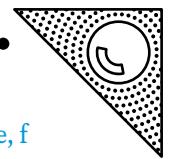


S.99 4.02 c, d

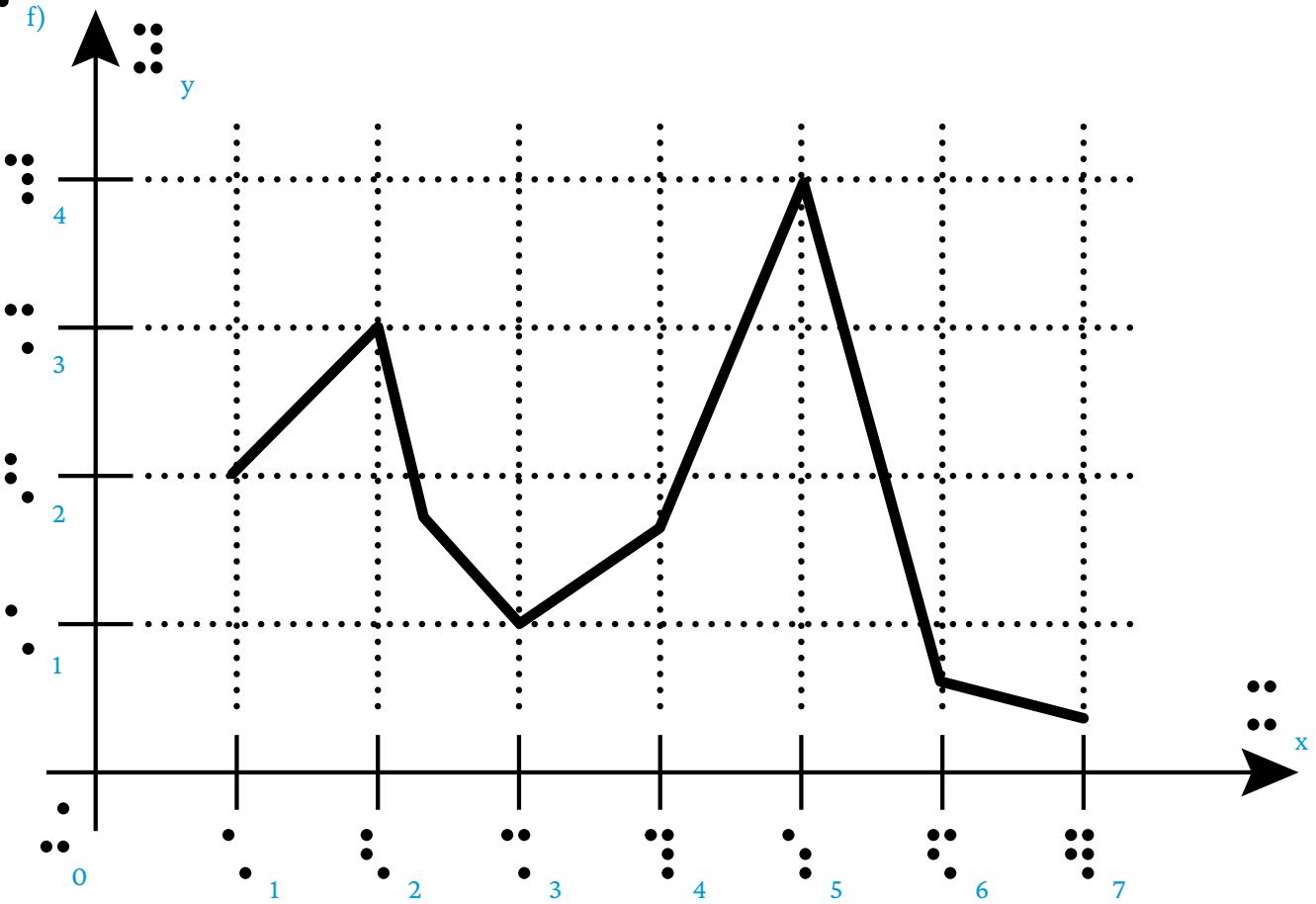
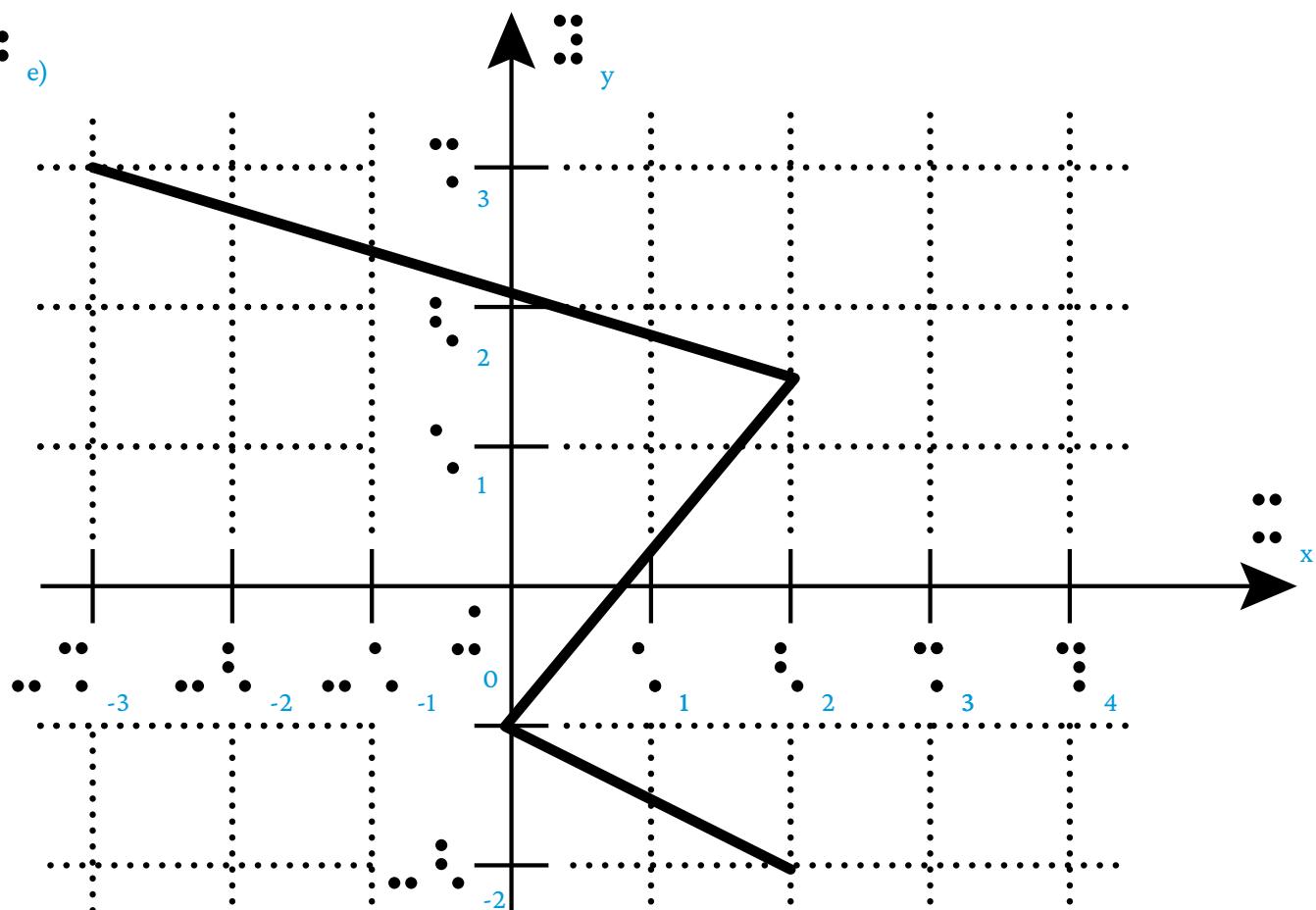


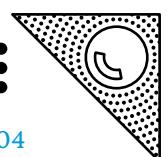
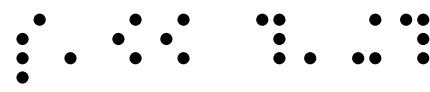
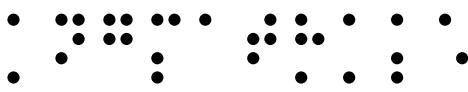


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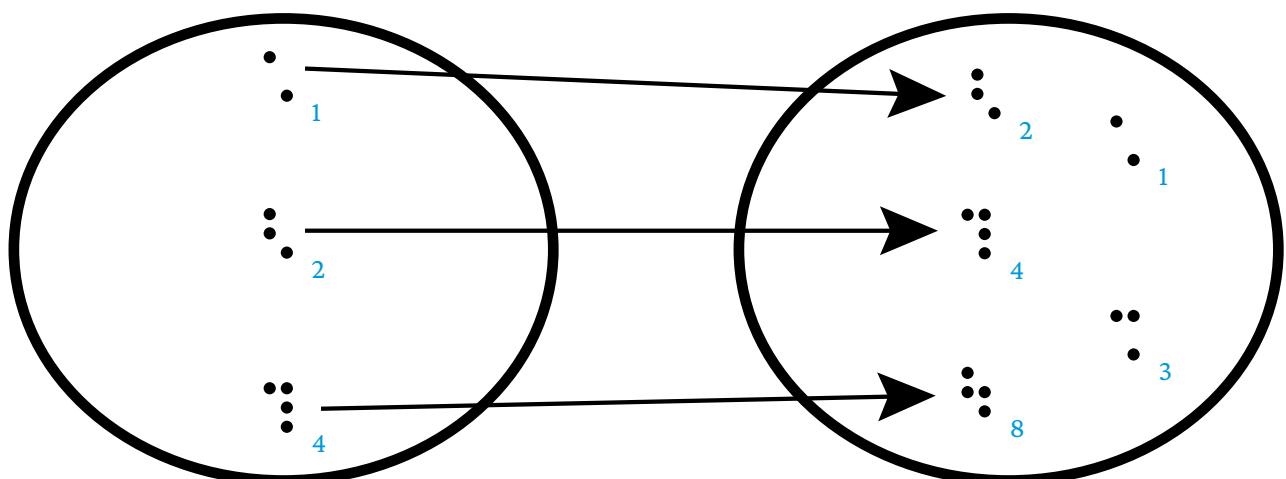


S.99 4.02 e, f





a)



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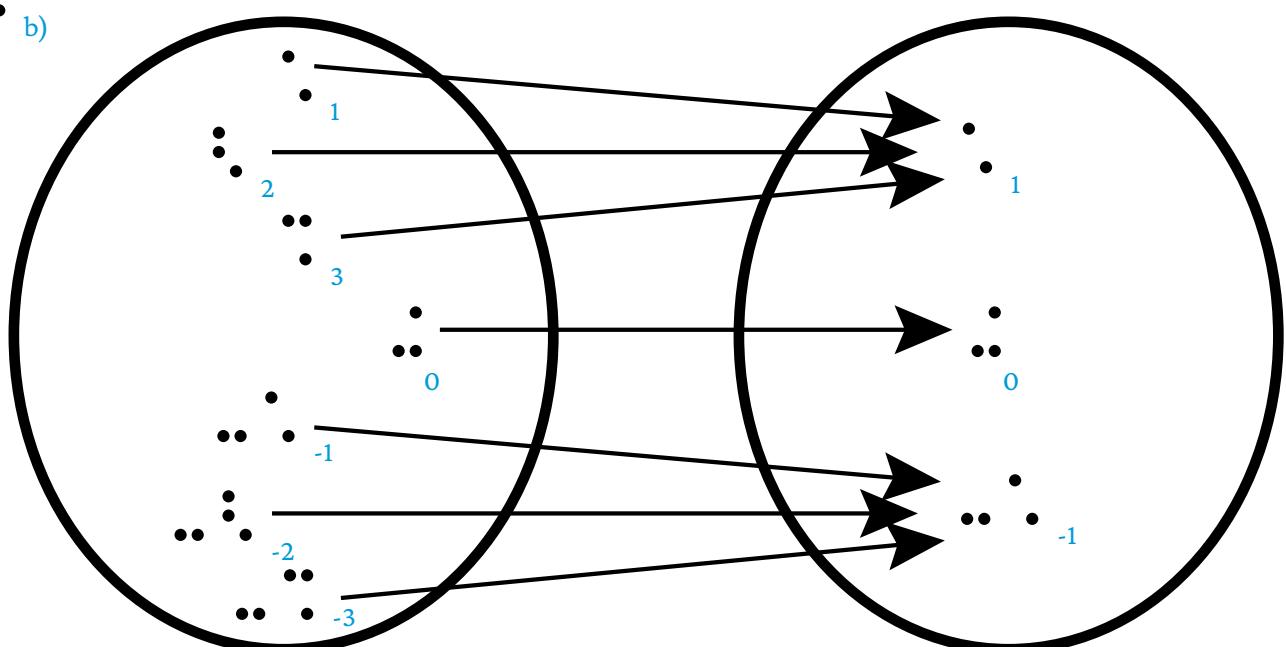
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Zielmenge

• • • • ..

Definitionsmenge

b)



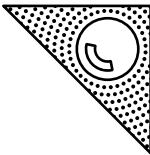
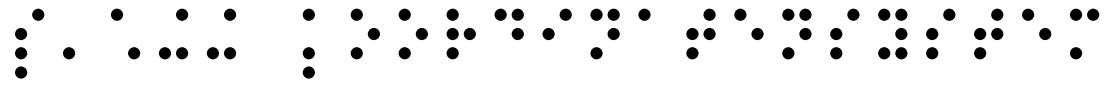
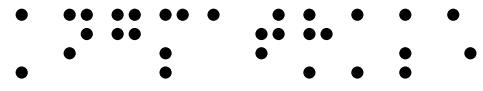
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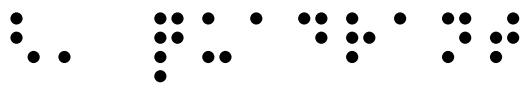
Zielmenge

• • • ..

Definitionsmenge



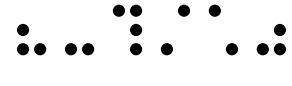
2. Achse, y-Achse
oder Ordinatenachse



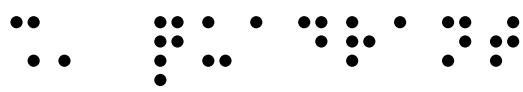
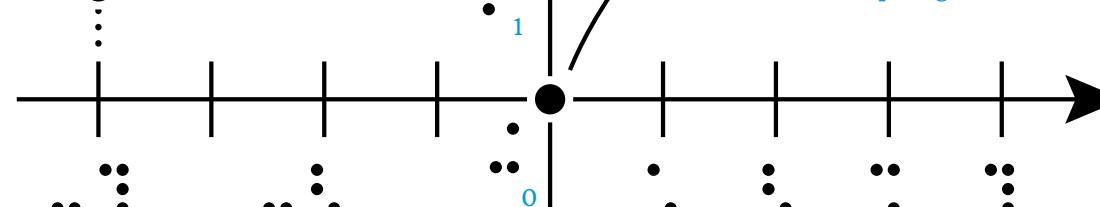
2. Quadrant



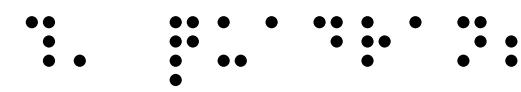
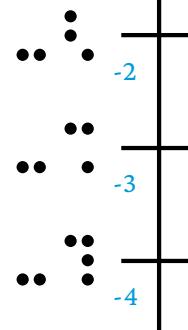
1. Quadrant



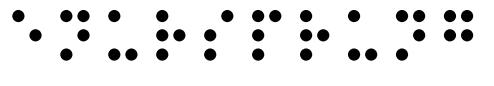
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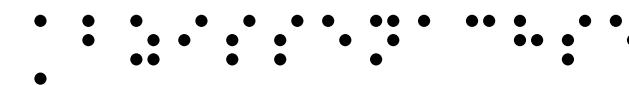
3. Quadrant



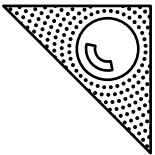
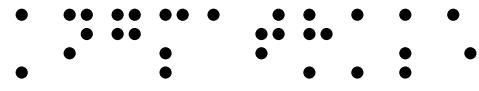
4. Quadrant



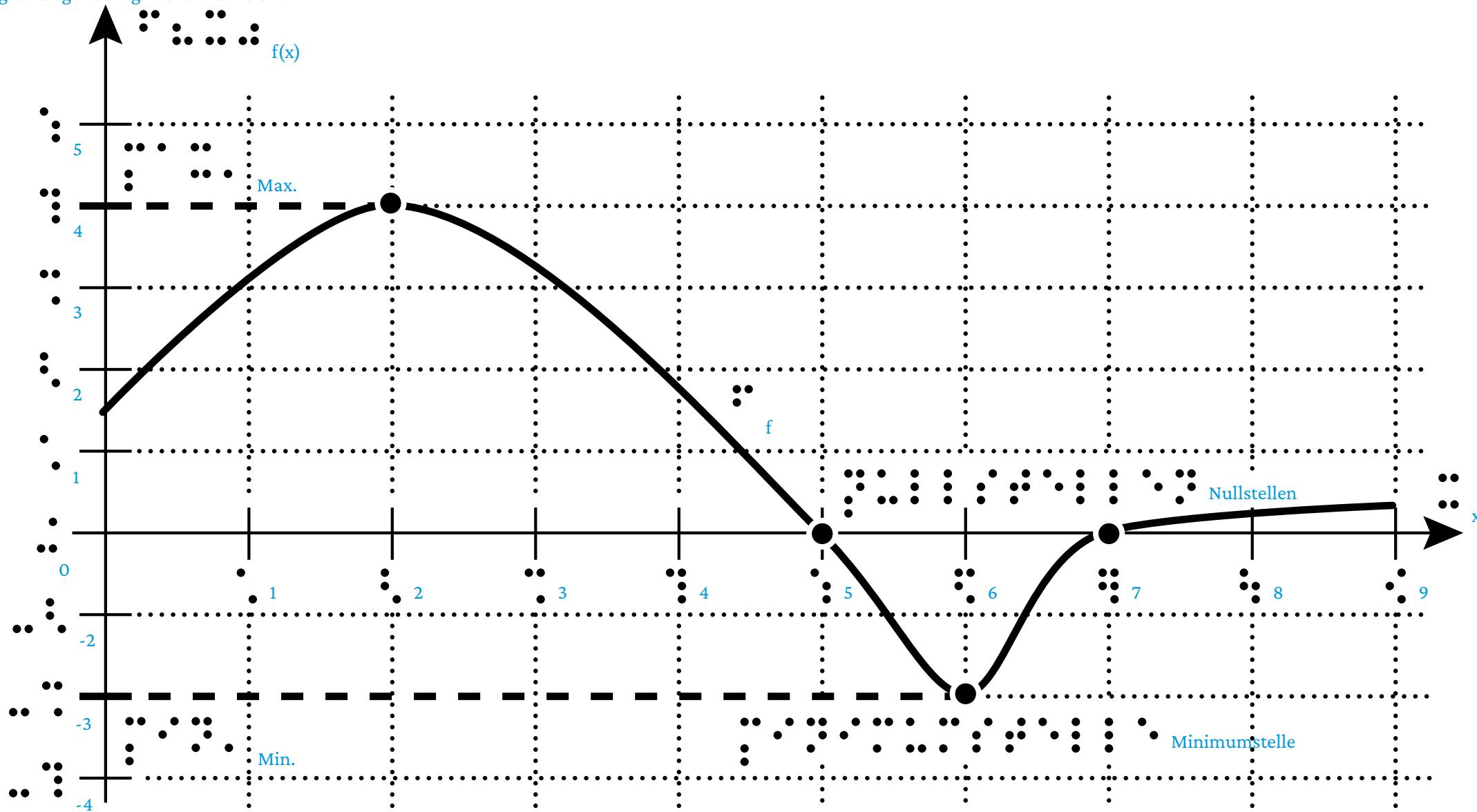
Koordinatenursprung

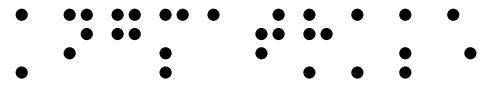


1. Achse, x-Achse oder Abzissenachse

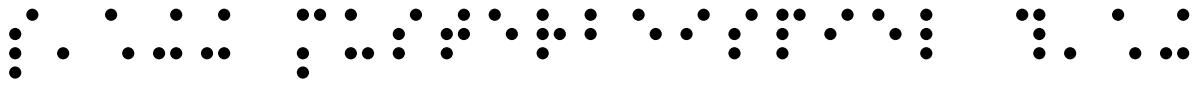


grundlegende Eig. reeller Funktionen

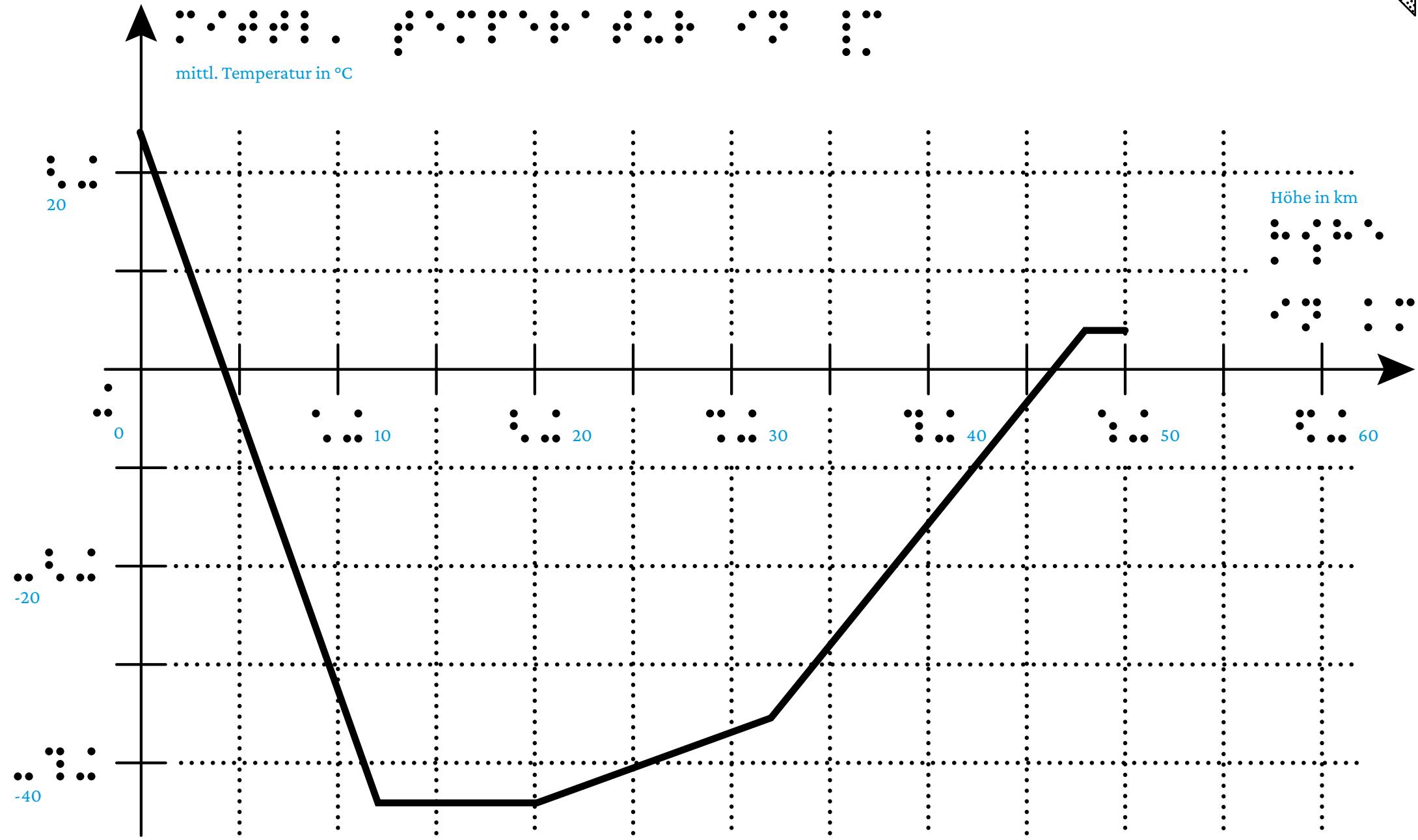
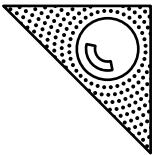


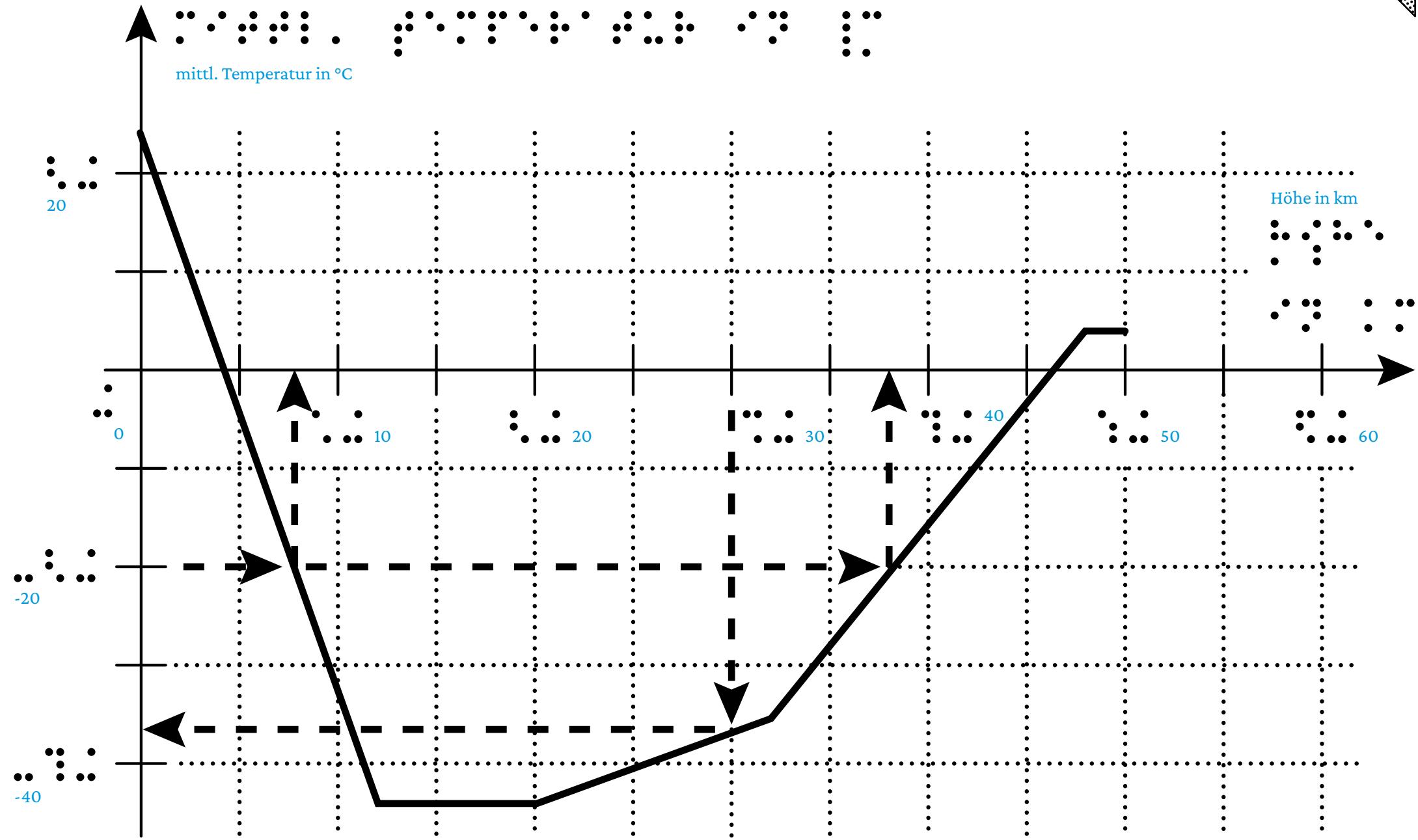
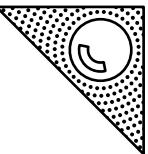
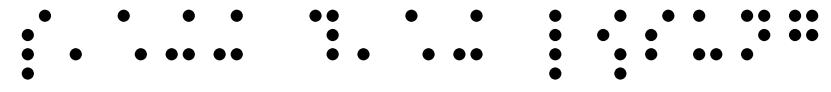
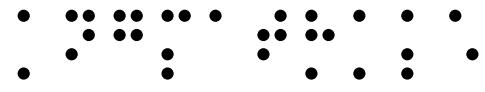


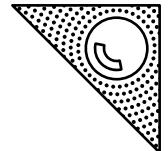
AngMatHAK1



S.100 Musterbeispiel 4.10







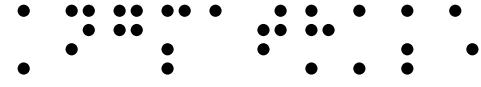
Ang. Mat. HAK1

Ang. Mat. HAK1

Teil 2, Seiten 119-134

Angewandte Mathematik HAK Band 1

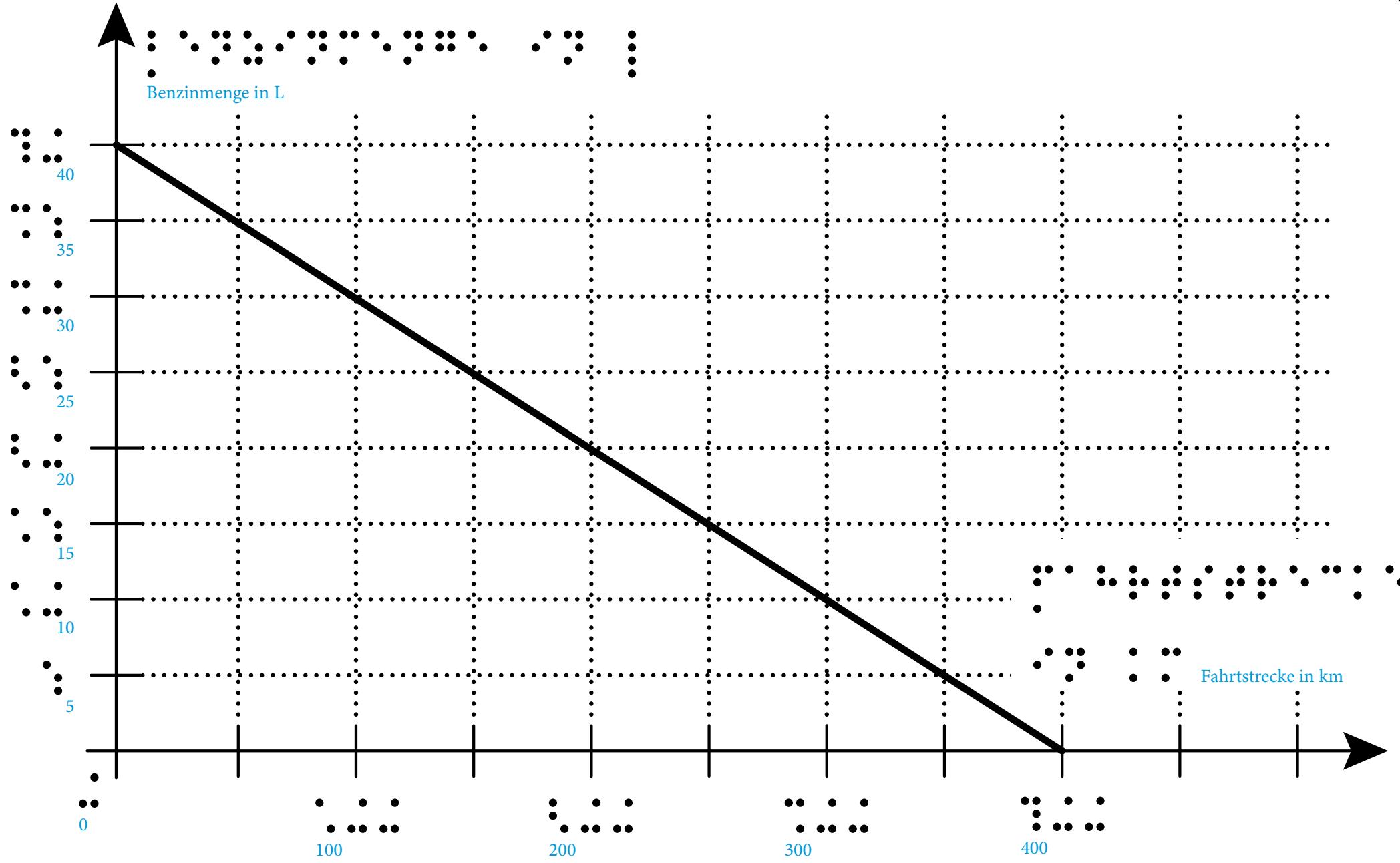
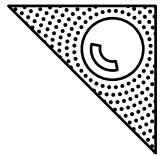
Teil 2, Seiten 119-134

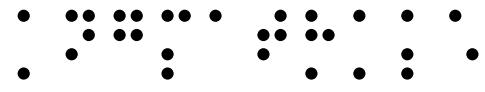


AngMatHAK1

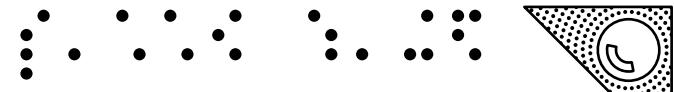


S.119 5.05

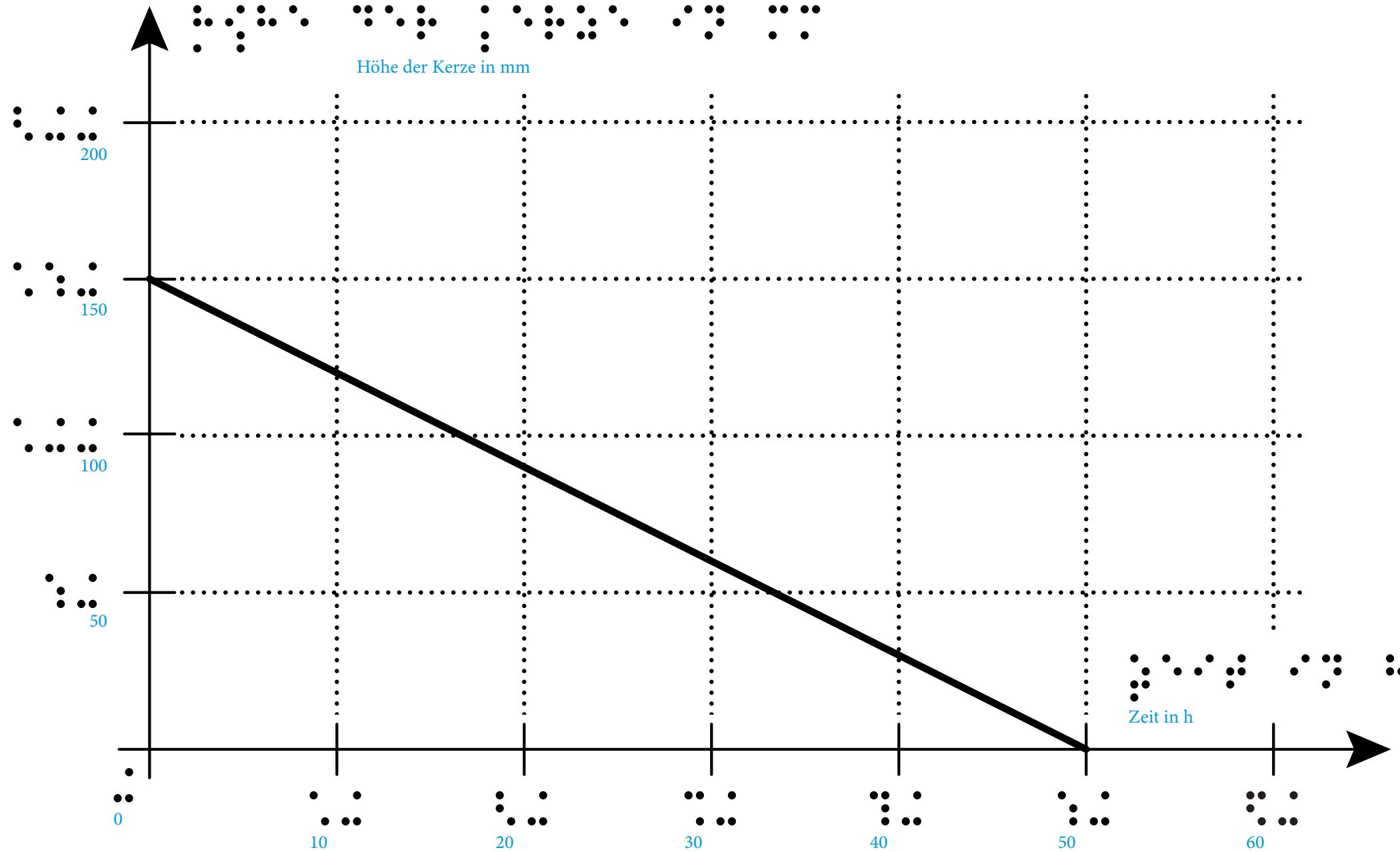
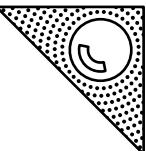


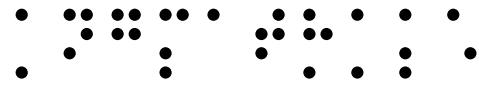


AngMatHAK1



S.119 5.06

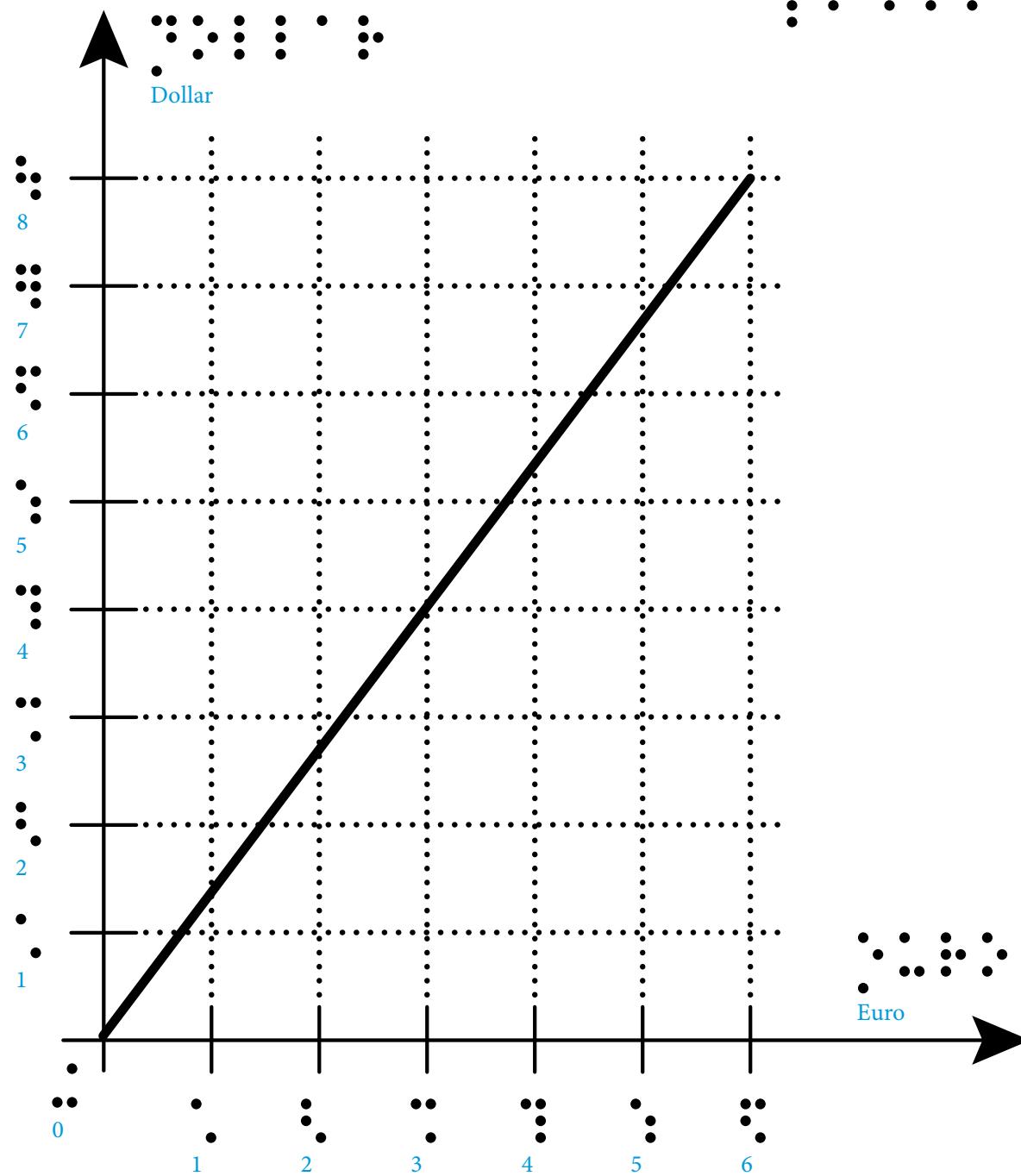
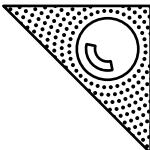


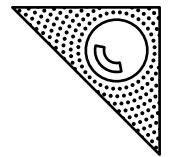
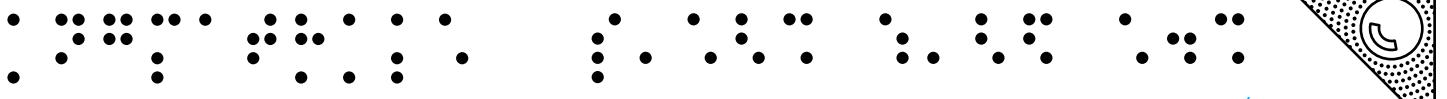


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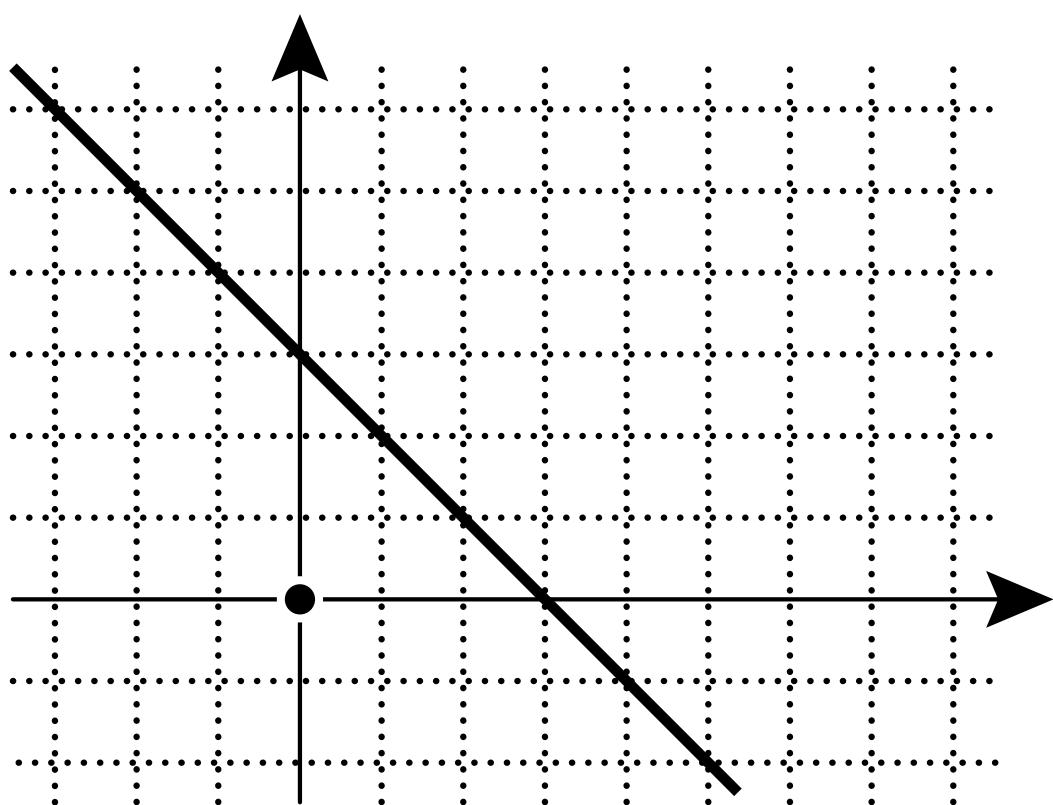


S.119 5.07

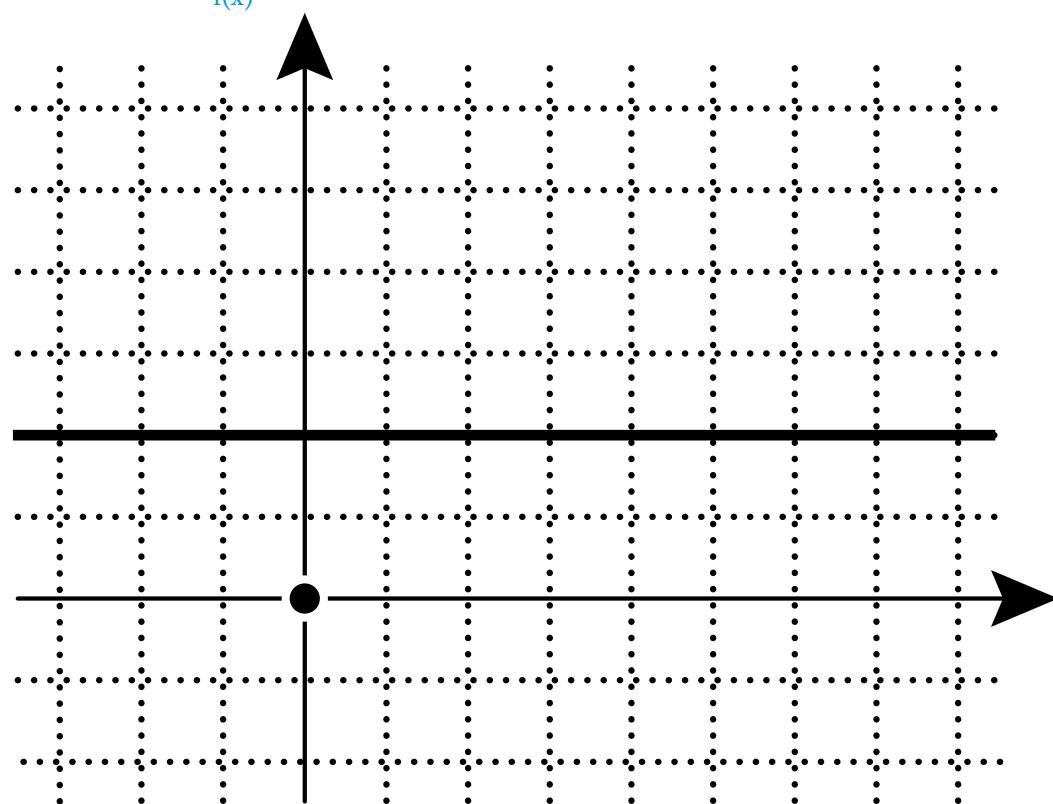


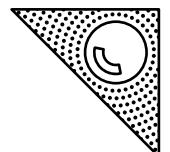
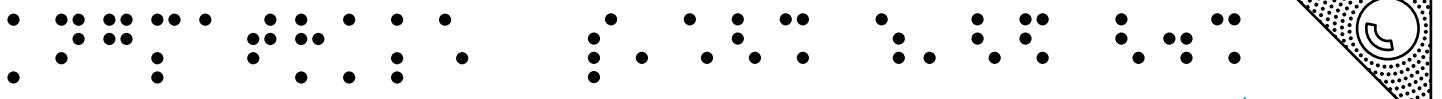


Graph A

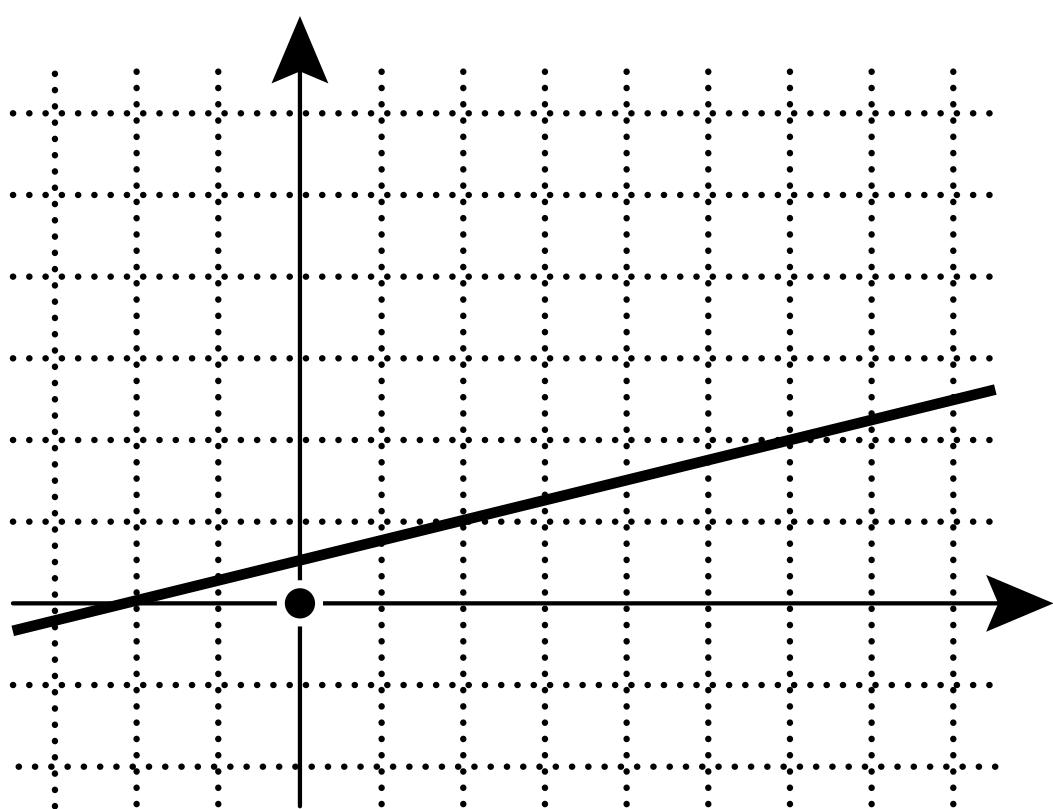
 $f(x)$ 

Graph B

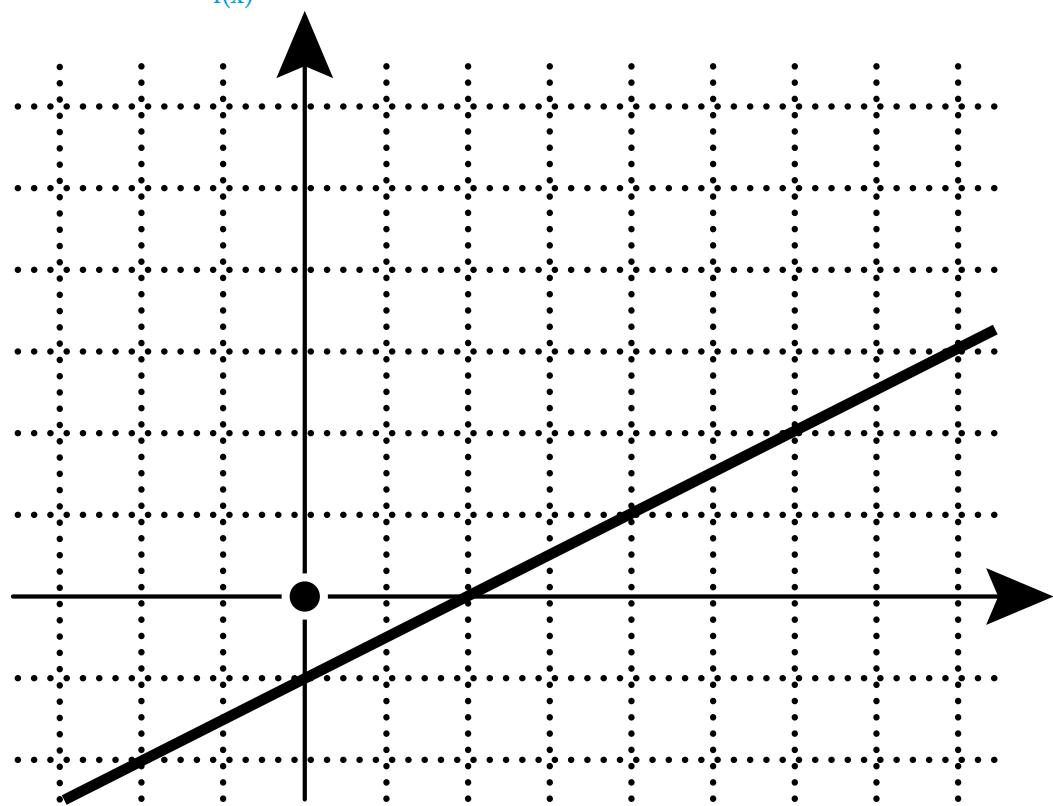
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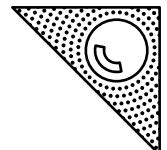
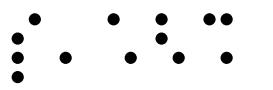
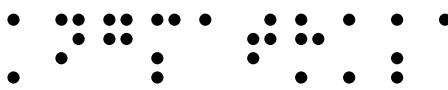


Graph C

 $f(x)$ 

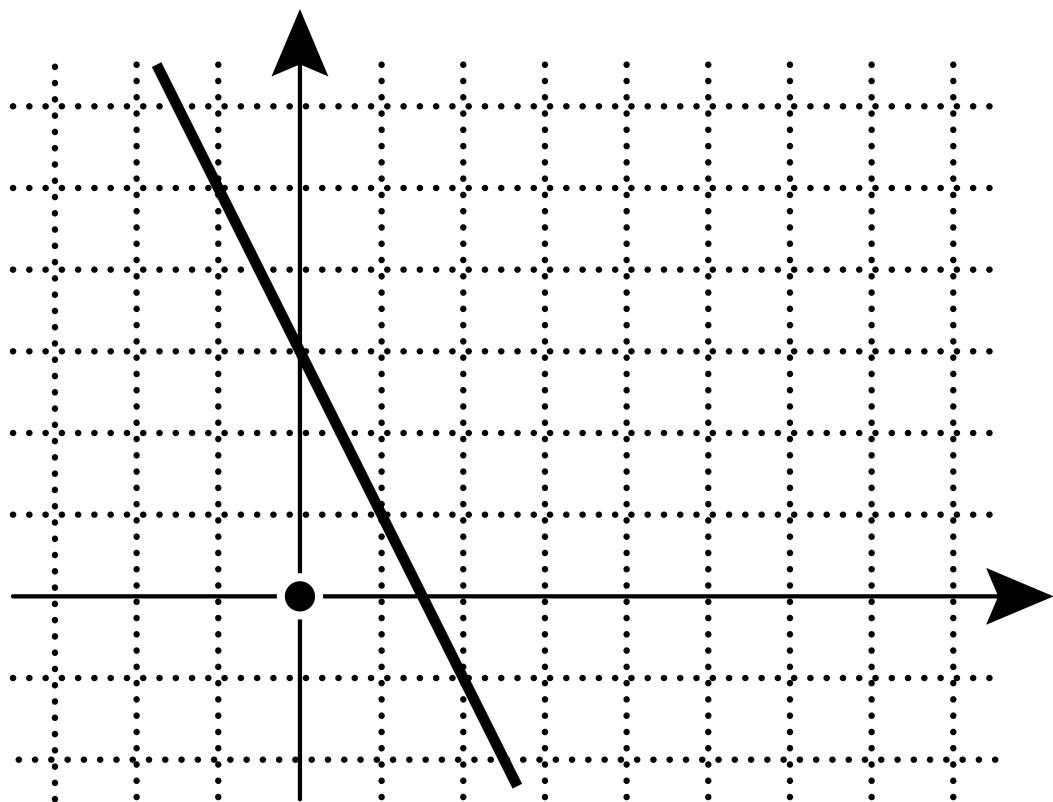
Graph D

 $f(x)$ 



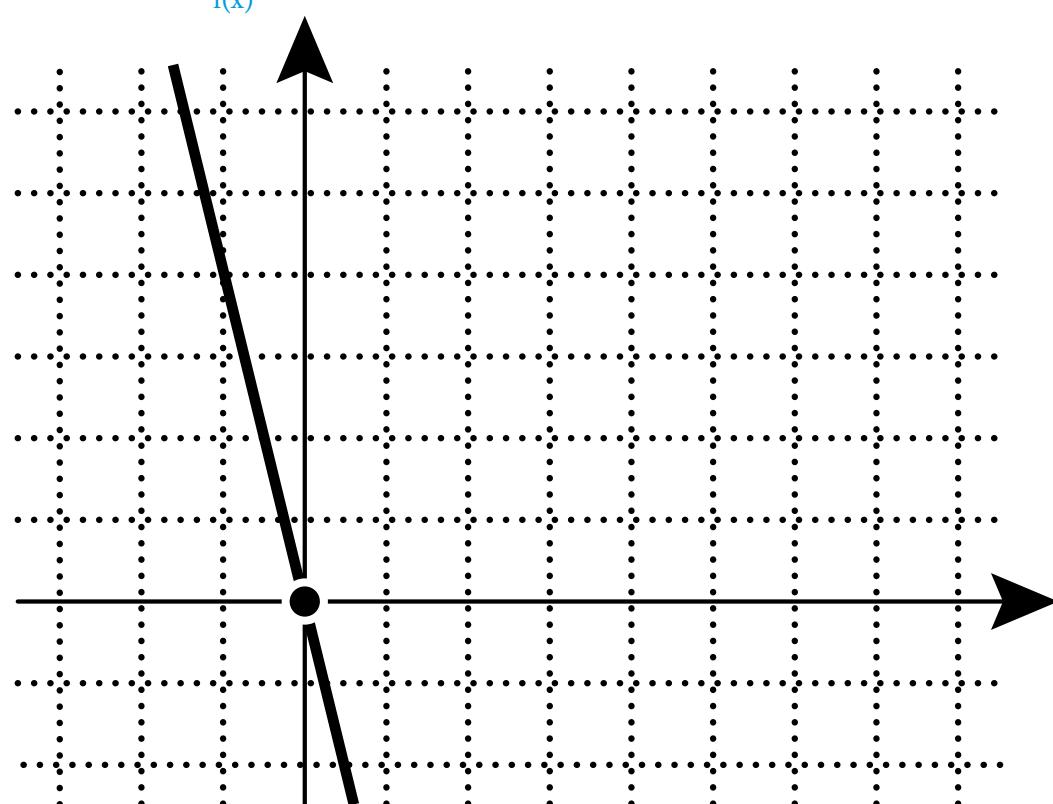
Graph E

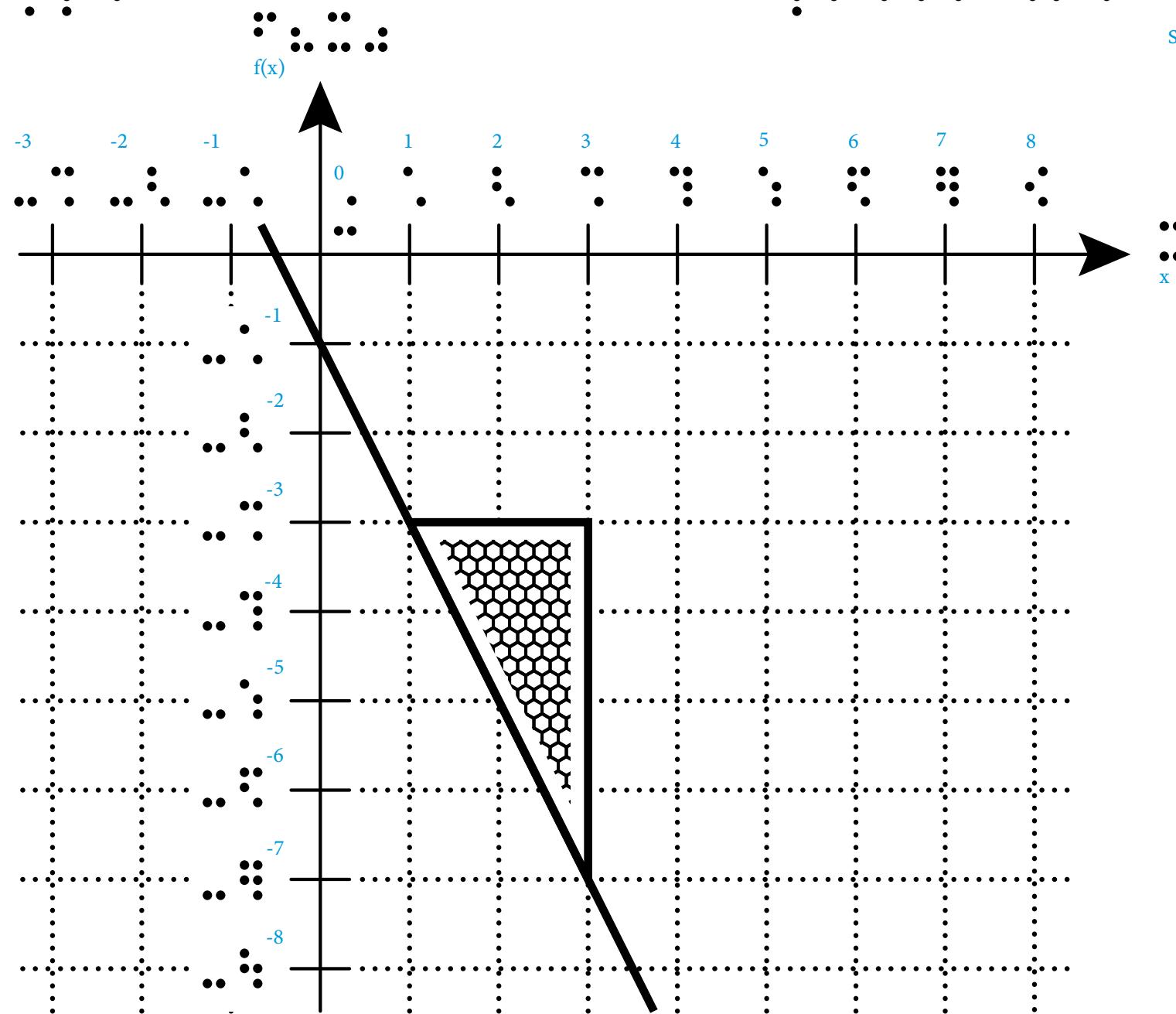
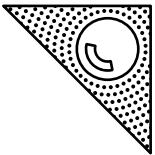
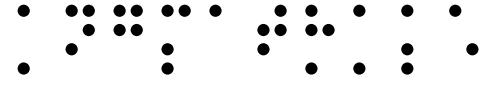
$f(x)$

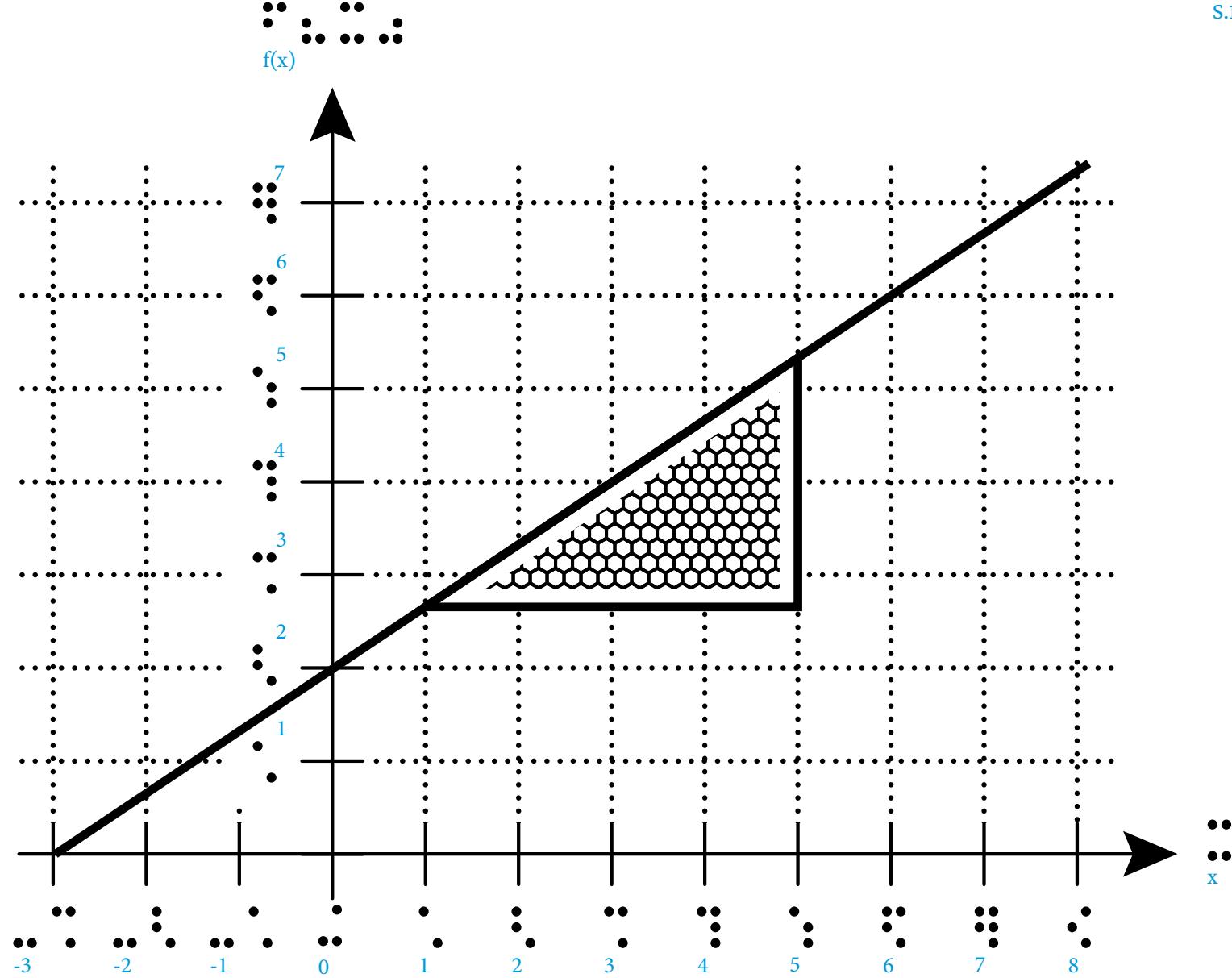
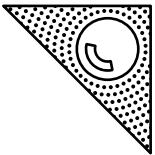
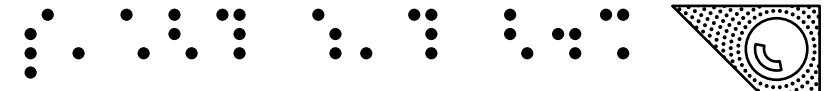
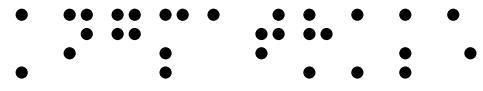


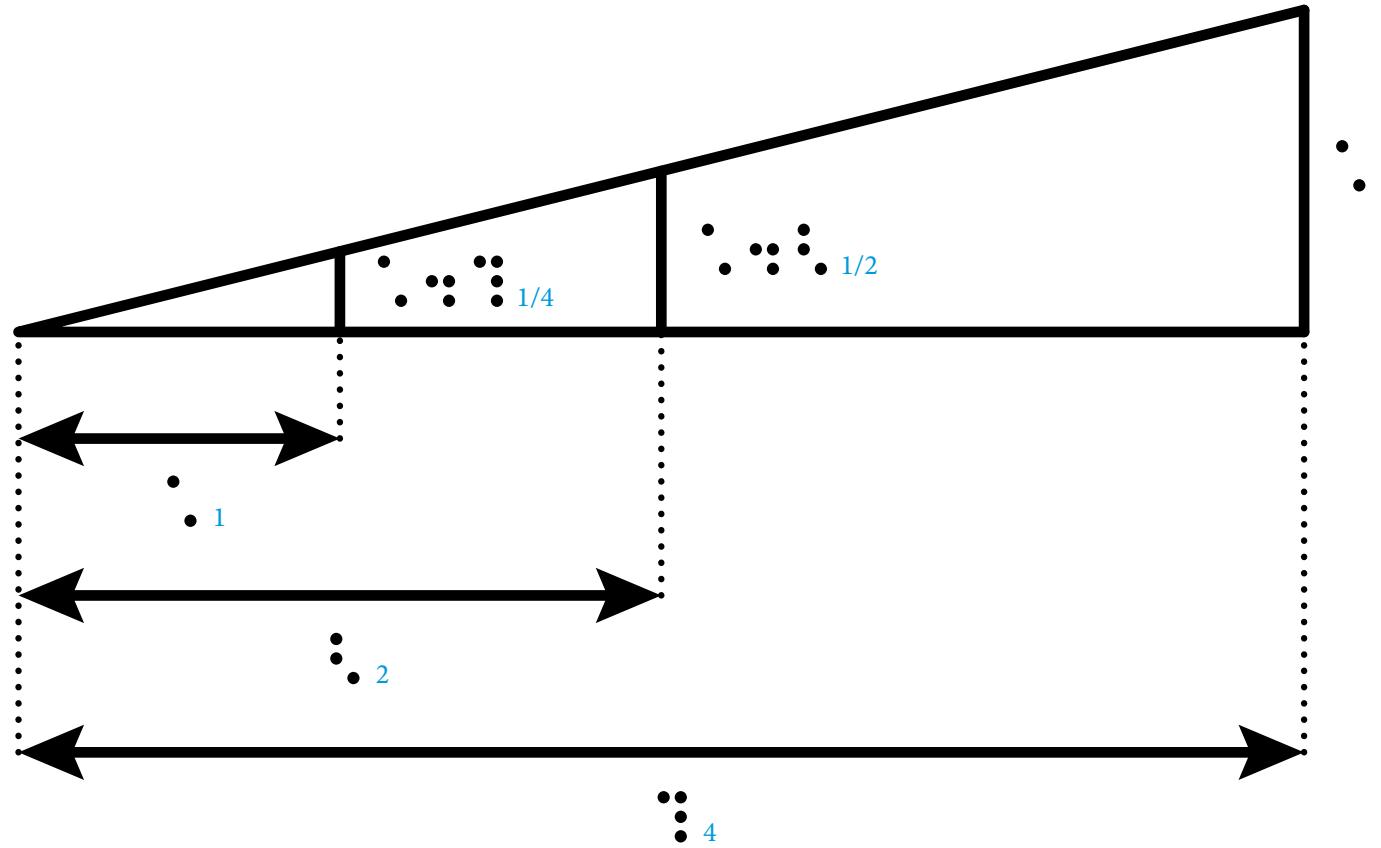
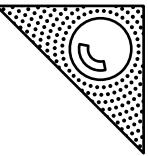
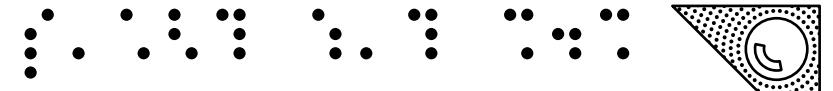
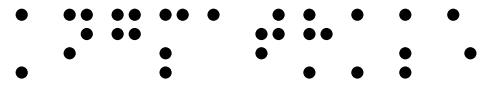
Graph F

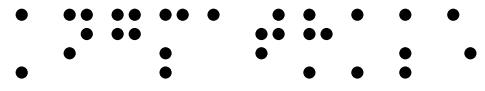
$f(x)$







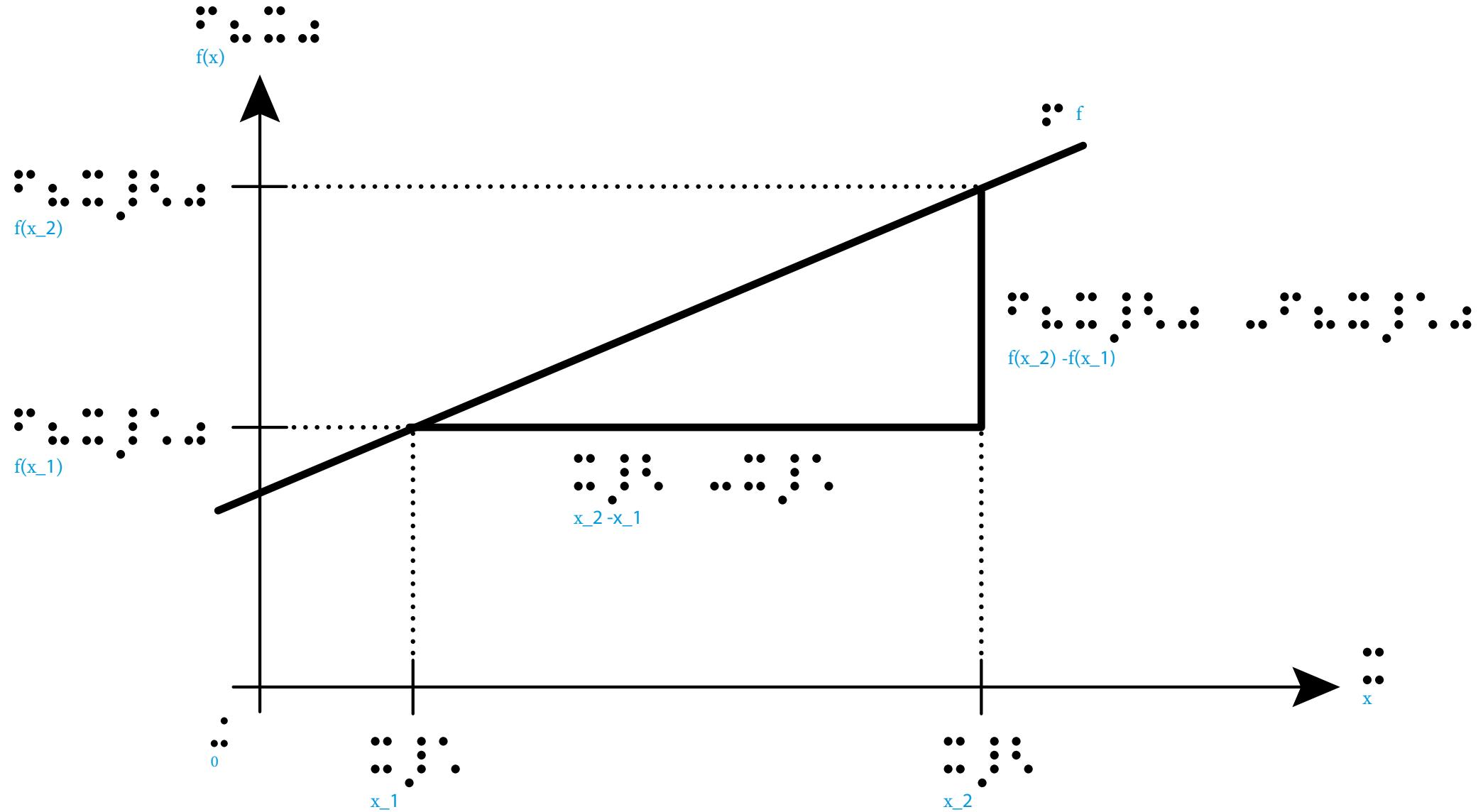


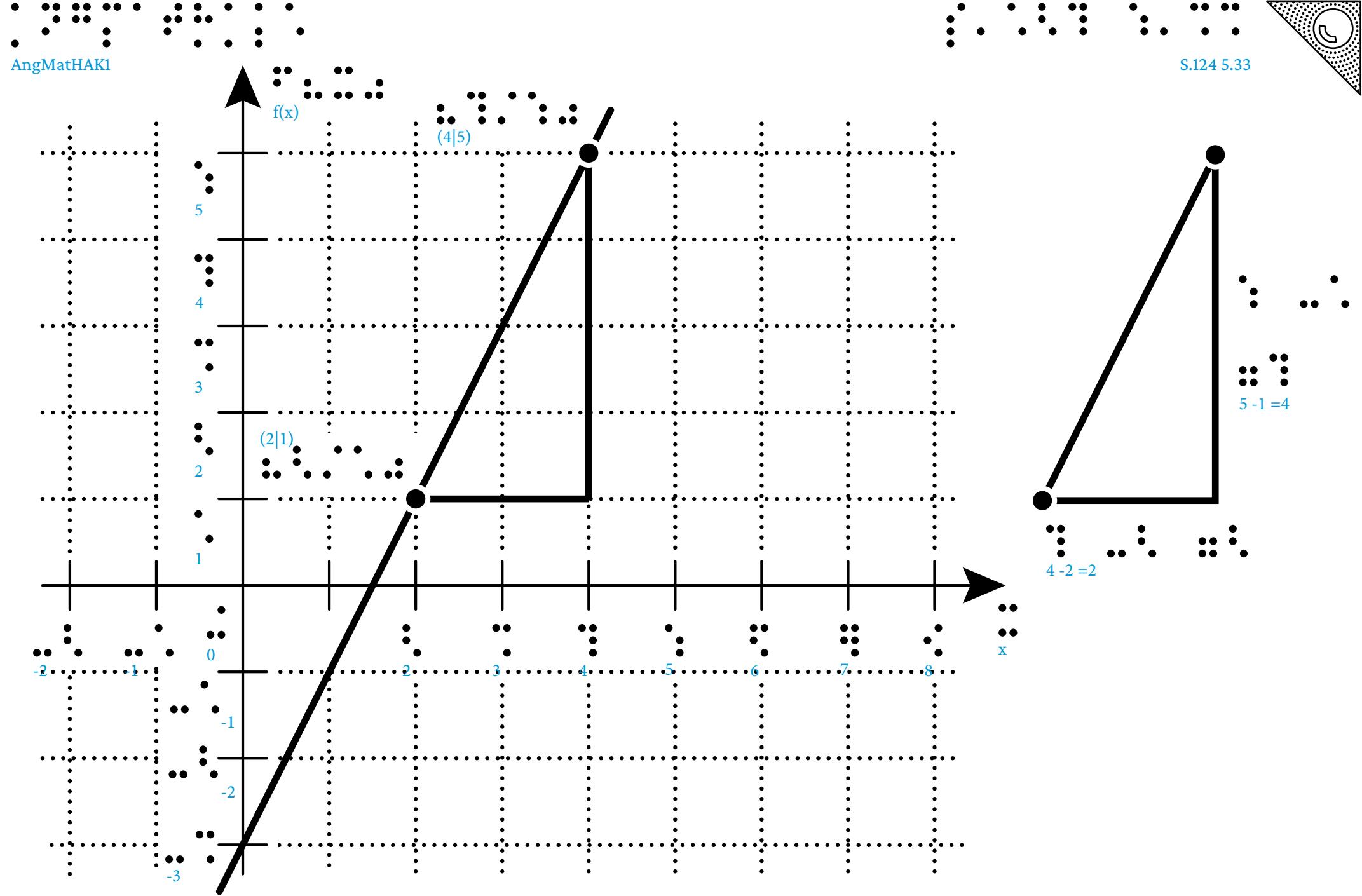


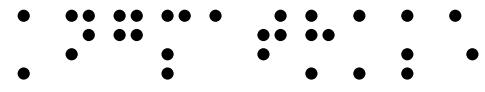
AngMatHAK1



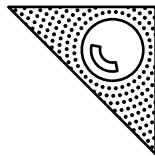
S.124 Satz



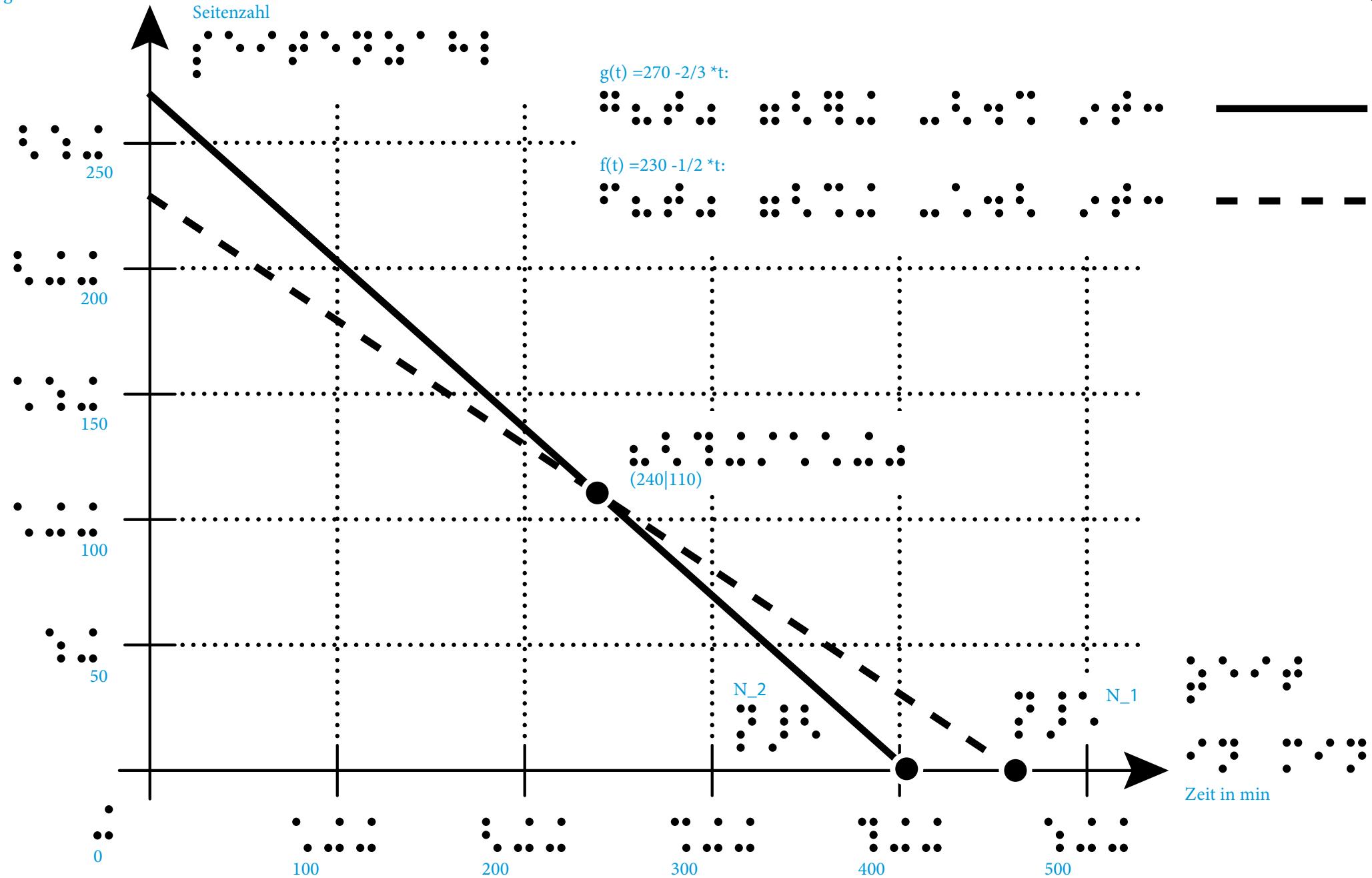


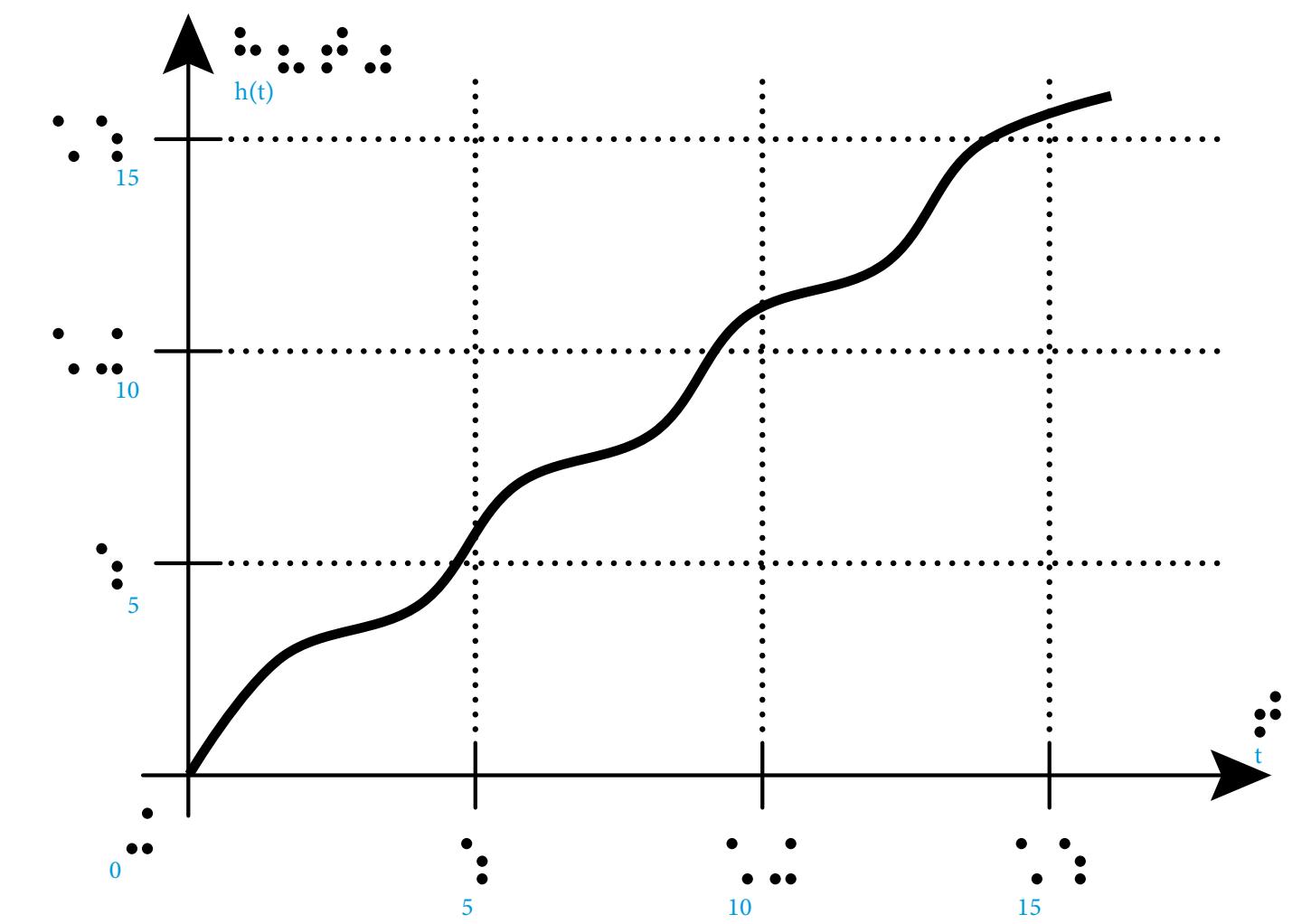
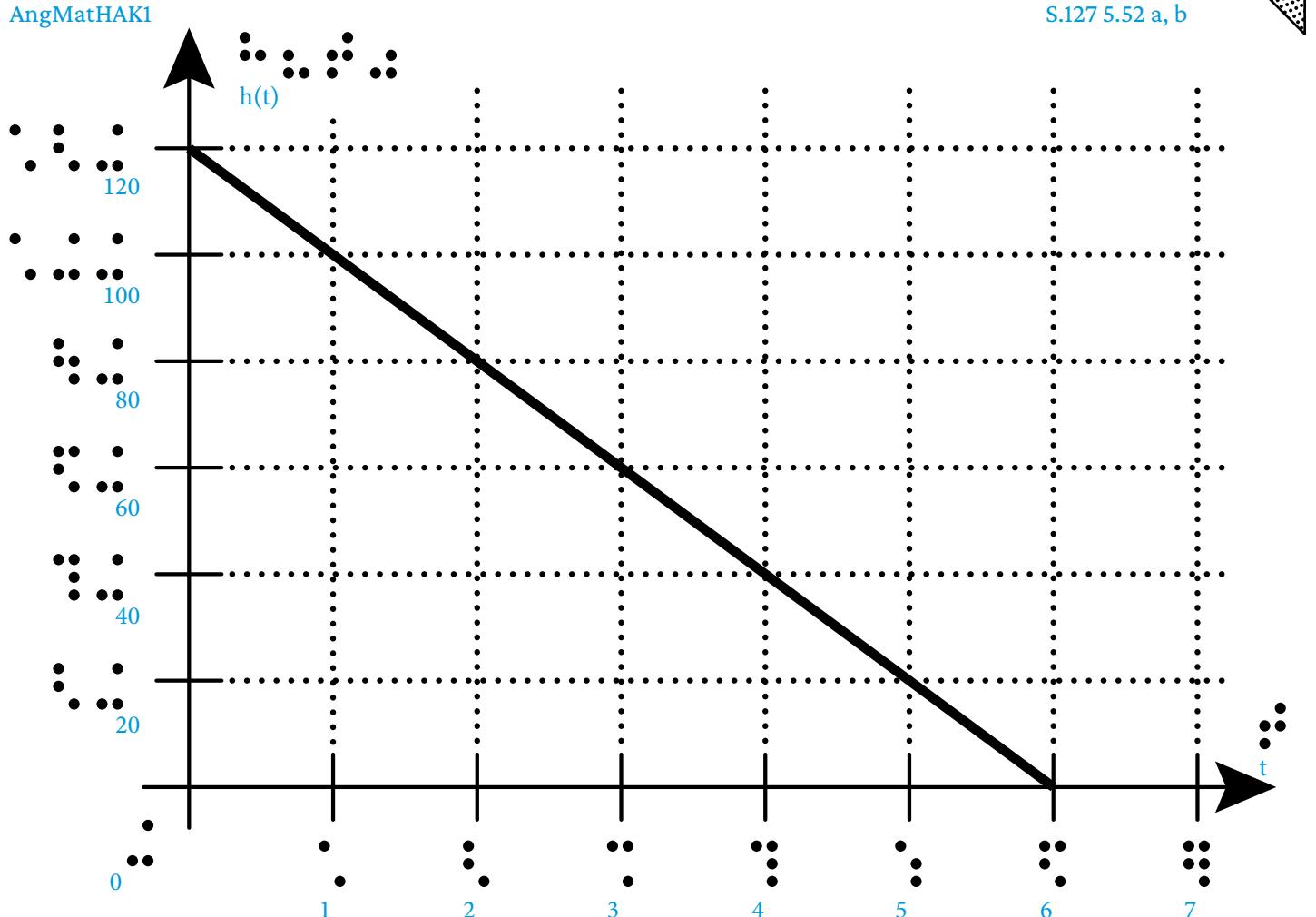
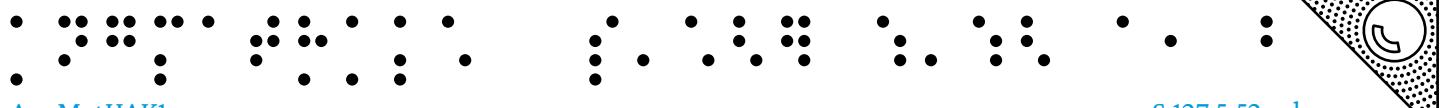


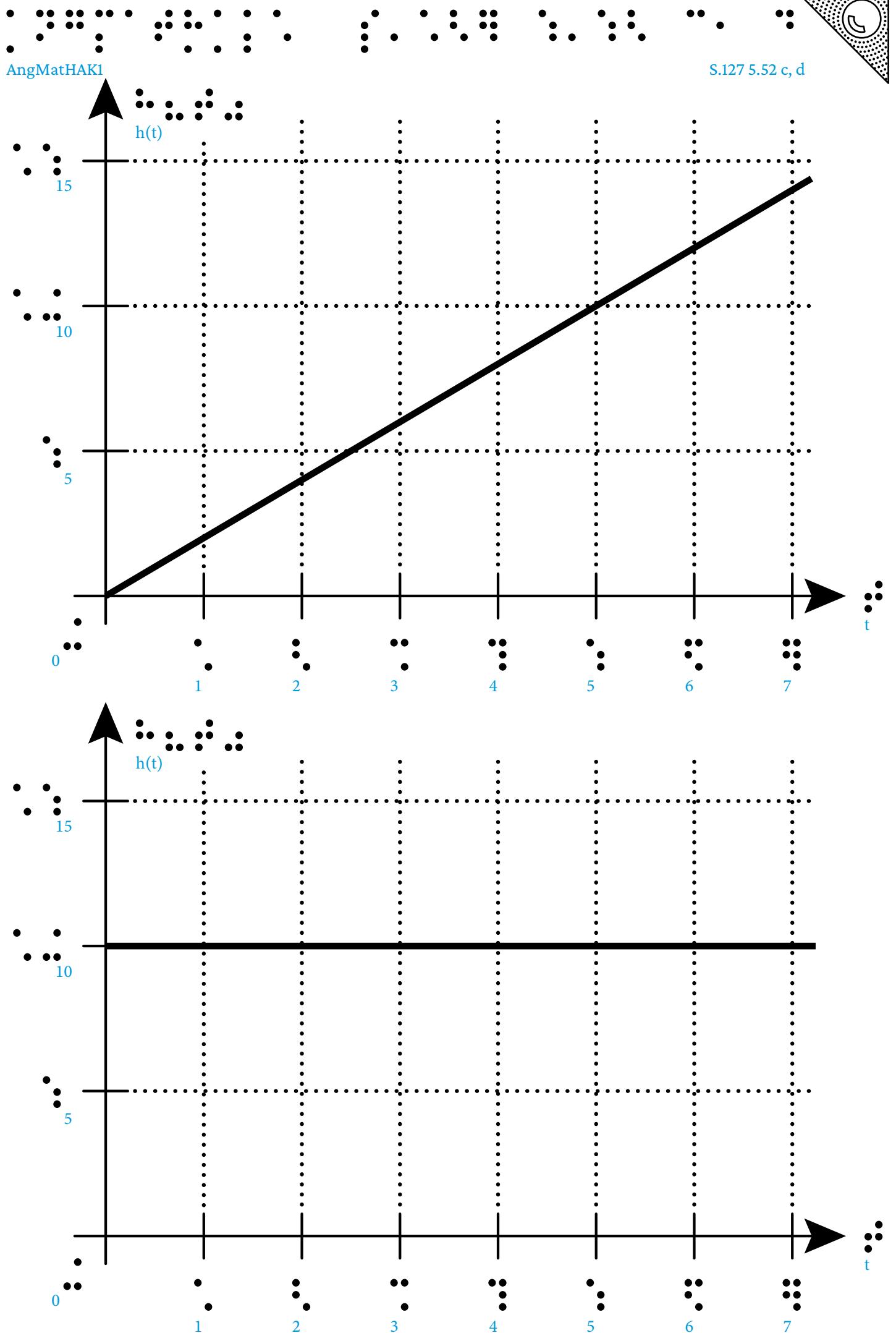
AngMatHAK1

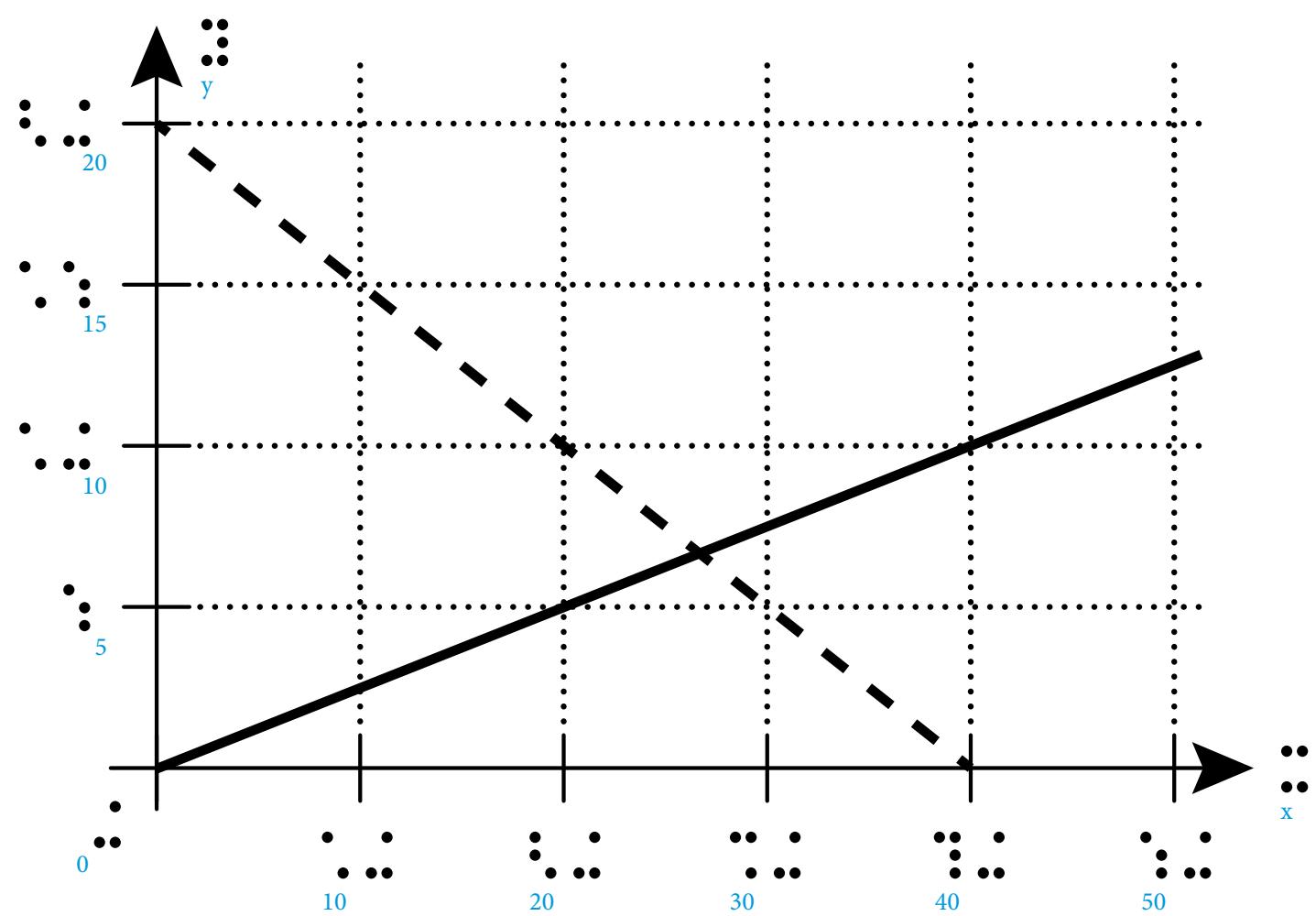
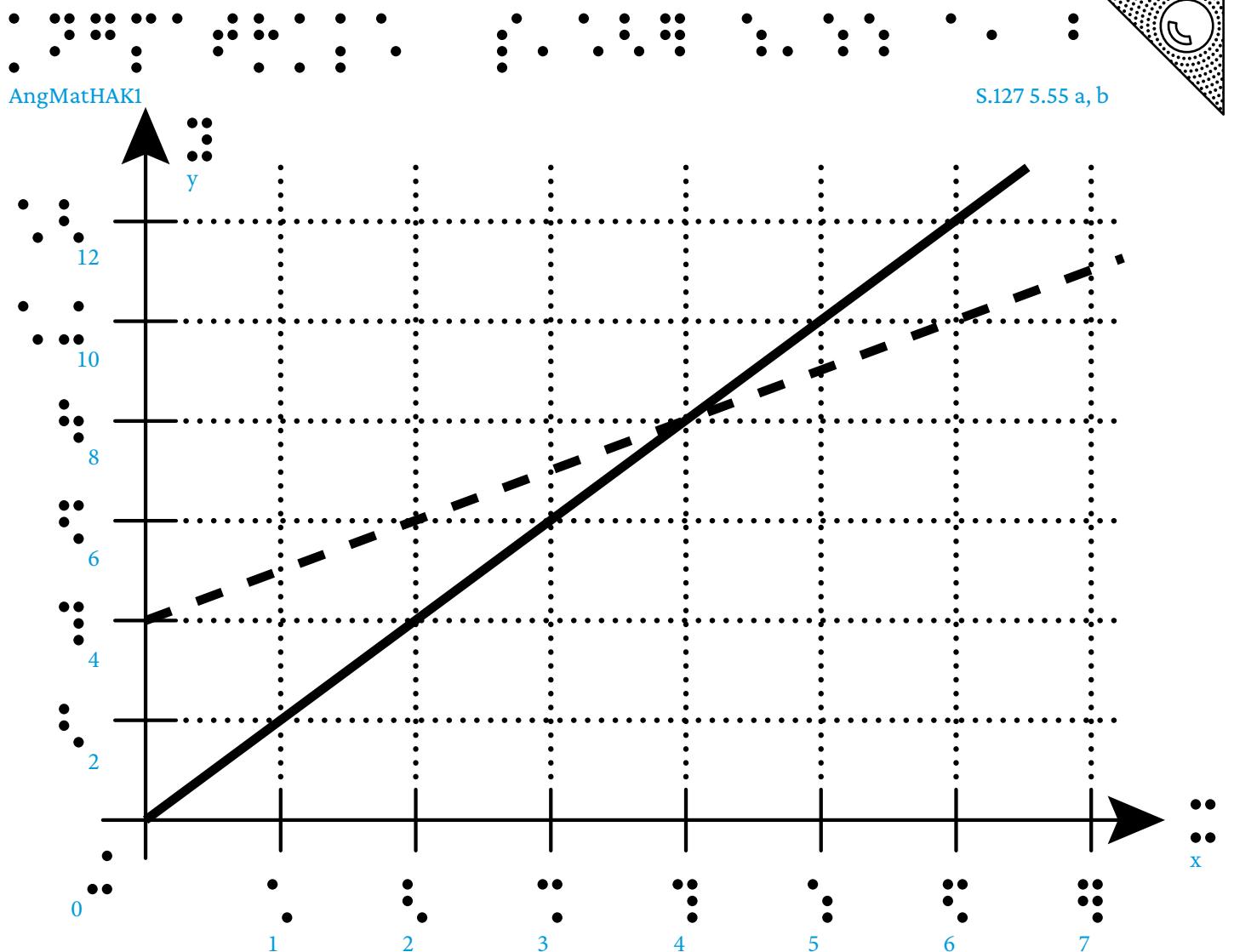


S.126 5.45



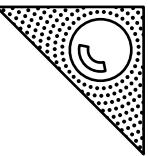




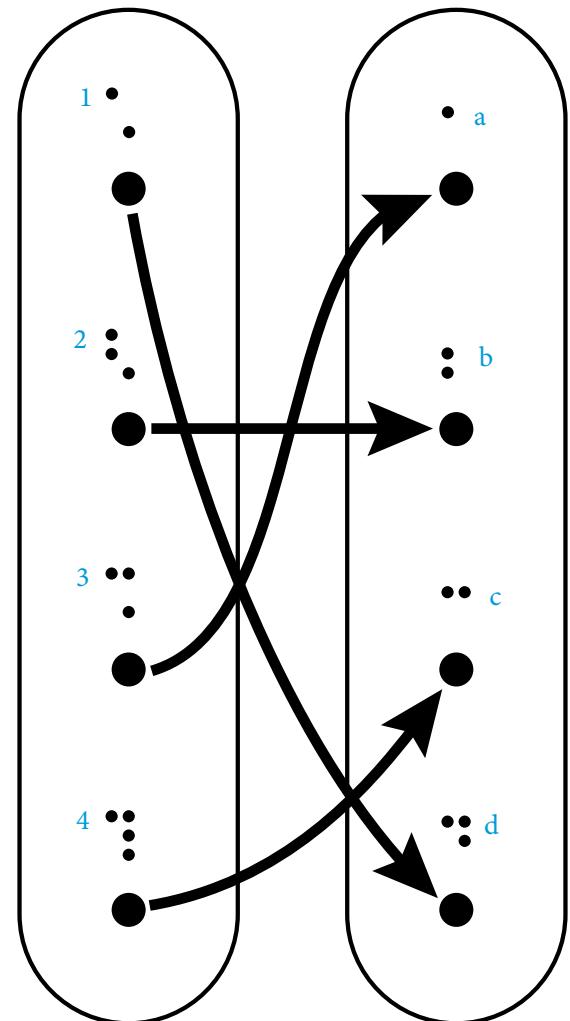


AngMatHAK1

AngMatHAK1

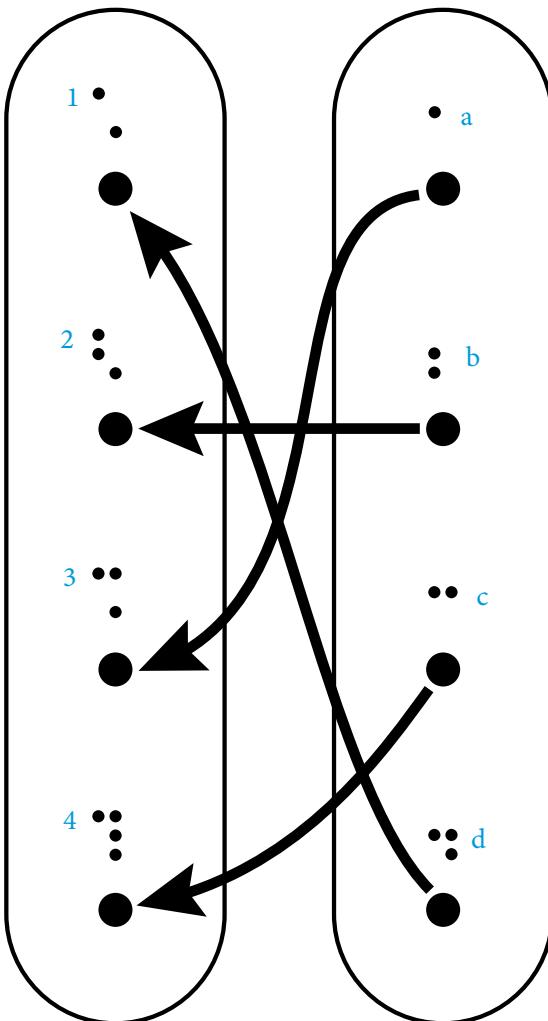


Funktion f :



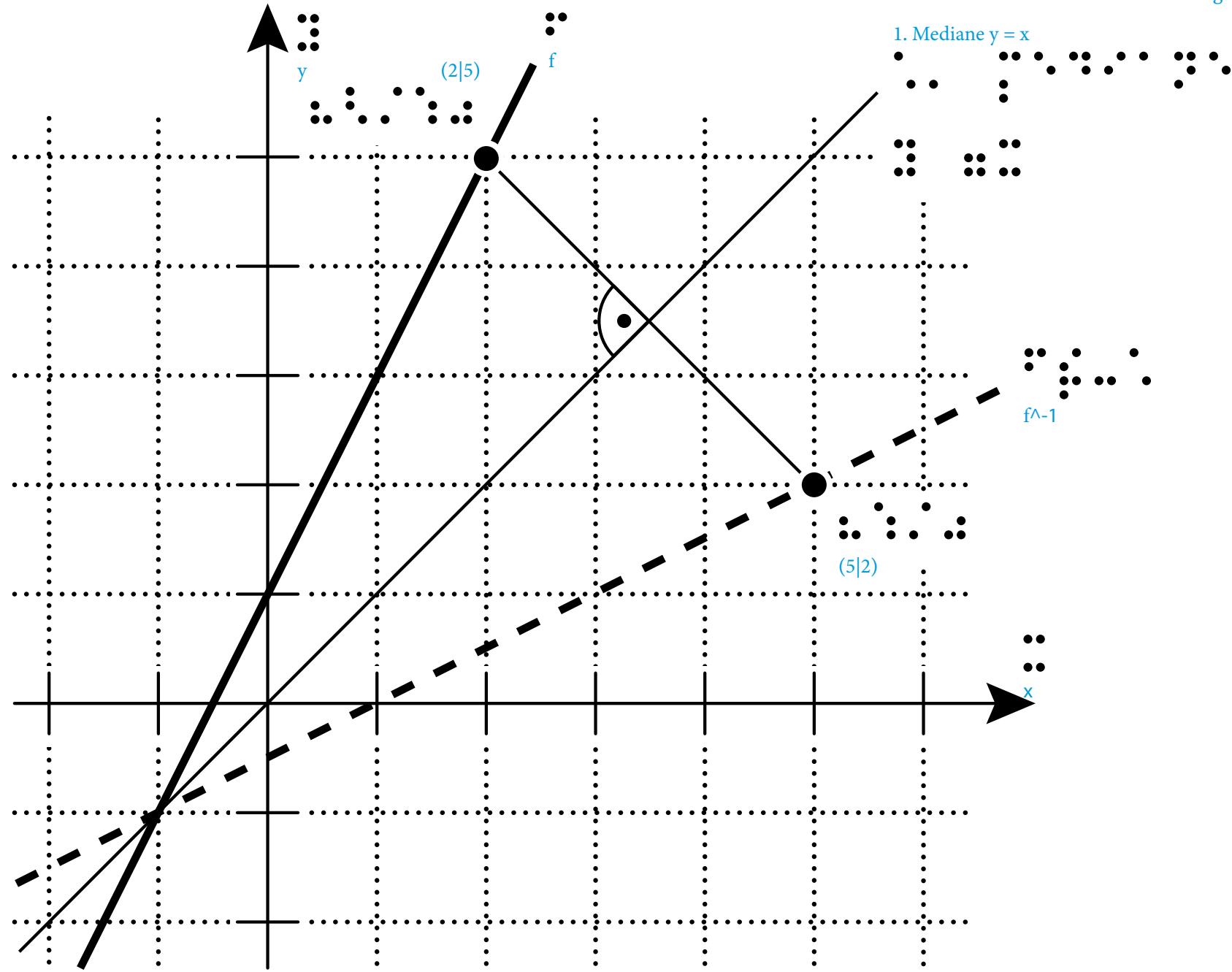
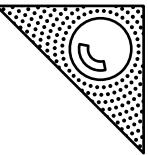
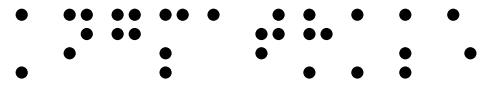
$$\begin{array}{l} f(1) = d \\ f(2) = b \\ f(3) = a \\ f(4) = c \end{array}$$

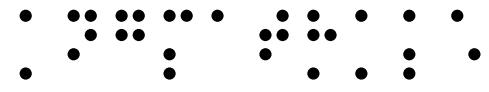
Umkehrfunktion f^{-1} :



$$\begin{array}{l} f^{-1}(a) = 3 \\ f^{-1}(b) = 2 \\ f^{-1}(c) = 4 \\ f^{-1}(d) = 1 \end{array}$$

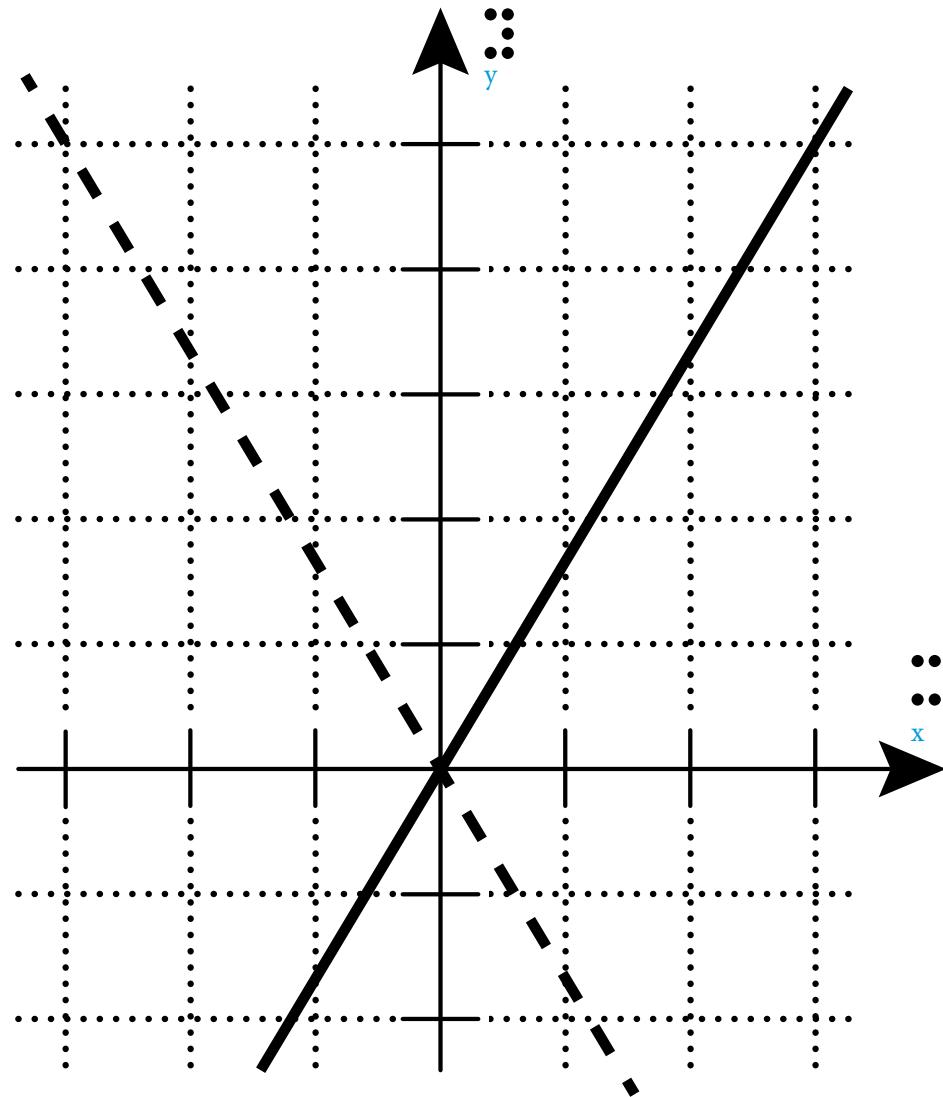
S.128 5.6 Umkehrfunktion



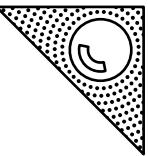


AngMatHAK1

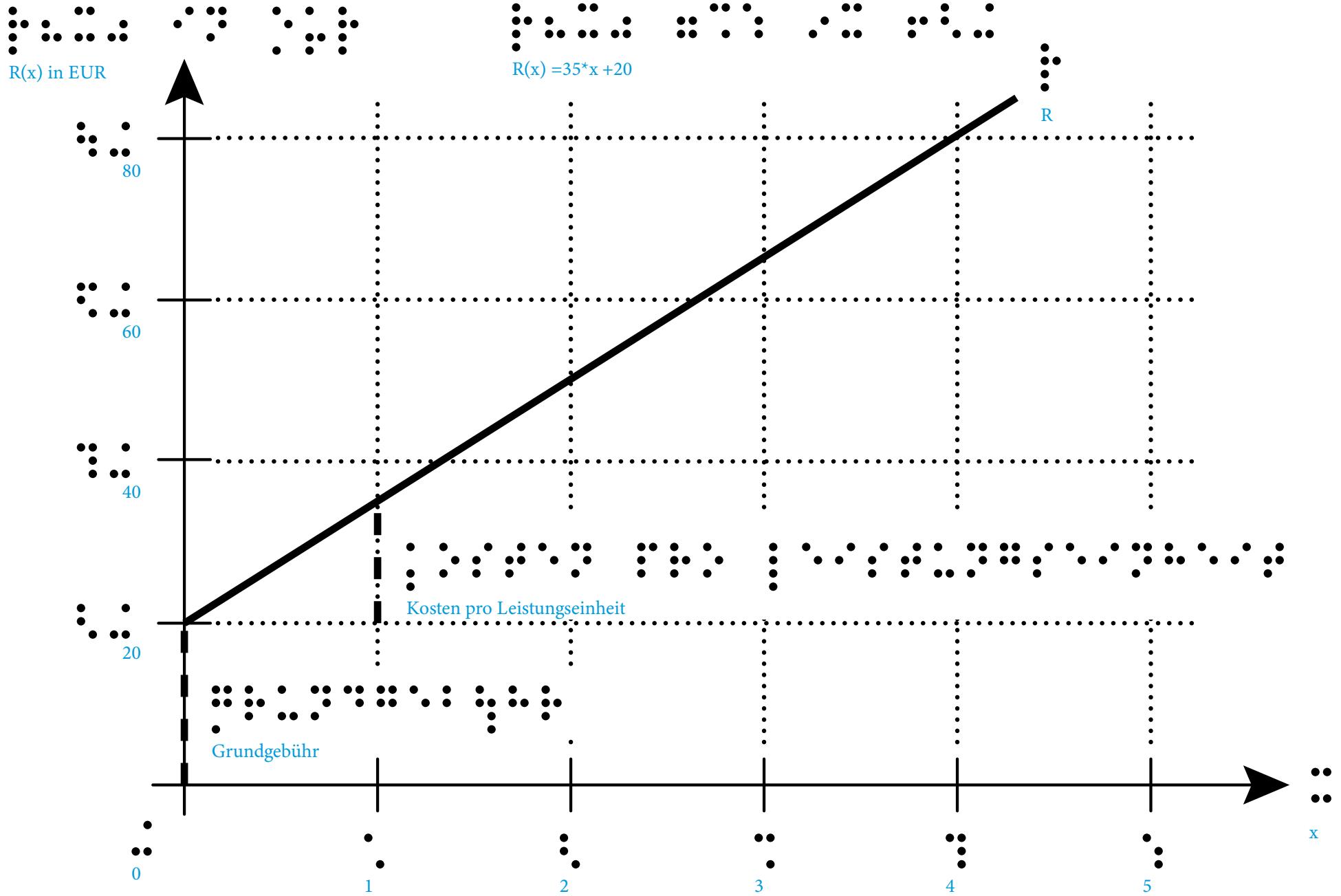
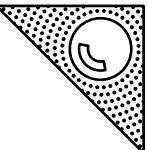
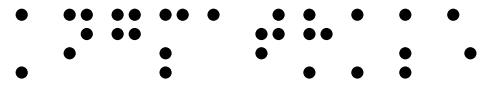
a)

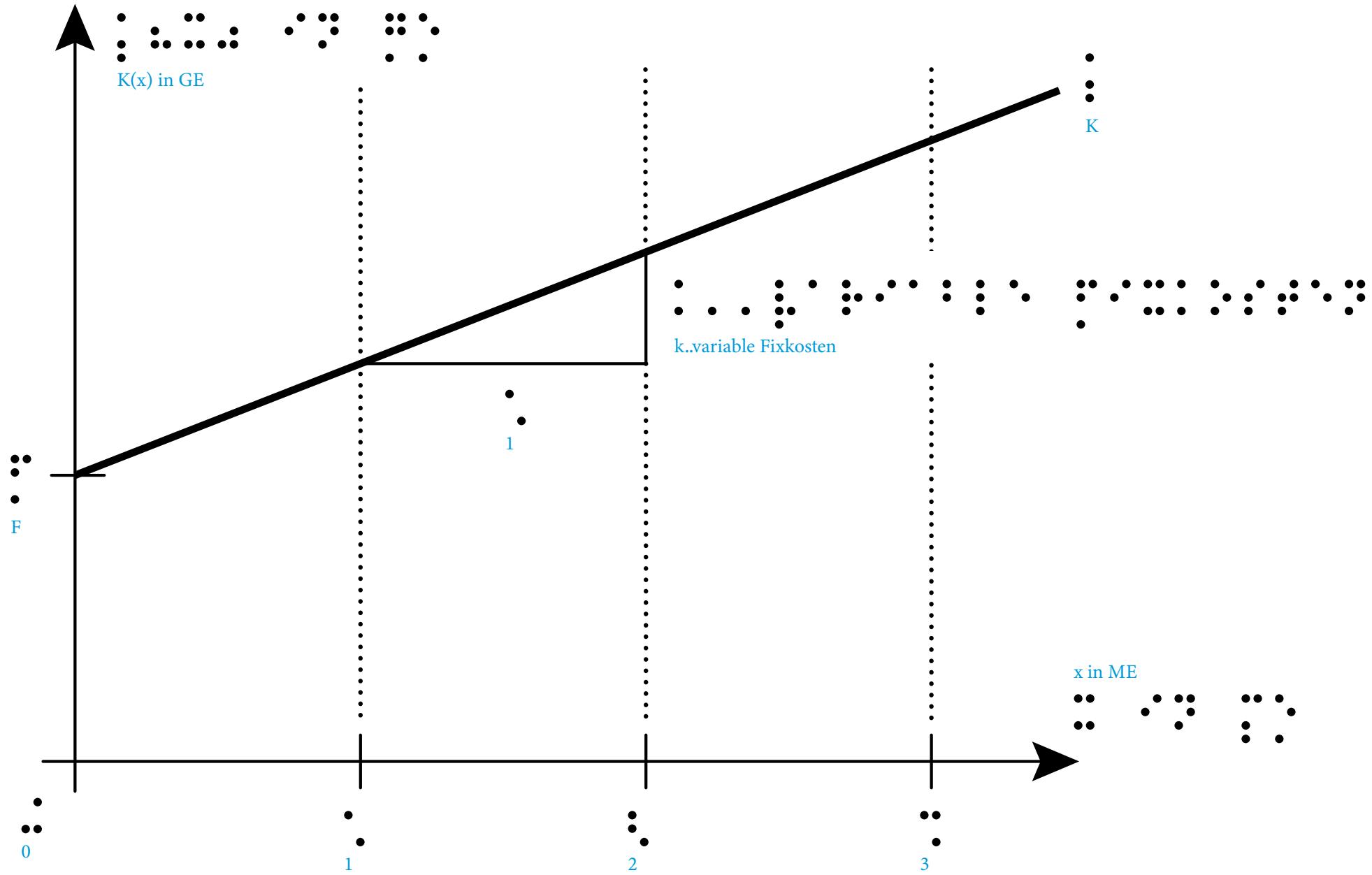
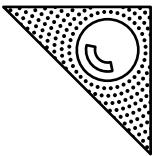
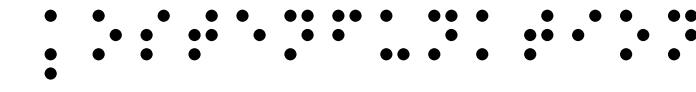
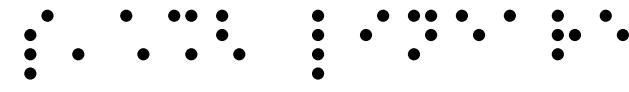
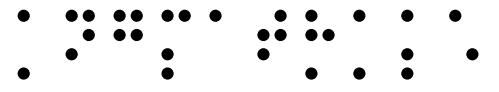


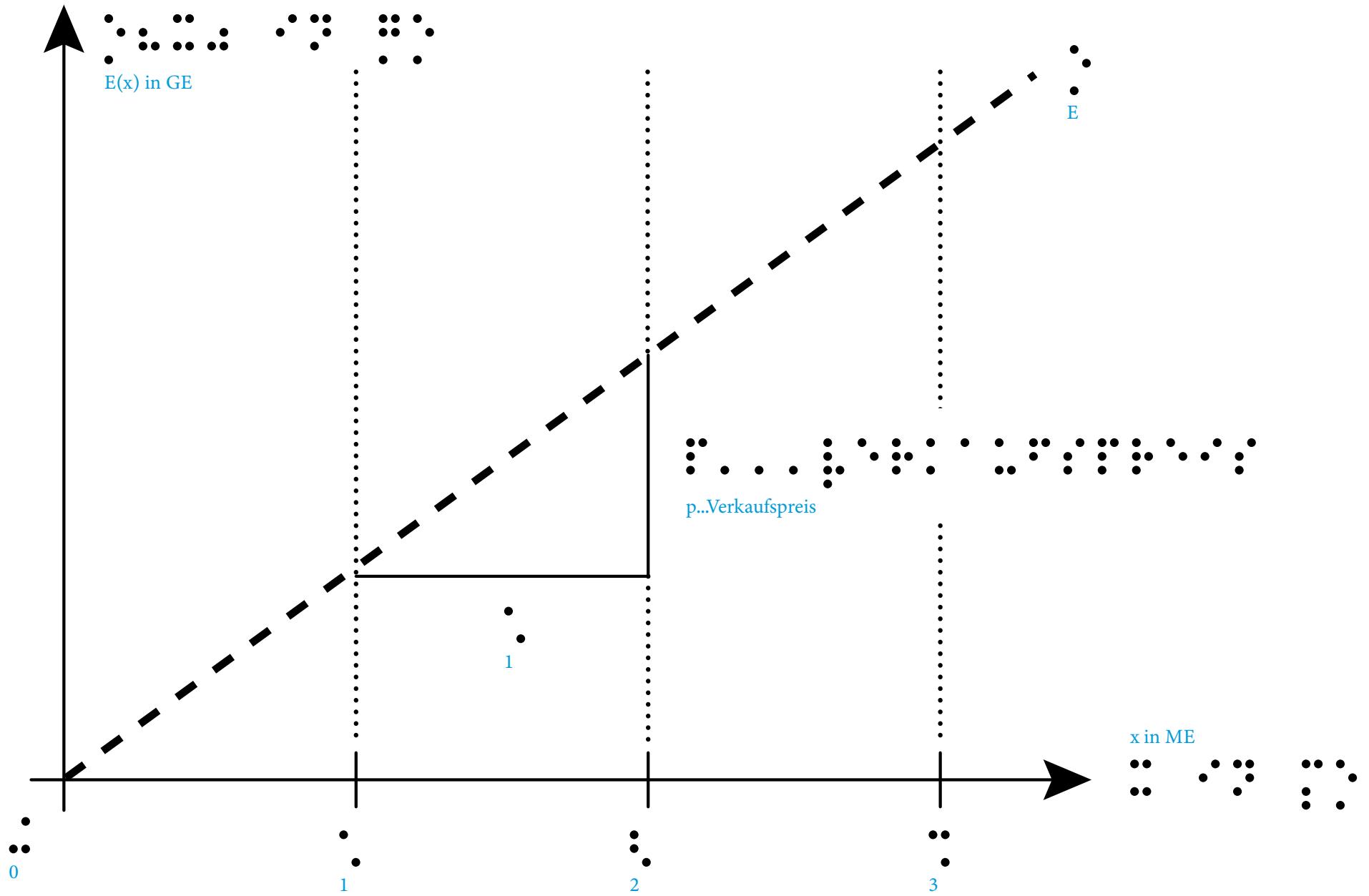
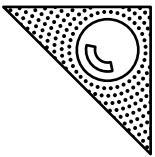
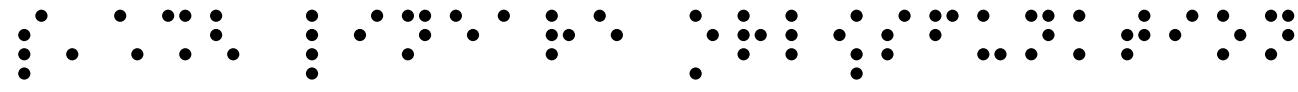
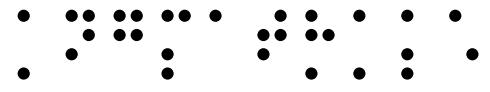
S.129 5.63

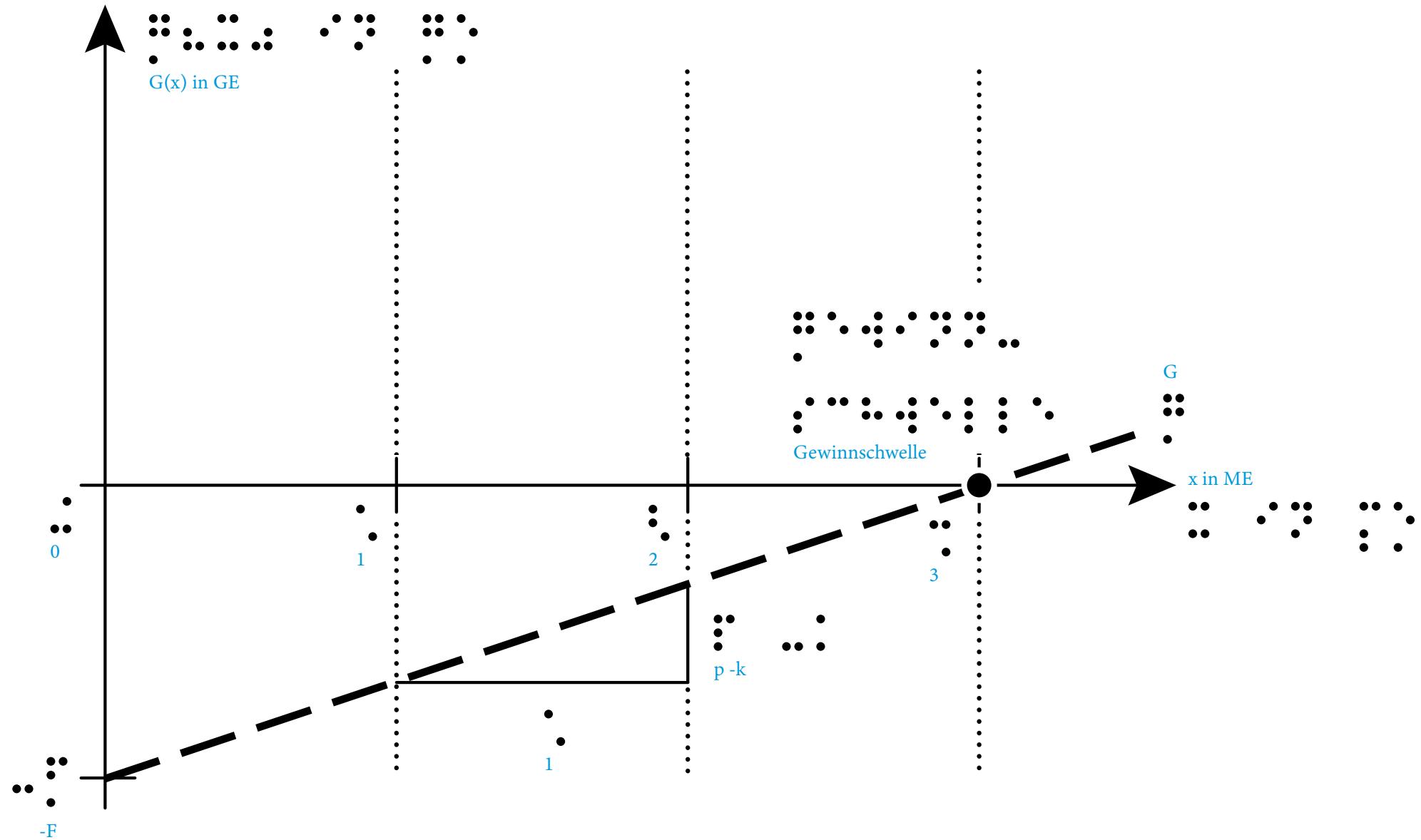
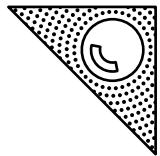
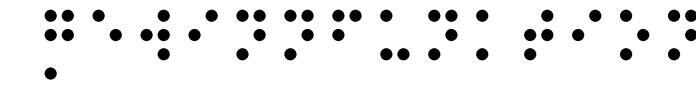
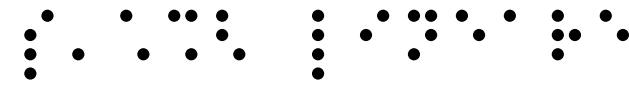
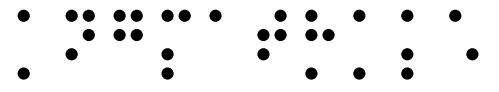


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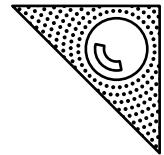








AngMatHAK1



S.132 5.74 Lösung

